

Heavy Quarks as Probes of the Primordial Plasma

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LABORATÓRIO DE INSTRUMENTAÇÃO
E FÍSICA EXPERIMENTAL DE PARTÍCULAS

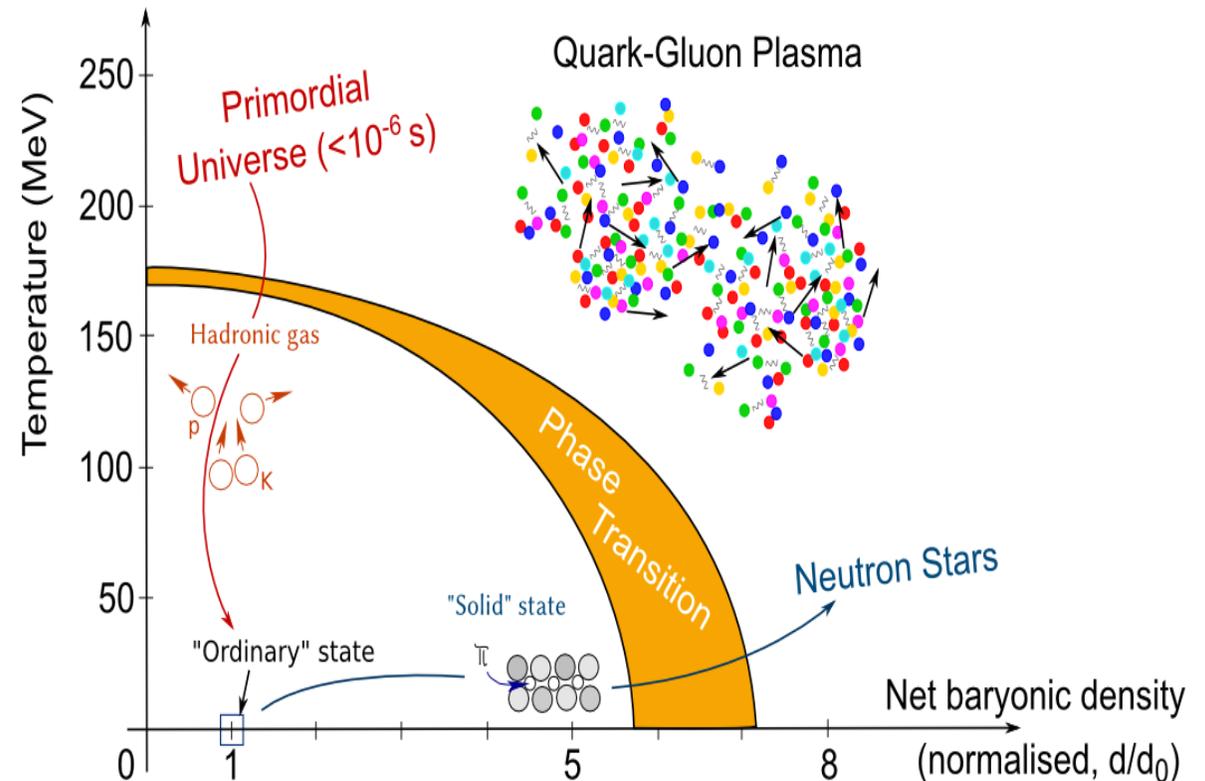


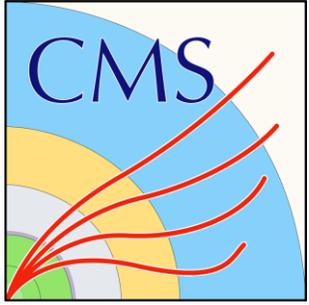
Ciências
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Introduction

Goal: To study the properties of the quark gluon plasma (QGP) using b-quark heavy mesons

- QGP is predicted to exist under extreme conditions of temperature and density (e.g. primordial Universe)
- Can be recreated in heavy ion collisions like Pb-Pb
- b-quarks are created at early stages and so “record” information about the QGP evolution





Introduction

- Study the hadronization of the b-quark by measuring the B_s^0 (bs) cross section in pp collisions
- In this work the cross section of the B_s^0 is measured by reconstructing this meson from pp collision dataset through:

$$\mathbf{B_s^0 \text{ decay channel: } B_s^0 \rightarrow J/\psi(\mu^+\mu^-)\phi(K^+K^-)}$$

- Later on extending the study to the B^+ (bu) meson and comparing results with the Pb-Pb collision data will provide unique information about the properties of the QGP

Differential Cross Section

$$R_{AA} \propto \frac{\left(\frac{d\sigma}{dp_T}\right)_{PbPb}}{\left(\frac{d\sigma}{dp_T}\right)_{pp}}$$

$$\left(\frac{d\sigma}{dp_T}\right)_{pp} = \frac{1}{\epsilon B L} \frac{N_s}{\Delta p_T}$$

Cross Section Uncertainty:

Statistical	Systematic
• Raw Yield	• Raw Yield
	• Efficiency
	• Luminosity
	• Branching Ratio

Efficiency
(from MC)

Branching Ratio (PDG)
 $B = (31.3 \pm 2.3) \times 10^{-6}$

Integrated Luminosity
 $L = (302.3 \pm 2.3\%) fb^{-1}$

Raw Signal Yield
(extracted from fit)

Dataset and Pre-selection

Muon Tracks

$$|P_T^\mu| > 3.5 \text{ GeV}/c \quad \text{for } |\eta^\mu| < 1.2$$

$$> (5.47 - 1.89 \times |\eta^\mu|) \text{ GeV}/c \quad \text{for } 1.2 < |\eta^\mu| < 2.1$$

$$> 1.5 \text{ GeV}/c \quad \text{for } 2.1 < |\eta^\mu| < 2.4$$

Muons pixel + strip hits > 5, muon pixel > 0

Muon DCA xy < 0.3 cm - transverse impact parameter

Muon DCA z < 20 cm - longitudinal impact parameter

P(tracks muon from same decay vertex) > 1%

$$|m(\mu^+\mu^-) - m(J/\psi)| < 0.15 \text{ GeV}/c^2$$

Dataset: Collected by CMS

- pp collision data (from 2017)

- $\sqrt{s} = 5.02 \text{ TeV}$

- Integrated luminosity $L = 302.3 \text{ pb}^{-1}$.

MC: simulated by PYNTHIA + GEANT

High Purity Kaon Tracks

$$|\eta^K| < 2.4$$

$$P_T^K < 1 \text{ GeV}/c$$

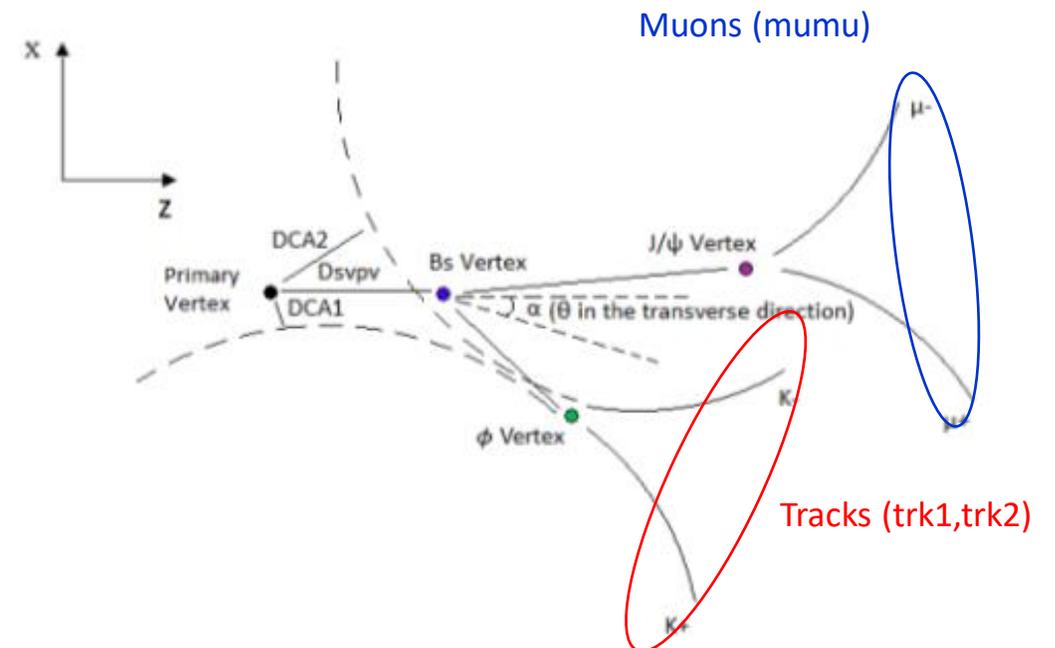
$$\Delta P_T^K / P_T^K < 0.1$$

Kaon pixel + strip hits > 10

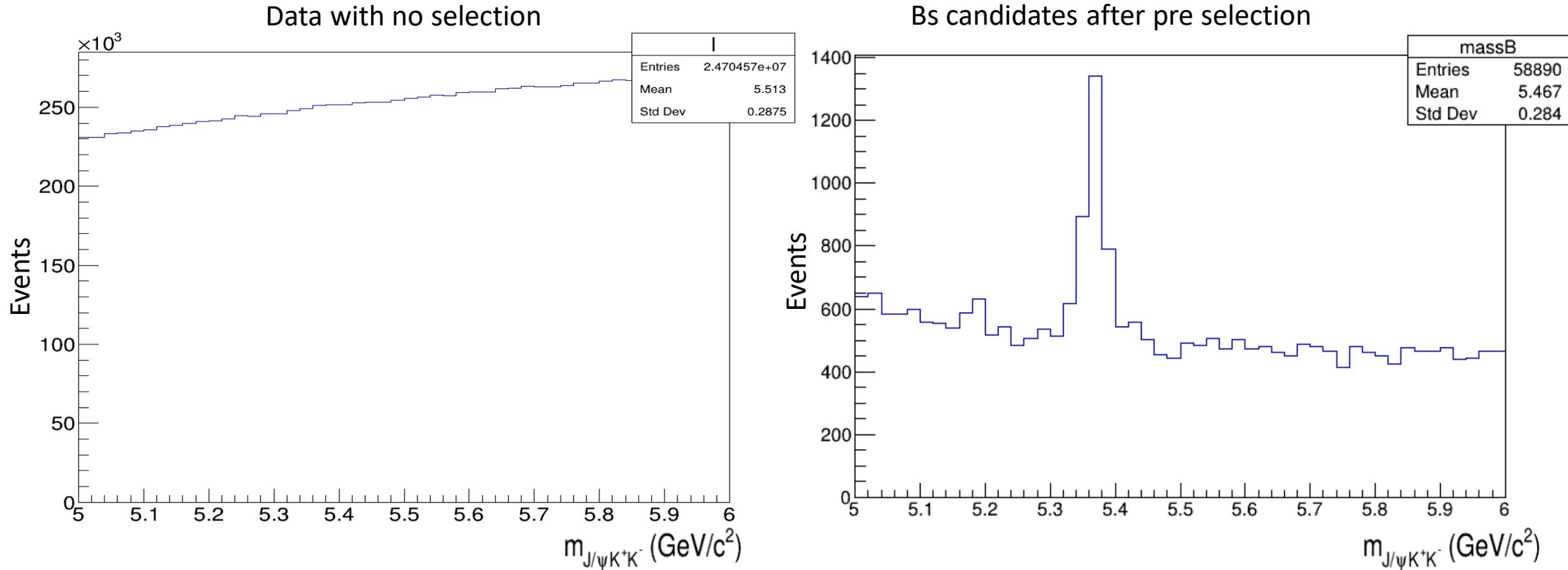
K $\chi^2/\text{d.o.f}/\text{total hits} < 0.18$

P(two kaon tracks from same decay vertex) > 0.05%

$$|m(K^+K^-) - m(\phi)| < 0.015 \text{ GeV}/c^2$$



Bs candidates invariant mass $m(\mu^+\mu^-K^+K^-)$: Pre Selection



B_s^0 signal becomes visible after baseline selection

Optimised signal vs
background selection
using multivariate
analysis (MVA)

Input variables used in the analysis for B_s

Btrk1Pt/Btrk2Pt Kaons Pt

Trk1DCAxy/Trk2DCAxy: Kaon tracks DCA PV xy: transverse impact parameter, divided by its error

Trk1DCAz/Trk2DCAz: Kaon tracks DCA PV z: longitudinal impact parameter, divided by its error

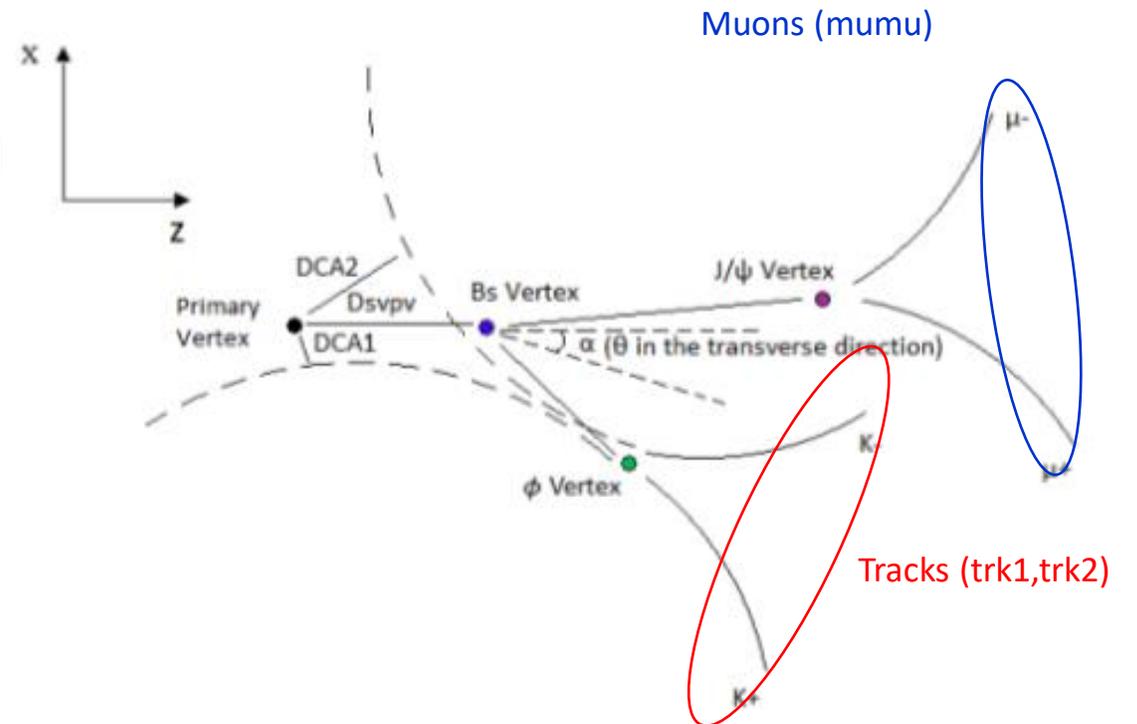
Bchi2cl: P(two kaon tracks from same decay vertex)

MassDis: $|m(K^+K^-) - m(\phi)|$

dls: Distance PV to SV, divided by its error

Balpha: angle between B_s^0 meson displacement and momentum

cos(Bdtheta): cosine of angle between B_s^0 displacement and momentum in the transverse direction



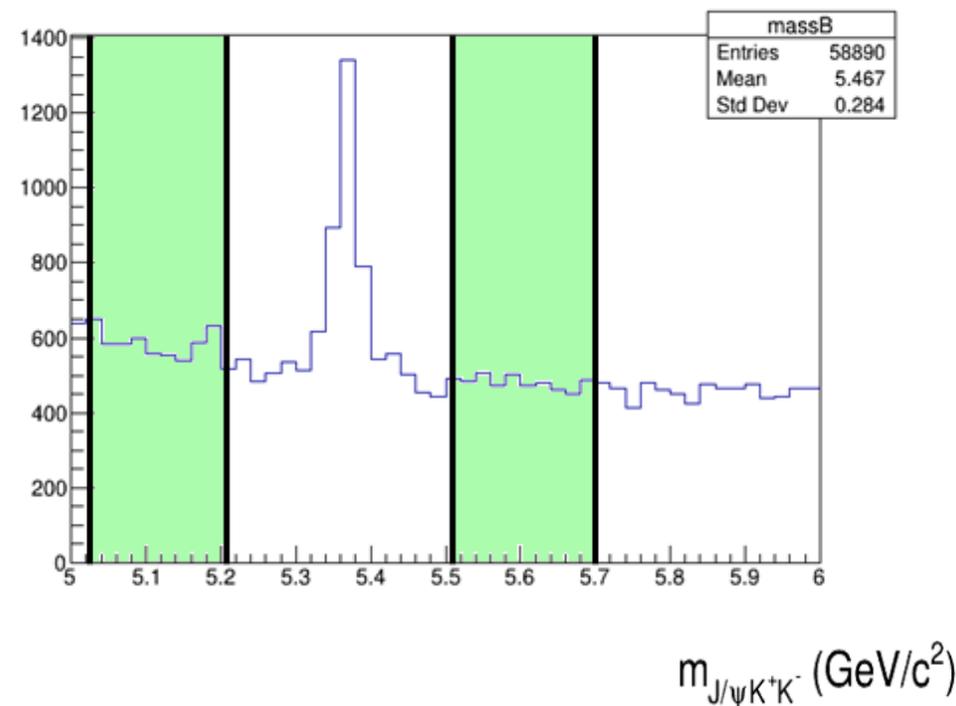
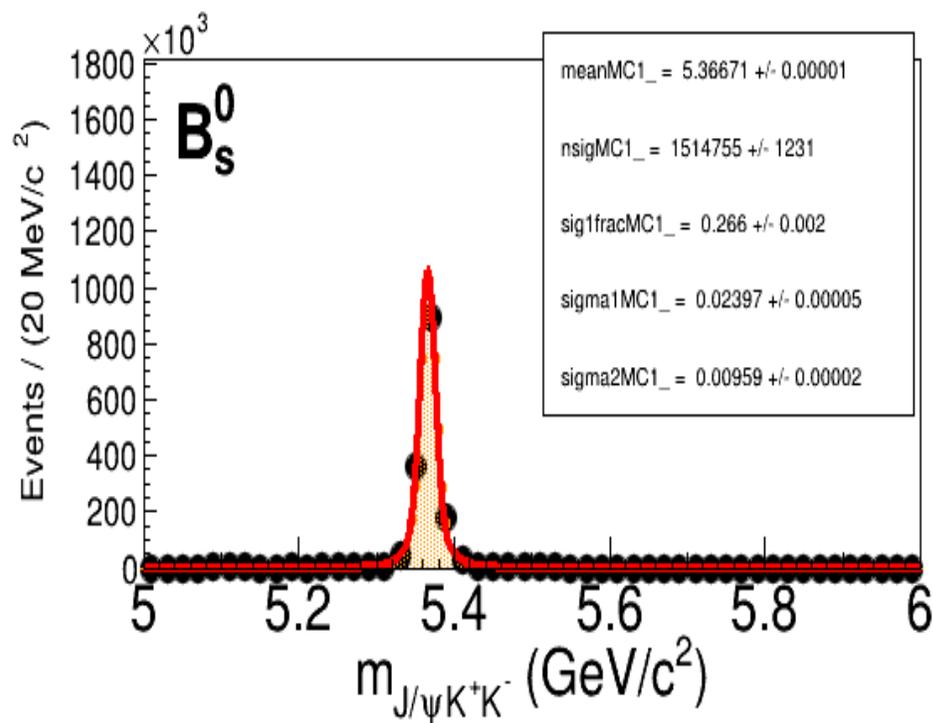
Training

Classifiers: CutsGA and BDT

Signal events sample: MC candidates

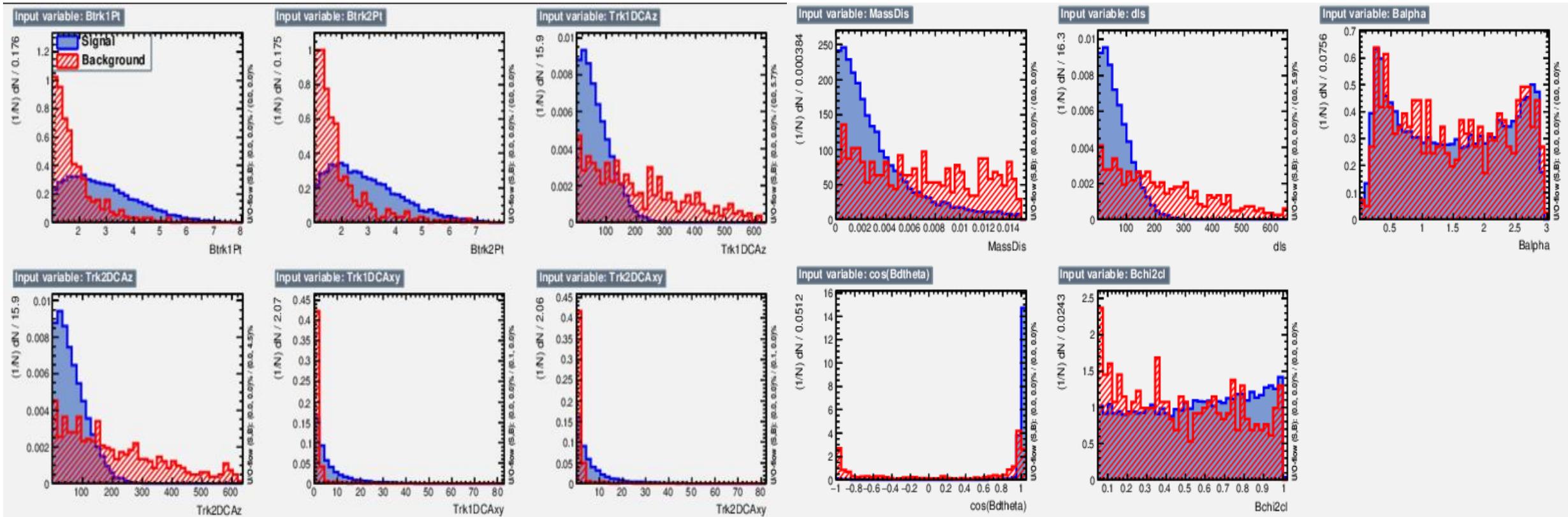
Background events sample: Data sideband region candidates

Training performed independently for 5 p_T bins:
[4,7],[7,10]. {10,15}, [15,20], [20,50] (GeV/c)



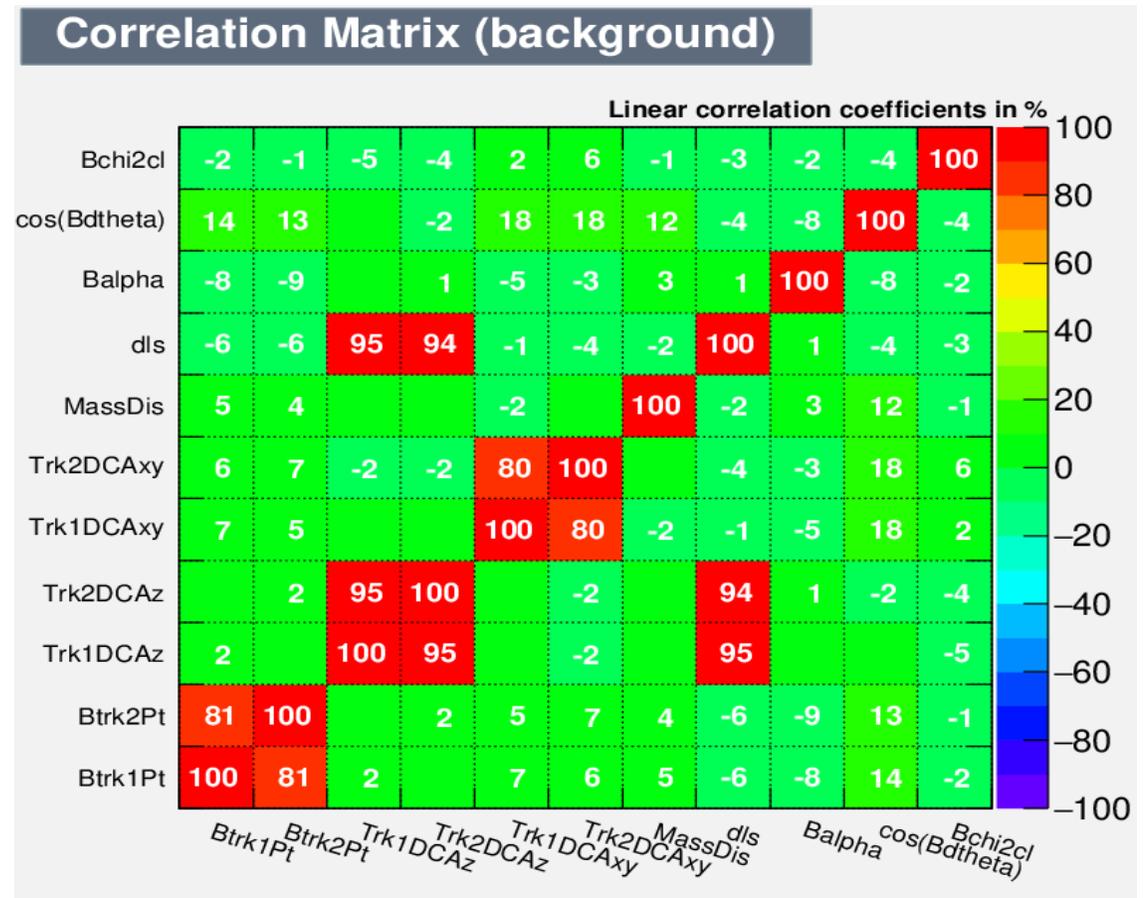
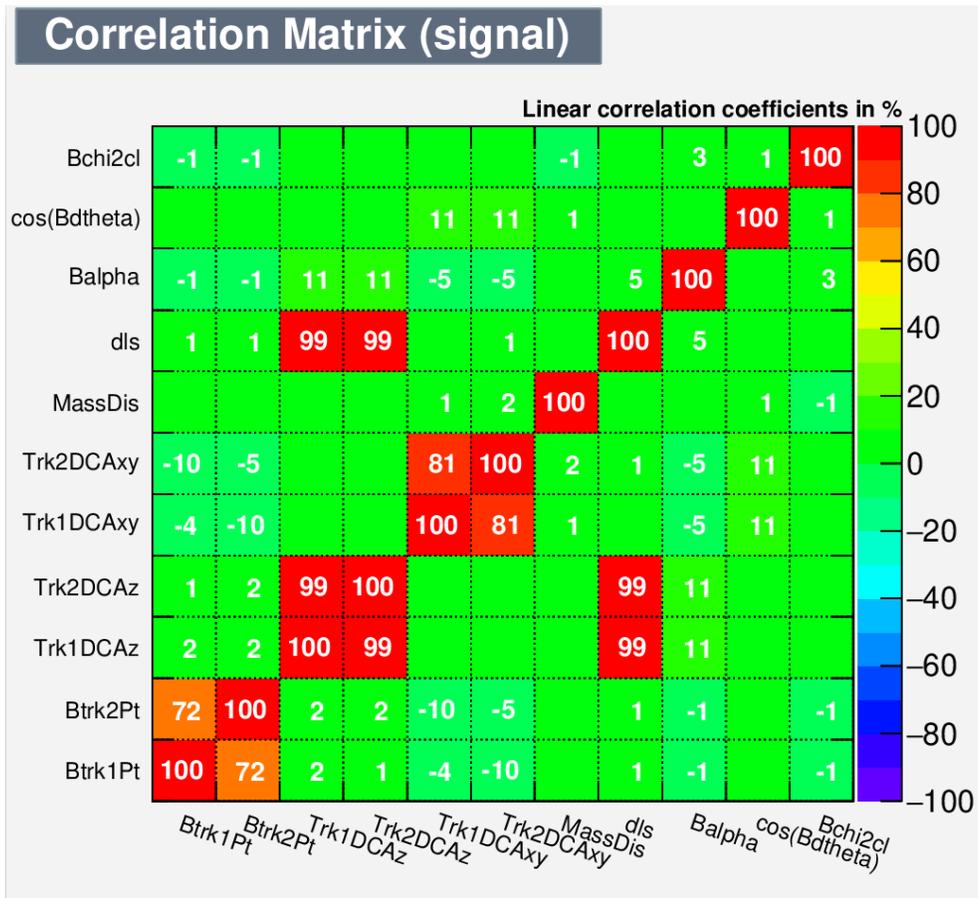
Input variables signal vs background

Distributions of input variables used in training samples for p_T bin [10-15] (Gev/c)



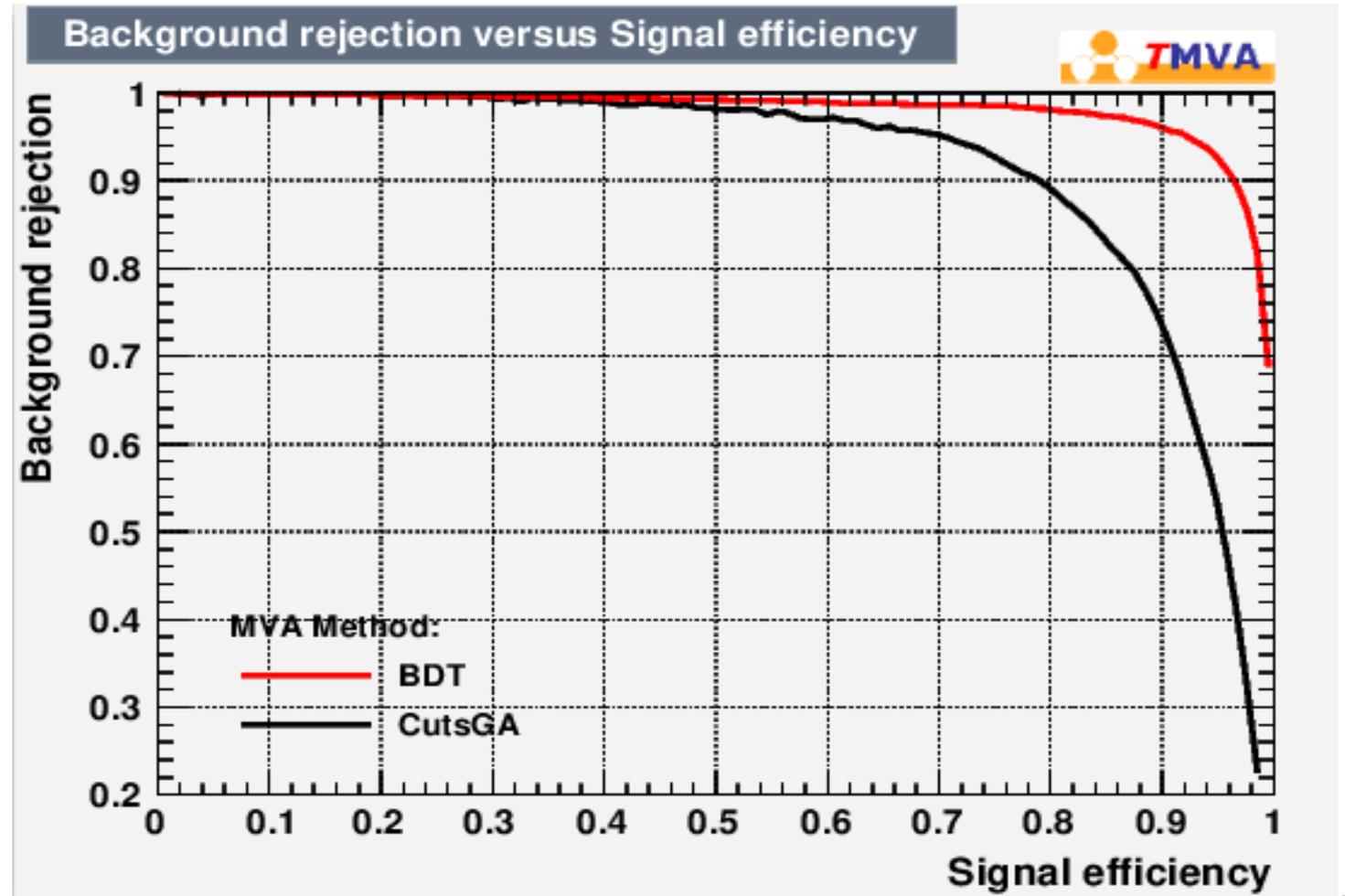
Correlation matrices

Correlation matrices between variables used in training for p_T bin [10-15] (Gev/c)



Classifier Performance

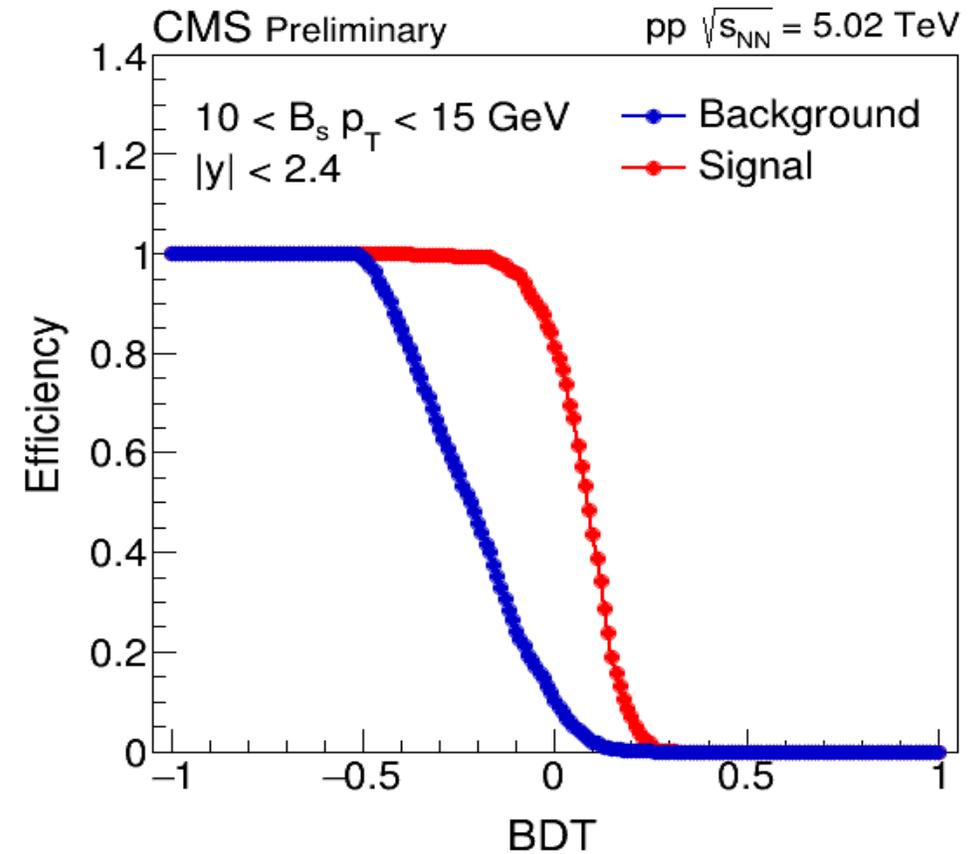
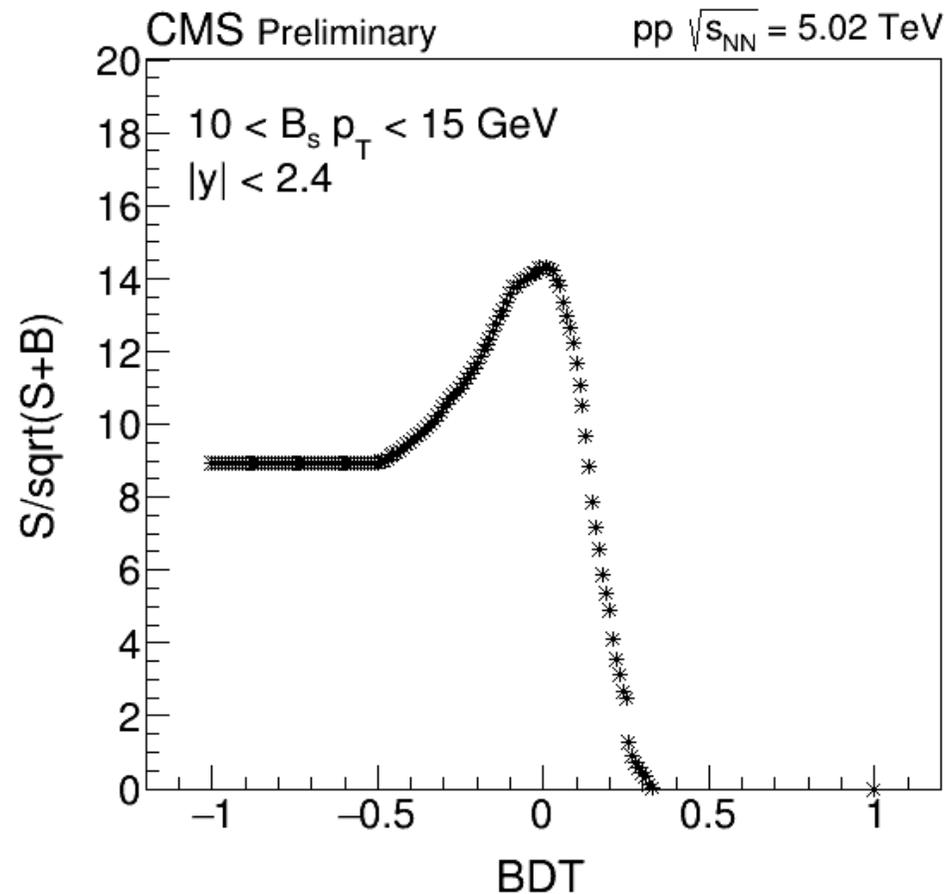
- Best classifier can be identified by the largest AUC (area under the curve) - BDT



BDT optimal working point p_T [10,15] (Gev/c)

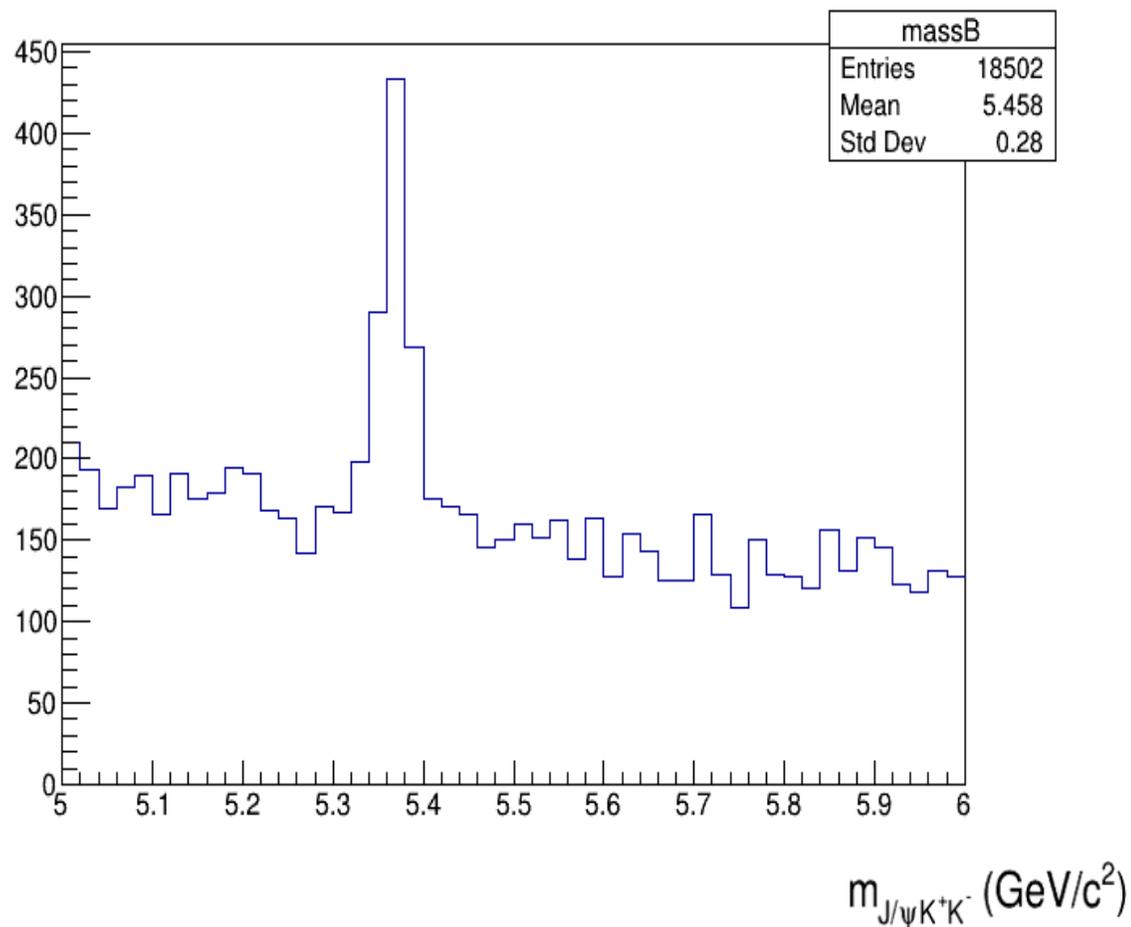
Max FOM = 14.31 for BDT score = 0.01 and effS = 0.79

Maximize figure of merit $FOM = \frac{S}{\sqrt{S+B}}$

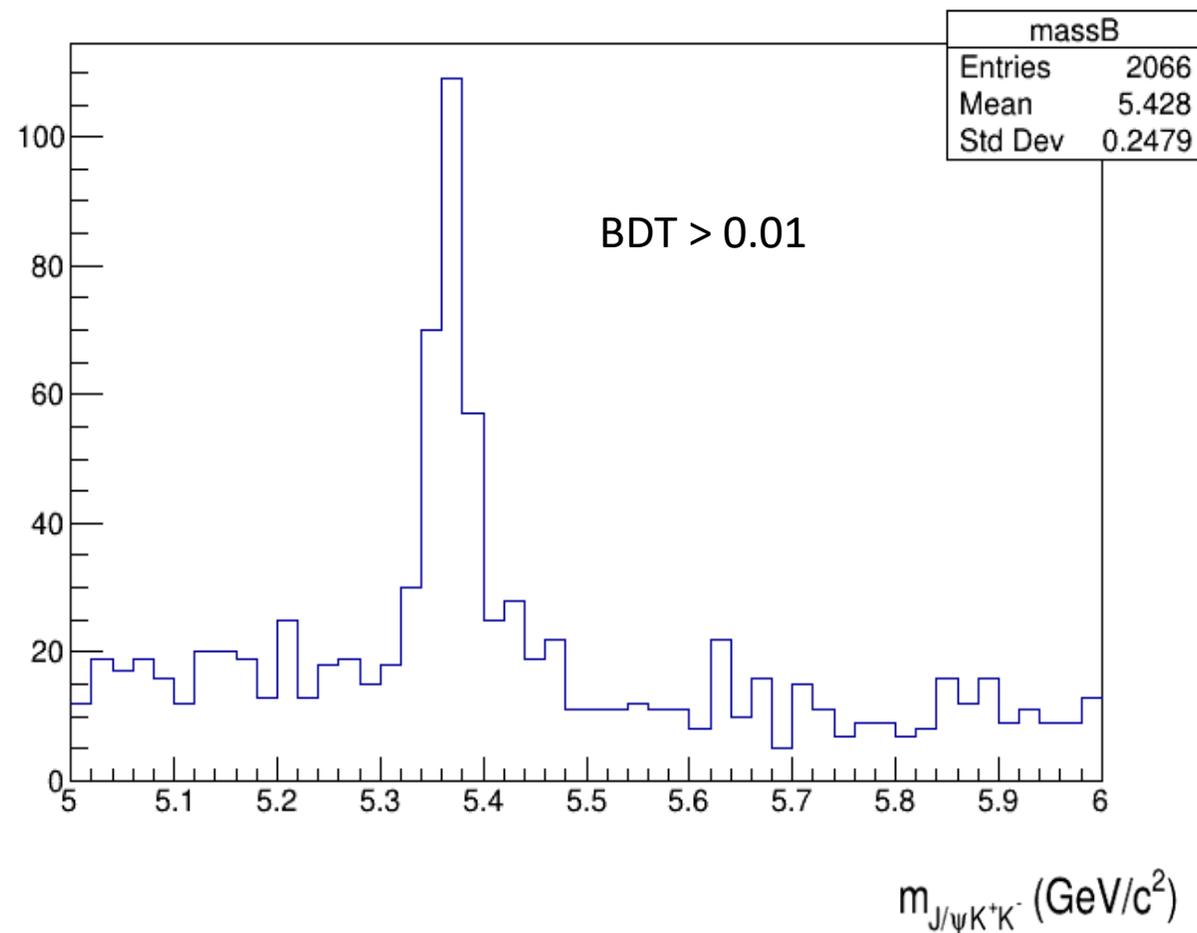


BDT optimal working point p_T [10,15] (Gev/c)

Bs candidates after pre selection p_T bin [10-15] (Gev/c)



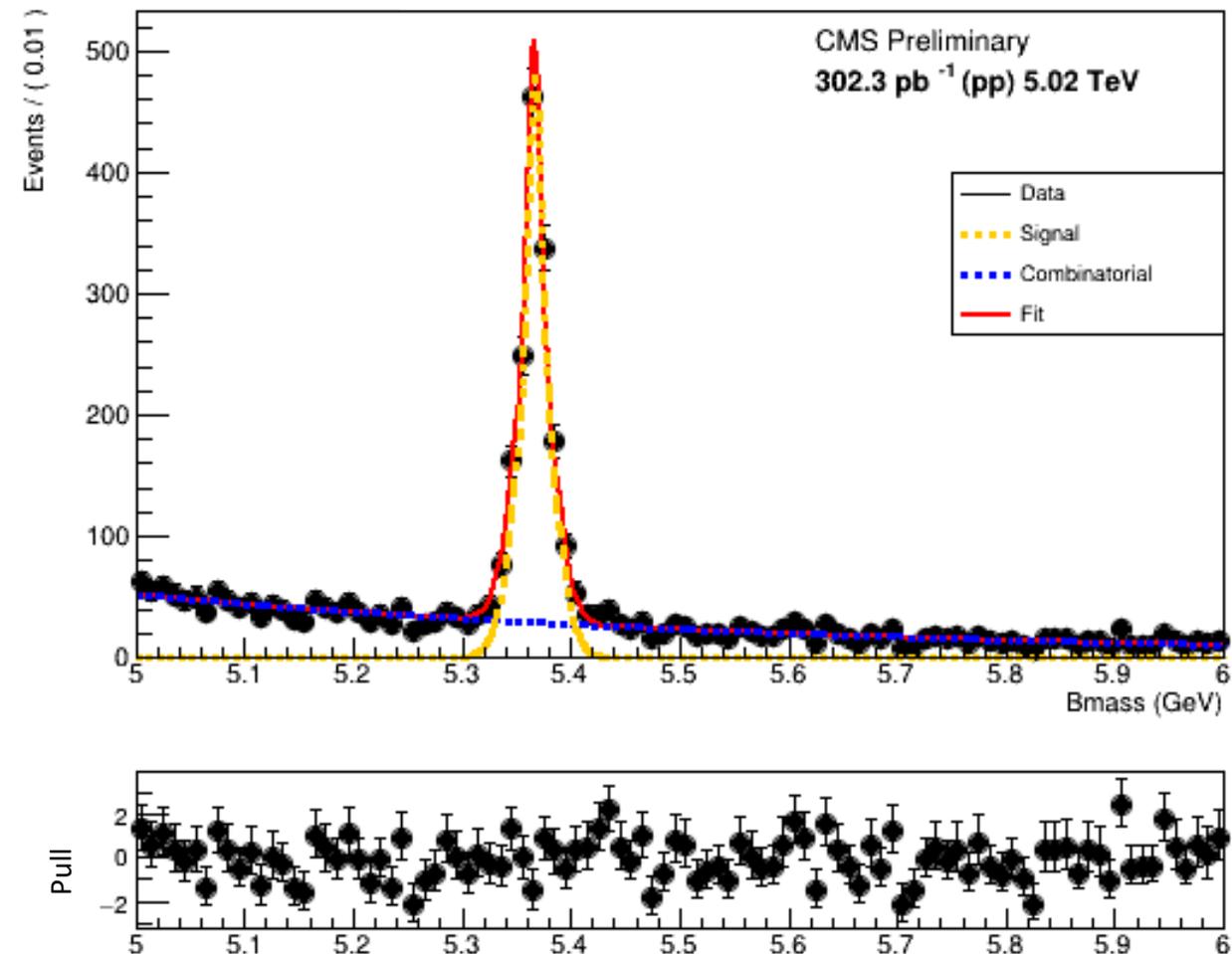
Bs candidates after optimal selection p_T bin [10-15] (Gev/c)



Likelihood Method & Signal Extraction

Likelihood Method

B_S^0 Invariant Mass Fit



Extended **Unbinned** Maximum Likelihood Fit

$$L(\{m_i\}, \lambda) = \prod_{i=1}^{N_{obs}} l(m_i) \frac{e^{-N} N^{N_{obs}}}{N_{obs}!}$$

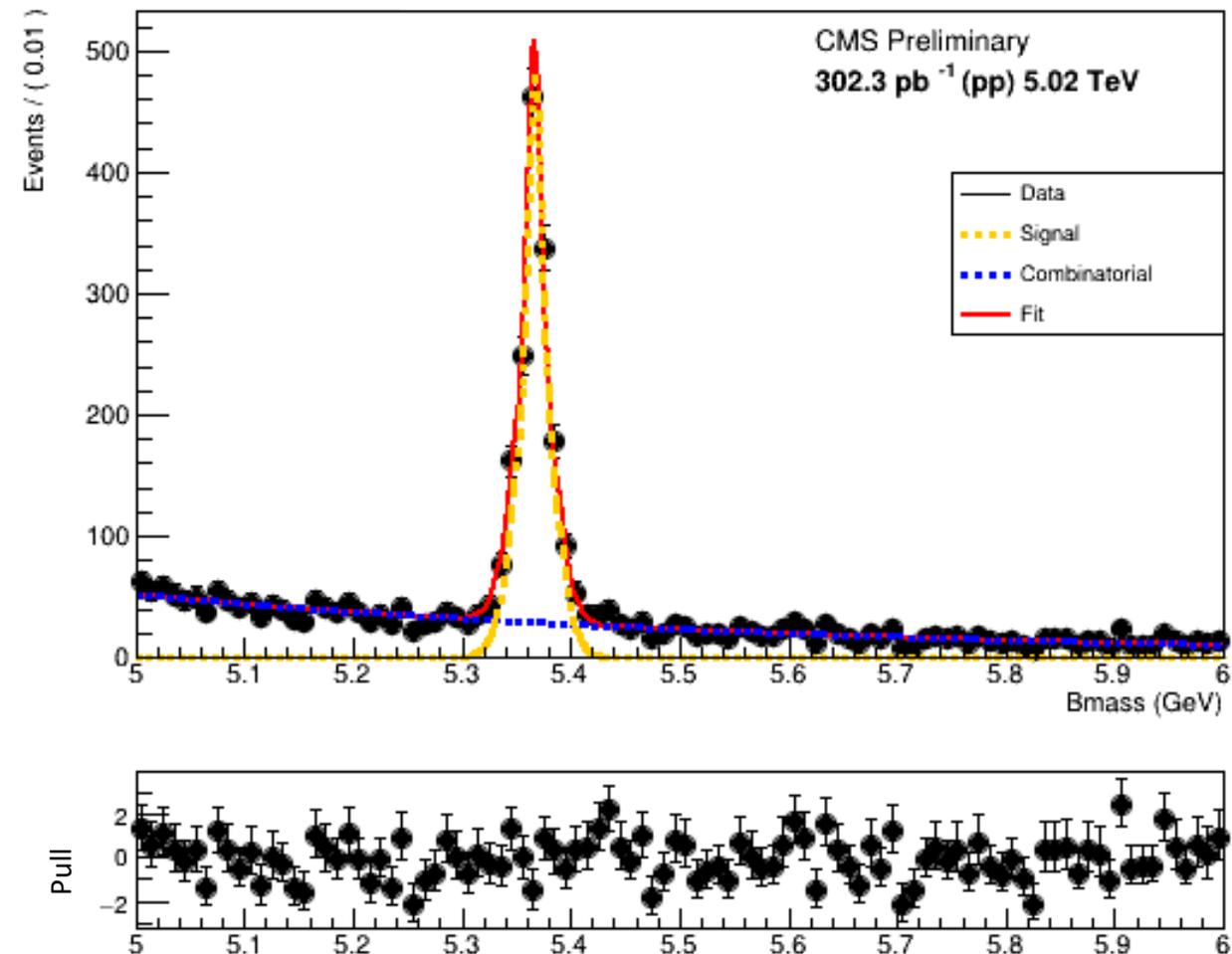
$$l(m_i) = \underbrace{N_S P_S(m_i; \mu, \sigma_1, \sigma_2)} + \underbrace{N_{CB} P_{CB}(m_i; \lambda)}$$

$$P_S = \alpha \text{Gauss}(\mu, \sigma_1) + (1 - \alpha) \text{Gauss}(\mu, \sigma_2)$$

$$P_{CB} = \text{Exp}(\lambda)$$

Likelihood Method

B_S^0 Invariant Mass Fit



$$l(m_i) = N_S P_S(m_i; \mu, \sigma_1, \sigma_2) + N_{CB} P_{CB}(m_i; \lambda)$$

$$P_S = \alpha \text{Gauss}(\mu, \sigma_1) + (1 - \alpha) \text{Gauss}(\mu, \sigma_2)$$

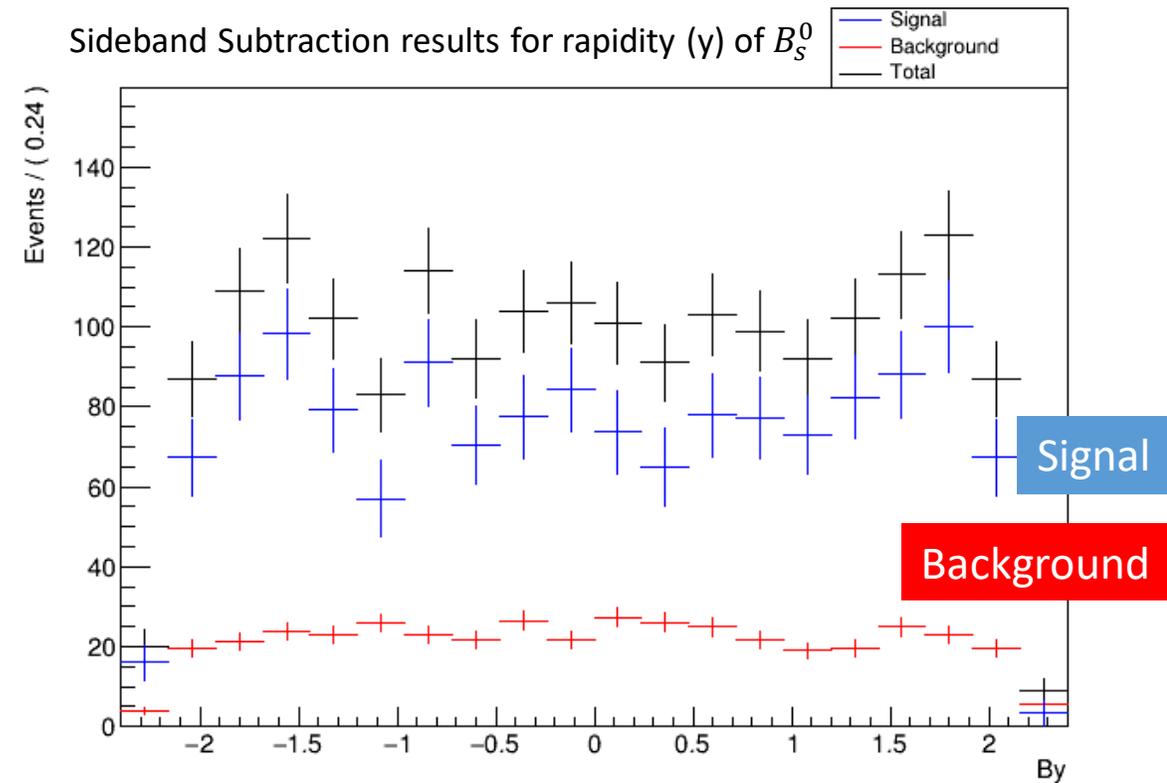
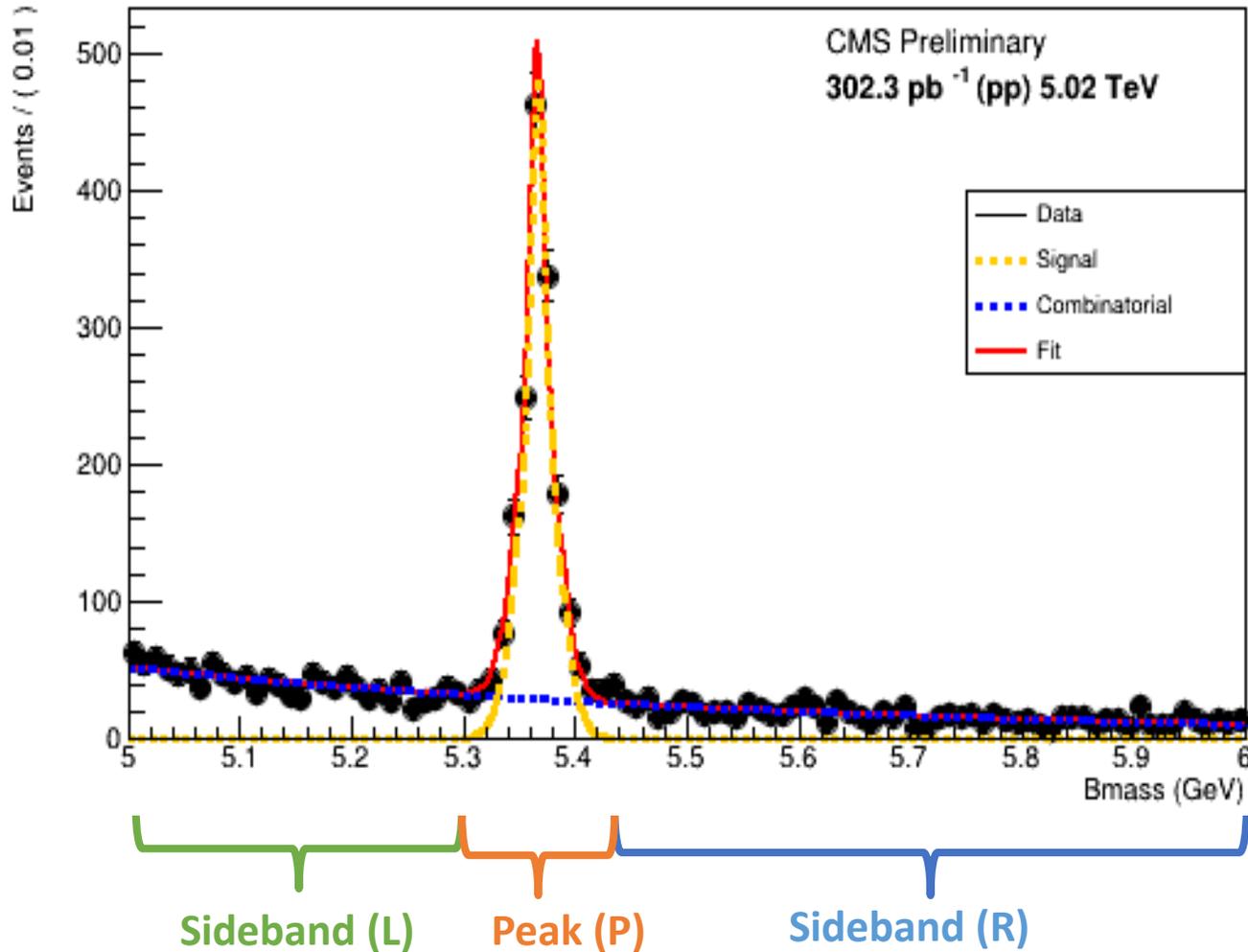
$$P_{CB} = \text{Exp}(\lambda)$$

Coefficients	Value \pm Statistical Uncertainty
α	0.776 ± 0.046
λ	-1.6065 ± 0.0726
μ	5.36677 ± 0.00041
σ_1	0.01775 ± 0.00091
σ_2	0.00539 ± 0.00073
N_S	1409 ± 42
N_{CB}	2582 ± 54

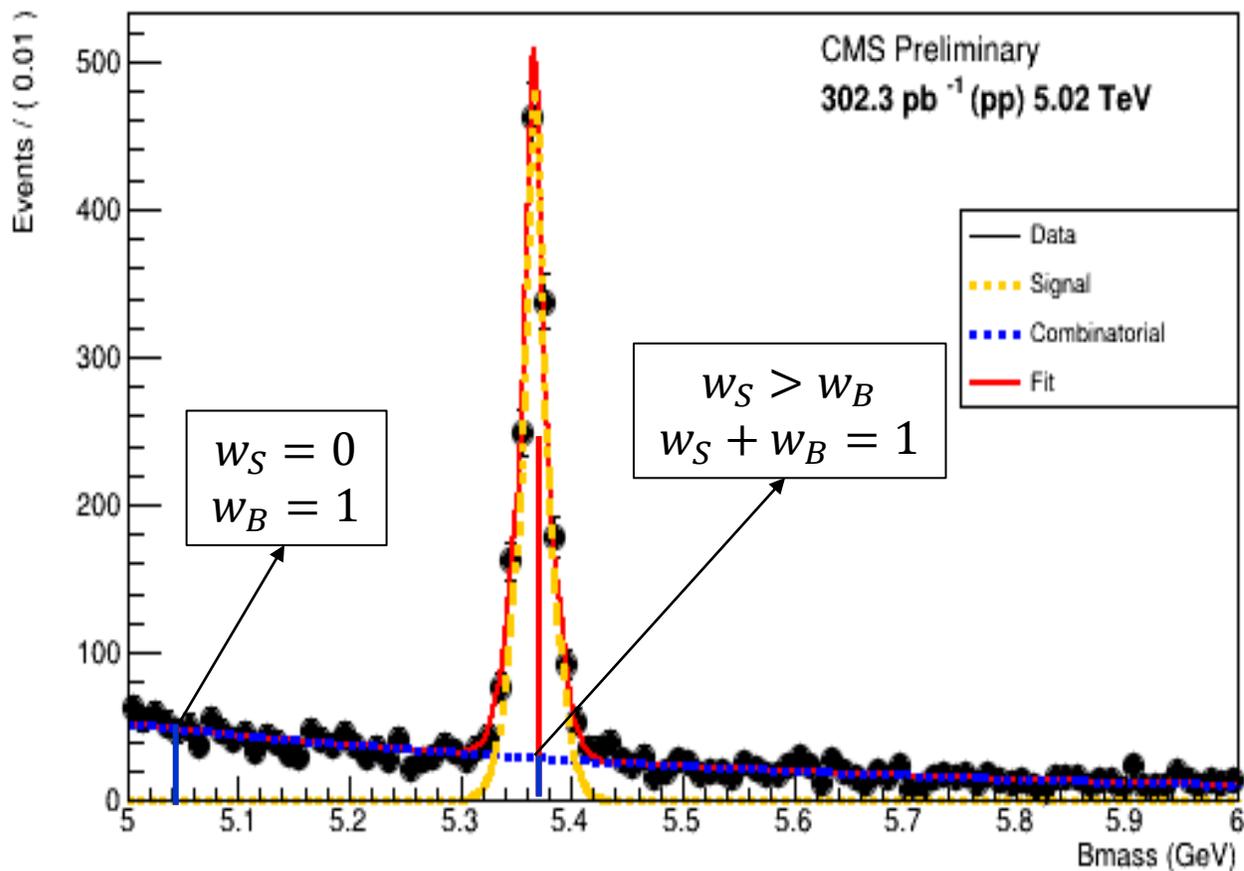
Sideband Subtraction

$$V_{\text{signal}} = V_{\text{peak}} - r \times V_{\text{sideband}}$$

$$r = \frac{P}{L + R}$$

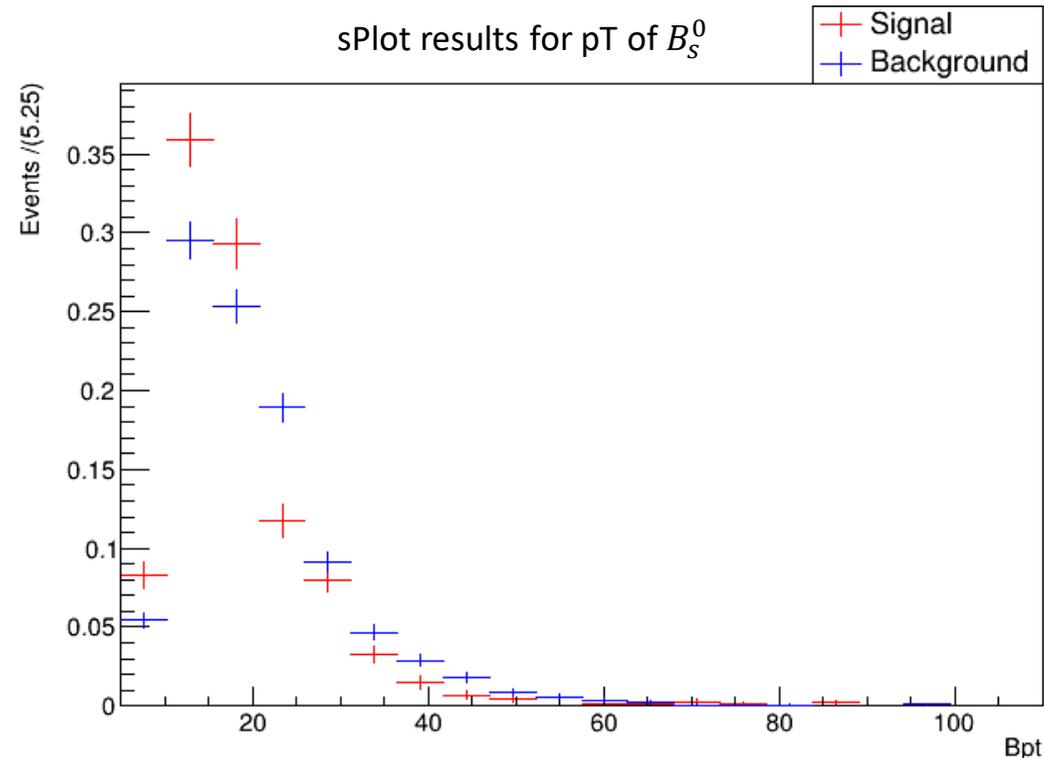


sPlot

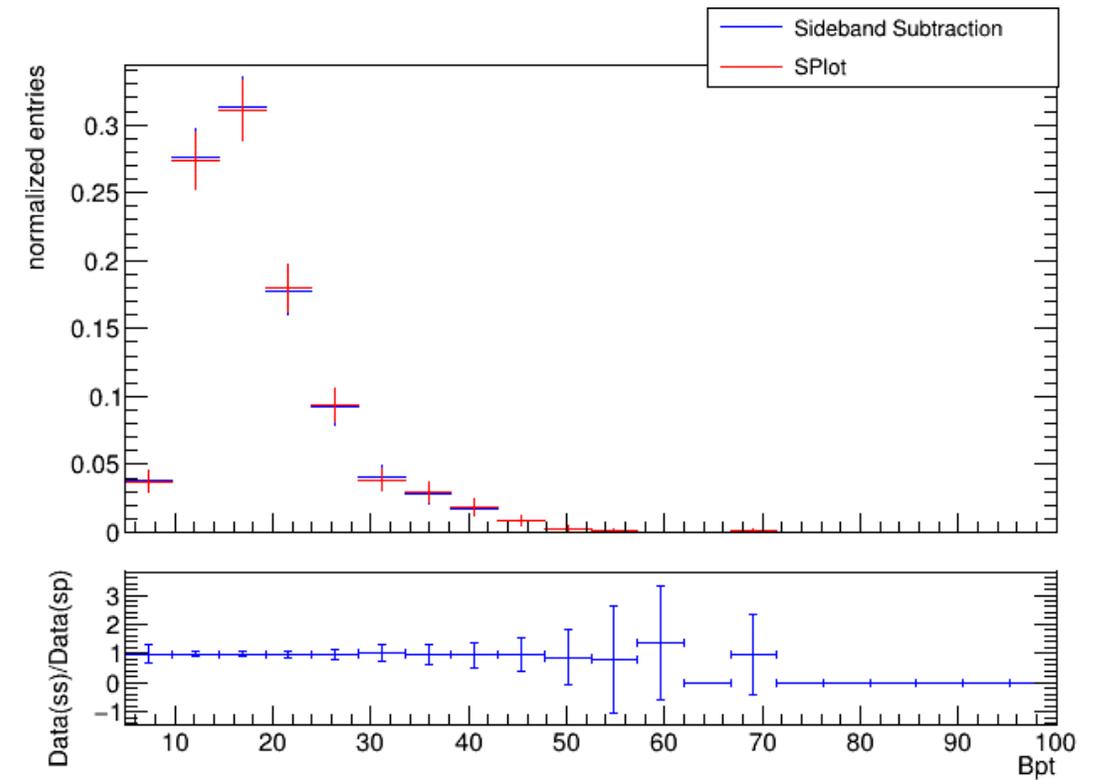
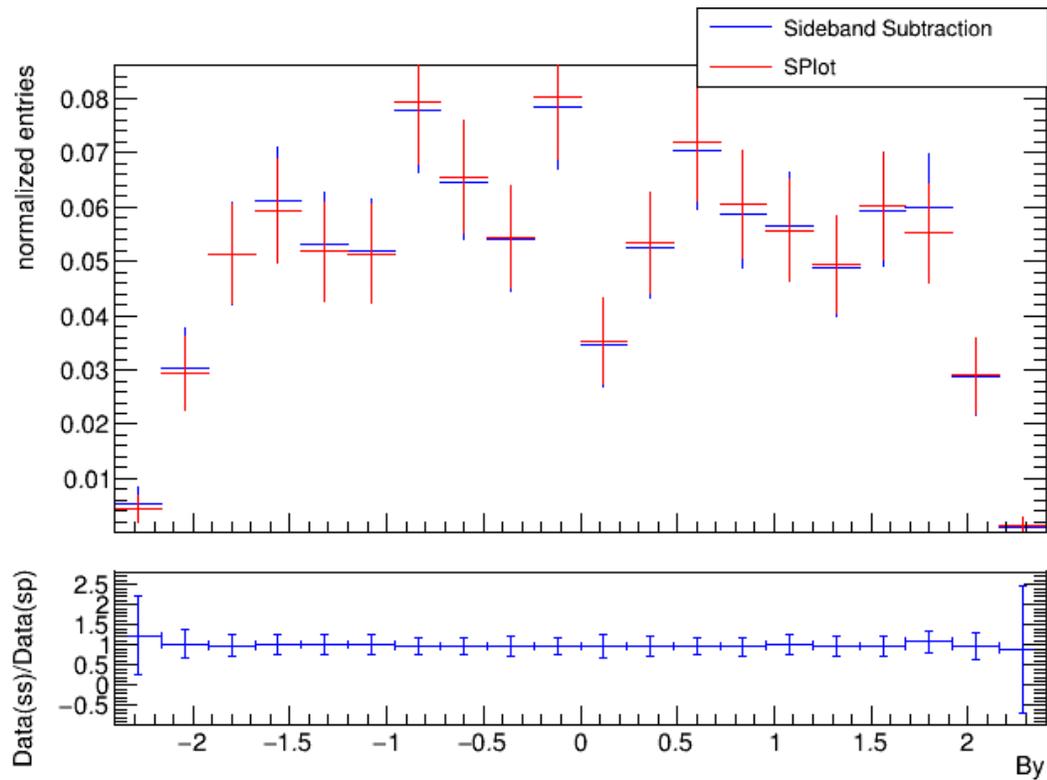


Based on the likelihood fit to B_S^0 invariant mass
Attribute to each event two weights:

- w_S : probability of being signal
- w_B : probability of being background



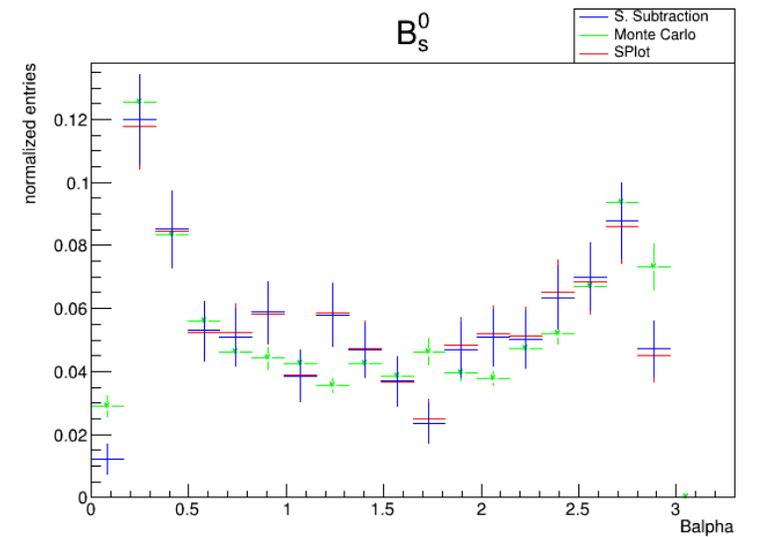
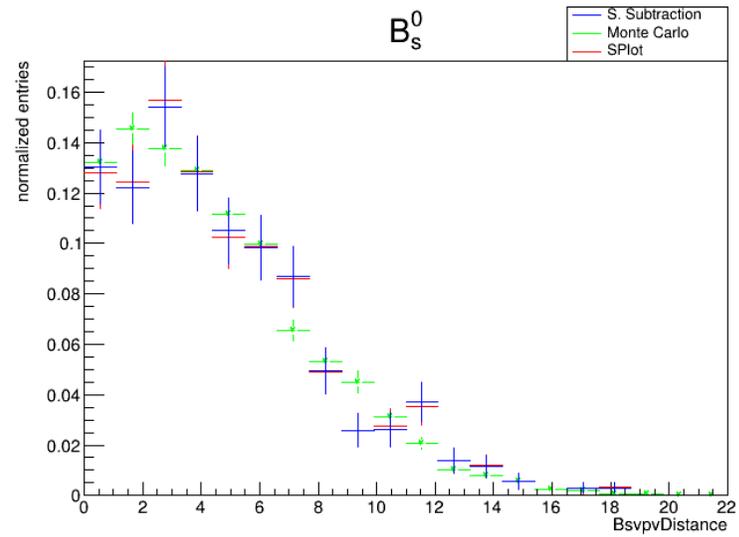
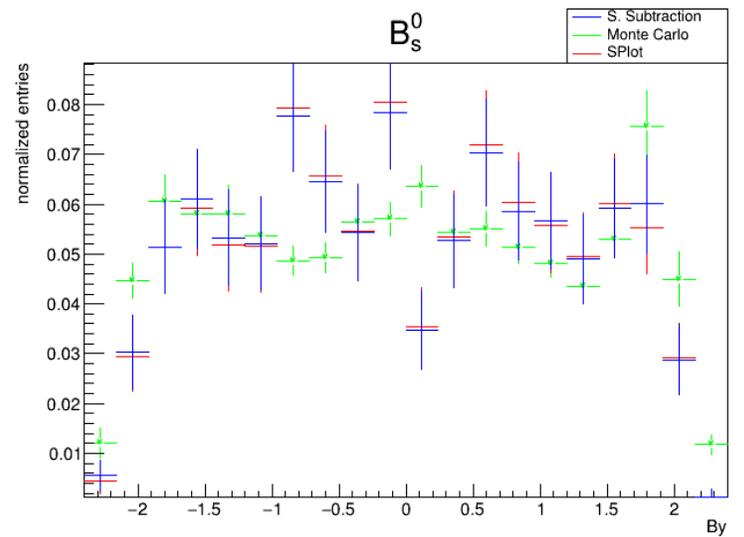
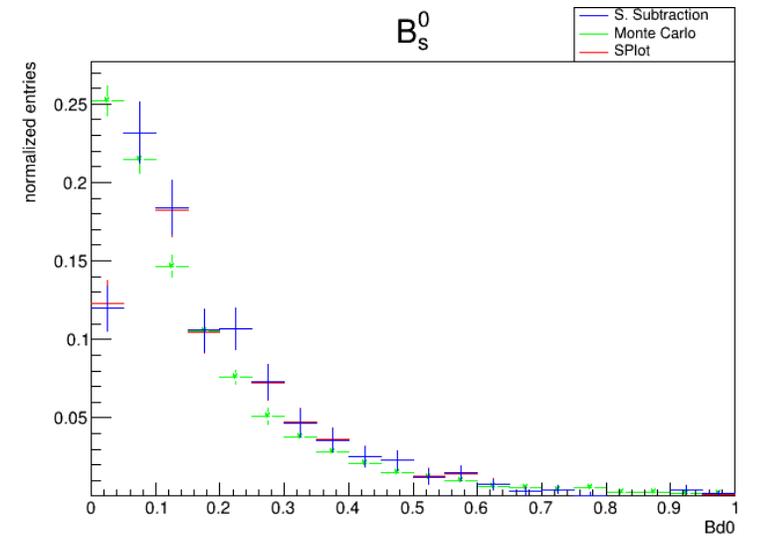
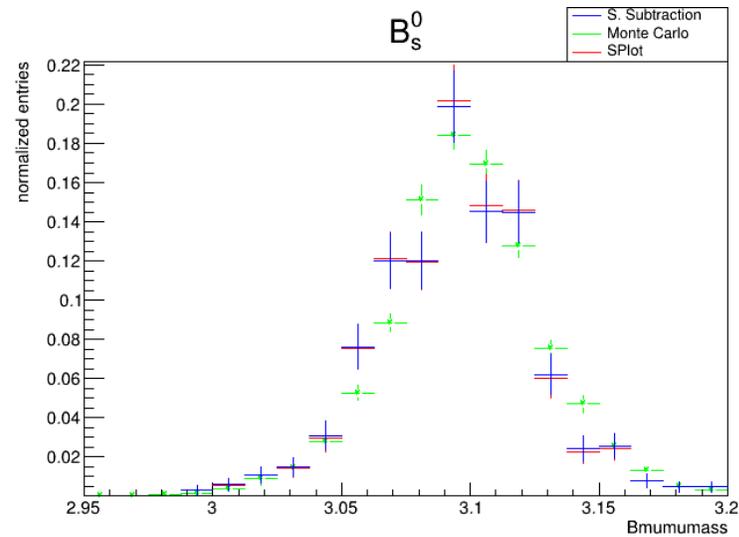
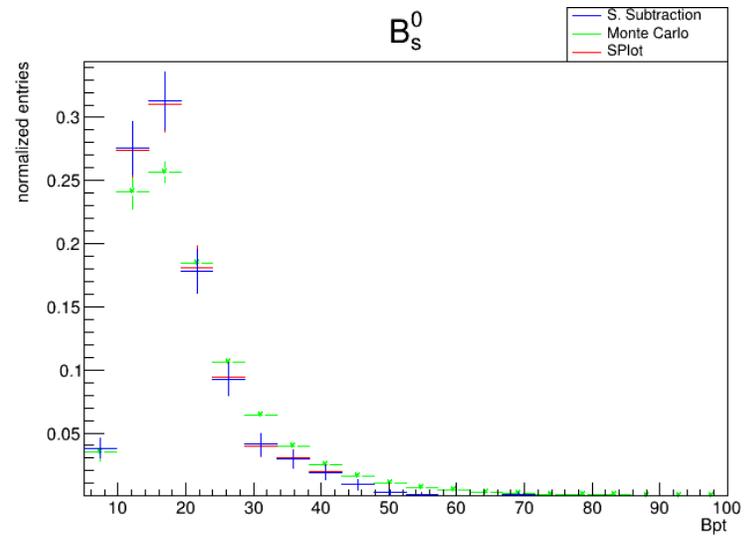
sPlot vs Sideband Subtraction



The two methods are found to agree well.

MC Validation

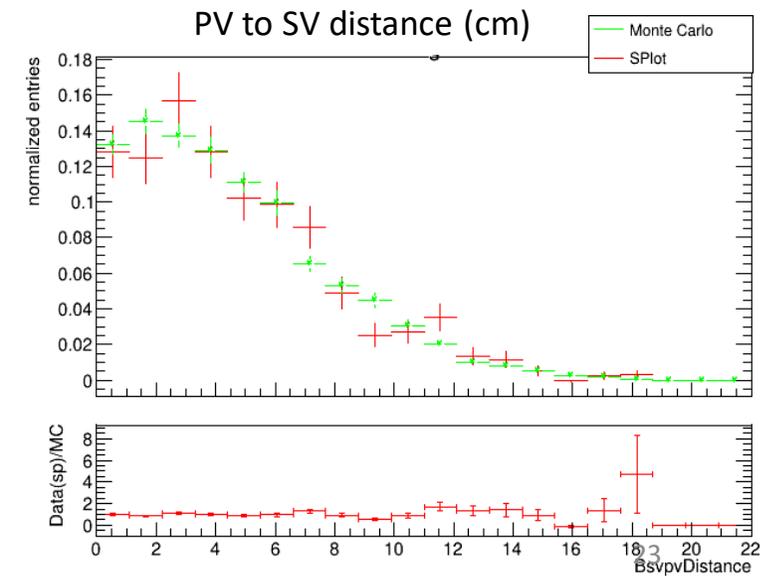
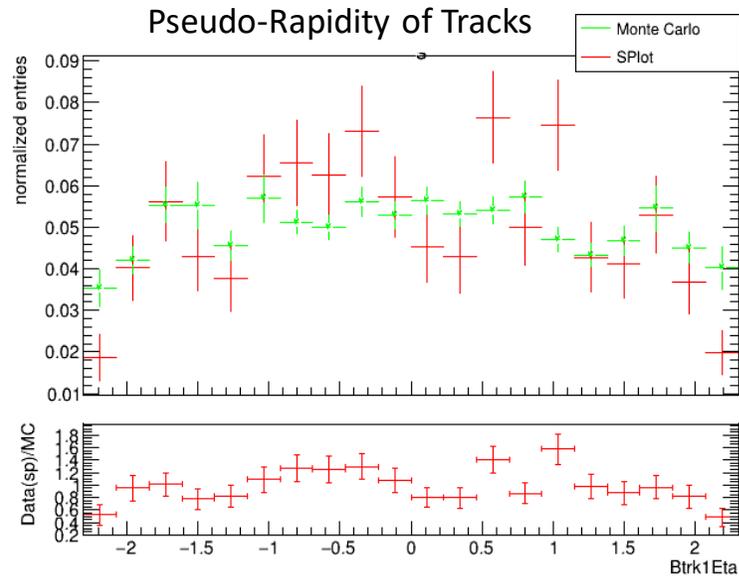
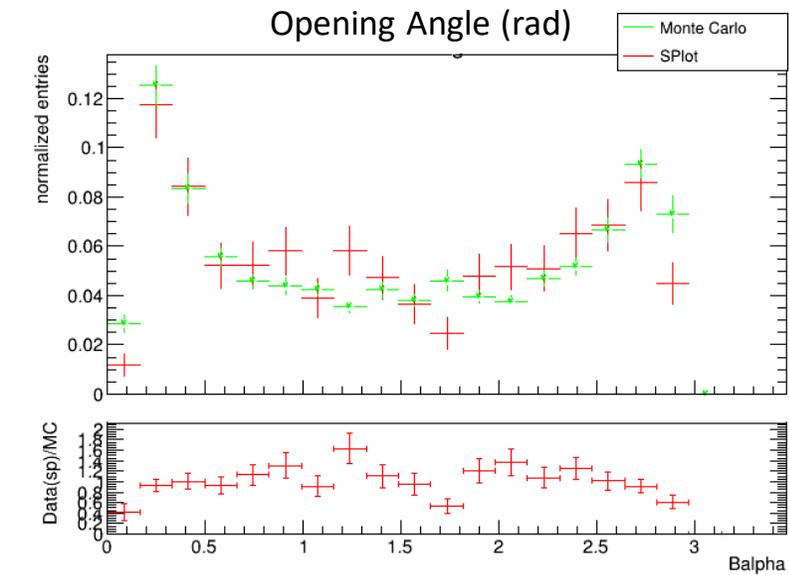
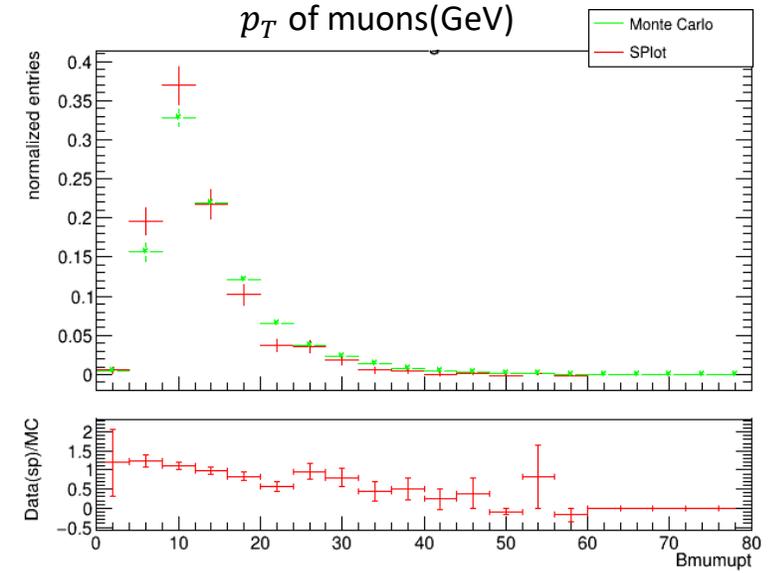
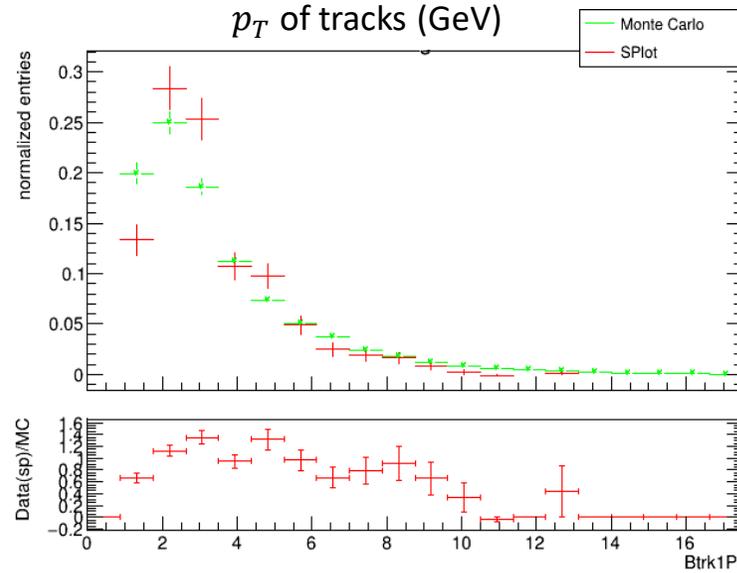
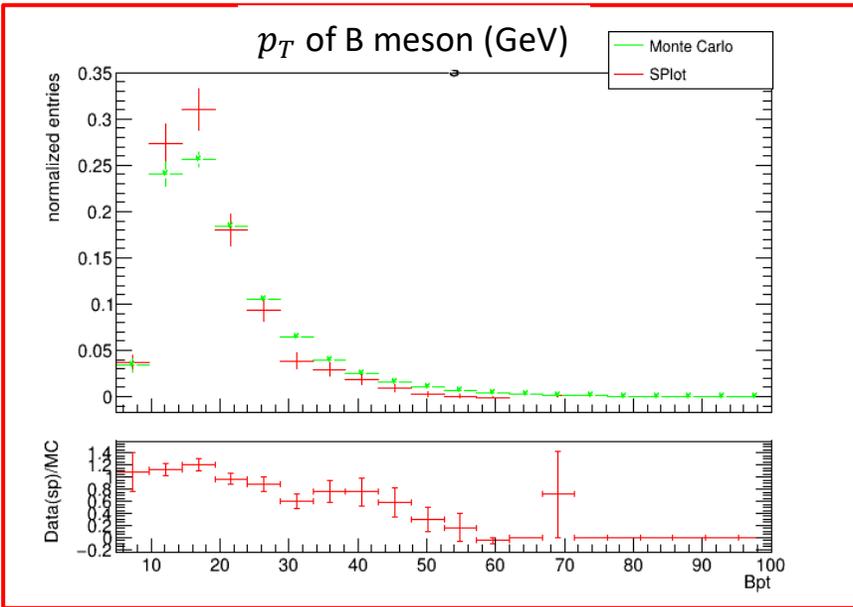
MC vs S.S. vs sPlot



Some level of disagreement between data and MC can be observed for some variables.

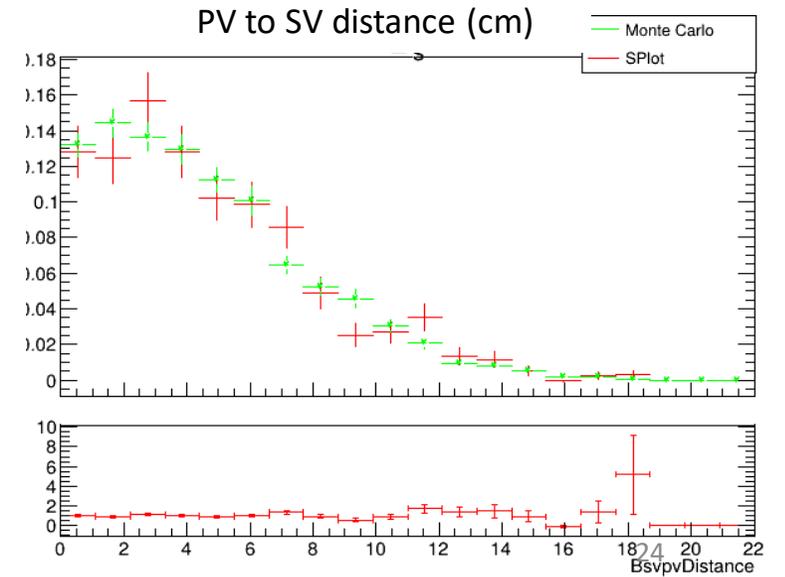
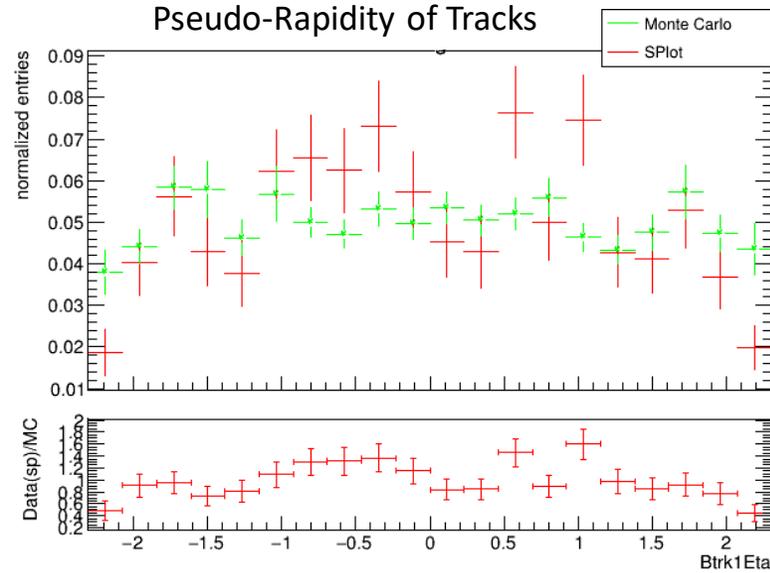
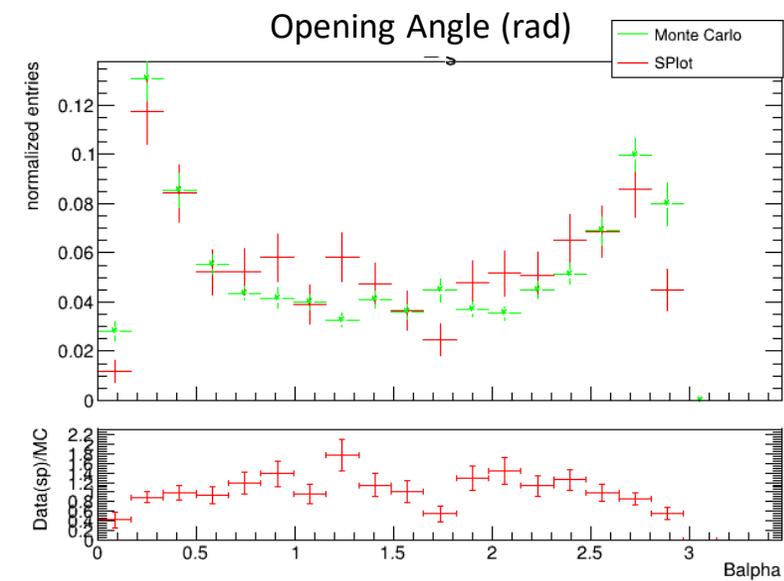
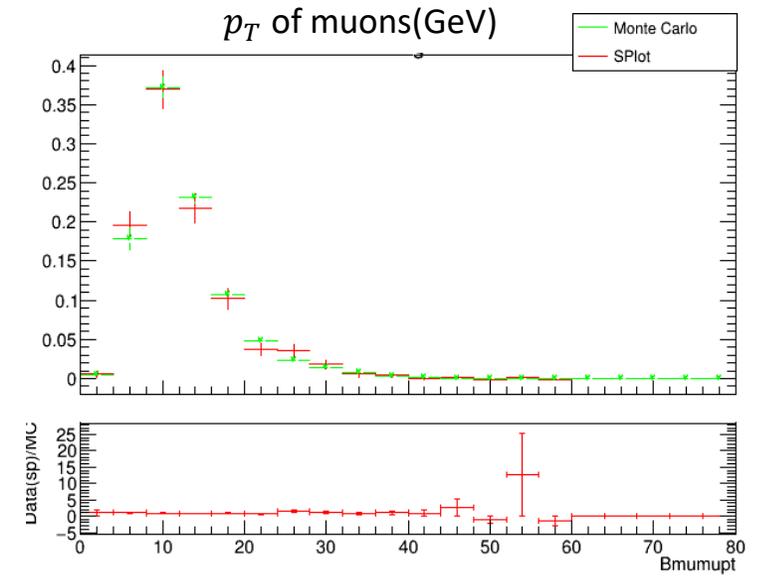
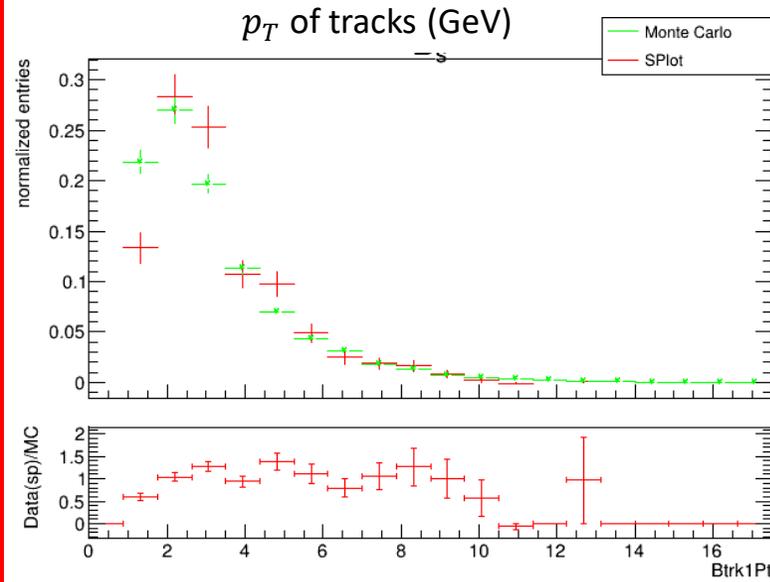
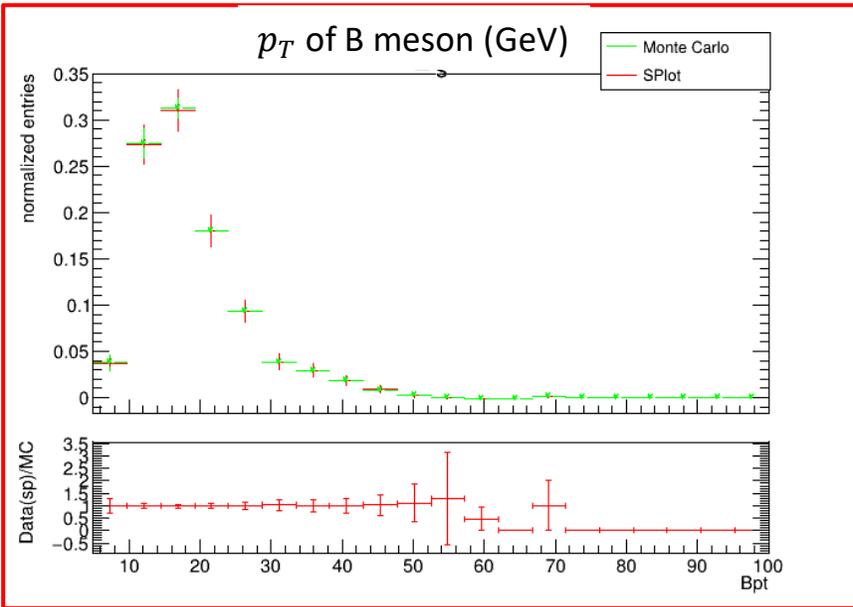
sPlot vs MC

Can use the Data/MC ratio of **Bpt** to reweight MC and see how it affects the data-MC agreement of the other variables



Reweighted MC

Remaining disagreement can be propagated as systematic uncertainty



Differential Cross Section and Systematic Uncertainties

Efficiency

Efficiency: determined from MC simulations, measures how much signal is not reconstructed or rejected by selection cuts.

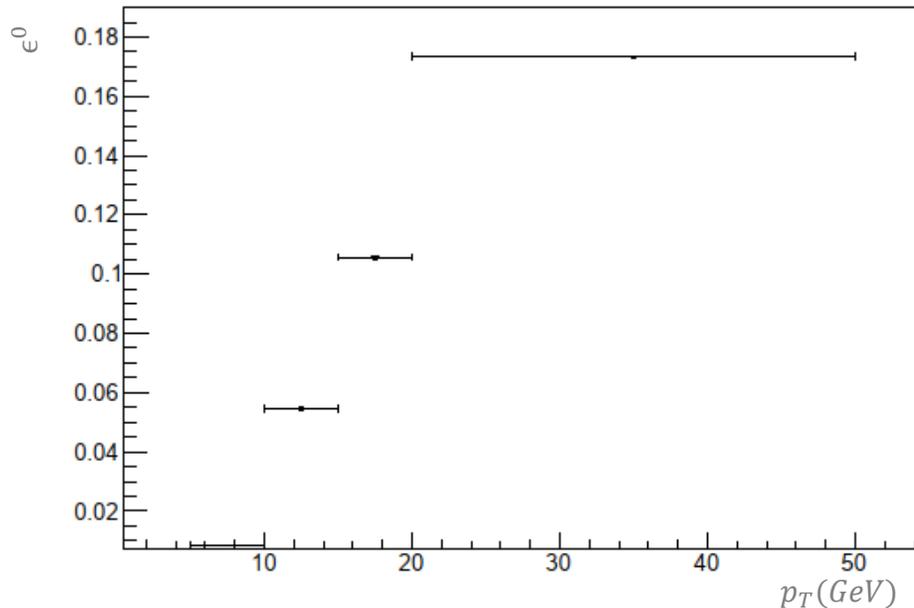
$$\epsilon = \frac{N_{after\ cuts}}{N_{before\ cuts}}$$

ϵ^0 : without data/MC weights
 ϵ^1 : with data/MC weights

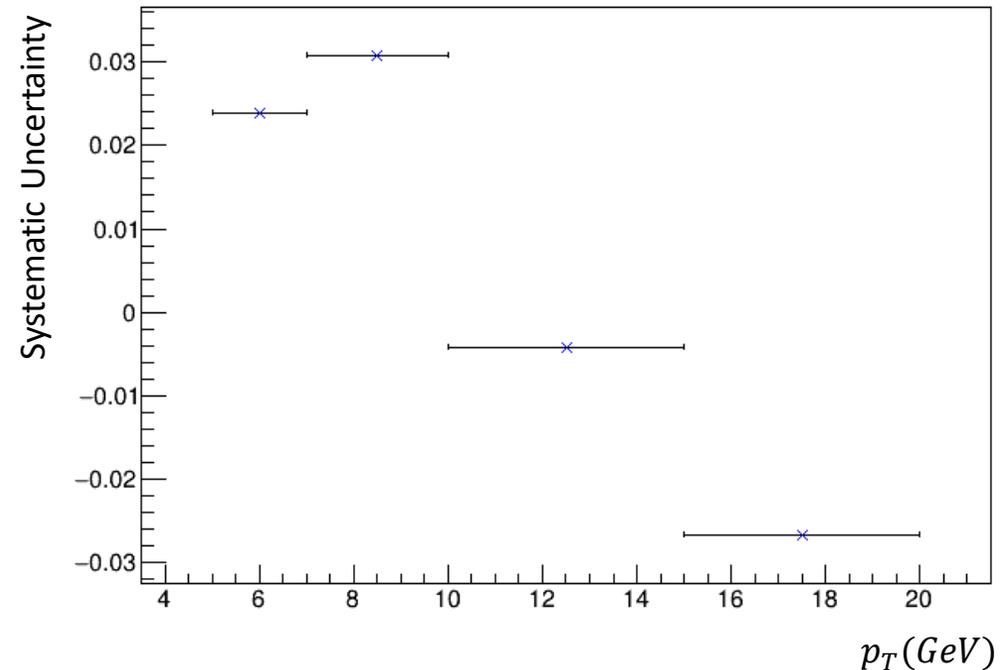
$$\Delta = \frac{\epsilon^1 - \epsilon^0}{\epsilon^0}$$

Efficiency Systematic Uncertainty: quantifies data-MC disagreement

Nominal Efficiency ϵ^0



BDT efficiency systematic error



Normalized Signal Yield

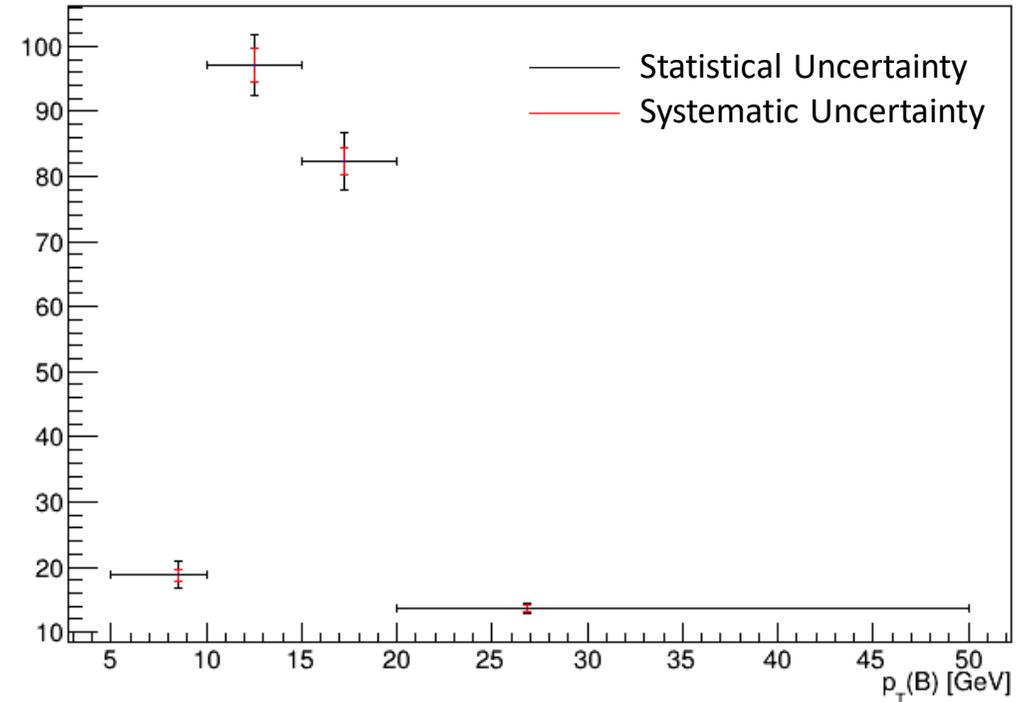
1. Divide p_T range into several bins
2. Extract signal yield from fit (N_s)
3. Place abscissa at p_T **mean**, evaluated with sPlot
4. Normalize raw yield to p_T bin width ($N_s / \Delta p_T$)

Statistical Uncertainty: from fit (σ_{stat})

Systematic Uncertainty: compare signal yield results obtained with different PDF models with model used in EUML (nominal)

$$\sigma_{syst_raw} = \sqrt{\sigma_{bkg_poly}^2 + \sigma_{fit_range}^2 + \sigma_{sig_1gauss}^2}$$

$dN_s/dp_T [GeV^{-1}]$



Nominal : sig (2 gaussians) + bkg (exponential)

Bkg Poly : bkg (1st order polynomial)

Fit Range : excludes left sideband region from fit

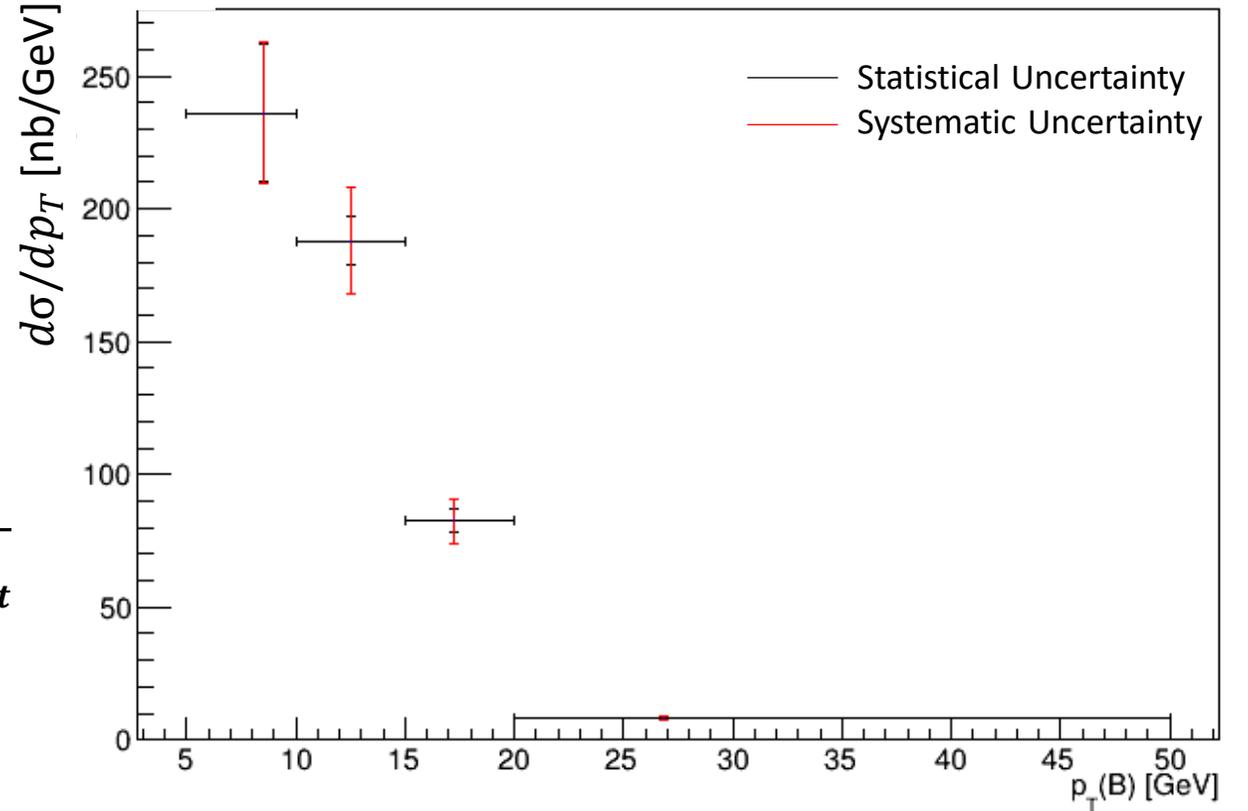
Signal_1Gauss : sig (1 gaussian)

Cross Section

$$\sigma_{lumi_syst} = 2.3\%$$

$$\sigma_{branch_syst} = 9.6\%$$

$$\sigma_{syst} = \sqrt{\sigma_{lumi_syst}^2 + \sigma_{branch_syst}^2 + \sigma_{raw_syst}^2 + \sigma_{eff_syst}^2}$$



p_T (GeV)	$d\sigma/dp_T$ (nb/GeV)	σ_{stat} (nb/GeV)	σ_{syst} (nb/GeV)
5-10	236	26	27
10-15	188	9.2	21
15-20	82.5	4.4	8.4
20-50	8.28	4.5	9.0

Conclusions

- We have studied the production of B_S^0 mesons at LHC with CMS experiment
- Signal vs background discrimination was optimized with ML (BDT)
- Signal yield extracted from data with likelihood procedure
- Detector efficiency was estimated with MC, validated with sPlot and sideband subtraction
- Systematic uncertainties were estimated
- B_S^0 production cross section in pp collisions at 5 TeV was measured

Next Steps

- Extend study to B^+ meson (work ongoing)
- Measure the relative production B_S^0/B^+ (fragmentation fraction)
- Measure R_{AA} (nuclear modification factor), comparing PbPb with pp

Overall study probes QCD, both in vacuum (pp) and in QGP media (PbPb)

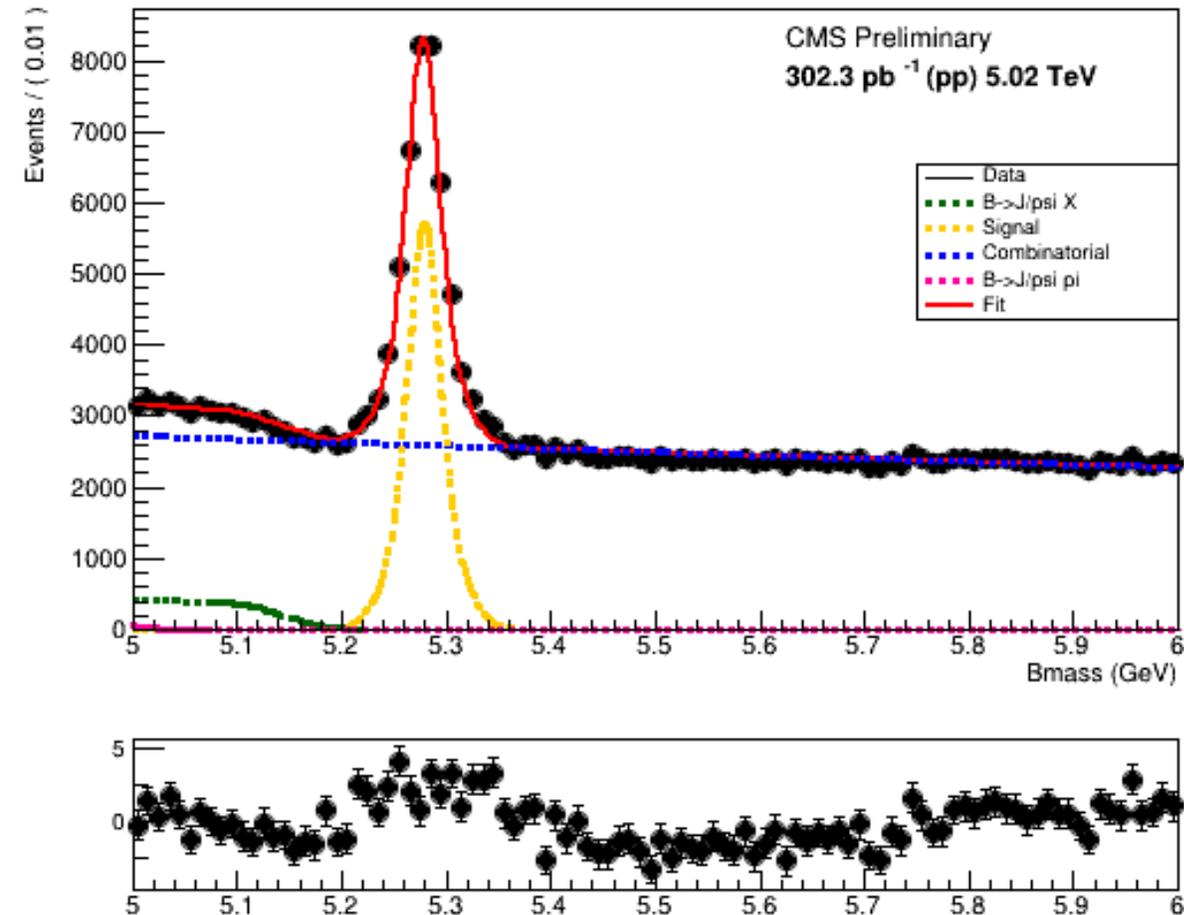
Questions?

Backup

Likelihood Method - B^+ result

$$l(m_i) = N_S P_S(m_i; \mu, \sigma_1, \sigma_2) + N_{CB} P_{CB}(m_i; \lambda) + N_{erf} P_{erf}(m_i) + N_{jpp}(\text{fixed})$$

B^+ Invariant Mass Fit



$$P_S = \alpha \text{Gauss}(\mu, \sigma_1) + (1 - \alpha) \text{Gauss}(\mu, \sigma_2)$$

$$P_{CB} = \text{Exp}(\lambda)$$

$$P_{erf} = \text{Erf}$$

$$N_{erf} = f_{erf} N_S$$

Coefficients **Value \pm Statistical Uncertainty**

$$\alpha \quad 0.551 \pm 0.045$$

$$\lambda \quad -0.17937 \pm 0.01204$$

$$\mu \quad 5.27896 \pm 0.00019$$

$$\sigma_1 \quad 0.02667 \pm 0.00110$$

$$\sigma_2 \quad 0.01351 \pm 0.00053$$

$$N_S \quad 26.450 \pm 333$$

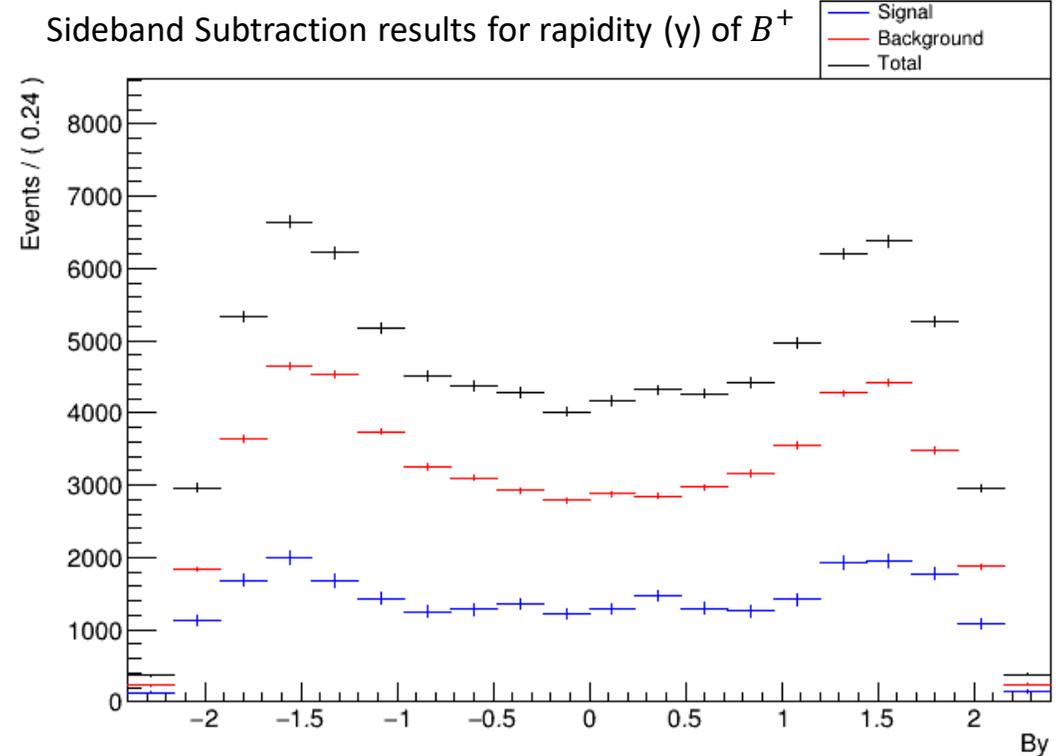
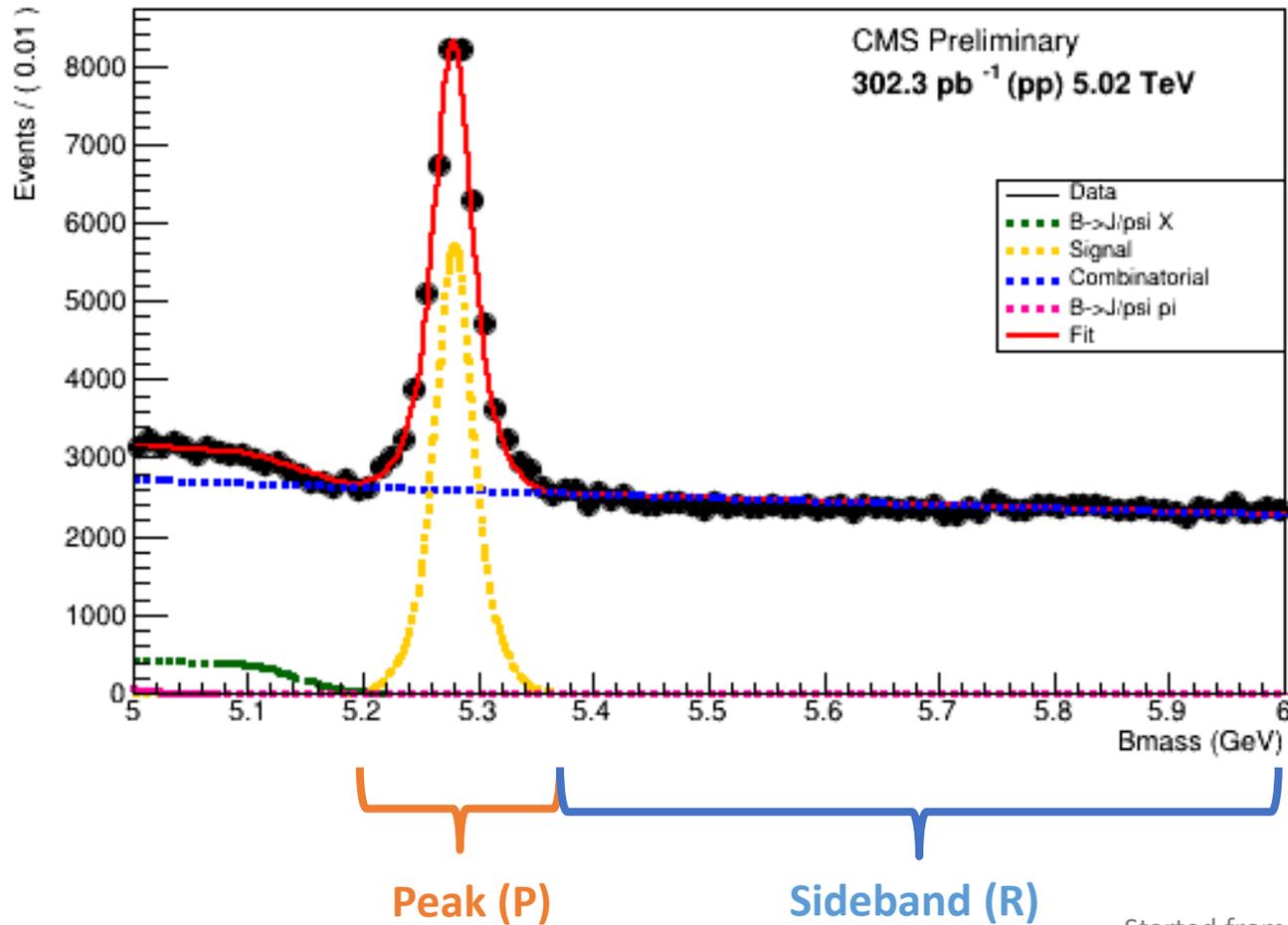
$$N_{CB} \quad 248.846 \pm 794$$

$$f_{erf} \quad 0.2197 \pm 0.0138$$

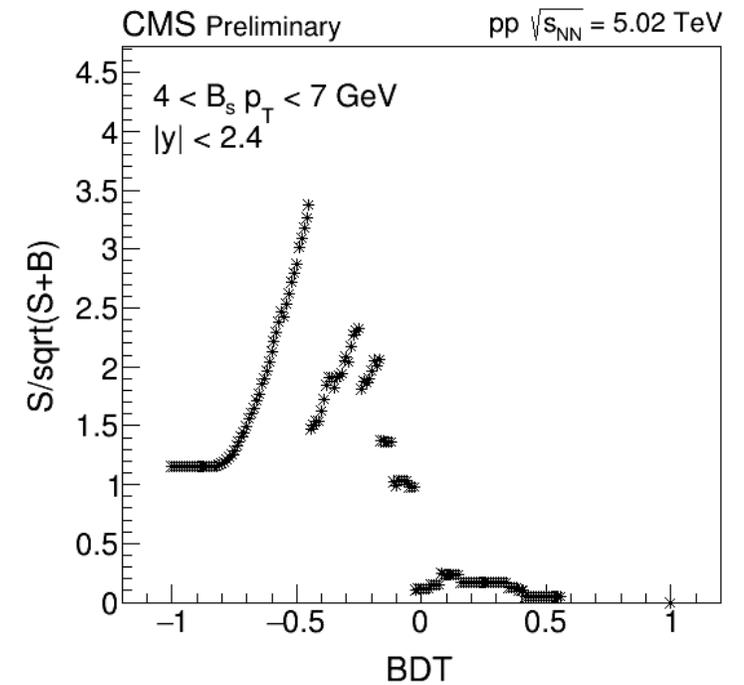
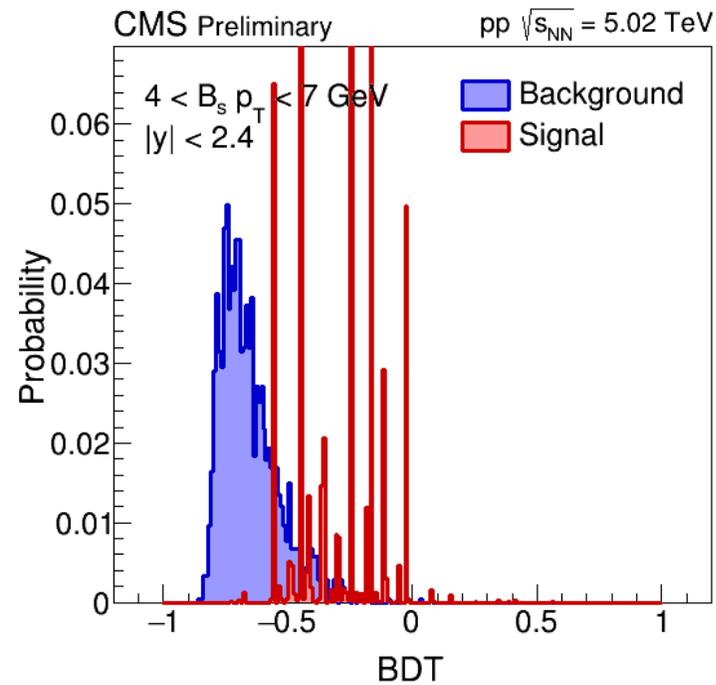
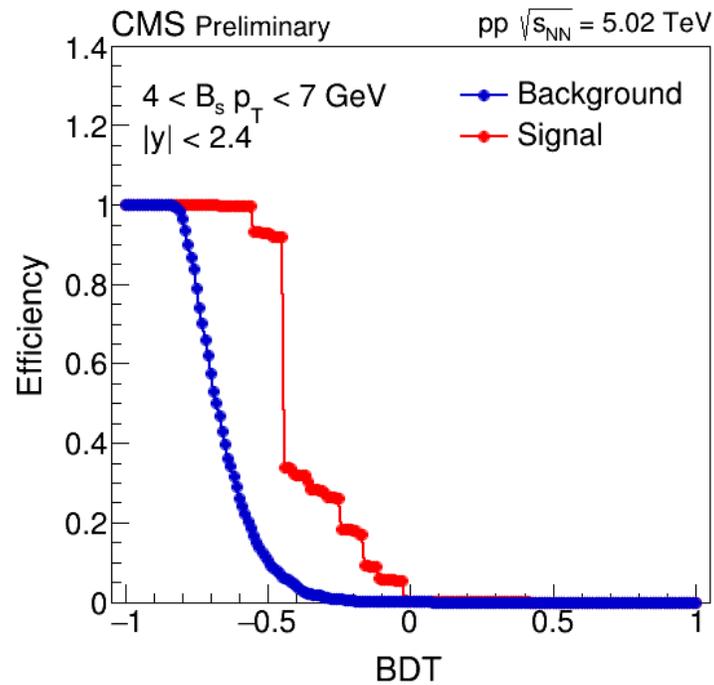
Sideband Subtraction

$$V_{signal} = V_{peak} - rV_{sideband}$$

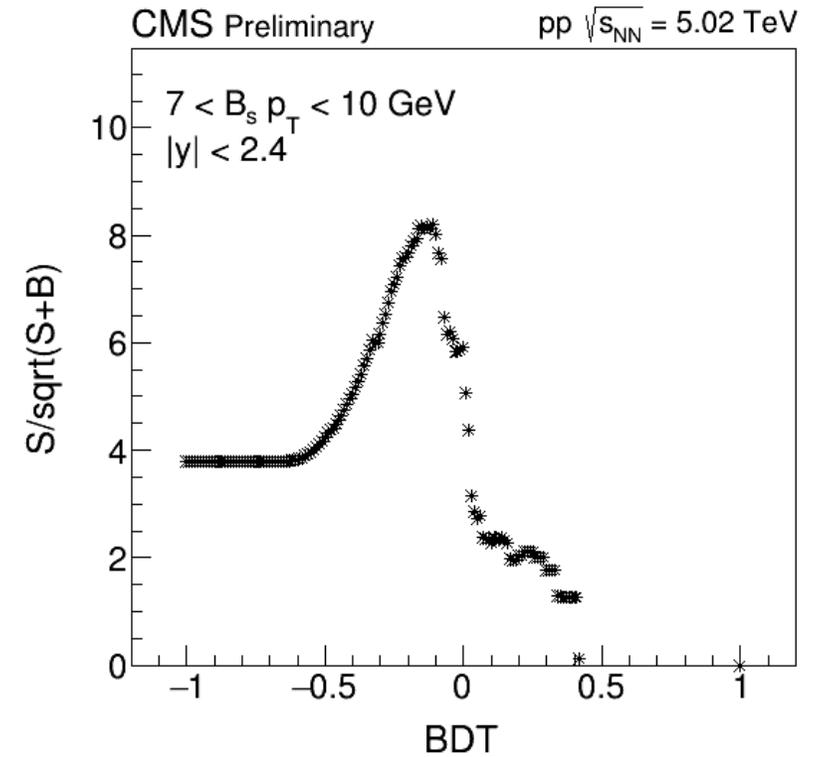
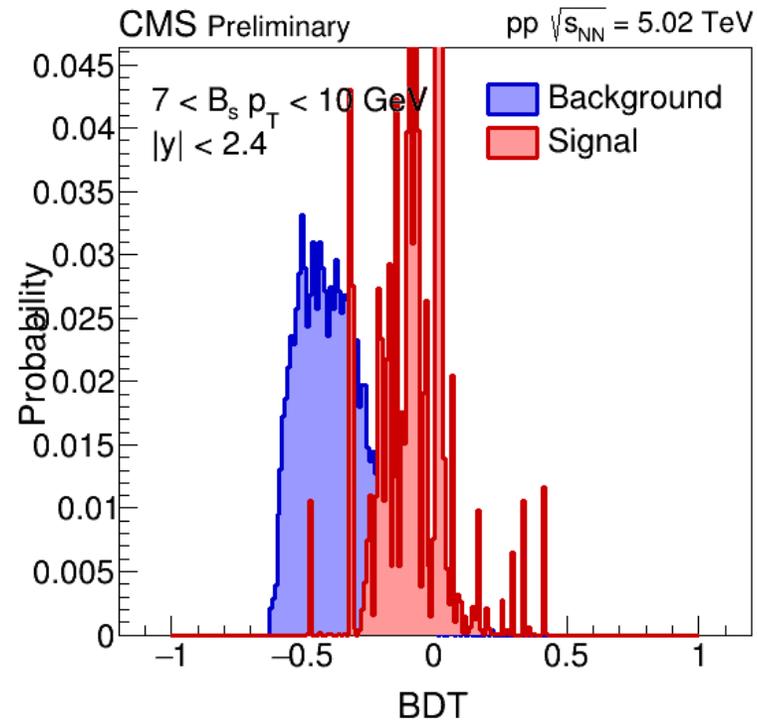
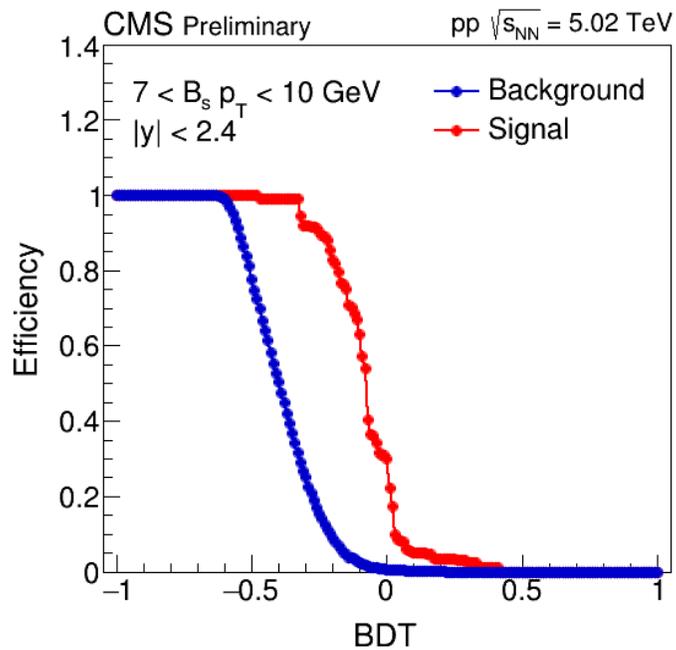
$$r = \frac{P}{R}$$



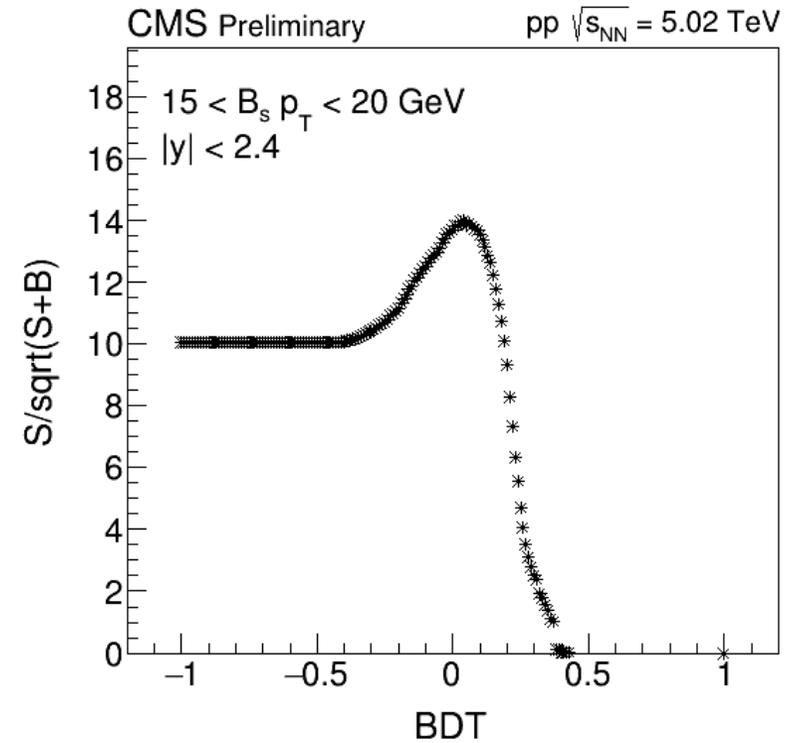
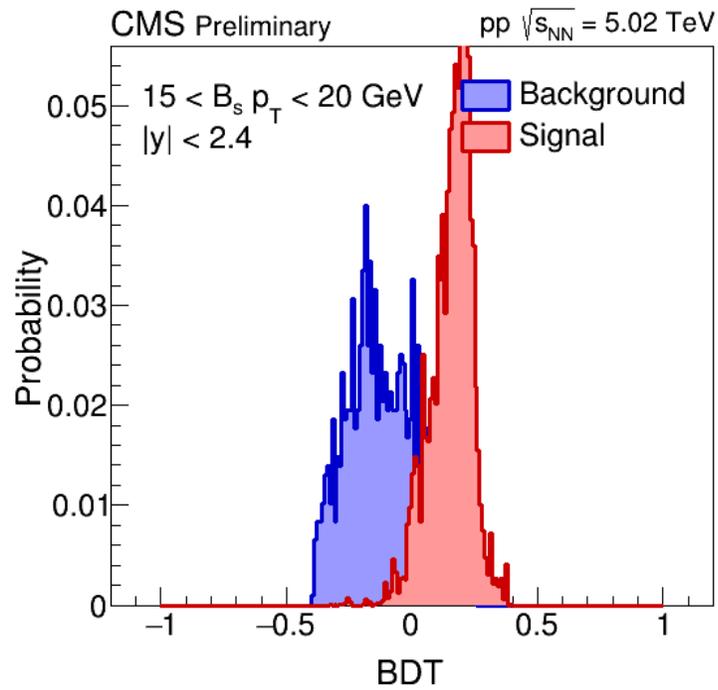
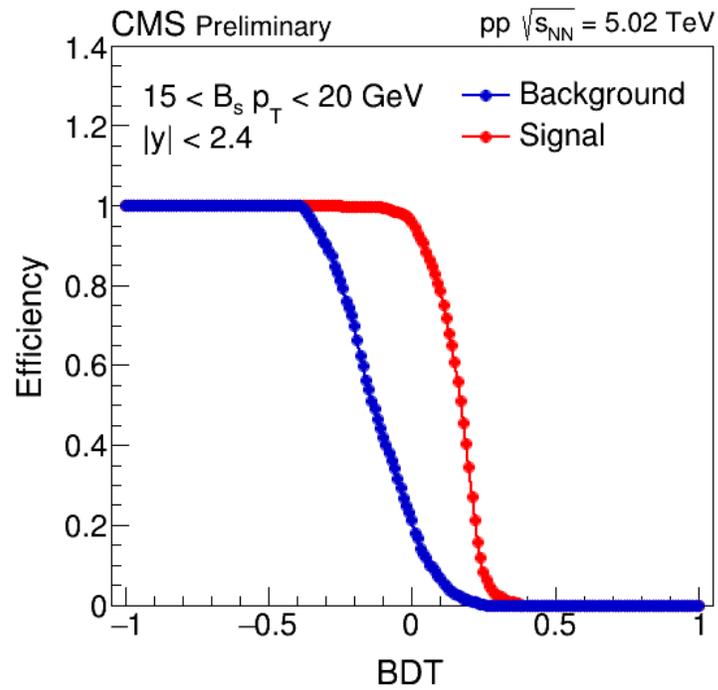
BDT training Pt Bin [4,7]



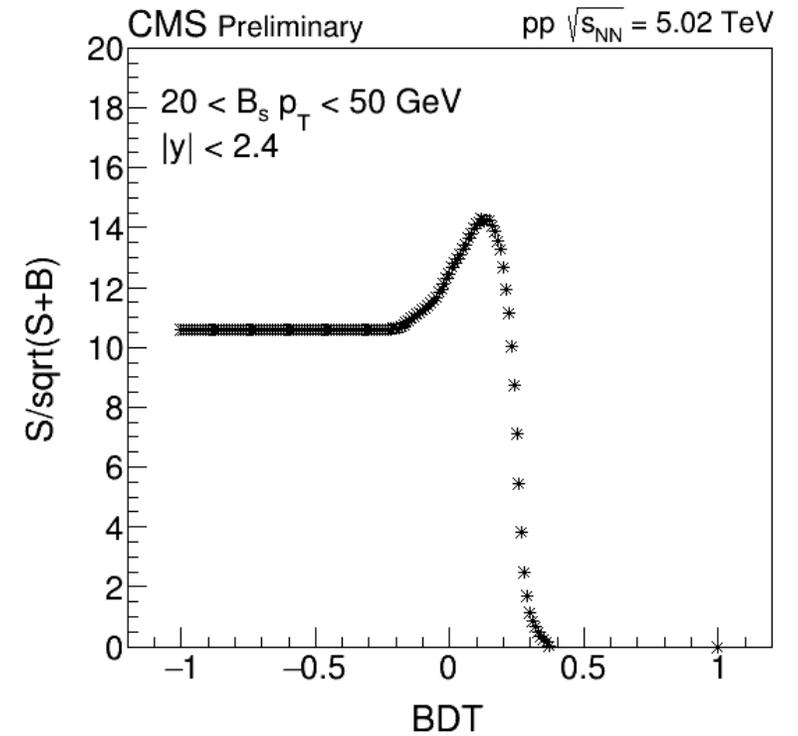
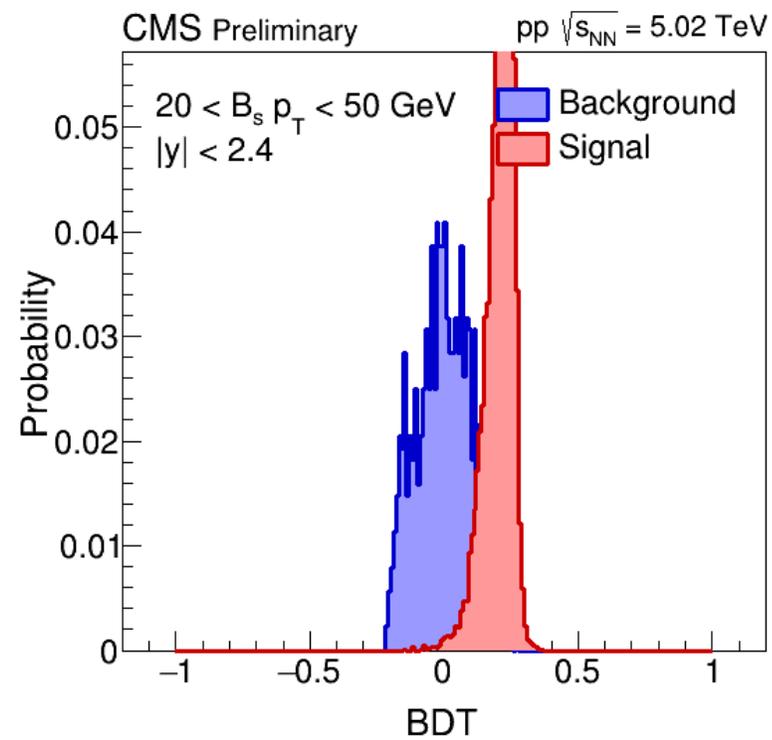
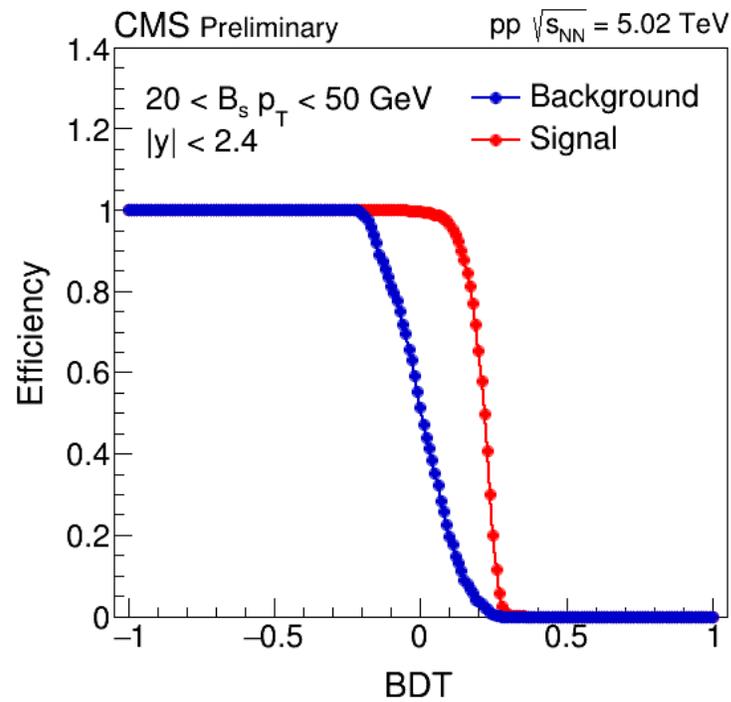
BDT training Pt Bin [7,10]



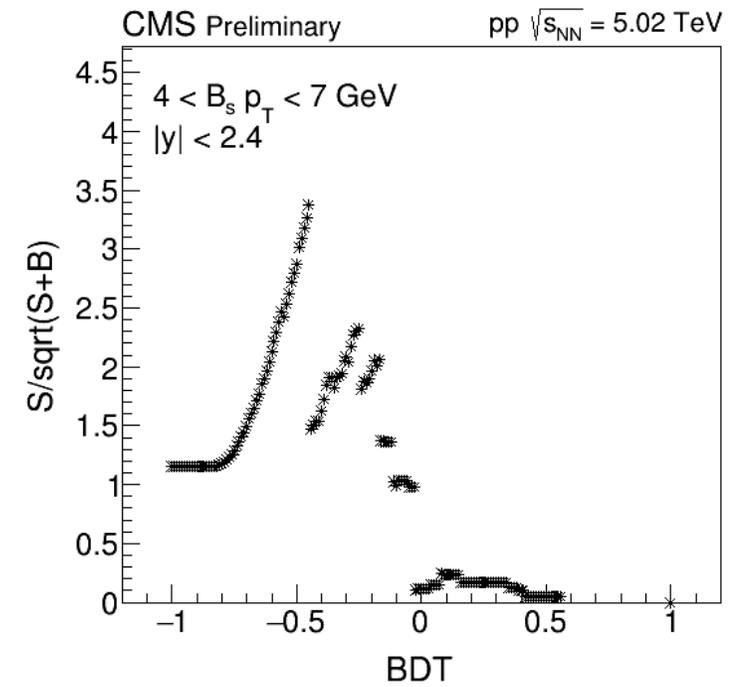
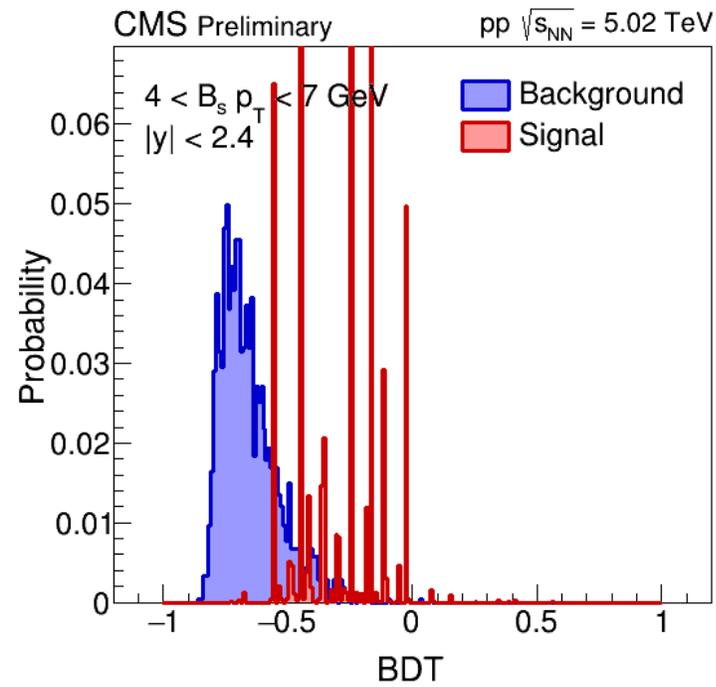
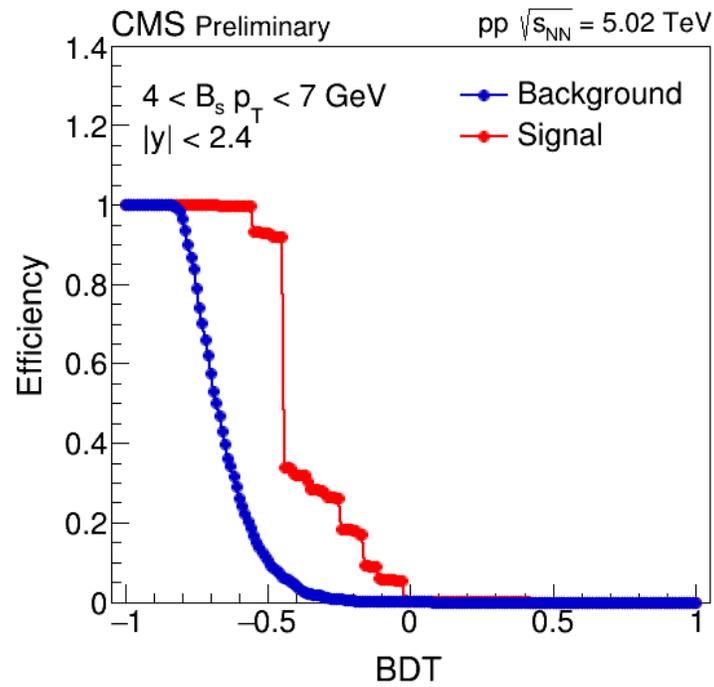
BDT training Pt Bin [15,20]

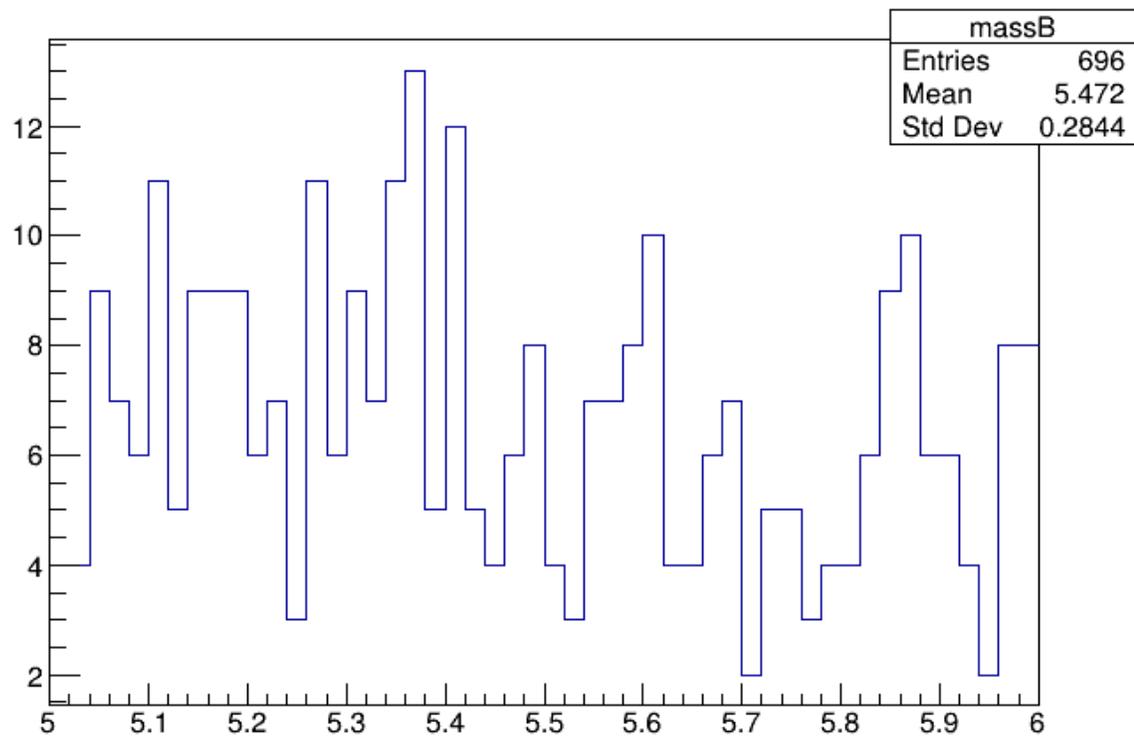


BDT training Pt Bin [20,50]

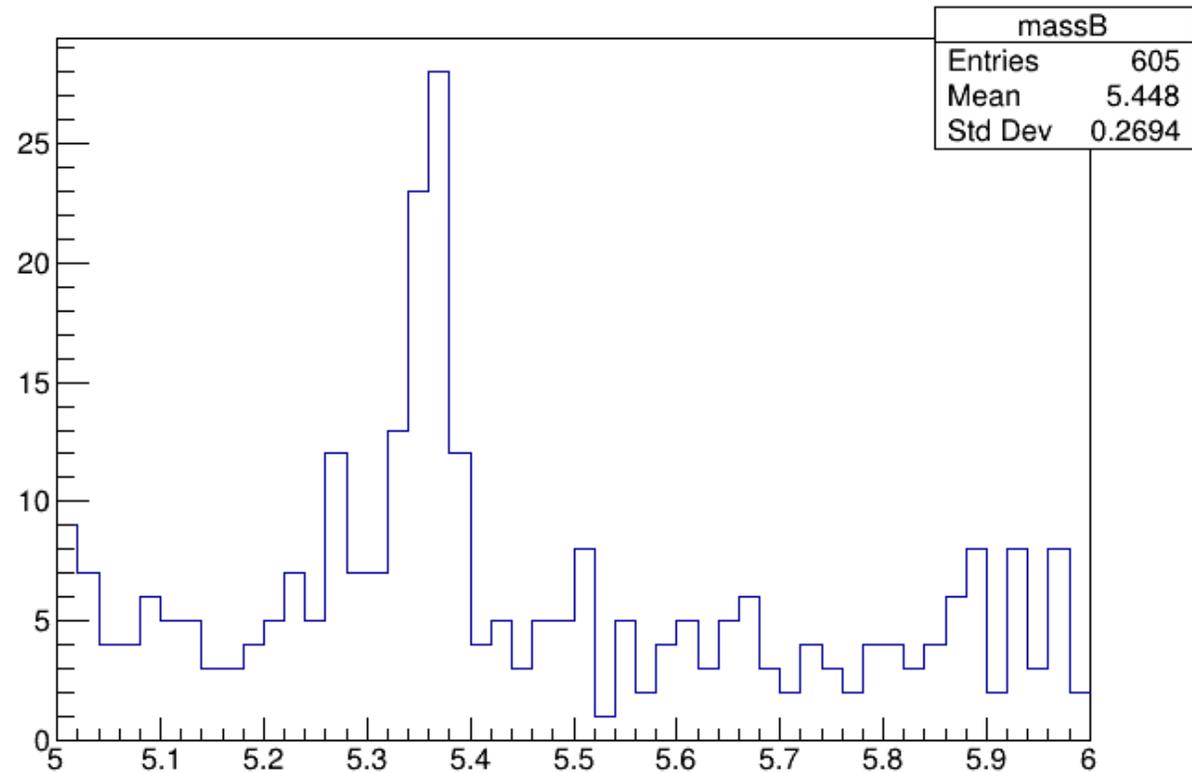


BDT training Pt Bin [4,7]



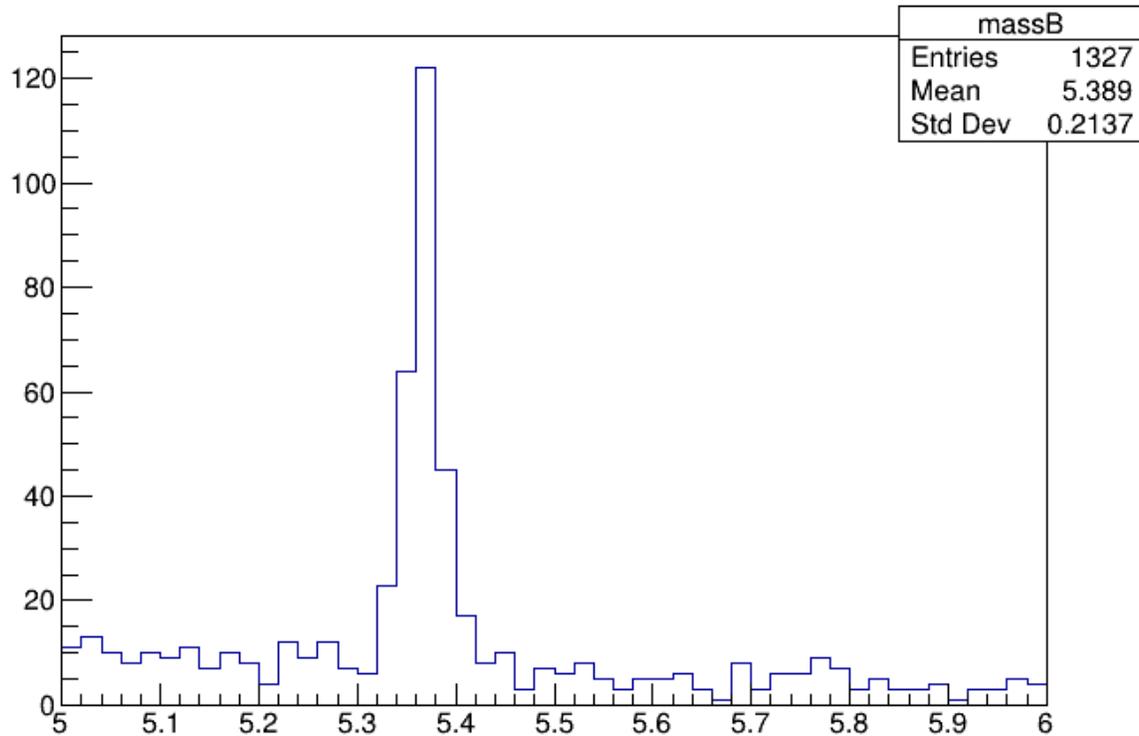


Bs mass reconstruction after BDT optimal working point cut in pt range 4-7 GeV/c

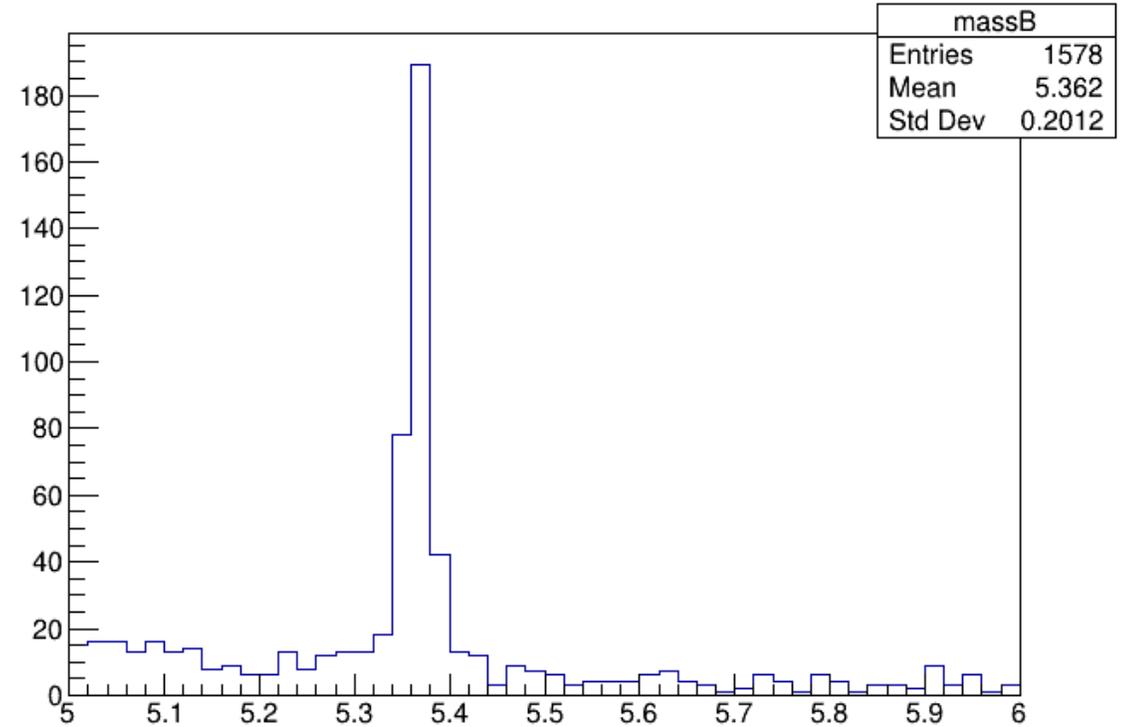


Bs mass reconstruction after BDT optimal working point cut in pt range 7-10 GeV/c

Backup

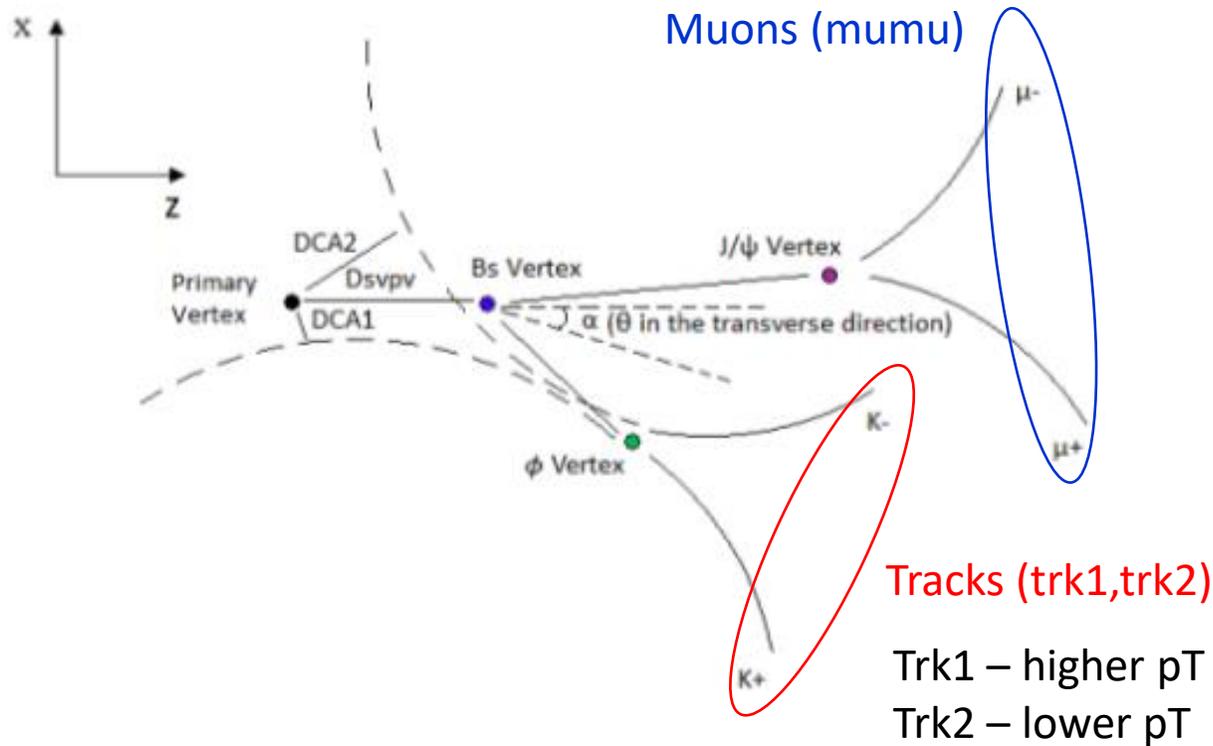


B_s mass reconstruction after BDT optimal working point cut in pt range 15-20 GeV/c



B_s mass reconstruction after BDT optimal working point cut in pt range 20-50 GeV/c

(Some) Variables used in the analysis



Dsvpv – distance between PV and SV (3D)

DCA – Distance of Closest Approach between kaon's /muon's trajectory and PV

Dxy, dxy – xy componente of DCA (kaon,muon)

Dz, dxy – z componente of DCA (kaon,muon)

Bpt – Transverse momentum of B meson

Bmass – Invariant mass of B meson

Rapidity (By)

$$y = \frac{1}{2} \ln \left(\frac{E + p_z c}{E - p_z c} \right)$$

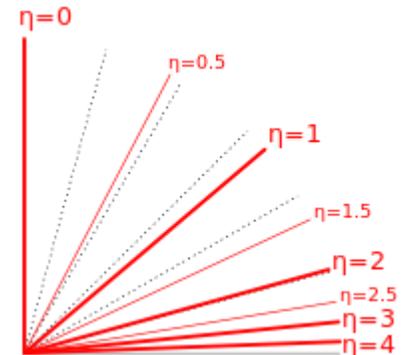
$y \rightarrow 0$: particle directed in XY plane

$y \rightarrow +\infty$: particle along beam axis (positive z)

$y \rightarrow -\infty$: particle along beam axis (negative z)

Pseudo-Rapidity (eta)

$$\eta = -\ln \left(\tan \left(\frac{\theta}{2} \right) \right)$$



Fit Validation

- Fit is unbiased if it gives the correct value for N_S
- Test this by generating 5000 pseudo-experiments (toy MC)
- Fit generated pseudo-data with the same function that was used in fitting the data

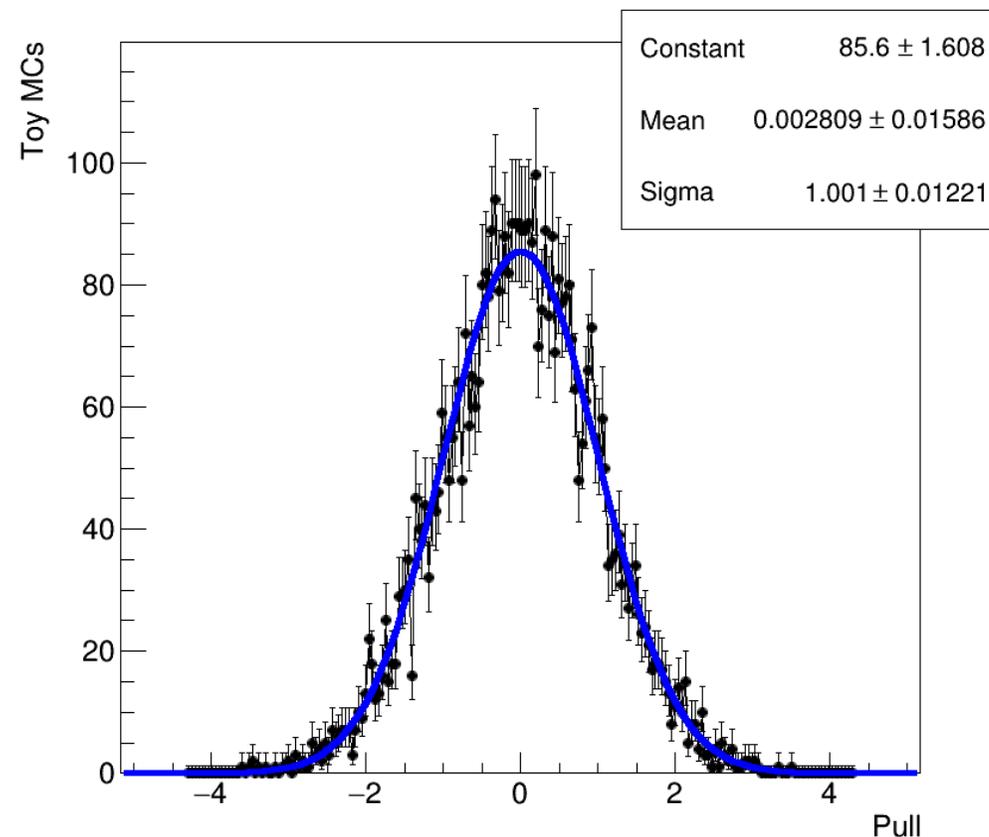
$$Pull = \frac{N_i - N_S}{\sigma_i}$$

N_i : signal yield of pseudo-data i

N_S : signal yield of data

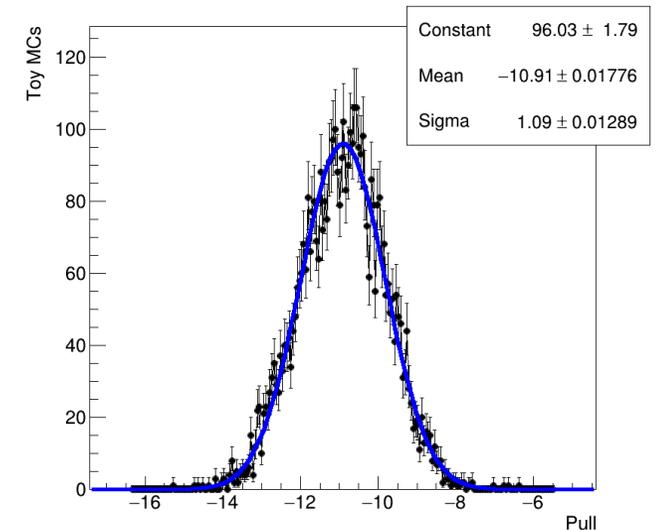
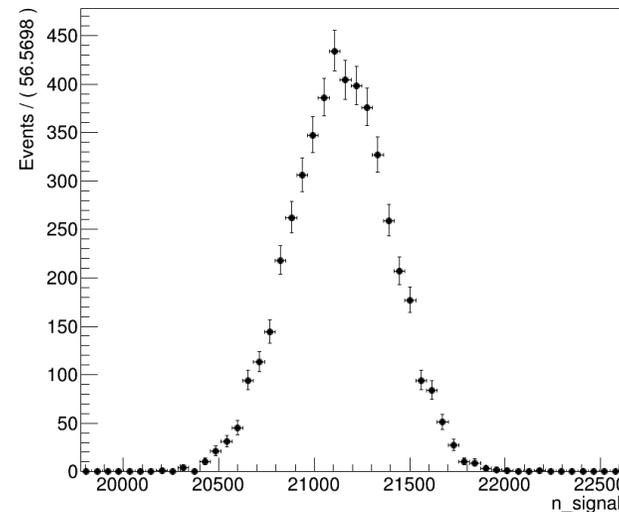
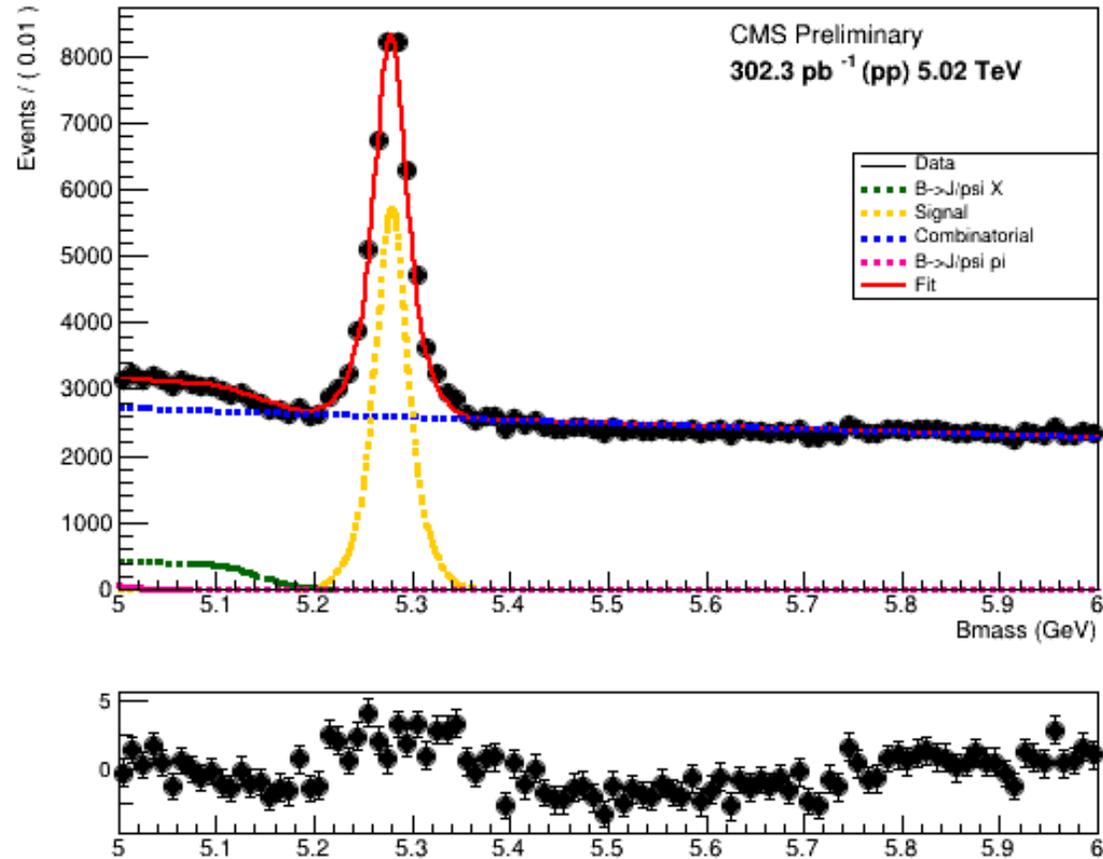
σ_i : uncertainty on N_i

Expected: Pull distribution mean close to zero and sigma close to 1



Fit Validation - B^+ ($5 < p_t < 100$ GeV)

A RooPlot of "Bmass"



$$N_S = 26.450 \pm 333$$

Fit Validation - B^+ ($5 < p_t < 50$ GeV)

A RooPlot of "Bmass"

