





Scale symmetry and the nature of gravity

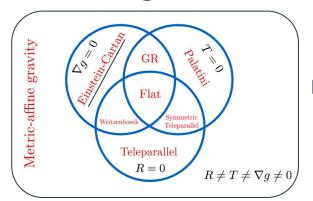
Matteo Piani



PhD supervisor: Dr. Javier Rubio



Testing the nature of gravity





Different formulations yield the same theory, unless... we introduce some new ingredient

Non-minimal coupling:

$$\frac{\xi h^2}{2}R$$

WE CAN CONSTRAIN THE MODEL





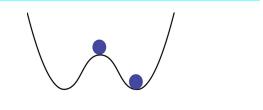
The role of scale symmetry

$$\begin{cases} g_{\mu\nu}(x) \mapsto g_{\mu\nu}(\sigma x) \\ \Phi(x) \mapsto \sigma^{d_{\Phi}} \Phi(\sigma x) \end{cases}$$

Motivations

- Protect the Higgs mass from large radiative corrections
- All the scales in the model have a common origin
- The SM+gravity is approximately scale invariant during inflation

Spontaneously broken symmetry



Consequences

- 1 extra scalar degree of freedom: DILATON
- 6 free parameters

Work-plan

$$S = \frac{1}{2} \int d^4x \sqrt{-g} \left[\left(\tau \chi^2 + \xi h^2 \right) R + \frac{1}{2\bar{\gamma}} \left(\tau \chi^2 + \xi_{\gamma} h^2 \right) \epsilon^{\mu\nu\rho\sigma} R_{\mu\nu\rho\sigma} \right] + \frac{1}{2} \int d^4x \left(\tau_{\eta} \chi^2 + \xi_{\eta} h^2 \right) \partial_{\mu} \left(\sqrt{-g} \epsilon^{\mu\nu\rho\sigma} T_{\nu\rho\sigma} \right)$$

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Objectives for my PhD

- Compute the inflationary observables and compare them with the data
- Establish the validity range of the theory
- Study the connection of inflationary physics to low-energy observables
- Determine the ability to restrict the abundance of primordial black holes
- Perform a detailed treatment of the reheating stage

Thanks for your attention