Probing new physics at the LUXE experiment

Arka Santra on behalf of the LUXE Collaboration **Department of Particle Physics and Astrophysics Weizmann Institute of Science September 8, 2021 PANIC 2021 Conference**









Outline

- 1. Introduction to LUXE.
- 2. The LUXE Physics and Experimental Setup.
- 3. New Physics at the Optical Dump (NPOD).
- 4. Summary

More talks on LUXE: by Yan Benhammou and Shan Huang.

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LUXE CDR

Conceptual Design Report for the LUXE Experiment

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LUXE CDR: 2102.02032

LUXE NPOD paper

DESY 21-111

LUXE-NPOD: new physics searches with an optical dump at LUXE

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We propose a novel way to search for feebly interacting massive particles, exploiting two properties of systems involving collisions between high energy electrons and intense laser pulses. The first property is that the electron-intense-laser collision results in a large flux of hard photons, as the laser behaves effectively as a thick medium. The second property is that the emitted photons free-stream inside the laser and thus for them the laser behaves effectively as a very thin medium. Combining these two features implies that the electron-intense-laser collision is an apparatus which can efficiently convert UV electrons to a large flux of hard, co-linear photons. We further propose to direct this unique large and hard flux of photons onto a physical dump which in turn is capable of producing feebly interacting massive particles, in a region of parameters that has never been probed before. We denote this novel apparatus as "optical dump" or NPOD (new physics search with optical dump). The proposed LUXE experiment at Eu.XFEL has all the required basic ingredients of the above experimental concept. We discuss how this concept can be realized in practice by adding a detector after the last physical dump of the experiment to reconstruct the two-photon decay product of a new spin-0 particle. We show that even with a relatively short dump, the search can still be background free. Remarkably, even with a $40 \mathrm{\,TW}$ laser, which corresponds to the initial run, and definitely with a 350 TW laser, of the main run with one year of data taking, LUXE-NPOD will be able to probe uncharted territory of both models of pseudo-scalar and scalar fields, and in particular probe natural of scalar theories for masses above 100 MeV.

LUXE NPOD paper: <u>2107.13554</u>

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LUXE: tests of strong-field QED

♦ Schwinger critical field: $\epsilon_{\rm S} = m_e^2 c^3 / e\hbar \simeq 1.32 \cdot 10^{18} \, {\rm V/m}.$ Not achievable in terrestrial laboratories.



The probability to materialize one virtual e^+e^- pair from the vacuum: $P \sim \exp(-a - \frac{c_s}{c_s})$, a numeric constant, non-perturbative when $\epsilon \to \epsilon_s$

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\blacklozenge May use lasers — in certain rest frames the field of lasers can be enhanced by the system's boost.

1930s	-0	First discussions by Sauter, Heisenberg & Euler
1951	-0	First calculations by Schwinger: ϵ_S
1990s	-0	E144 at SLAC first to approach ϵ_S (reached $\epsilon \rightarrow \epsilon_S/4$
2020s	-0	LUXE: reach ϵ_S and beyond

Goal of LUXE experiment:

- \bullet Effort to reach ϵ_s and beyond
- Test basic predictions of novel Quantum Mechanics
- Search for BSM Physics enhanced by the strong field





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A Brief Idea about the LUXE physics Laser Und XFEL Experiment



More details about LUXE: The **Conceptual Design Report**





LUXE at the EU.XFEL



Floatrons	E_e up to 16.5 GeV , with $N_e = 1.5 \times 10^9 e^{-100}$ and a bunch charge up to 1.0 nC,
LIECTIONS	1/2700 bunches/train, ~1+9 Hz (collisions+background), spot r_{xy} =5 µm, l_z =24 µm
T	Ti-Sapphire, 800 nm, $40/350$ TW, up to ~10 J, ~10 Hz repetition, 60% losses
Laser	~30-200 fs pulse length, down to 3×3 μ m ² FWHM spot with up to <i>I</i> ~10 ²¹ W/cm ²



New Physics @ LUXE

Focus on axion-like-particles (ALP)

- Well motivated BSM scenario
 - The axions propose as a solution to strong CP problem.
 - If very light, it is a dark matter candidate.
 - Light ALPs arise in variety of models motivated by Goldstone theorem.
- Focussing on the Primakoff production
 - Displaced decay of ALPs to 2 hard photons
- Everything applies to scalar with:

•
$$a \to \phi, \tilde{F}_{\mu\nu} \to F_{\mu\nu}, i\gamma^5 \to 1$$

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•
$$N_a \approx \mathscr{L}_{\text{eff}} \int dE_{\gamma} \frac{dN_{\gamma}}{dE_{\gamma}} \sigma_a(E_{\gamma}, Z) \left(e^{-\frac{L_D}{L_a}} - e^{-\frac{L_V + L_D}{L_a}} \right) \mathscr{A}$$

 $*1/\omega_L \sim 0.4$ fs: good to use laser as a background field to a leading order. $*\tau_{ee} \sim \mathcal{O}(10^4 - 10^6)$ fs: treat the photons in the laser as free streaming. $*\tau_{\gamma} \sim \mathcal{O}(10)$ fs and $t_L \sim \mathcal{O}(20 - 120)$ fs.



Photon spectra for ALPs production

- Spectra of photons per initial electrons
 - Primary photons from the interaction point
 - Secondary photons from the shower in the dump
- For phase I, there are many photons per initial electron
 - ~3.5 photons for $E_{\gamma} > 0$ GeV
 - ~1.7 photons for $E_{\gamma} > 1$ GeV
- More photons if the electron beam is sent directly to the dump
 - More signal, but at the cost of much more background.





Background Estimation:

- SM particles produced in the dump during the shower
 - Charged particles: electrons, muons and hadrons.
 - Can be bent away from the detector surface by a magnetic field.
 - Fake photons: mostly neutrons.
 - Real photons: EM/hadronic interactions from the close to the end of the dump or from meson decay.

*Background estimated from the Geant4 simulation *Got 0 photons and 10 neutrons (with E > 0.5 GeV) in the 2 BX simulated for the 1 m long dump. *Photons can be statistically limited here. *Unfortunately simulation is computationally expensive.

* Way out: photon production is correlated with neutron production in hadronic processes

 \star The number of photons can be estimated from the photons to neutron ratio at the shorter dump where there are more number of photons. $\bigstar N_{\gamma} \sim N_n(L_D = 1m) \times R_{\gamma/n}(L_D < 1m)$



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Use of timing information



Signal and background particles take different time to travel the distance between the dump and the detector face.

 \bigstar Signal ALPs are faster than background neutrons/protons. \bigstar Trigger at t_0 (Eu.XFEL clock) and then open a short time window \star Most signal and background photons will arrive within $\Delta t \sim$ \bigstar Almost all hadrons will arrive after that. \bigstar Background rejection $\leq 10^{-3} - 10^{-4}$ from kinematics and timing. **★**Neutron to photon fake rate $\leq 10^{-3} - 10^{-4}$ \star Considering one year of data taking (10⁷s), the number of total background is < 1.

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/	Δl	/
).5	ns

	Background rejection ~[%]				Signal efficient for ma:1/A					
Δ <i>t</i> [ns]	γ	n	p	KL	130:1e-4	200:e-5	4			
0.1	57	99.9	99.9	87	99.6	84				
0.5	16	96	94	52	100	100				
1.0	0	80	70	13	100	100				







Summary

- LUXE is a new experiment with baseline plan of testing strong field QED.
 - Regions never been explored in a clean environment.
 - Plan to start taking data by 2024/2025.
- Search for new physics
 - Using optical dump feature of this experiment
 - Proposal is easily added to the experiment with essential background free search.
- The reach of LUXE is comparable with NA62 (with dedicated run) and FASER (end of HL-LHC).
 - LUXE reach in the mass 40 MeV to 350 MeV above $1/\Lambda > 10^{-6} \,\text{GeV}^{-1}$.

Setting the number of observed signal-like events to $N_a = 3$, the 95 % CL equivalent for background free search



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Back up

		2021		2022				2023					
		Q1	Q2	Q2	Q4	Q1	Q2	Q3	Q4	Q1	Q2	Q3	Q4
Beamline	Finalize design												
	Prepare installation												
	Infrastructure installation												
	Beamline installation												
	Commission beamline												
Laser	Clean room installation												
	Finalize design												
	install diagnostics												
	JETI 40 installation												
	JETI40 & diag. commission												
	350 TW laser installation												
	350 TW laser commission												
Detectors	Finalize design & prototyping												
	Construction & indiv. testing												
	Combined testing												
	Install & commission												
	upgrades installation (tbc)												
Commission													
Data taking	phase-0 e-laser/γ-laser												
	phase-I e-laser/y-laser												
									1				-

- Experiment must be installed by 2024 during the long shutdown of the Eu.XFEL

From Noam Tal Hod, WIS

LUXE Planning



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- Phase-I: the JETi40 40 TW laser loaned to LUXE by Helmholtz Institute Jena
- Phase-II: looking up towards a 350 TW $oldsymbol{O}$ laser with as small as $3 \times 3 \ \mu m^2$ spot size
- Challenge: exact knowledge of the $oldsymbol{O}$ intensity at the IP
 - with the laser being ~10's of meters $oldsymbol{O}$ away from it
 - and with a remote diagnostics system

Laser



Laser room







Laser diagnostics pulse energy $A \times \tau \leftarrow$ pulse spot size × duration

- Measure laser parameters to infer the intensity, I • can be indirect and direct, relative and absolute
- Small fluctuations in *I* lead to large rate fluctuations • air movement, vibrations, temp-drift, pump discharge variations, etc.
- The laser beam will be attenuated and imaged on the return path to the diagnostics 10s of meters away from the IP







MadGraph settings

- Generate this process: a nuc -> ax nuc where a is photon, nuc is the nucleus of the tungsten dump and ax is the ALP (a BSM pseudoscalar particle).
 - Primakoff production mechanism. lacksquare
 - The dump is stationary.
- The nuclear form factor was obtained from Iftah Galon and implemented in the model.
- The MadGraph generated output in the standard LHE file format.
 - Converted to root using ExRootConverter
- The root file contained these branches:
 - Particle four momentum, PDG, Status (incoming/outgoing) etc. ightarrow
- MadGraph does not smear the vertex position, so all collisions happen at z=0, t=0.
 - Moreover MadGraph decays ALP instantaneously so we have two photons in the final state. ullet
 - The 2 photons are produced at z=0 and hence we need to displace them according to the ALP's lifetime





Acceptance Calculation



- The distance of decay (r_{vtx}) for each ALP is obtained by randomly drawing a length from the decay length distribution of the ALP.
 - Decay length is obtained using $L_A = c \tau_A p_A / m_{ALP}$.
 - r_{vtx} : randomly drawing a number from exp(- L_A).
 - The direction is determined by the momentum of ALP.
- Once the \vec{r}_{vtx} is determined, photons are shifted to that position.
 - If $|\vec{r}_{vtx}|\cos(\theta_{ALP})$ is more than the dump length ($L_S = 1.0m$) and less than ($L_S + L_D = 3.5m$), then we proceed to next stage, other wise the event is rejected.
 - Given the opening angle of the photons and the distance still need to travel to detector, one checks if the photons are caught by the detector or not.
- If both the photons are caught by the detector (and E > 0.5 GeV), then that event is accepted.
 - If at least one photon has energy less than 0.5 GeV or/and at least one photon is outside geometric acceptance, the event is rejected.
- Acceptance \mathscr{A} = events with both photons passing the energy cut and geometric constraints/total number of events generated.



ALPs production

$$N_a \approx \mathscr{L}_{\text{eff}} \int dE_{\gamma} \frac{dN_{\gamma}}{dE_{\gamma}} \sigma_a(E_{\gamma}, Z) \left(e^{-\frac{L_D}{L_a}} - e^{-\frac{L_V + L_D}{L_a}} \right) \mathscr{A} \qquad \mathscr{L}_{\text{eff}} = N_e N_{\text{BX}} \frac{9\rho_W X_0}{7A_W m_0} \qquad P_a \approx 4$$

• $N_{\rho} = 1.5 \times 10^9$ is the number of electron per bunch and $N_{\rm BX}(=10^7)$ is the number of BXs assumed • E_{γ} is the incoming photon energy

- \mathscr{L}_{eff} is the effective luminosity, where ρ_W is the Tungsten density, A_W is its mass number and X_0 is its radiation length. $m_0 \sim 930$ MeV is the nucleon mass
- L_a is the ALP propagation length, where τ_a is its proper lifetime and p_a is its momentum
- $\sigma_a(E_{\gamma}, Z)$ is the Primakoff production cross section of the ALP in the dump
- \mathscr{A} is the angular acceptance times efficiency of the detector
- dN_{γ}/dE_{γ} is the differential photon flux per initial electron, includes photons from the electron-laser interaction, as well as secondary photons produced in the EM shower which develops in the dump
- $L_D = 1$ m is the dump's length. The dump is positioned ~13 m away from the electron-laser interaction region
- $L_V = 2.5$ m is the length of the decay volume
- The decay rate of the ALP into two photons is $\Gamma_{a\rightarrow}$

From Noam Tal Hod, WIS

$$_{\gamma\gamma} = m_a^3 / (64\pi \Lambda_a^2)$$







LUXE ALP reach:

- The line is drawn where LUXE expects at least 3 ALP events.
- Result coming from phase 1 incoming photon distribution.
- Yotam Soreq obtained the result analytically, I got the same result using simulation.





Particles from *e*/*y*-beam on 1m *W* dump Each simulation in the following is equivalent to about 2 BXs (i.e. 3e9 primary e's) Showing the number of particles - only those which arrive at the detector surface N/BX No E cut — No E cut 10⁵ E>0.5 GeV *E*>0.5 GeV **10**⁴ **XFEL** LUXE e-on-dump γ-on-dump 10³ 120.24 10² 100.2 E 42.5852 neutrons 20.475 13.65 neutrons 0361 975 403 10┢ .51102 00802 00601 5 25 0.52 0.5 Ē Ö e- e+ $v_e = v_e^{\mu} + v_{\mu} = v_{\mu}^{\pi} + n = n = p + K_{\mu}^{0} + K_{\mu}^{0}$ e- e+ $v_e = v_e + v_\mu = \mu + v_\mu = \pi + \pi + n = \mu + \kappa_1^0 + \kappa_2^0 + \kappa_$ photons photons



From Noam Tal Hod, WIS







Probability to get 2 real photons $\bullet P_{m_{\gamma}} = \frac{\lambda_{\gamma}^{m_{\gamma}} e^{-\lambda_{\gamma}}}{m_{\gamma}!}$

• $\lambda_{\gamma} = 0.013 \pm 0.004$ since the fit gives $R_{\gamma/n} = 0.0013 \pm 0.0002$ and since $N_n \simeq 10$, with $\lambda_{\gamma} = N_n R_{\gamma/n} \left[1 \pm \sqrt{\frac{1}{N_n} + \frac{\Delta^2 R_{\gamma/n}}{R_{\gamma/n}}} \right]$ (or in the e-on-dump case: $\lambda_{\gamma} \simeq 0.26 \pm 0.04$ for $R_{\gamma/n} \simeq 0.0062 \pm 0.0002$ and $N_n \simeq 42.6$) • $P_{2\gamma} = \frac{\lambda_{\gamma}^2 e^{-\lambda_{\gamma}}}{2!} \simeq 8.34 \times 10^{-5}$ (or in the e-on-dump case: 2.7×10^{-2})

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Probability to get 2 fake photons

•
$$P_{n \to \gamma} = f_{n \to \gamma}$$

• $\lambda_n = \lambda_n (1 \text{ m}) = 10$ (or in the e-on-dump case: $\lambda_n \simeq 42.6$)

•
$$P_{2n \to 2\gamma} = \sum_{m_n=2}^{\infty} \frac{\lambda_n^{m_n} e^{-\lambda_n}}{m_n!} C(2, m_n, P_{n \to \gamma})$$

•
$$P_{2n \to 2\gamma} = \sum_{m_n=2}^{\infty} \left(\frac{\lambda_n^{m_n} e^{-\lambda_n}}{m_n!} \right) \left(\frac{m_n!}{2!(m_n-2)!} P_{n \to \gamma}^2 \times (1-P_{n \to \gamma})^{m_n-2} \right) = \sum_{m_n=2}^{\infty} \frac{\lambda_n^{m_n} e^{-\lambda_n} \times P_{n \to \gamma}^2 \times (1-P_{n \to \gamma})^{m_n-2}}{2!(m_n-2)!}$$

$$P_{2n \to 2\gamma} = \frac{P_{n \to \gamma}^2 e^{-\lambda_n} \lambda_n^2}{2} \left(1 + \lambda_n (1 - P_{n \to \gamma}) + \frac{\lambda_n^2 (1 - P_{n \to \gamma})^2}{2!} + \dots \right) = \frac{P_{n \to \gamma}^2 e^{-\lambda_n} \lambda_n^2}{2} \left(\sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} \right) = \frac{P_{n \to \gamma}^2 e^{-\lambda_n} \lambda_n^2}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{P_{n \to \gamma}^2 e^{-\lambda_n} \lambda_n^2}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{2} \sum_{k=0}^{\infty} \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma})^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}))^k}{k!} = \frac{(\lambda_n (1 - P_{n \to \gamma}$$

•
$$P_{2n \to 2\gamma} = \frac{P_{n \to \gamma}^2 \lambda_n^2 e^{-\lambda_n} e^{\lambda_n (1 - P_{n \to \gamma})}}{2} = P_{n \to \gamma}^2 e^{-\lambda_n P_{n \to \gamma}} \frac{\lambda_n^2}{2} =$$

From Noam Tal Hod, WIS

 $50f_{n \to \gamma}^2 e^{-10f_{n \to \gamma}}$ (or in the e-on-dump case: $\frac{42.6^2}{2}f_{n \to \gamma}^2 e^{-42.6f_{n \to \gamma}}$)







Probability to get 1 real + 1 fake photons

• For photons: $\lambda_{\gamma} = 0.013 \pm 0.004$, $P_{m_{\gamma}} = \frac{\lambda_{\gamma}^{m_{\gamma}} e^{-\lambda_{\gamma}}}{m_{\gamma}!} \Rightarrow P_{1\gamma} = \lambda_{\gamma} e^{-\lambda_{\gamma}}$

For neutrons:
$$P_{n \to \gamma} = f_{n \to \gamma}, \quad \lambda_n = 10 \pm 2.3, \quad P_{1n \to 1\gamma} = \sum_{m_n=1}^{\infty} \frac{\lambda_n^{m_n} e^{-\lambda_n}}{m_n!} C(1, m_n, P_{n \to \gamma})$$

$$P_{1n \to 1\gamma} = \sum_{m_n=1}^{\infty} \left(\frac{\lambda_n^{m_n} e^{-\lambda_n}}{m_n!}\right) \left(\frac{m_n!}{1!(m_n-1)!} P_{n \to \gamma} \times (1-P_{n \to \gamma})^{m_n-1}\right) = \sum_{m_n=1}^{\infty} \frac{\lambda_n^{m_n} e^{-\lambda_n} \times P_{n \to \gamma} \times (1-P_{n \to \gamma})^{m_n-1}}{(m_n-1)!}$$

$$P_{1n \to 1\gamma} = P_{n \to \gamma} e^{-\lambda_n} \lambda_n \left(1 + \lambda_n (1-P_{n \to \gamma}) + \frac{\lambda_n^2 (1-P_{n \to \gamma})^2}{2!} + \dots\right) = P_{n \to \gamma} e^{-\lambda_n} \lambda_n \left(\sum_{k=0}^{\infty} \frac{(\lambda_n (1-P_{n \to \gamma}))^k}{k!}\right) = P_{n \to \gamma} e^{-\lambda_n} \lambda_n \sum_{k=0}^{\infty} \frac{(\lambda_n (1-P_{n \to \gamma}))^k}{k!}$$

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$$P_{n \to \gamma} = f_{n \to \gamma}$$
, $\lambda_n = 10 \pm 2.3$, $P_{1n \to 1\gamma} = \sum_{m_n=1}^{\infty} \frac{\lambda_n^{m_n} e^{-\lambda_n}}{m_n!} C(1, m_n, P_{n \to \gamma})$
 $P_{1n \to 1\gamma} = \sum_{m_n=1}^{\infty} \left(\frac{\lambda_n^{m_n} e^{-\lambda_n}}{m_n!}\right) \left(\frac{m_n!}{1!(m_n-1)!} P_{n \to \gamma} \times (1-P_{n \to \gamma})^{m_n-1}\right) = \sum_{m_n=1}^{\infty} \frac{\lambda_n^{m_n} e^{-\lambda_n} \times P_{n \to \gamma} \times (1-P_{n \to \gamma})^{m_n-1}}{(m_n-1)!}$
 $P_{1n \to 1\gamma} = P_{n \to \gamma} e^{-\lambda_n} \lambda_n \left(1 + \lambda_n (1-P_{n \to \gamma}) + \frac{\lambda_n^2 (1-P_{n \to \gamma})^2}{2!} + \dots\right) = P_{n \to \gamma} e^{-\lambda_n} \lambda_n \left(\sum_{k=0}^{\infty} \frac{(\lambda_n (1-P_{n \to \gamma}))^k}{k!}\right) = P_{n \to \gamma} e^{-\lambda_n} \lambda_n \sum_{k=0}^{\infty} \frac{(\lambda_n (1-P_{n \to \gamma}))^k}{k!}$

$$P_{1n \to 1\gamma} = P_{n \to \gamma} \lambda_n e^{-\lambda_n} e^{\lambda_n (1 - P_{n \to \gamma})} = P_{n \to \gamma} e^{-\lambda_n P_{n \to \gamma}} \lambda_n$$

• For one neutron and one photon: $P_{n+\gamma \to 2\gamma} = P_{1n \to 1\gamma} \cdot P_{1\gamma}$ (or in the e-on-dump case: $1.12f_{n\to\gamma}e^{-42.6f_{n\to\gamma}}$)

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$$_{\gamma} = \left(\lambda_{n} f_{n \to \gamma} e^{-\lambda_{n} f_{n \to \gamma}}\right) \cdot \left(\lambda_{\gamma} e^{-\lambda_{\gamma}}\right) \simeq 0.128 f_{n \to \gamma} e^{-10 f_{n \to \gamma}}$$







Background estimation

- Assuming
 - one year of running with $T \sim 10^7$ live seconds, i.e. recorded BXs $oldsymbol{O}$
 - rejection is $R_{\rm sel} \lesssim 10^{-3} 10^{-4}$ from kinematics & timing
 - neutron-to-photon fake rate is $f_{n \to \gamma} \lesssim 10^{-3} 10^{-4}$
- Number of bkg two-photon events is N_{bkg}
 - $bkg = 2\gamma$
 - $bkg = 2n \rightarrow 2\gamma$ (sub-dominant)
 - $bkg = \gamma + n \rightarrow 2\gamma$
- The probabilities are given by Poisson and Binomial laws:

$$P_{N_{\gamma}} = \frac{\mu_{\gamma}^{N_{\gamma}} e^{-\mu_{\gamma}}}{N_{\gamma}!} \qquad P_{N_n \to N_{\gamma}} = \sum_{k_n = N_n}^{\infty} \frac{\mu_n^{k_n} e^{-\mu_n}}{k_n!} \mathbf{B}(N_n, k_n, f_{n \to N_{\gamma}})$$

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$$_{\rm g} = P_{\rm bkg} R_{\rm sel} T_{\rm operation}$$

$$P_{n+\gamma \to 2\gamma} = P_{1n \to 1\gamma} \cdot P_{2\gamma}$$

Assumptions	Va
Т _{ор}	1E-
R _{sel}	5E
$f_{n \rightarrow \gamma}$	5E

Parameter	LUXE NPOD	Elec on c
R _{γ/n} (fit)	0.0013	0.0
μ _n (count)	9.8	4
μ _γ (extrap.)	0.013	0.

Max N _{bkg}	LUXE NPOD	Elect on d			
Ν _{2γ}	0.4	133			
N2n—→2γ	0.1	1.			
Nγ+n—→2γ	0.3	21			

 $N_{\rm bkg}^{\rm tot}$ < 1









Synchronisation & Trigger



Synchronisation of the XFEL:

- laser locking and RF re-sync
- LUXE's laser oscillator:

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