

# LUNA results on deuterium burning and implications for cosmology

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(on behalf of the LUNA collaboration)



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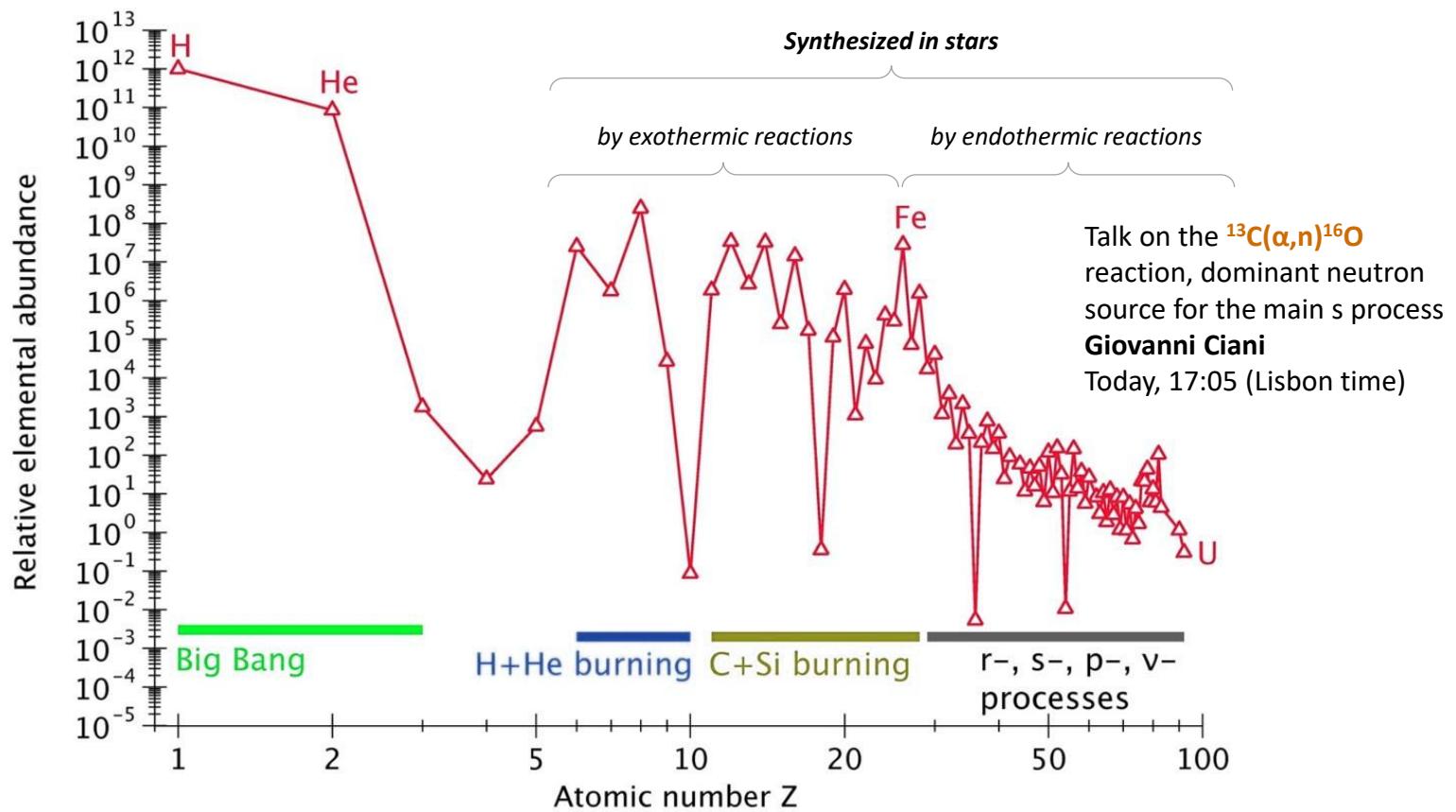


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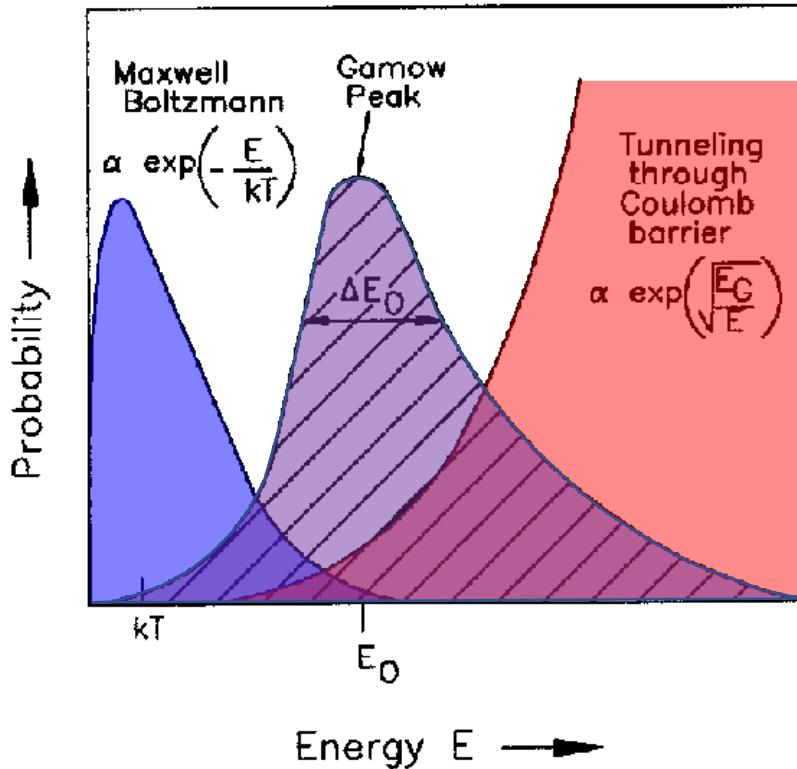


# Nuclear Astrophysics in a nutshell

Nuclear reactions determine the **abundances of the elements** and are responsible of **energy production inside stars**

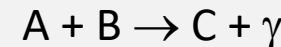


# Nuclear Astrophysics in a nutshell



The **Gamow peak** defines the relevant energy range for such reactions to occur

Consider a **radiative capture reaction**



The reaction rate is given by

$$\langle r \rangle = N_A N_B \int_0^{\infty} \phi(v) \sigma(v) v dv$$

$E_0$  is usually so low that the cross section in the Gamow peak is awfully small!

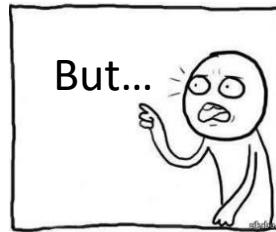
direct measurements on surface are often hampered by cosmic ray induced background

# Extrapolation uncertainties

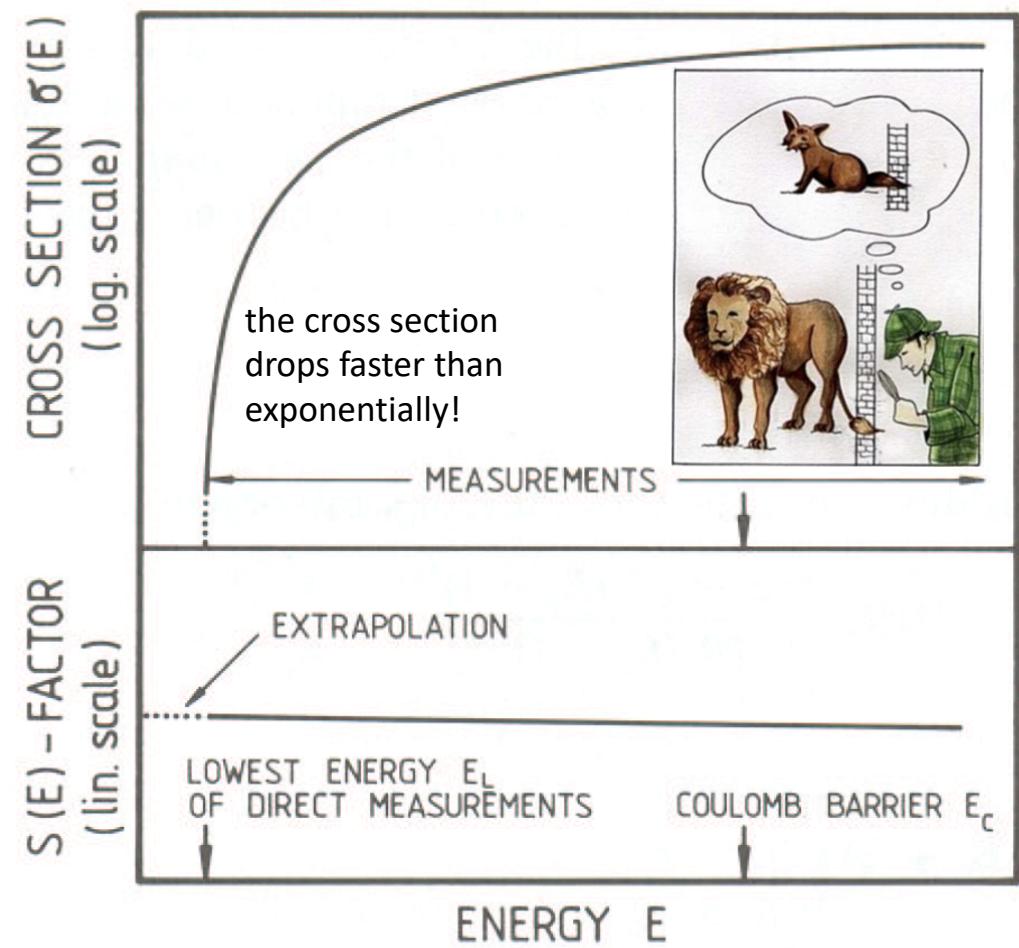
Since it is possible to factorize the cross section:

$$\sigma(E) = \frac{1}{E} e^{-2\pi\eta} S(E)$$

one can measure it at high energy and extrapolate the **astrophysical factor  $S(E)$**  in the interesting energy range



extrapolation uncertainties might be out of control (e.g. because of low-energy resonances, systematics, etc...)



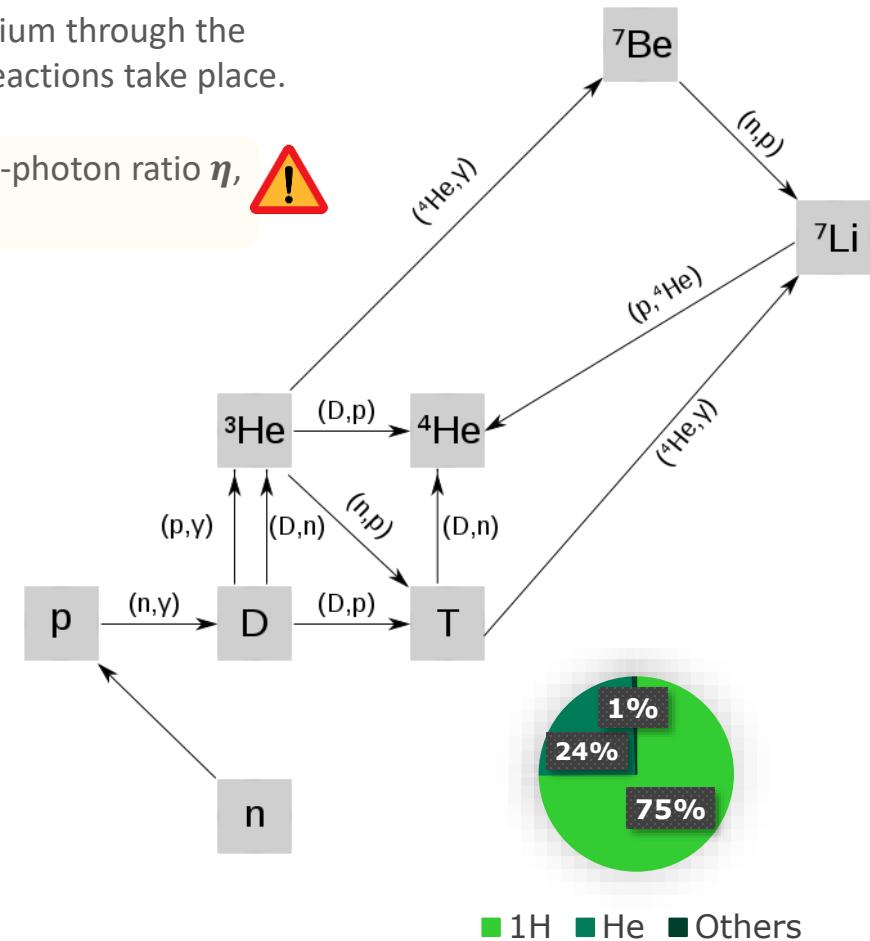
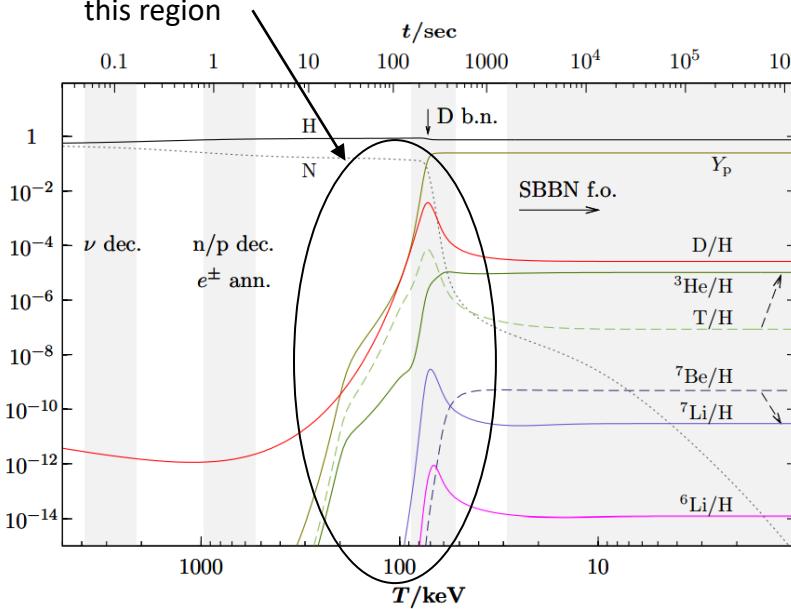
# Big Bang Nucleosynthesis

The nucleosynthesis begins with the formation of deuterium through the  $p(n, \gamma)D$  reaction. As soon as some D is present, other reactions take place.

 The abundances are strongly influenced by the barion-to-photon ratio  $\eta$ , which is closely related to the baryon density  $\Omega_b$ : 

$$\eta \equiv \frac{n_b}{n_\gamma} \cong 2.75 \cdot 10^{-8} \Omega_b h^2$$

it greatly influences  
this region



# Primordial abundances

The primordial deuterium abundance [D/H] can be obtained by:

- **observations**

$$[D/H]_{\text{OBS}} = (2.527 \pm 0.030) \times 10^{-5}$$

Cooke et al, APJ 855 (2018) 102

from direct astronomical observations

- **predictions**

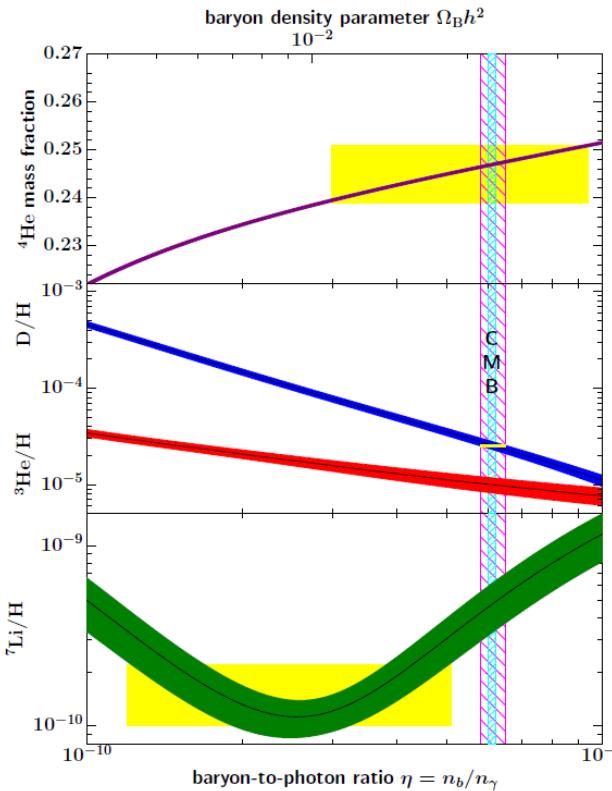
$$[D/H]_{\text{BBN}} = (2.587 \pm 0.055) \times 10^{-5}$$
$$[D/H]_{\text{BBN}} = (2.439 \pm 0.052) \times 10^{-5}$$

depending on adopted x-sections  
Planck 2018, A&A 641 (2020) A6

from BBN models (known the cosmological parameters and the cross sections of the processes responsible for D creation and destruction)

**To make a long story short: the comparison  $[D/H]_{\text{OBS}}$  vs  $[D/H]_{\text{BBN}}$  allows to determine  $\Omega_b$  and  $N_{\text{eff}}$**

# Primordial abundances and barion-to-photon ratio



The “horizontal” **bands** show the standard BBN predictions with state-of-the-art cross sections (95% CL)

**Yellow boxes** indicate primordial abundances inferred from observations

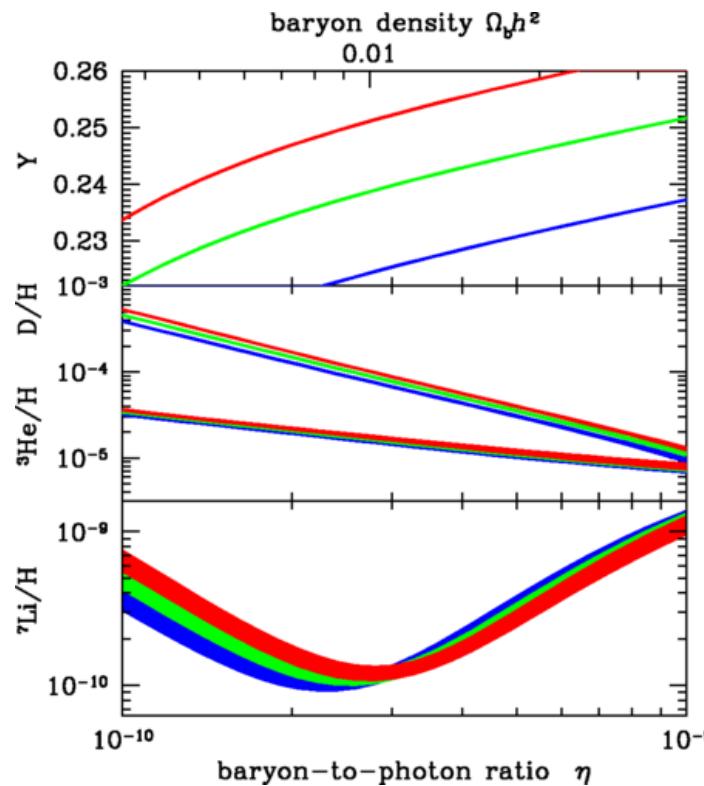
The **narrow vertical band** is the CMB measure of the baryon density (95% CL)

The **wide vertical band** is the BBN D +  $^4\text{He}$  concordance range (95% CL)

Recent advances in the observations of D/H and the determination of cosmological parameters by *Planck*, motivate an improvement in BBN calculations (i.e. cross section measurements) → LUNA

M. Tanabashi et al. (Particle Data Group), Phys. Rev. D **98**, 030001 (2018) and 2019 update.

# Primordial abundances and effective number of neutrino species



Given a certain baryon-to-photon ratio, **primordial abundances of the light-elements are also sensitive to the number of effective neutrino species.**

Abundances shown by different colored bands correspond to calculated abundances assuming  $N_{eff} = 2, 3$  and  $4$ .

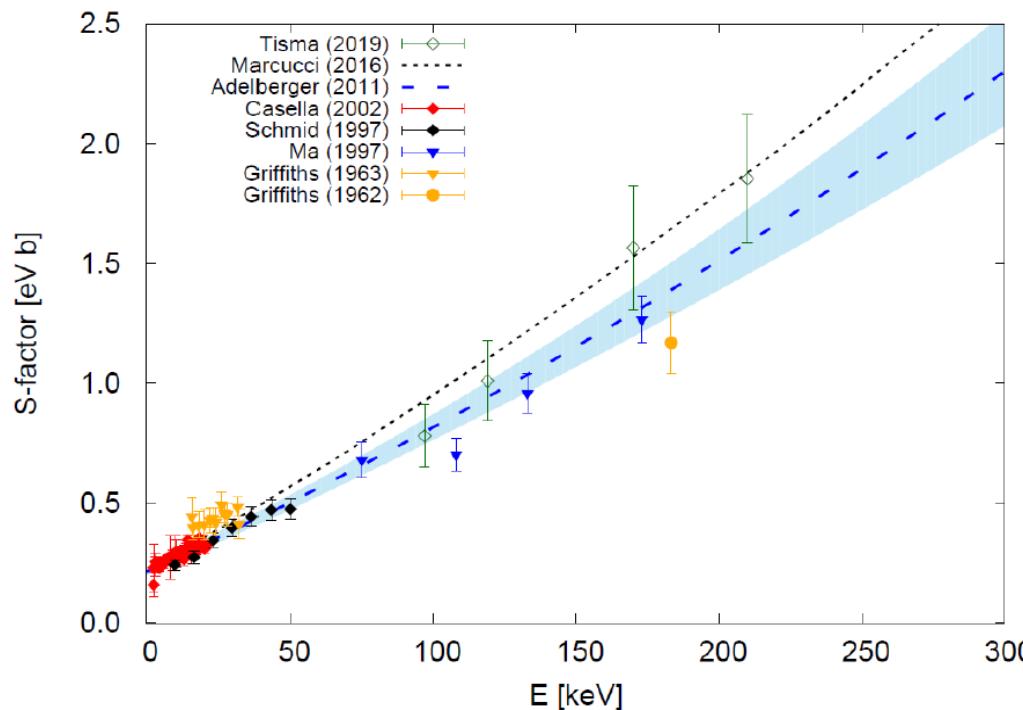
<https://journals.aps.org/rmp/abstract/10.1103/RevModPhys.88.015004>

# Previous state-of-the-art

Uncertainty on the predicted abundance of deuterium mainly due to the  ${}^2\text{H}(\text{p},\gamma){}^3\text{He}$  reaction

Only two datasets available at the BBN energy range with a systematic uncertainty of 9-15%

Imperfect agreement with recent *ab-initio* calculations (Marcucci et al. 2016)

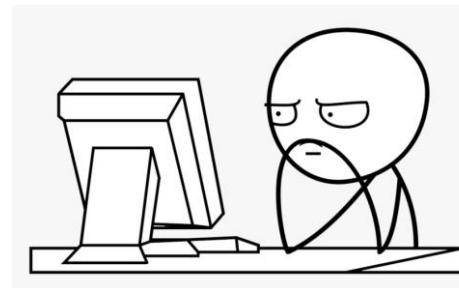


Reaction	$\sigma_{\text{H}/\text{H}} \times 10^5$
$p(n,\gamma){}^2\text{H}$	$\pm 0.002$
$d(p,\gamma){}^3\text{He}$	$\pm 0.062$
$d(d,n){}^3\text{He}$	$\pm 0.020$
$d(d,p){}^3\text{H}$	$\pm 0.013$

Need for a new, precise and accurate measurement of the  ${}^2\text{H}(\text{p},\gamma){}^3\text{He}$  cross section!

# Towards the measurement: expected counting rate

$$\begin{aligned} \text{Counting rate} = & \text{ beam flux} & 10^{14} \text{ pps (100 } \mu\text{A } 1^+ \text{ beam)} \\ & \times \\ & \text{target nuclei areal density} & 10^{15} \text{ atoms/cm}^2 \text{ (gas target)} \\ & \times \\ & \text{cross section} & 10^{-30} \text{ cm}^2 \text{ (often smaller)} \\ & \times \\ & \text{detection efficiency} & 1\% \text{ (HPGe detectors)} \end{aligned}$$



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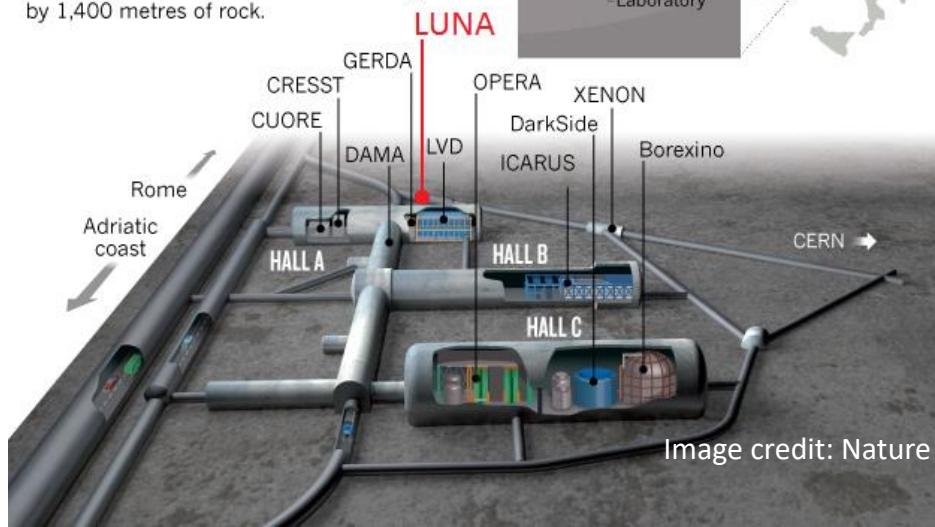
**1-10 counts/h**

**It is fundamental to strongly suppress the background!**

# The Gran Sasso National Laboratory (LNGS)

## THE A, B AND C OF GRAN SASSO

Experiments at the Gran Sasso National Laboratory are housed in and around three huge halls carved deep inside the mountain, where they are shielded from cosmic rays by 1,400 metres of rock.

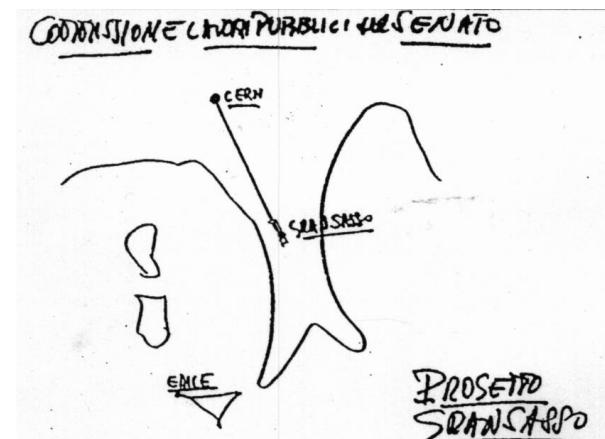


Rock overburden > 1400 m (>3000 m.w.e.)

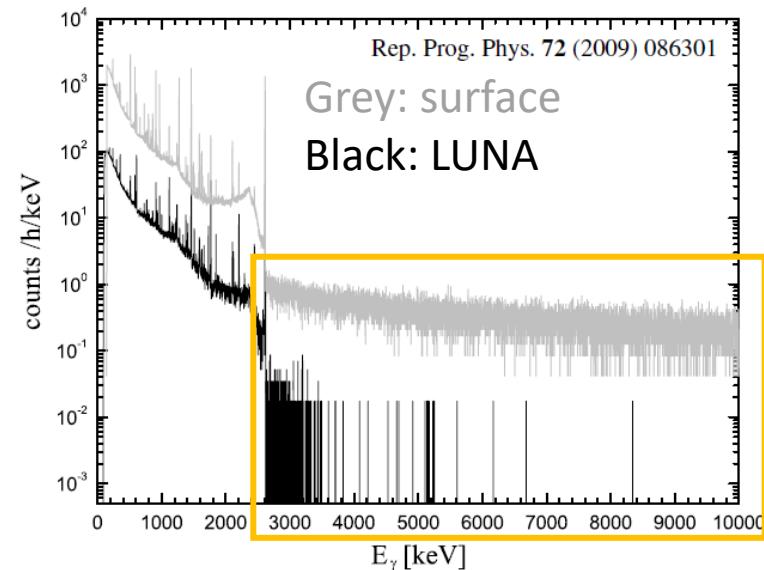
## Reduction of cosmic-ray-induced background

muons:  $\sim 10^6$

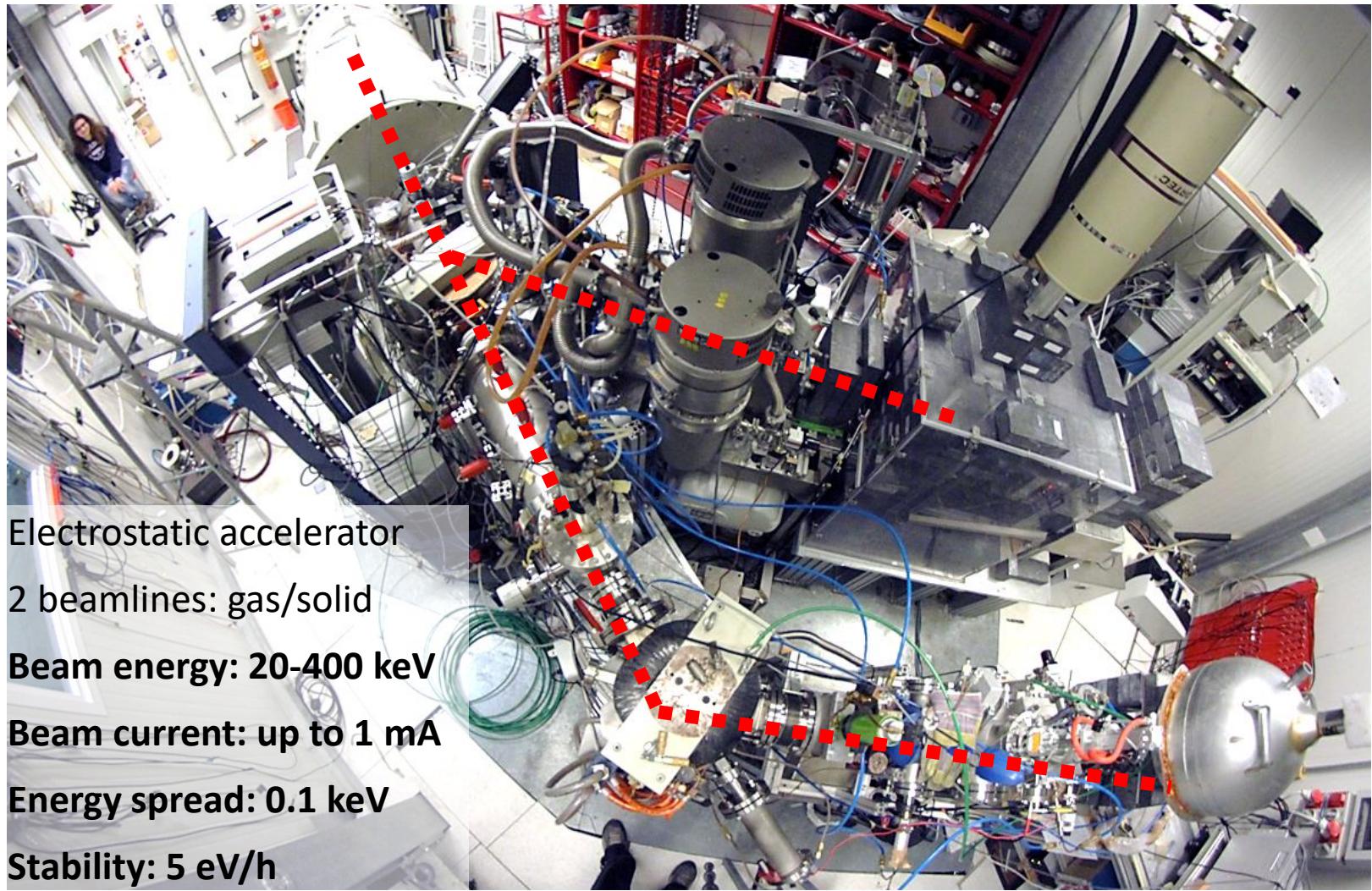
neutrons:  $\sim 10^3$  (see G. Ciani's talk)



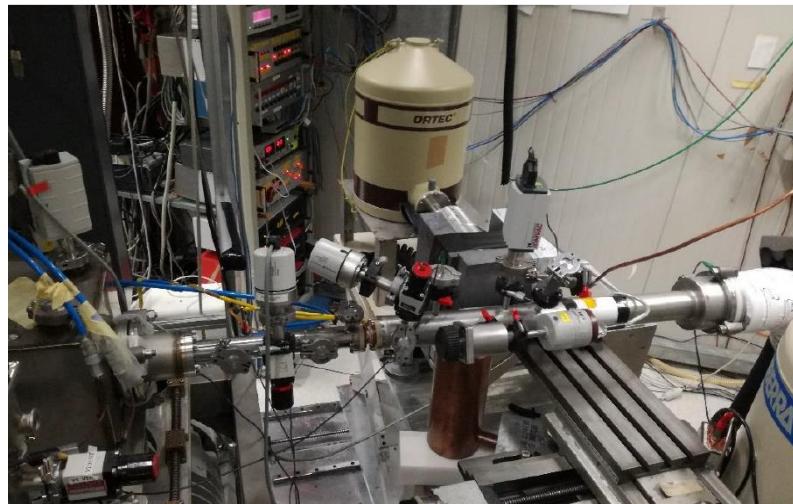
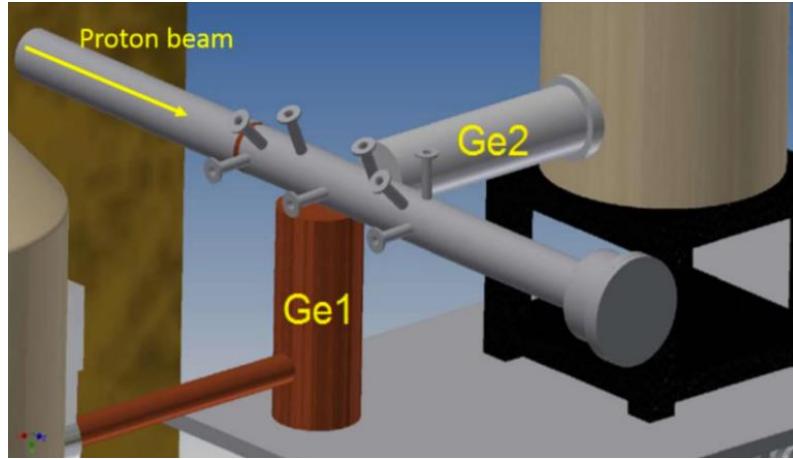
Note manoscritte di A. Zichichi presentate nella Seduta della Commissione Lavori Pubblici del Senato convocata con urgenza dal Presidente del Senato per discutere la proposta del Progetto Gran Sasso (1979).



# The Laboratory for Underground Nuclear Astrophysics



# The experiment



## GOAL

- measurement of the cross section
- <3% uncertainty
- $E_{cm} = 30\text{-}300 \text{ keV}$

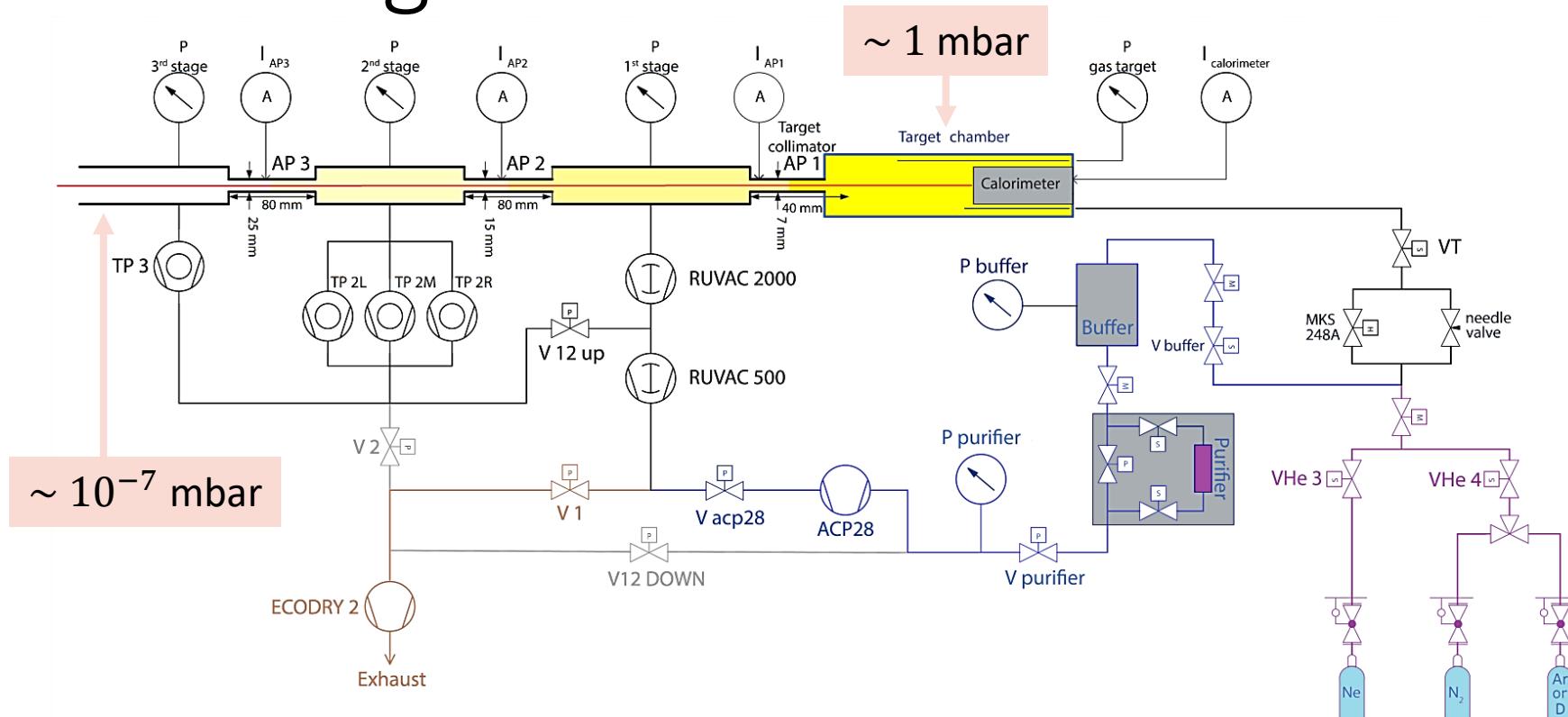
## SETUP

- high-intensity proton beam
- $D_2$  windowless gas target ( $P=0.3 \text{ mbar}$ )
- HPGe detectors

## ANCILLARY MEASUREMENTS

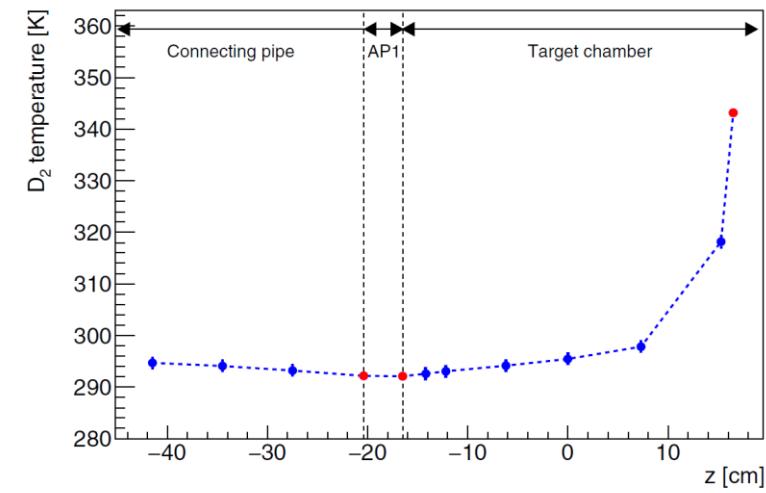
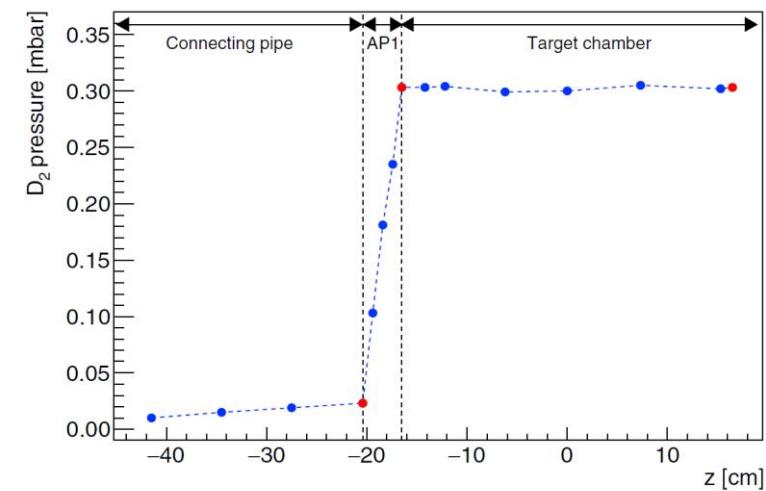
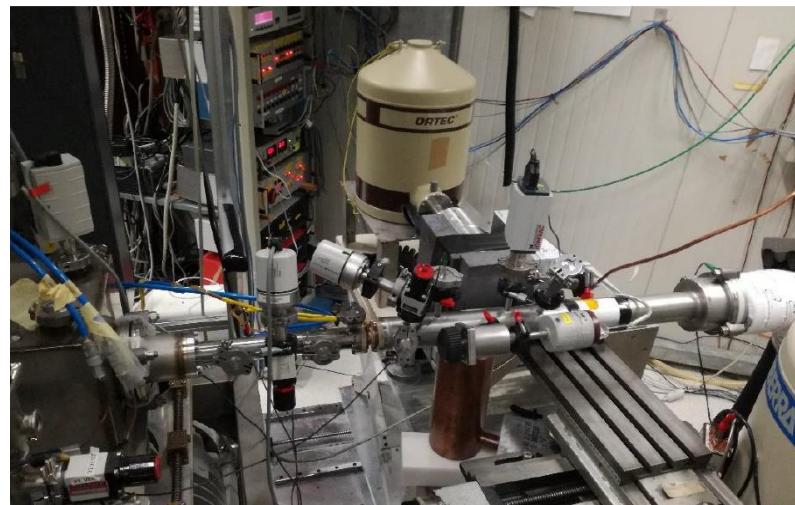
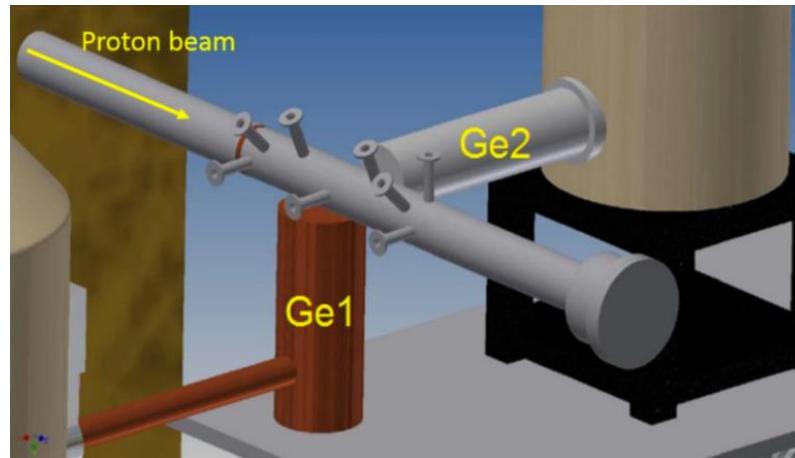
- T and P profiles  $\rightarrow$  density profile  $\rho(z)$
- HPGe detectors calibration
- calorimeter calibration
- efficiency profile  $\varepsilon(z, \gamma)$
- angular distribution effects  $W(z)$

# Gas target

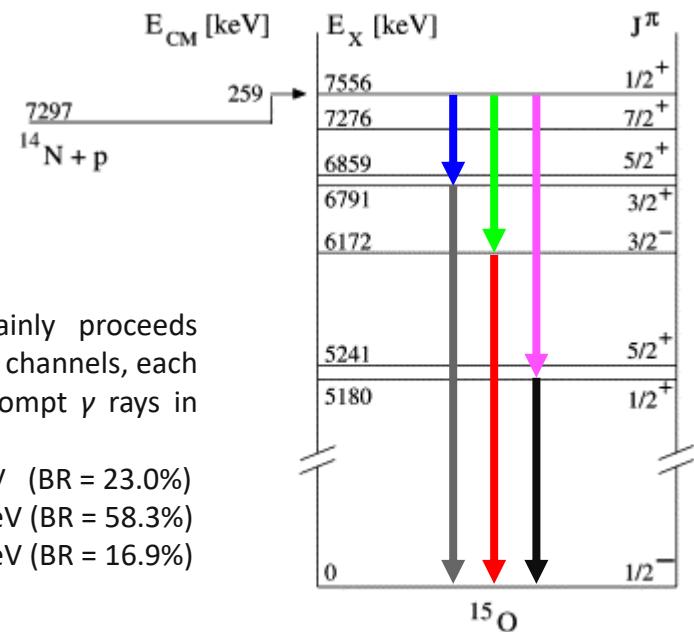
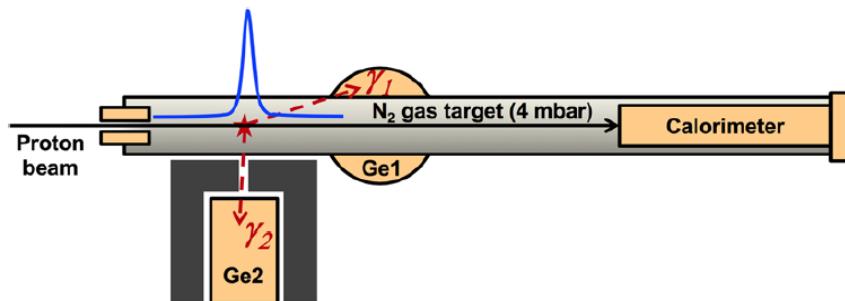


- Extended gas target
- 3 differential pumping stages (no entrance window)
- Gas recycling and purification
- Need to measure temperature and pressure profiles -> density profile

# Commissioning – P and T

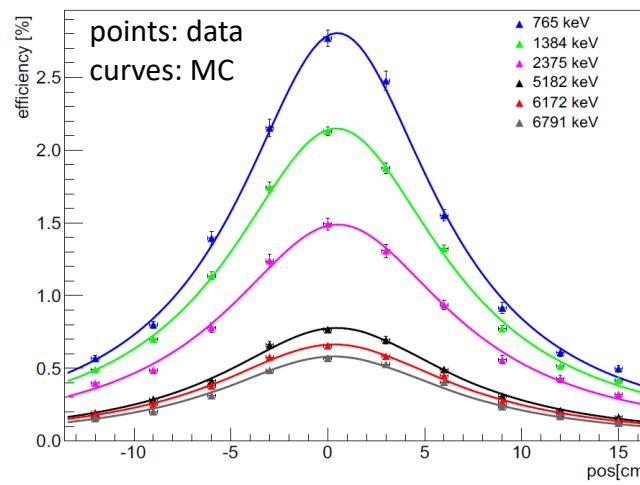


# Commissioning – efficiency



This reaction mainly proceeds through three exit channels, each producing two prompt  $\gamma$  rays in cascade:

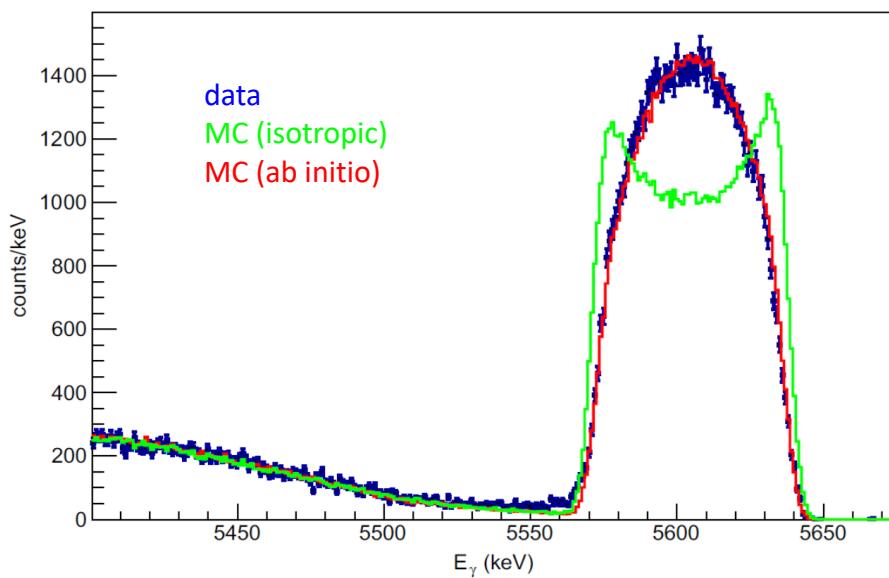
- (1) 765 + 6791 keV (BR = 23.0%)
- (2) 1384 + 6172 keV (BR = 58.3%)
- (3) 2375 + 5182 keV (BR = 16.9%)



$$\epsilon(z, E_\gamma) = \frac{N_{\gamma}^{Ge1}}{N_{\gamma}^{Ge2}} \frac{\epsilon_{pointlike}^{MC}}{\epsilon_{extended}^{MC}}$$

# Commissioning

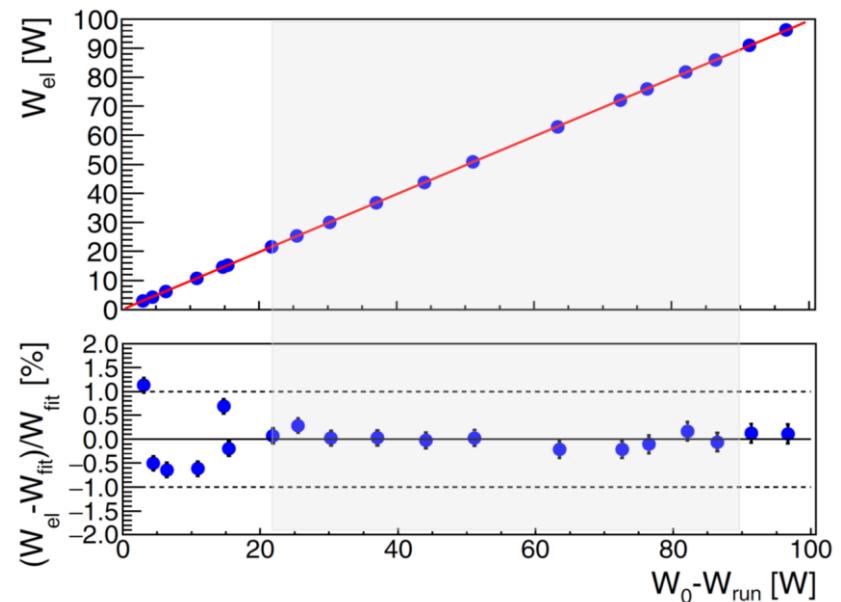
## Angular distribution



The full energy peak is broadened by kinematics, while its shape depends on the photon angular distribution

The impact of angular distribution on the error budget has been evaluated by MC simulations assuming both isotropic and ab initio distributions

## Current measurement



It is not possible to rely on electrical measurements of the beam current in a gas target

The beam current has been continuously measured with a power-compensation calorimeter calibrated in vacuum

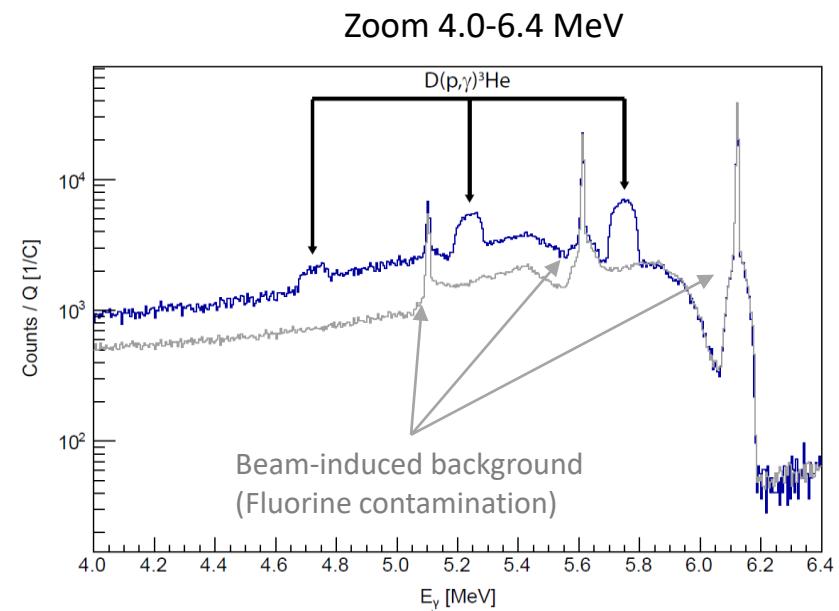
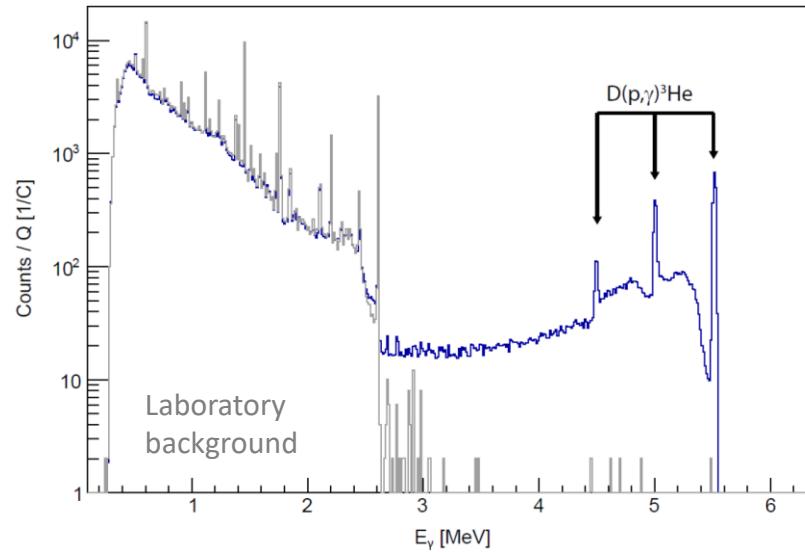
# Signal and Background

$E_p = 50 \text{ keV}$  with  $D_2$  gas target ( $P=0.3 \text{ mbar}$ )

$E_p = 50 \text{ keV}$  with  $^4\text{He}$  gas target ( $P=0.4 \text{ mbar}$ )

$E_p = 395 \text{ keV}$  with  $D_2$  gas target ( $P=0.3 \text{ mbar}$ )

$E_p = 395 \text{ keV}$  with  $^4\text{He}$  gas target ( $P=0.4 \text{ mbar}$ )



Counting statistical error: below 1% at all beam energies

Main source of background:  $^{19}\text{F}(p,\alpha\gamma)^{16}\text{O}$  above  $E_p=250 \text{ keV}$

# Uncertainty budget (systematics)

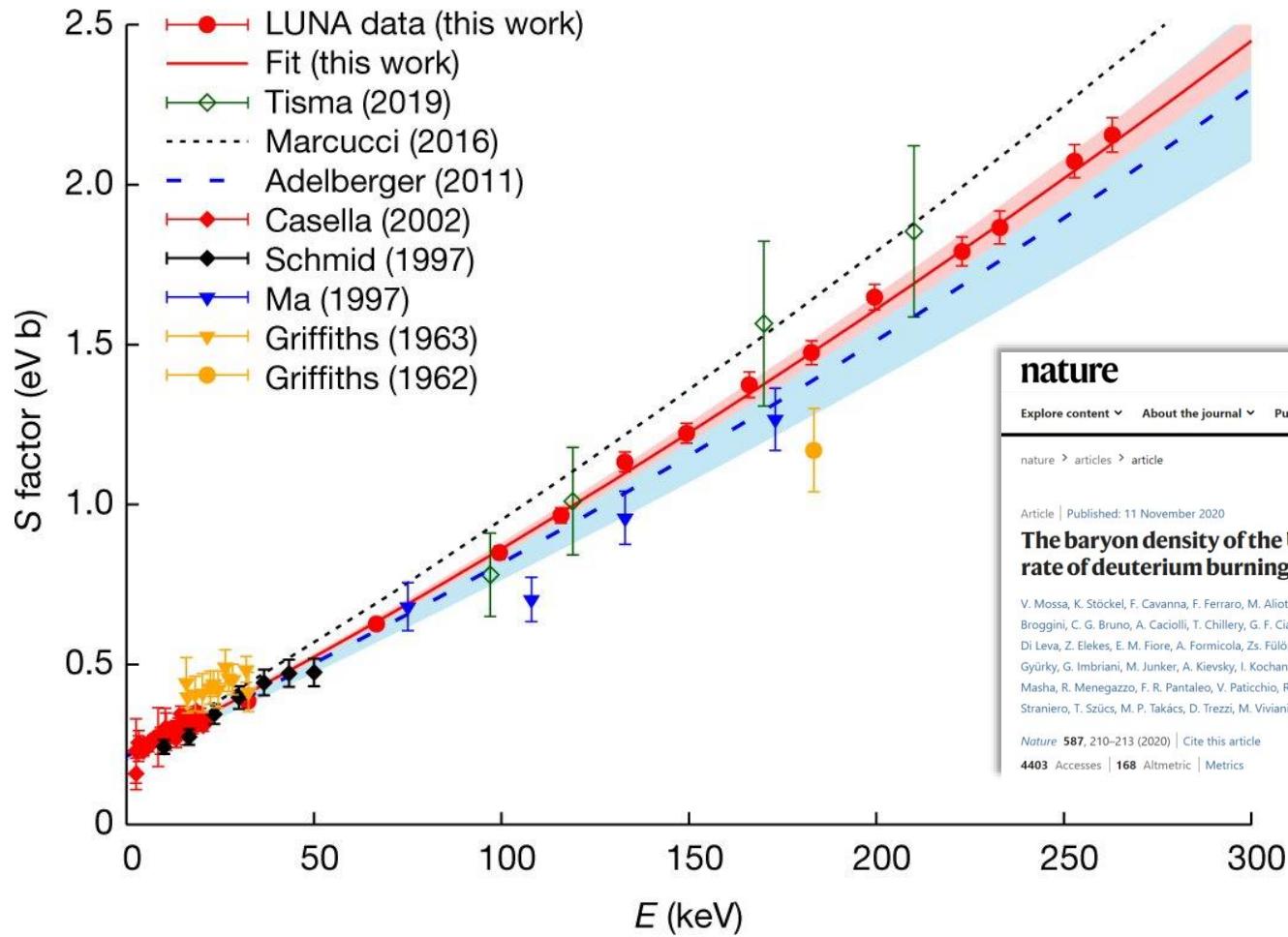
$$\sigma(E) = \frac{N_\gamma(E)}{N_p \int_0^L \rho(z) \varepsilon(z, \gamma) W(z) dz}$$

cross section  
 number of projectiles  
 density profile of the target  
 efficiency profile along the target  
 angular distribution  
 number of detected photons with energy  $E$

Source	Method	$\Delta S/S$
Beam energy	Direct measurement	$\ll 1\%$
Energy loss	Low pressure	$\ll 1\%$
T and P profiles	Direct measurement	1.0%
Beam heating	Direct measurement	0.5%
Gas purity	Data sheet	$\ll 1\%$
Beam current	Calorimeter calibration	1.0%
Efficiency	Direct measurement	2.0%
Instrumental effects	Pulser method	$\ll 1\%$
Angular distribution	Peak shape analysis	0.5%
Total		2.6%

very  
impressive!

# Results – S-factor



although the fit includes all experimental data, it is completely dominated by the new results by LUNA

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Article | Published: 11 November 2020

**The baryon density of the Universe from an improved rate of deuterium burning**

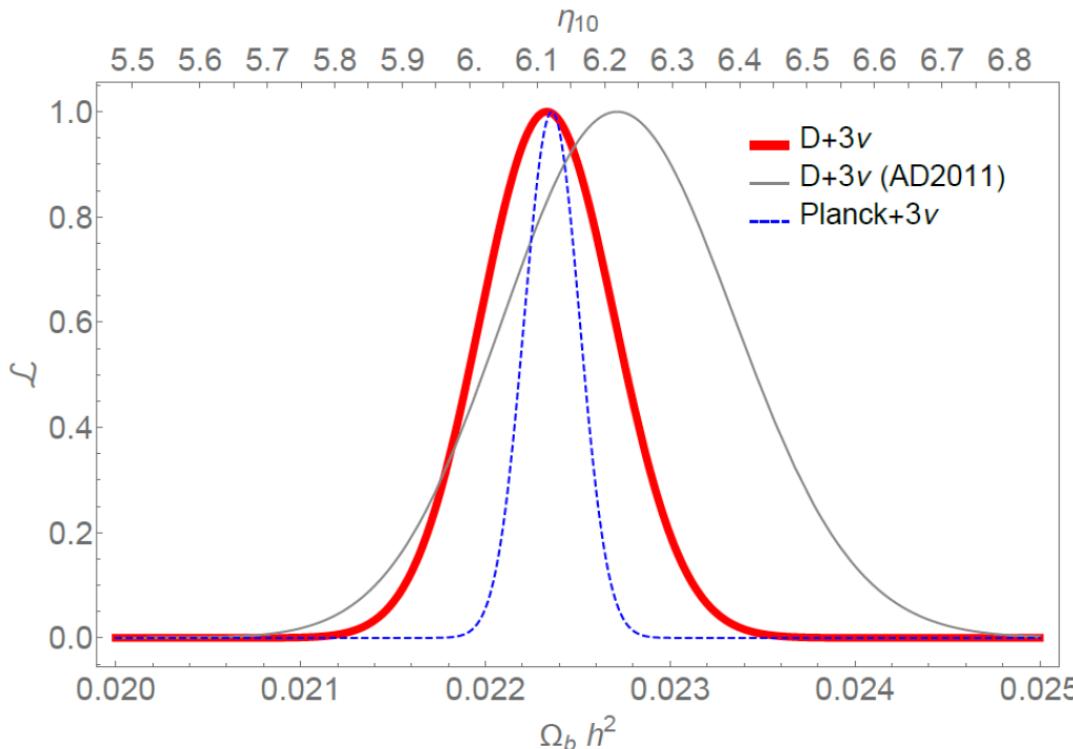
V. Mossa, K. Stöckel, F. Cavanna, F. Ferraro, M. Aliotta, F. Barile, D. Bemmerer, A. Best, A. Boeltzig, C. Broggini, C. G. Bruno, A. Cacioli, T. Chillary, G. F. Ciani, P. Corvisiero, L. Csedregi, T. Davinson, R. Depalo, A. Di Leva, Z. Elekes, E. M. Fiore, A. Formicola, Zs. Fülöp, G. Gervino, A. Guglielmetti, C. Gustavino✉, G. Gyürky, G. Imbriani, M. Junker, A. Kievsky, I. Kochanek, M. Lugaro, L. E. Marcucci, G. Mangano, P. Marigo, E. Masha, R. Menegazzo, F. R. Pantaleo, V. Paticchio, R. Perrino, D. Piatti, O. Pisanti, P. Prati, L. Schiavulli, O. Straniero, T. Szűcs, M. P. Takács, D. Trezzi, M. Viviani & S. Zavatarelli✉ -Show fewer authors

Nature 587, 210–213 (2020) | Cite this article  
4403 Accesses | 168 Altmetric | Metrics

# Results – $\Omega_b$

implications of LUNA measurements on BBN have been investigated by Ofelia Pisanti and Gianpiero Mangano

- Baryon density obtained with PARTENOPE code by comparing  $(D/H)_{OBS}$  and  $(D/H)_{BBN}$
- $N_{eff} = 3.045$ , fixed



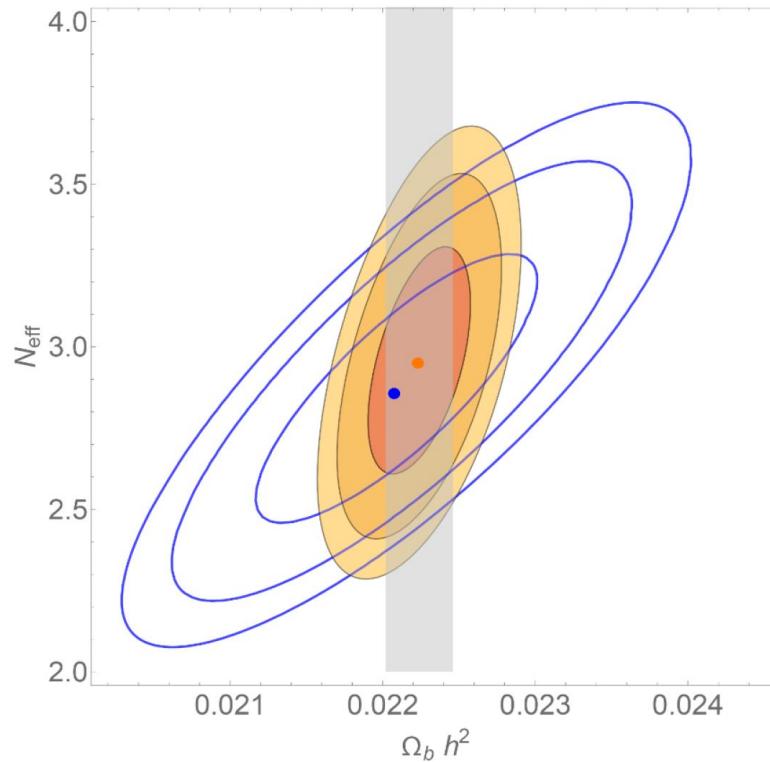
our result is consistent with **Planck** and is more accurate and precise than previous results based on preceding measurements

this new, independent determination of  $\Omega_b$  further supports the  $\Lambda$ CDM model

# Results – $N_{\text{eff}}$

To further probe the existence of physics beyond the  $\Lambda$ CDM model: likelihood analysis

- both  $\Omega_b$  and  $N_{\text{eff}}$  left as free parameters
- (D + CMB) case:  $(\text{D}/\text{H})_{\text{obs}}$ ,  $(\text{D}/\text{H})_{\text{BBN}}$ ,  $\Omega_b$  (from Planck, Gaussian distribution, grey band=68% CL)
- (D +  $Y_p$ ) case:  $(\text{D}/\text{H})_{\text{obs}}$ ,  $(\text{D}/\text{H})_{\text{BBN}}$ ,  $(Y_p)_{\text{obs}}$ ,  $(Y_p)_{\text{BBN}}$ ,  $\Omega_b$  completely free



$$N_{\text{eff}} = 2.95^{+0.61}_{-0.57}$$
$$N_{\text{eff}} = 2.86^{+0.75}_{-0.67}$$

No evidence of a sizeable amount of any hypothetical "dark radiation" (e.g. sterile neutrinos, hot axions, etc...)

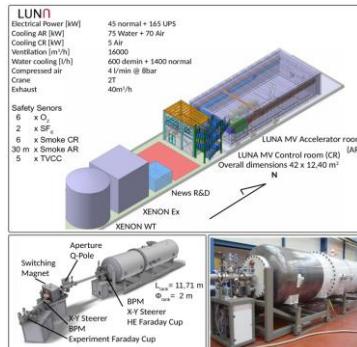
# Conclusions...

By measuring the  $D(p,\gamma)^3He$  reaction cross-section to an unprecedented precision of better than 3%, LUNA settled the most uncertain nuclear physics input to BBN calculations and substantially improved the reliability in the use of primordial abundances as probes of the physics of the early Universe

## ...and outlook

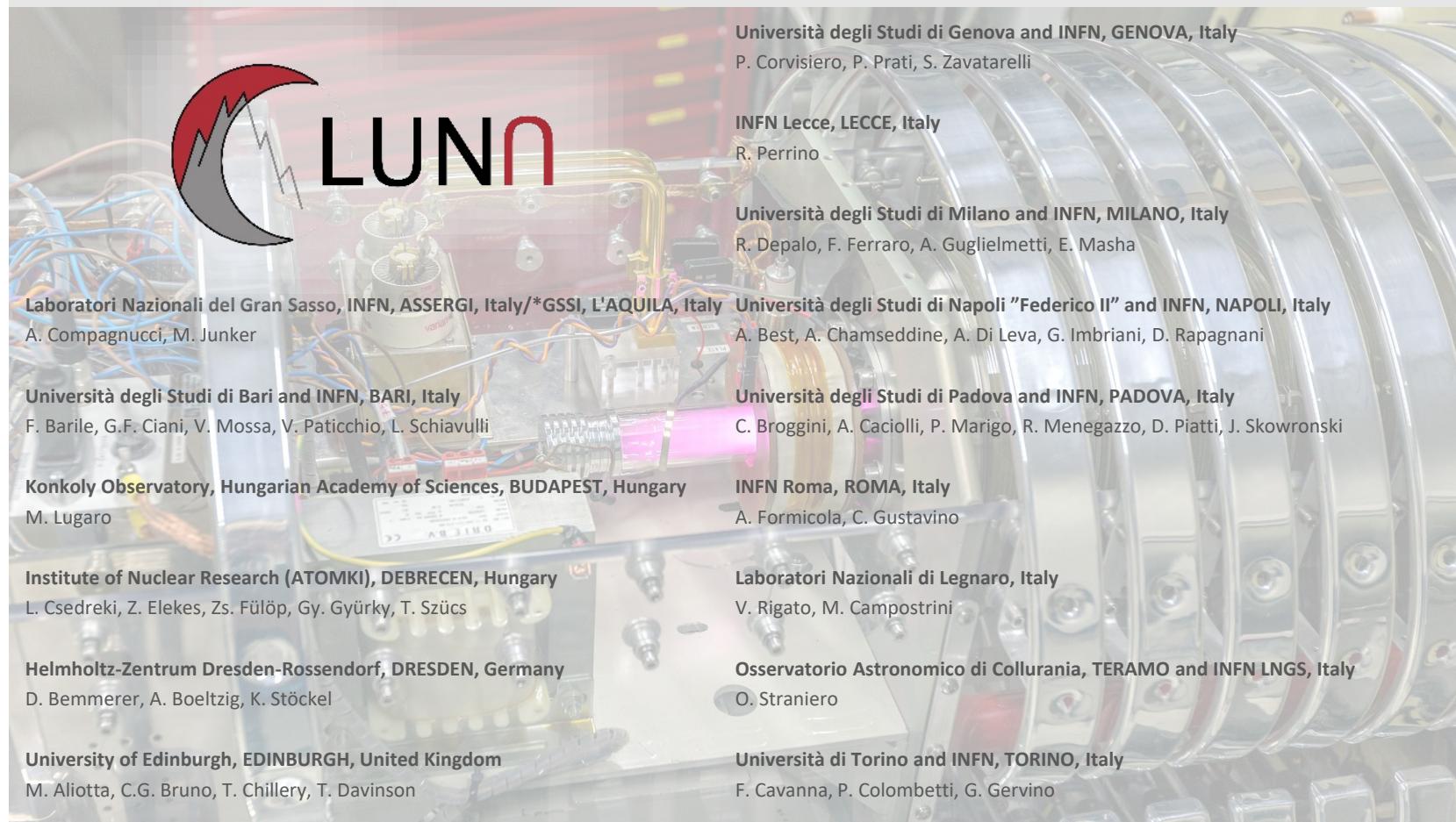
The future shines bright for LUNA!

- new 3.5 MV accelerator
- rich experimental program



Reaction	Reason of interest
$^{14}N(p,\gamma)^{15}O$	commissioning, Standard Solar Model
$^{12}C(\alpha,\gamma)^{16}O$	Helium burning
$^{13}C(\alpha,n)^{16}O$	n source for the main s-process (zirconium to bismuth)
$^{22}Ne(\alpha,n)^{25}Mg$	n source for the weak s-process (iron to zirconium)
$^{12}C + ^{12}C$	crucial reactions involved in Carbon burning

# Thank you for your attention!



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# Extras

# The Gamow peak

At a given temperature, the **average reaction rate per particle pair** depends both on the **relative velocity distribution** (i.e. the temperature) and the **cross section**:

$$\langle \sigma v \rangle = \left( \frac{8}{\pi \mu} \right)^{\frac{1}{2}} \left( \frac{1}{kT} \right)^{\frac{3}{2}} \int_0^{\infty} \frac{S(E)}{E} e^{-\sqrt{\frac{E_G}{E}}} E e^{-\frac{E}{kT}} dE \quad \Rightarrow$$

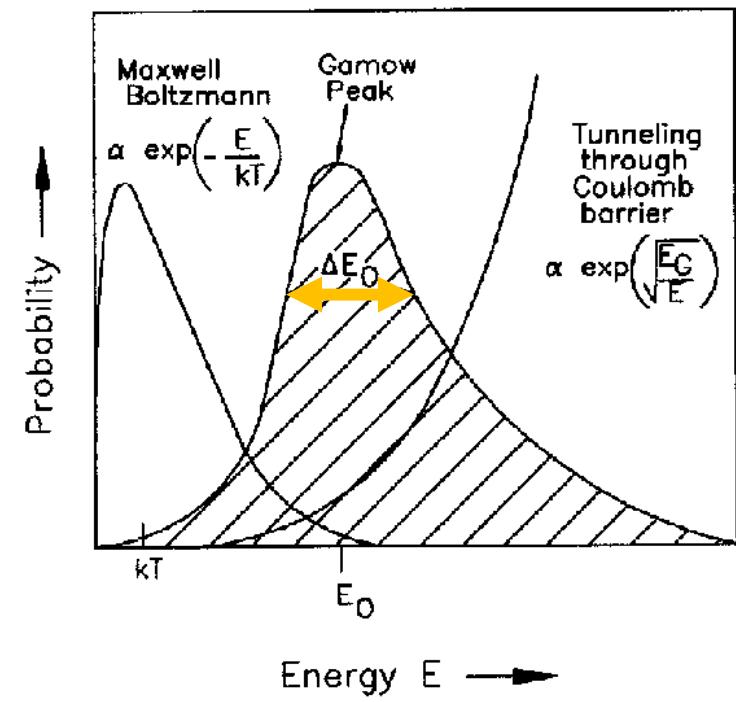
$\underbrace{\sigma(E) = \frac{S(E)}{E} e^{-2\pi\eta}}$

$$E_G = \left( \frac{1}{4\pi\epsilon_0} \frac{\sqrt{2\mu} e^2 Z_x Z_A}{\hbar} \pi \right)^2$$

$$E_0 = \left( \frac{\sqrt{E_G}}{2} kT \right)^{\frac{2}{3}}$$

$T_g$ (GK)	$E_0^{lab}$ (keV)
0.2	55
0.5	101
1	160
2	254
5	467

Reactions take place in a certain energy interval: the **Gamow window**



# Beam calorimeter

$$W_{cal} = W_0 - W_{run}$$

$$I_{beam} = \frac{p_0 + p_1 W_{cal}}{E_p - \Delta E_{target}} e$$

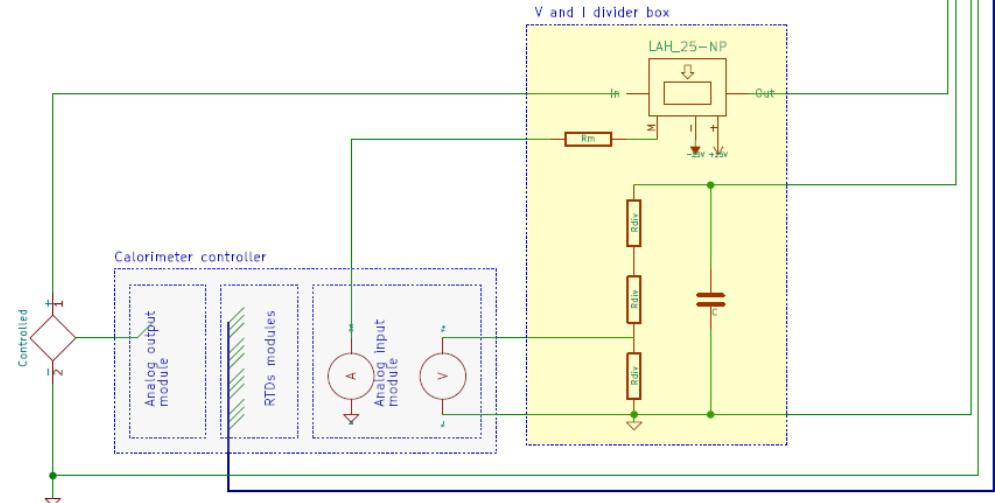
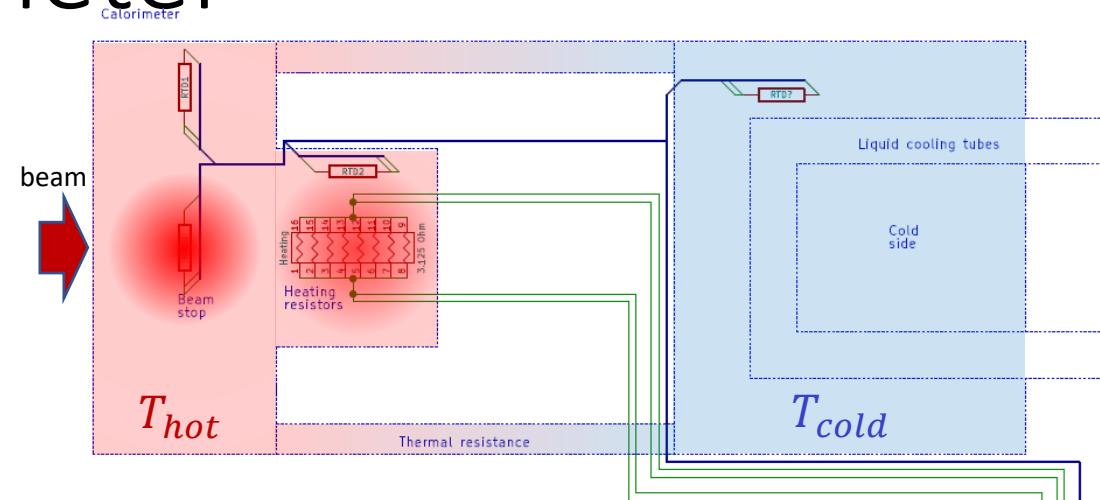
Power compensation calorimeter

Copper cylinder. Hot side, cold side, constant  $\Delta T$

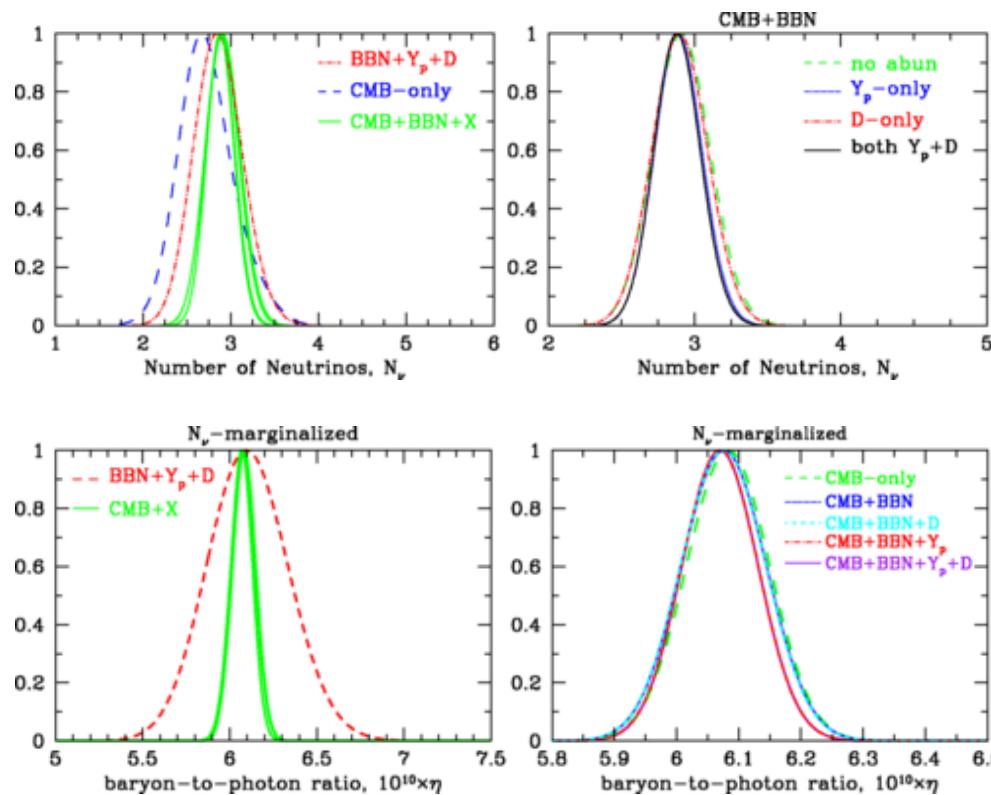
2 heat sources: beam and resistors

beam OFF – beam ON measurements to calculate the beam power  $W_{cal}$

Systematic uncertainty: 1%



# Impact of primordial abundances



Precise cross sections and BBN calculations can challenge or confirm the cosmological parameters inferred by CMB

R.H. Cyburt *et al.*, Rev. Mod. Phys. **88**, 015004 – Published 23 February 2016

# Future measurements

