

LABORATÓRIO DE INSTRUMENTAÇÃO E FÍSICA EXPERIMENTAL DE PARTÍCULAS partículas e tecnologia

DNN UNCERTAINTIES IN VLQ SEARCH AT LHC

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METHODOLOGY



DATA PRE-PROCESSING Clean data and apply cuts

02

CLASSIFY EVENTS

Deep Neural Network: Signal vs Background

03

ANALIZE DNN PREDICTION UNCERTAINTIES

Monte Carlo Dropout

VLQ SIGNAL



Fig. 2: VLQ general Feynman diagram

- Background data is dileptonic
- Focus on T to tZ decays to capture the dileptonic part of VLQ signal

DATA STRUCTURE

	Electron1_Eta	Electron1_PT	Electron1_Phi	Electron2_Eta	Electron2_PT	Electron2_Phi	Electron_Multi	FatJet1_Eta	
0	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0	0.482720	
1	-2.060421	30.932735	-1.365277	0.000000	0.000000	0.000000	1	0.000000	
2	-1.025947	40.282574	-1.773086	0.288352	26.2 <mark>01660</mark>	-0.694144	2	0.000000	
3	1.084838	82.556099	2.932473	0.000000	0.000000	0.000000	1	0.969367	
6	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0	0.000000	
49981	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0	0.856027	
49987	0.803573	115.304886	-2.760615	0.394527	63.806351	2.506781	2	-1.067106	
49988	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0	-0.674905	
49992	0.311730	141.319260	2.593879	0.543723	120.261703	1.999698	3	0.436267	
49999	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0	0.369915	

• Tabular

- Generated
- Experimental and generated features

Fig. 1: Pandas dataframe of the data

PRE-PROCESSING



Fig. 3: VLQ Feynman Diagram for cuts



Eq. 1: Gen weights computation



Fig. 5: Class size before and after cuts



Fig. 4: VLQ and BKGD total transverse energy distributions

- 1. Apply cuts: >= 2L and >= 1 Fat Jet
- 2. Calculate gen weights
- 3. Concatenate all samples



DATA DISTRIBUTIONS

Fig. 6: Pre-processed data feature distributions

- Weighted distributions -> Physical distributions
- Capture the physical differences between signal and background in the data
- These differences will allow the model to separate the two



THE MODEL

Layer (type)	Output Shape	Param #
input_11 (InputLayer)	[(None, 69)]	0
batch_normalization_15 (Batc	(None, 69)	276
dense_36 (Dense)	(None, 84)	5880
dropout_16 (Dropout)	(None, 84)	0
dense_37 (Dense)	(None, 49)	4165
dense_38 (Dense)	(None, 1)	50

Fig. 6: Model summary

- 69 input neurons
- Batch Normalization after input layer
- Hidden layers w/ relu activation
- Dropout layer on top of hidden layers
- 1 output neuron w/ sigmoid activation

def get_model(hidden_layers=[100, 100, 100], dropout=0.1, batch_norm=True, optimizer="Nadam", summary=True):
 """

This function creates a keras model, given the desired hidden_layers, dropout rate and optimizer of choice

hidden_layers -> [int]: size of each desired hidden layer dropout -> float: desired dropout rate optimizer -> string: optimizer you choose to utilize

returns a keras model

Generate model structure

inputs = keras.Input(shape=(69,))

bn = keras.layers.BatchNormalization()(inputs)

drop = bn

for i in range(len(hidden_layers)-1):

fc = keras.layers.Dense(hidden_layers[i], activation='relu')(drop)
if batch_norm:

bn = keras.layers.BatchNormalization()(fc)

else:

bn = fc

drop = keras.layers.Dropout(dropout)(bn, training=True)
fc = keras.layers.Dense(hidden_layers[-1], activation='relu')(drop)
outputs = keras.layers.Dense(1, activation='sigmoid')(fc)

Instanciate and compile model

return model

- Unbalanced classes -> class weights
- Weighted data -> gen weights
- Train, Validation and Test equal split

TRAINING

$$L = -\frac{1}{N} \sum_{i=1}^{N} \sum_{n=0}^{1} y_{i,n} \log(\hat{y_{i,n}})$$

Eq. 2: Binary Cross-Entropy Loss



Eq. 3: Class weights computation

$$\tilde{\omega}_i = \frac{\omega_i}{\sum_{i=1}^N \omega_i} \qquad L = -\sum_{i=1}^N \sum_{n=0}^1 c_n \,\tilde{\omega}_i \, y_{i,n} \log(\hat{y}_{i,n})$$

ΛT

1

Eq. 4: Normalized gen weights

Eq. 5: Weighted Binary Cross-Entropy Loss

HYPERPARAMETER TUNING

- Optimize model by tuning variable parameters
- Next parameters chosen by Bayesian Inference

Defining parameters

```
num_layers = trial.suggest_int("num_hidden_layers", 1, 4)
hidden_layers = []
```

```
for i in range(num_layers):
```

```
num_features = trial.suggest_int(f"num_features_layer_{i}", 20, 150)
hidden_layers.append(num_features)
```

```
dropout = trial.suggest_discrete_uniform("dropout", 0.05, 0.4, 0.01)
batch_size = trial.suggest_categorical("batch_size", [128, 256, 512])
batch_norm = trial.suggest_categorical("batch_norm", [True, False])
optimizer = "Adam"
```

```
es_patience = 10
```



Fig. 7: Hyperparameter search method comparison

```
num_models = 100
mcpreds = []
```

for _ in tqdm(range(num_models), total=num_models, desc="MCDropout"):
 mcpreds.append(model.predict(X_val))

mcpreds = np.array(mcpreds)

MCDropout: 100% 100/100 [03:55<00:00, 2.35s/it]

mc_means = mcpreds.mean(axis=0) mc_stds = mcpreds.std(axis=0)

- Dropout randomly zeros weights during forward pass
- Use dropout during predictions
- Make many predictions using the same model
- Take the mean as your final prediction
- Analyze predictions' standard deviation as a proxy for model prediction uncertainty



(a) Standard Neural Network

MONTE CARLO DROPOUT



(b) Network after Dropout

Fig. 8: Dropout Representation



Fig. 10: Background/Signal ratio reduction after predictions



Fig. 11: MCDropout predictions w/ thr=0.5

RESULTS



Model	ROC AUC
Regular	0.99673
MC Dropout	0.99692

Table 1: Model ROC AUCs

- VLQ is dominant in high prediction uncertainties
- All VLQ samples have similar uncertainty distributions
- Only some BKGD samples have high uncertainty
- High uncertainty -> Mixing similar VLQ and BKGD

RESULTS



Fig. 13: Std deviation distributions per data sample

CONCLUSIONS

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DNNs showed good results in reducing background to signal ratio

MC Dropout didn't significantly improve the model

High prediction uncertainties arise from similarities in class distributions