

Role of MPI in Heavy Ion Collisions

Andreas Morsch
CERN



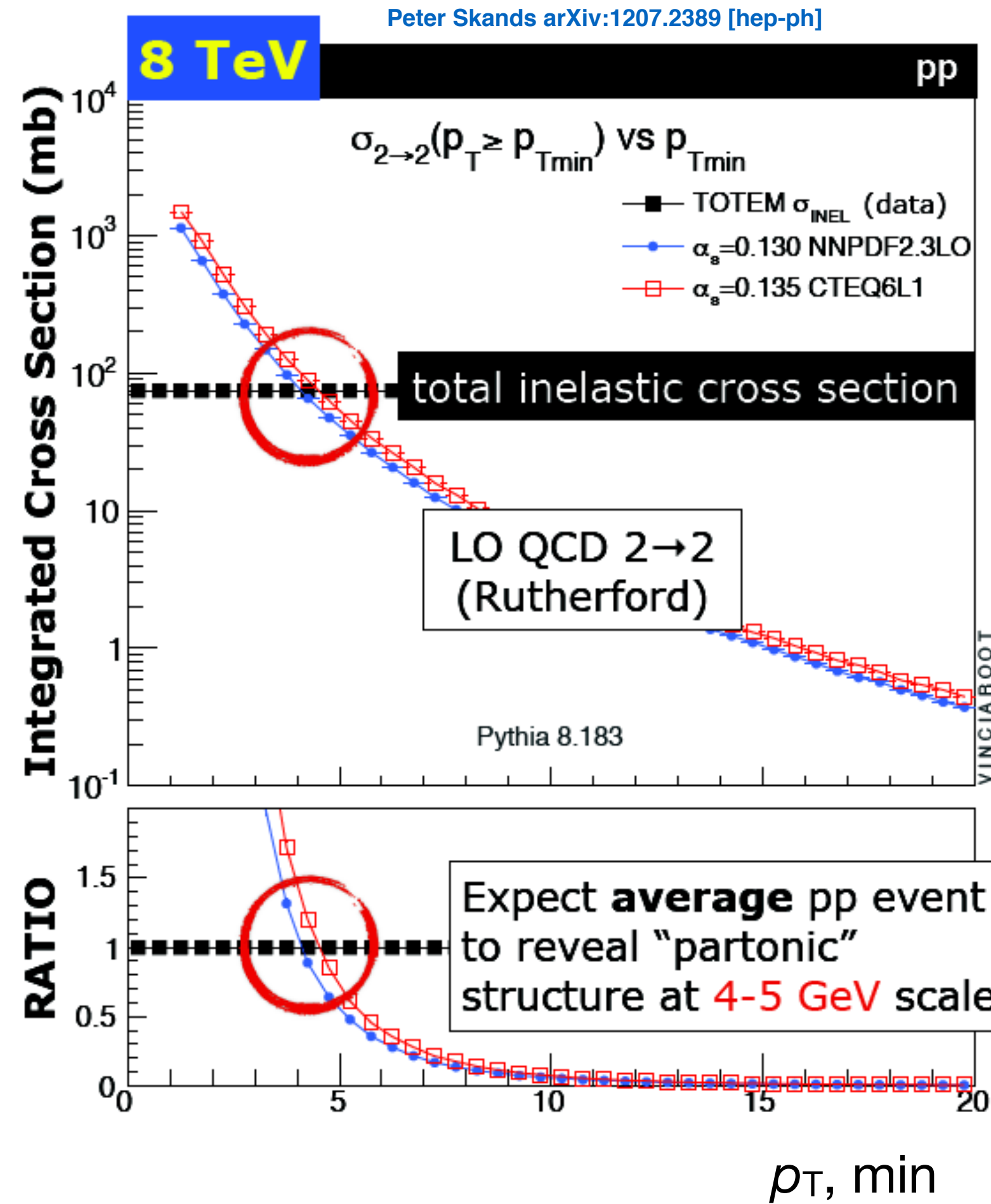
Lisbon, October 11-15

What can we learn about MPIs in Heavy-Ion collisions?

- → What can we learn about Heavy-Ion collisions from MPI?
- Help to define a reference compared to which we can observe genuine medium effects
 - Main reason:
MPI provide connection between bulk observables (e.g. multiplicity, ..) to rare processes
 - in pp these “hard-soft” correlation provide important constraints on MPI models ...

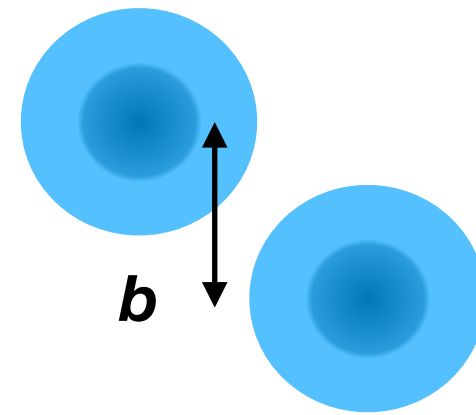
pp: hard-soft correlations

Integrated hard cross-section
above cut-off p_{Tmin}



simplest model ...

$$n_{MPI} \approx \sigma_{2 \rightarrow 2} / \sigma_{tot}$$



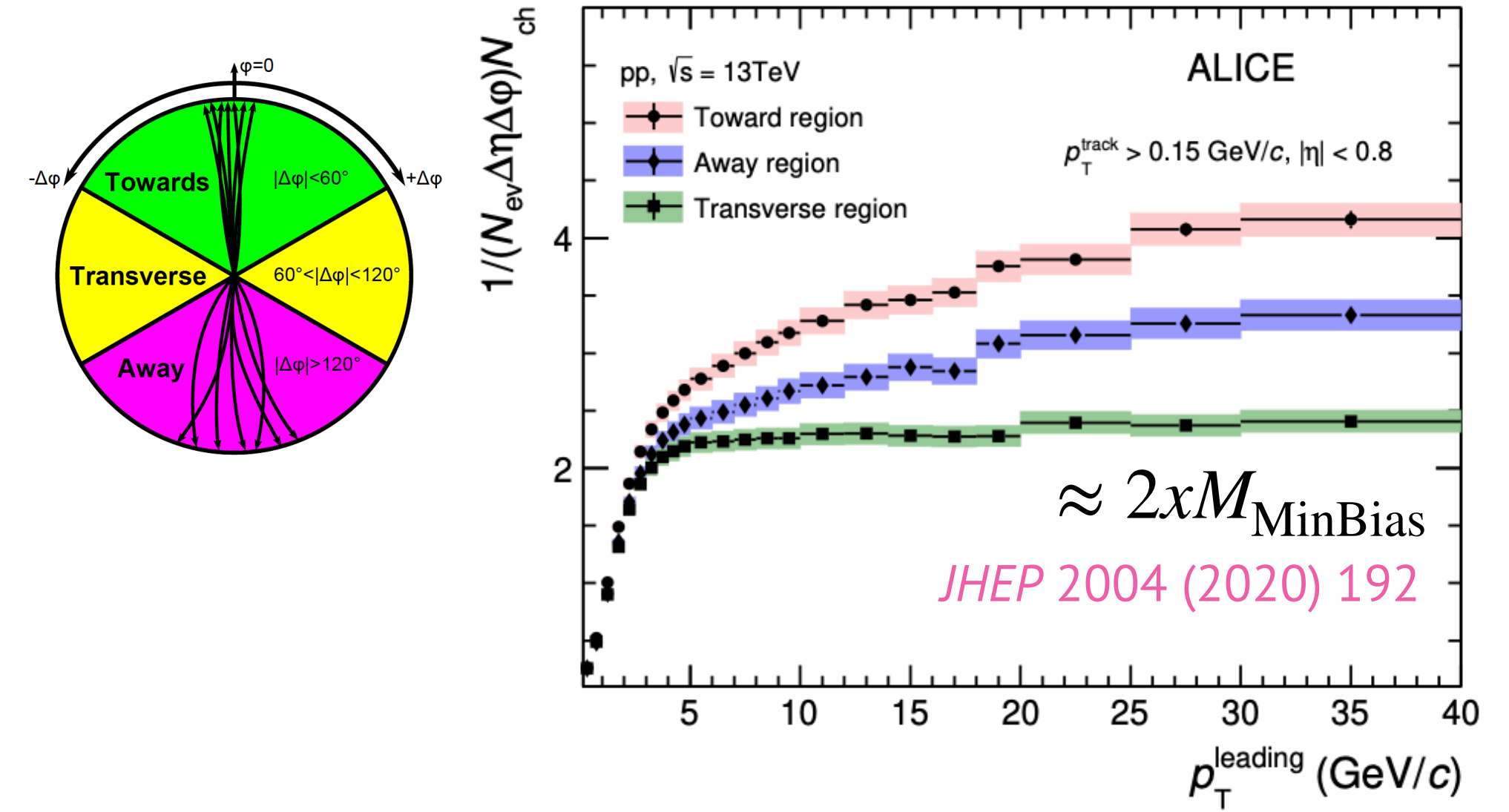
$$n_{MPI} = T_{pp}(b) \sigma_{2 \rightarrow 2}$$

- no way to select b
- but it can be biased

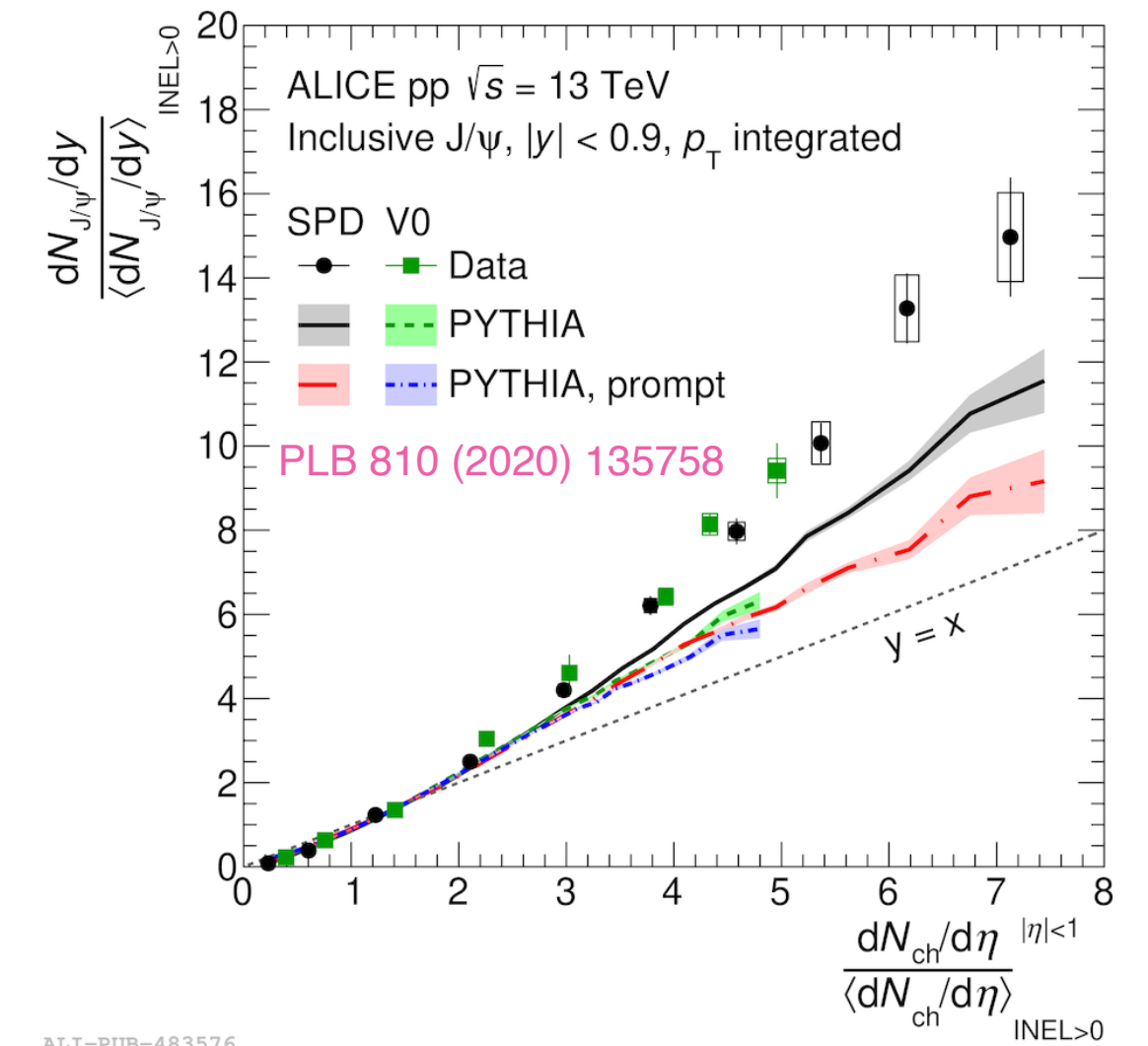
$\sigma_{2 \rightarrow 2} \gg \sigma_{tot}$
large per event yields
at perturbative scales

$\sigma_{2 \rightarrow 2} \ll \sigma_{tot}$
rare processes

select high- $p_T \rightarrow$ small b , increased multiplicity



select high- $M \rightarrow$ small b , increased hard yield

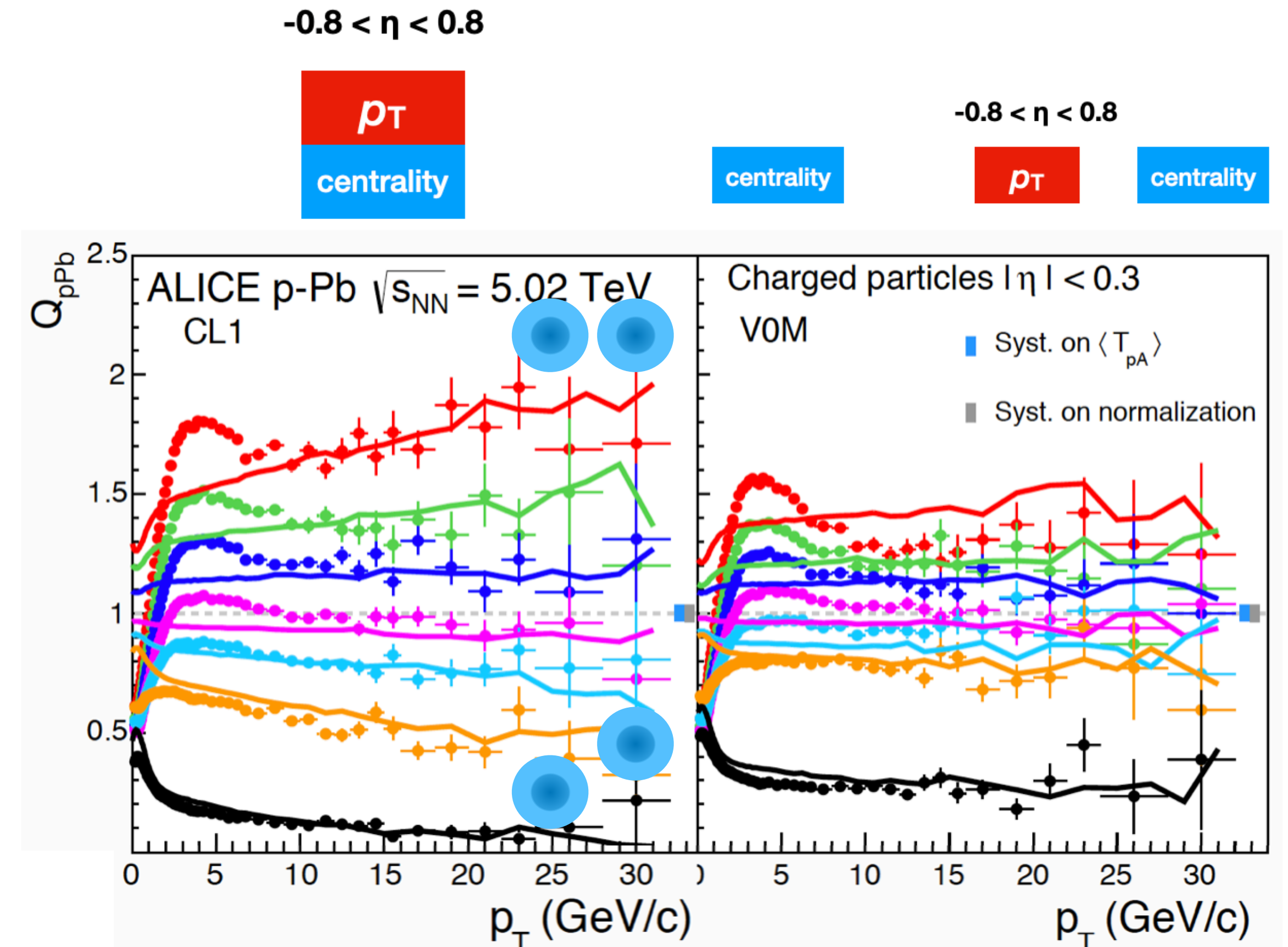


MPI in pPb

- $n_{\text{MPI}} \rightarrow$ Number of nucleon-nucleon binary collisions (N_{coll})
 - Glauber fit to multiplicity or summed energy distributions
 - N-N collision treated as minimum bias collisions
 - Large deviations of nuclear modification factors from unity.
- Explanation:
 - N-N collisions are not unbiased in centrality bins
 - pp hard-soft correlations transferrable to pPb
- pp impact parameter biased by
 - pure phase space factor in Glauber
 - multiplicity selection
- Improved “incoherent” reference obtained by including these effects
- Alternative explanation: Glauber-Gribov pp cross-section fluctuations
 - effectively similar since both models introduce additional fluctuations

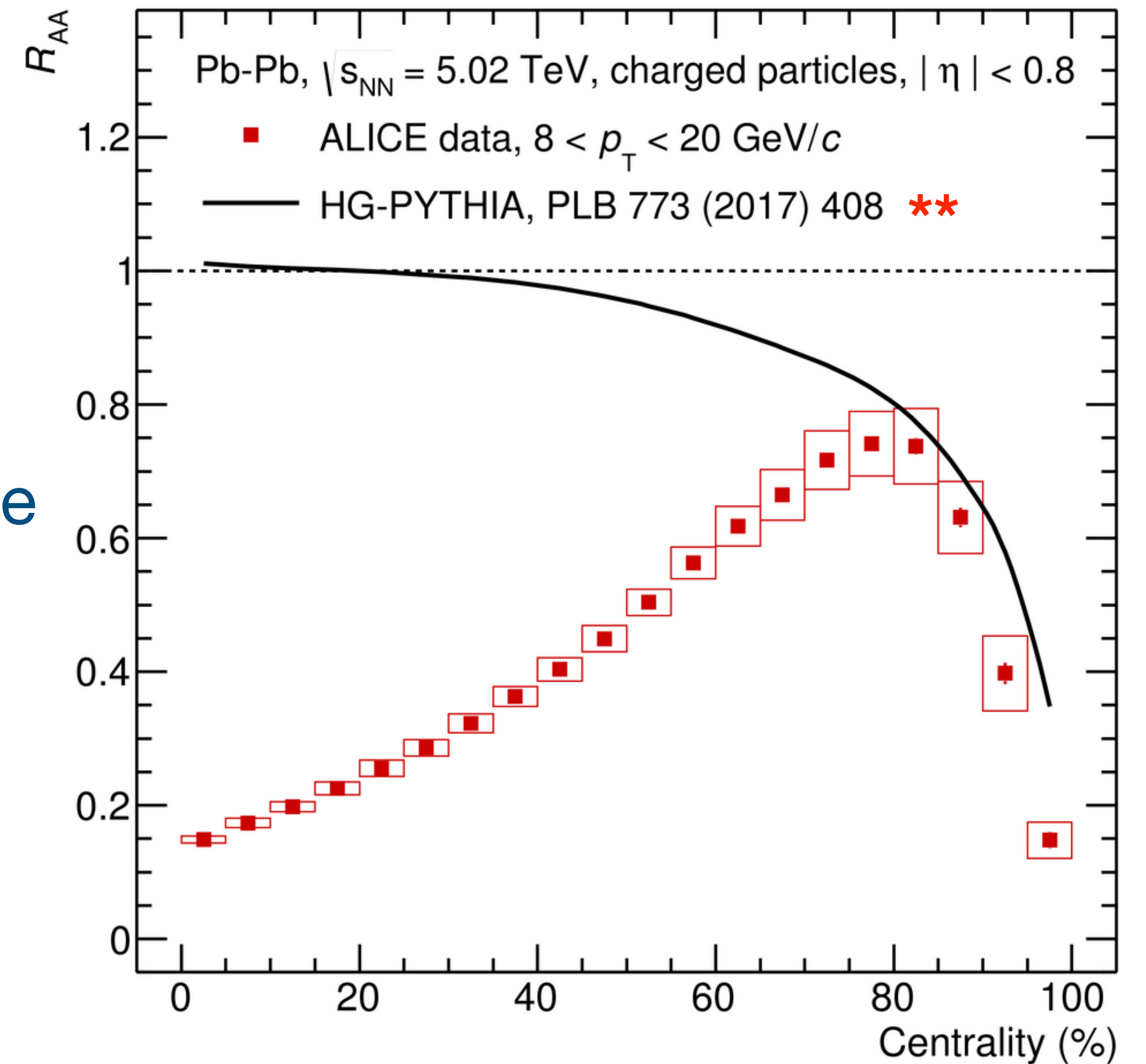
nuclear modification factor:

$$Q_{\text{pPb}}(p_T; \text{cent}) = \frac{dN_{\text{cent}}^{\text{pPb}}/dp_T}{\langle N_{\text{coll}}^{\text{Glauber}} \rangle dN^{\text{pp}}/dp_T} = \frac{dN_{\text{cent}}^{\text{pPb}}/dp_T}{\langle T_{\text{pPb}}^{\text{Glauber}} \rangle d\sigma^{\text{pp}}/dp_T}$$



... in Pb-Pb

- Claims about quenching in peripheral collisions were made ...
 - similar biases need to be considered
- Region below 80% not well constrained due to possible real quenching effects.

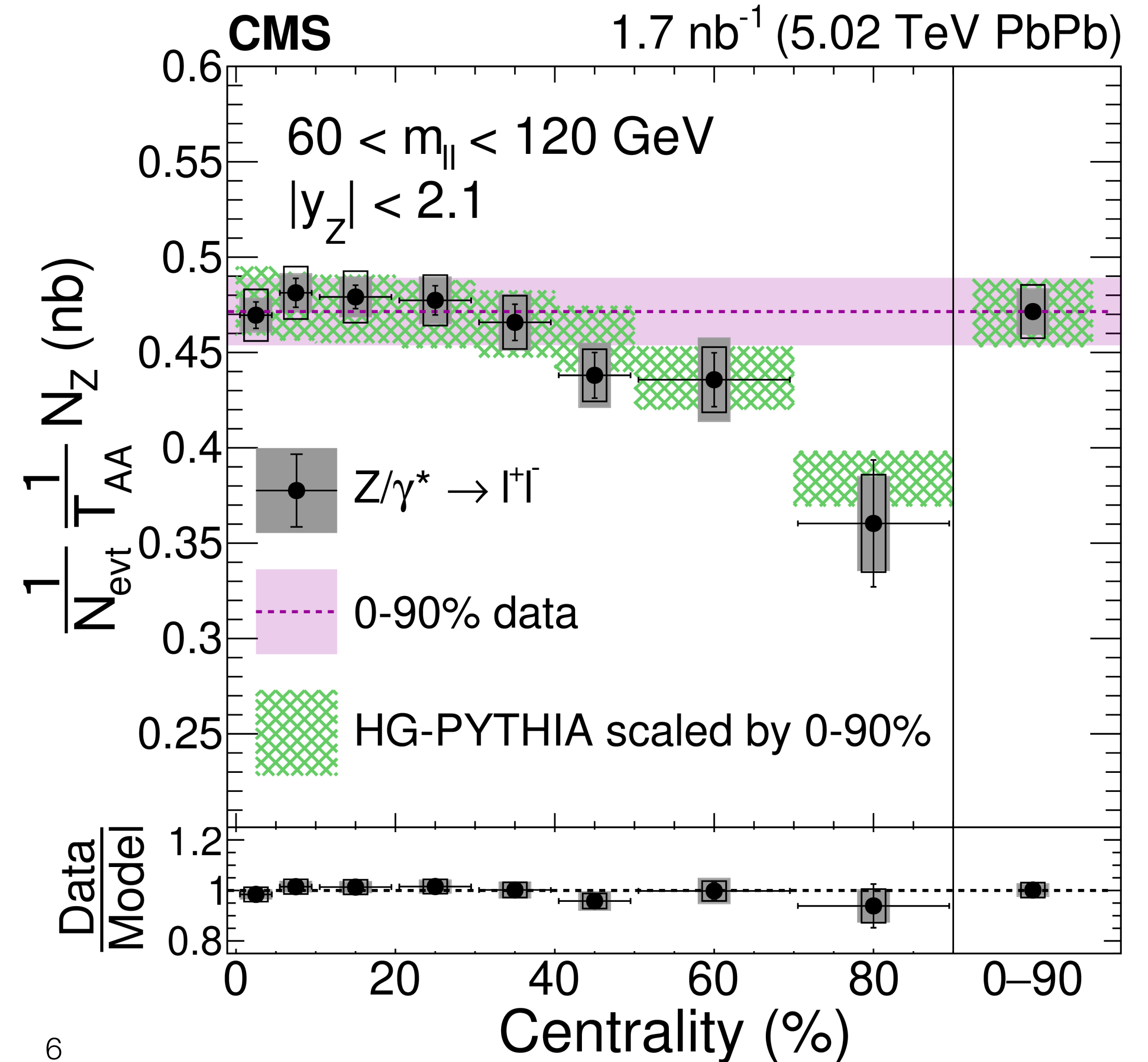


** HG-PYTHIA used to give credit to the original MPI-Glauber implementation in HIJING. In HIJING itself the MPI effects are masked by other nuclear effects.

Centrality dependent Z production in PbPb

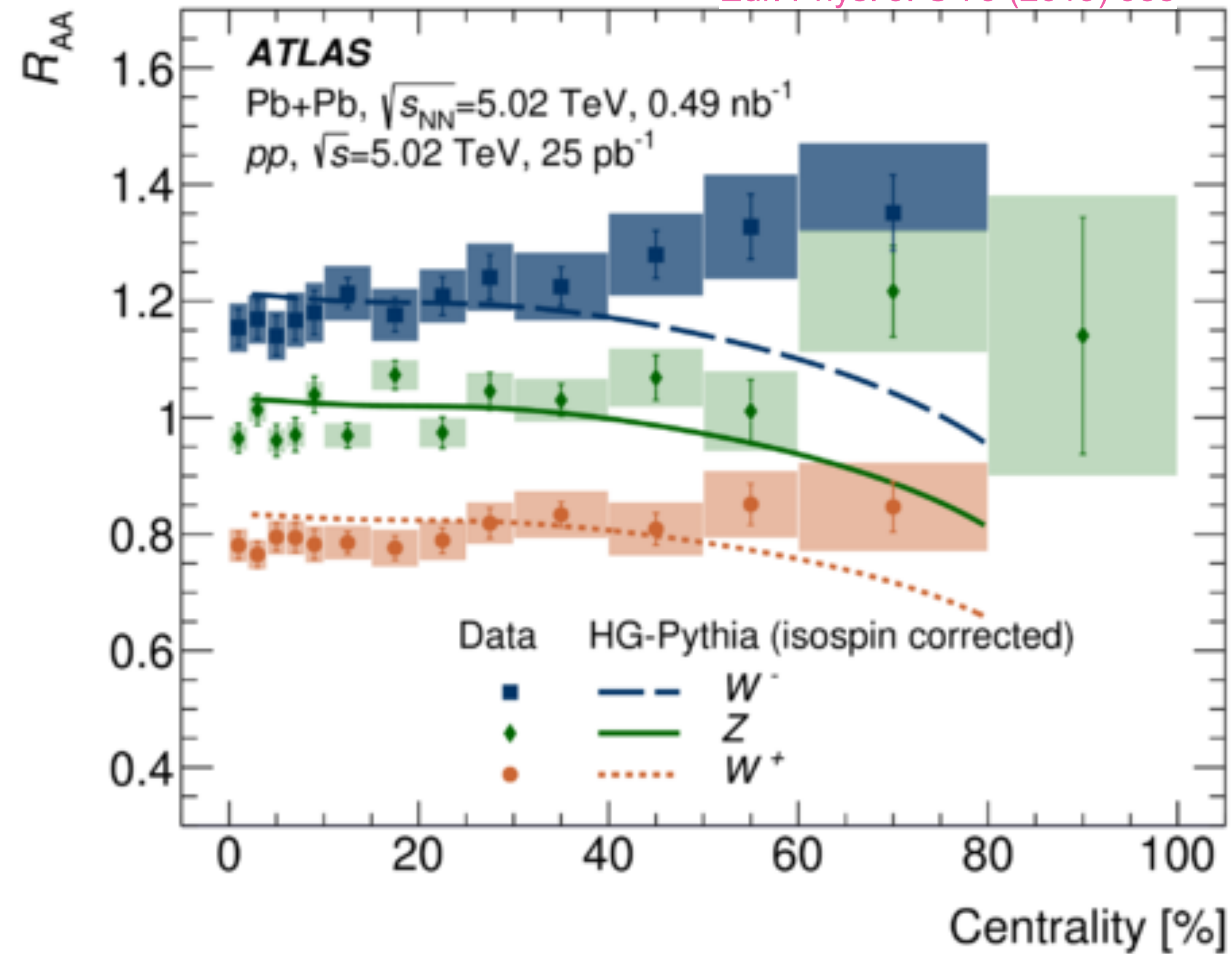
Phys. Rev. Lett. 127 (2021) 102002

- No quenching expected for Z
- “calibrates” the Glauber reference

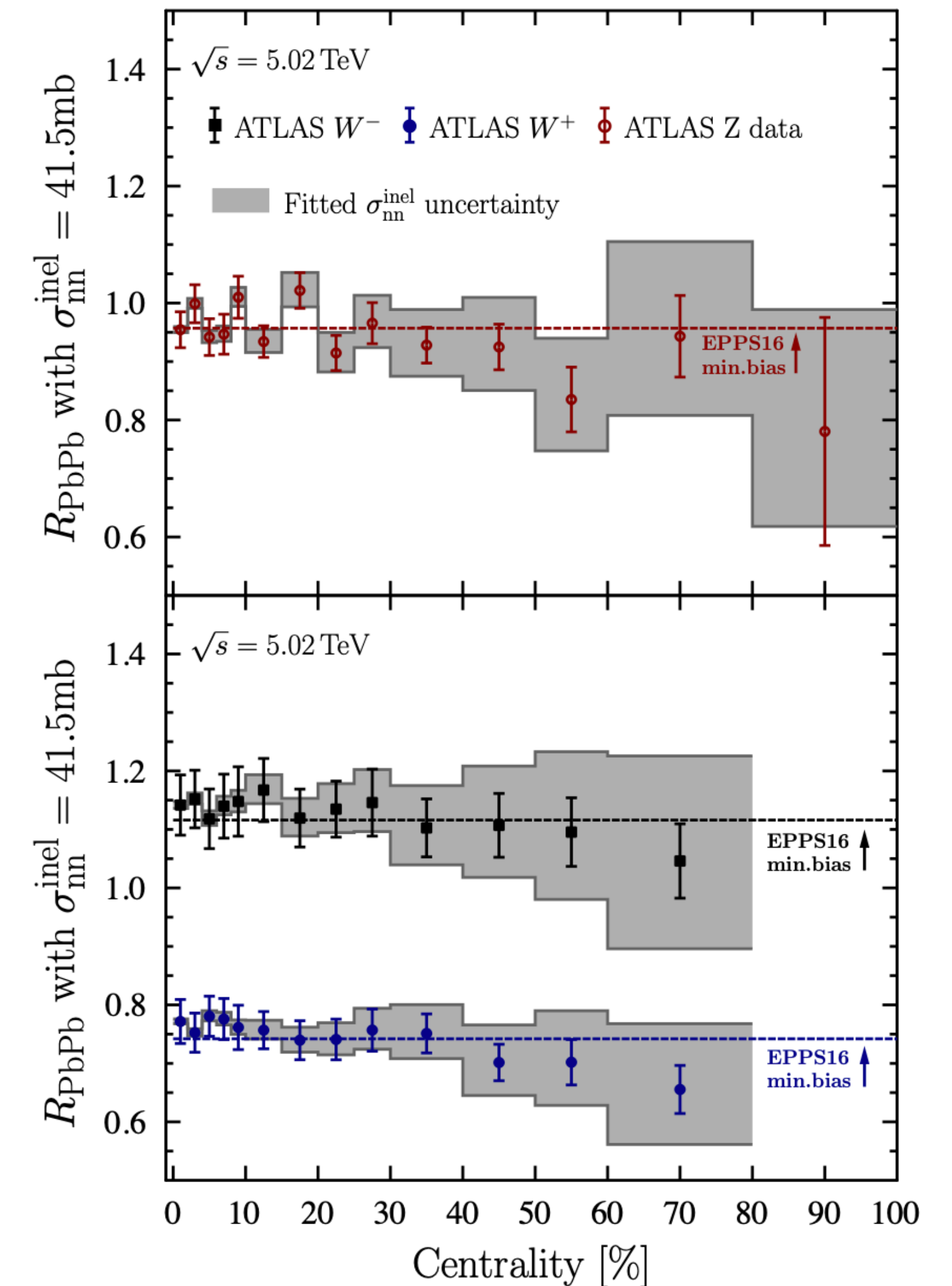


Centrality dependent W/Z production in PbPb

Phys. Lett. B 802 (2020) 135262
Eur. Phys. J. C 79 (2019) 935



KJ Eskola et al., Phys. Rev. Lett. **125**, (2020) 212301

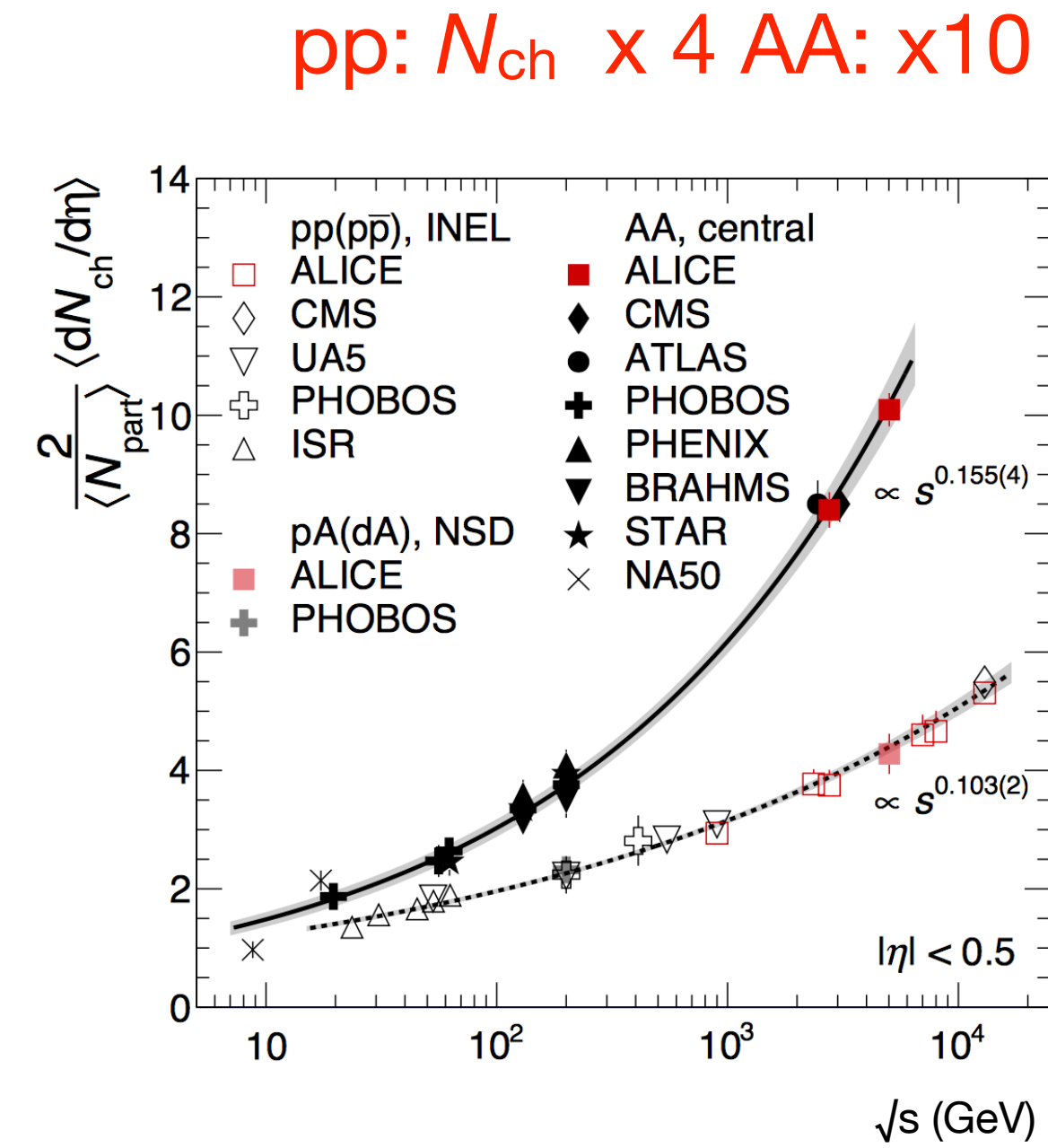
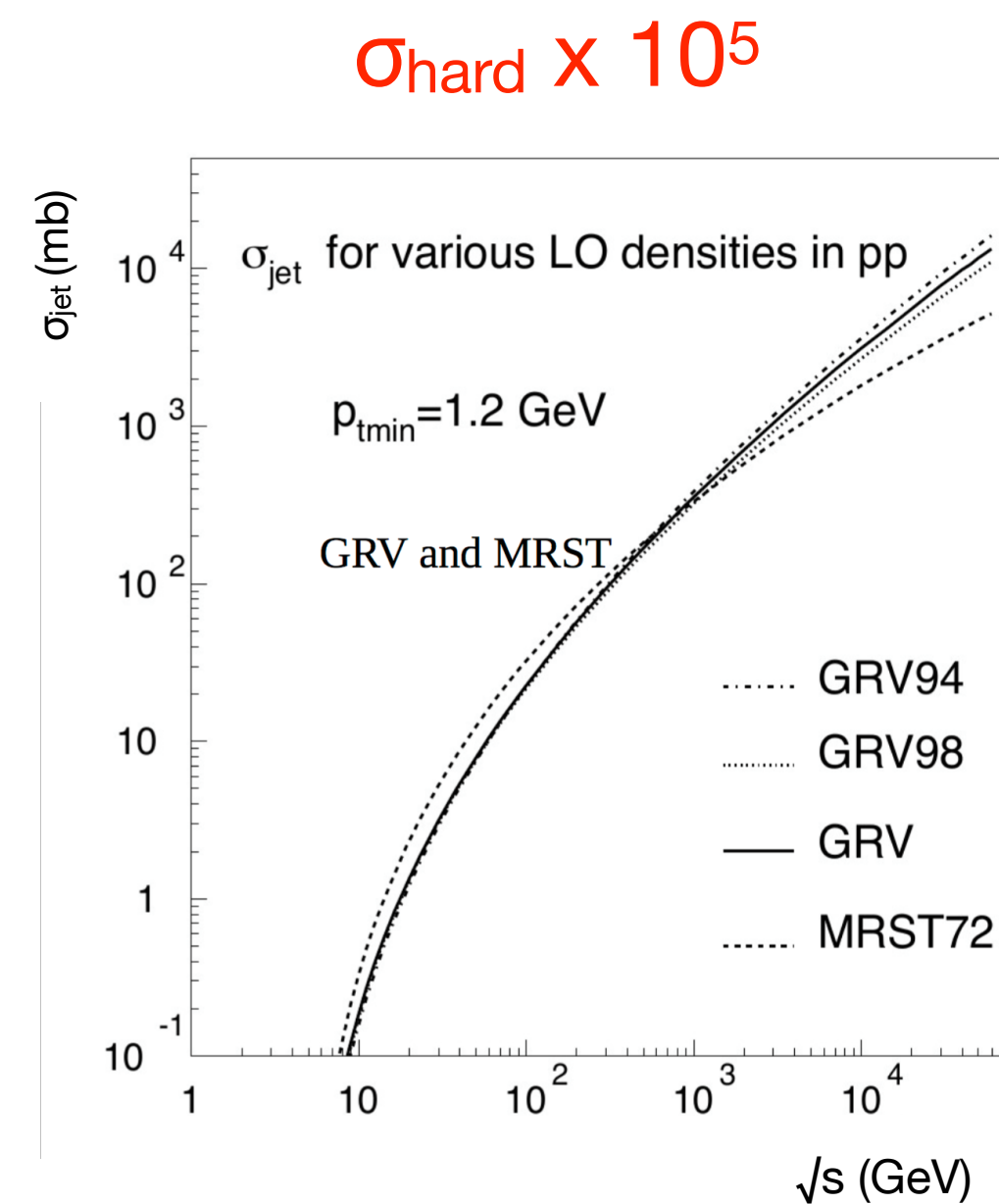


- Strong tension between CMS and ATLAS results
 - Centrality determination still a challenge !!
- Eskola et al. : Shadowing of inelastic pp cross section
 - reduced from 70 mb to 41.5 mb in Glauber to explain ATLAS results
 - corresponds to 30% reduction of proton radius!

Limits of the model

- MPI model of independent scatterings has limits for low p_T and low \sqrt{s}
 - $p_T \gg \Lambda_{QCD}$ for pQCD
 - factorisation breaks for large $n_{2 \rightarrow 2}$ in area $1/p_T^2$
 - Implemented in PYTHIA by regularising the pQCD hard cross-section at low p_T

$\sqrt{s} = 10 - 10 \text{ TeV}$



Energy dependence in PbPb

- Centrality dependence of mid-rapidity multiplicity
- S-shape consistent with “hard+soft scaling”

$$fN_{\text{part}} + (1 - f)N_{\text{coll}}$$
- But shape almost energy independent!
- Simple explanation for this geometric scaling ?
- Higher \sqrt{s} would provide additional lever-arm.

