1. Higgs couplings in Extended Higgs sectors

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Multi-Higgs day @ LIP

11 June 2018

LHC - Two approaches to the research programme

<u>Goal</u> – Try to understand (some) of the outstanding problems in particle physics or just find a new particle

• You come up with a "great model"

A complete programme was devised to search for supersymmetry at the LHC

• You don't come up with a "great model"

- Perform ad-hoc extension of the SM with the goal (see above) and look for signals of the model at the LHC

LHC - Two approaches to the research programme

TWiki > LHCPhysics Web > LHCHXSWG > LHCHXSWG3 (2016-09-25, RompotisNikolaos)

LHC HXSWG for BSM Higgs (WG3)

LHCHXSWG3 is responsible to provide support and recommendations for BSM Higgs related issues.

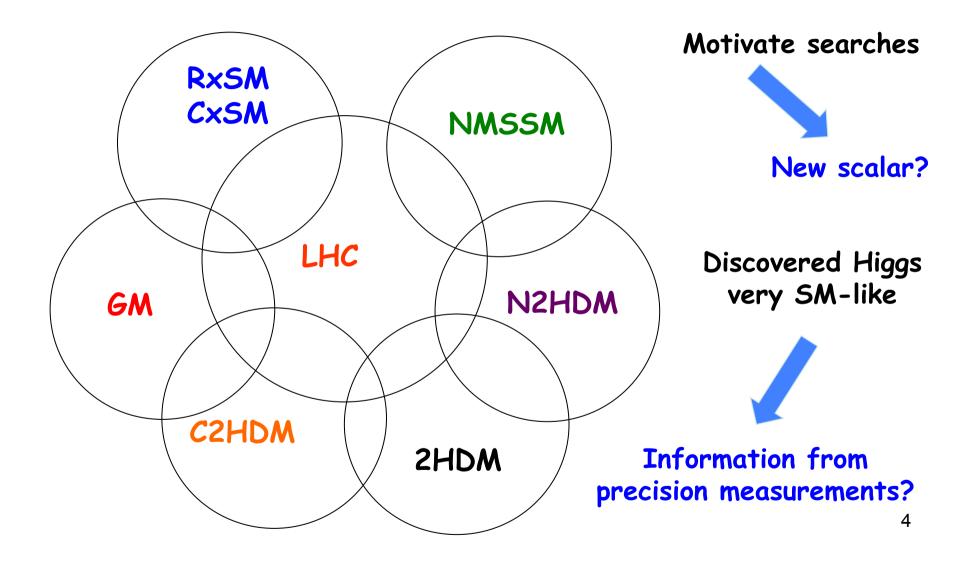
- ↓ LHC HXSWG for BSM Higgs (WG3)
- ↓ Group organization
- ↓ Svn repository and tools
- ↓ Meetings
- ↓ Mailing lists
- ↓ WG3 related documentation
- ↓ General documentation

Working Group 3: Sub-group - Extended Scalars

Interaction between experimentalists and theorists to look for signals of extended scalar sectors

<u>Yellow Report 4</u>: sets the stage for the searches in the LHC Run 2

BSM-EHS - What are they good for?



WHICH BSM MODELS SHOULD WE GO FOR?

Extensions of the scalar sector - some guiding principles

- Should contain a SM-like Higgs boson
- Electroweak ρ parameter should be close to 1

 $\rho_{exp} = 1.0004^{+0.0003}_{-0.0004}$

$$\rho = \frac{m_W^2}{m_Z^2 \cos^2 \theta_W} = \frac{\sum_i \left[4T_i \left(T_i + 1 \right) - Y_i^2 \right] |v_i|^2 c_i}{\sum_i 2Y_i^2 |v_i|^2}$$

- $T_i \quad SU(2)_L$ Isospin
- Y_i Hypercharge
- v_i vev
- $c_i = 1 (1/2)$ for complex (real) representations

$$Q = T_3 + Y / 2$$

Extensions of the scalar sector - some guiding principles

For the SM we have

$$T = 1/2; \quad Y = 1 \Longrightarrow \rho_{tree-level} = 1$$

One additional scalar field has to satisfy the relation

	T = 0; Y = 0	Singlet
$4T(T+1) = 3Y^2$	T = 1/2; Y = 1	Doublet
	T = 3; Y = 4	Septet

The simplest models that satisfy this relation are

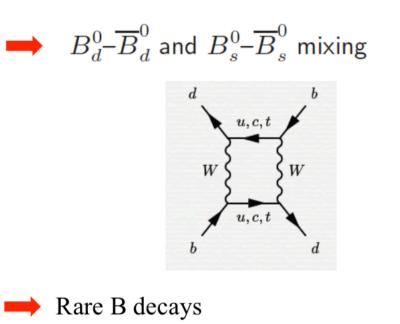
SM + any number of doublets + any number of neutral singlets

.

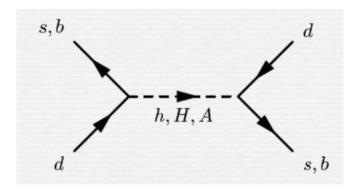
Other studied models fine-tuned to have $\rho{\approx}1$ include the SM + triplet

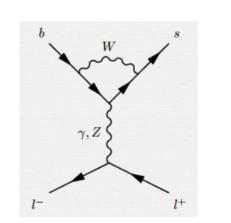
$$v_{\Delta} \ll v \implies \rho_{tree} = \frac{1 + 2v_{\Delta}^2 / v^2}{1 + 4v_{\Delta}^2 / v^2} \approx 1 - 2v_{\Delta}^2 / v^2$$
⁷

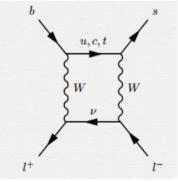
FCNC constraints in 2HDM

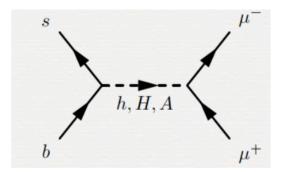


New tree-level FCNC diagrams









SM Yukawa Lagrangian

 $L_{Y} = \begin{bmatrix} \overline{U} & \overline{D} \end{bmatrix}_{L} \Phi Y_{d} D_{R} + \begin{bmatrix} \overline{U} & \overline{D} \end{bmatrix}_{L} \tilde{\Phi} Y_{u} U_{R} + \begin{bmatrix} \overline{N} & \overline{E} \end{bmatrix}_{L} \Phi Y_{e} E_{R} + h.c.$

where the gauge eigenstates are

$$U = \begin{bmatrix} u_g & c_g & t_g \end{bmatrix}; \quad D = \begin{bmatrix} d_g & s_g & b_g \end{bmatrix}; \quad N = \begin{bmatrix} v_e & v_\mu & v_\tau \end{bmatrix}; \quad E = \begin{bmatrix} e & \mu & \tau \end{bmatrix}$$

and Y are matrices in flavour space. To get the mass terms we just need the vacuum expectation values of the scalar fields

$$L_{Y}^{\text{mass}} = \frac{V}{\sqrt{2}} \overline{U}_{L} Y_{u} U_{R} + \frac{V}{\sqrt{2}} \overline{D}_{L} Y_{d} D_{R} + \frac{V}{\sqrt{2}} \overline{E}_{L} Y_{e} E_{R} + \text{h.c.}$$

which have to be diagonalised.

SM Yukawa Lagrangian

So we define

$$D_R \rightarrow N_R^{-1}D_R; D_L \rightarrow N_L^{-1}D_L; U_R \rightarrow K_R^{-1}U_R; U_L \rightarrow K_L^{-1}U_L$$

and the mass matrices are

$$-\frac{\mathbf{v}}{\sqrt{2}} \mathbf{N}_{\mathrm{L}}^{\dagger} \mathbf{Y}_{\mathrm{d}} \mathbf{N}_{\mathrm{R}} = \mathbf{M}_{\mathrm{d}}; \qquad -\frac{\mathbf{v}}{\sqrt{2}} \mathbf{K}_{\mathrm{L}}^{\dagger} \mathbf{Y}_{\mathrm{u}} \mathbf{K}_{\mathrm{R}} = \mathbf{M}_{\mathrm{u}}$$

and the interaction term is proportional to the mass term (just D terms)

$$L_{Y}^{\text{interactions}} = \frac{h}{\sqrt{2}} \overline{D}_{IJ} Y_{dI} D_{R} \propto \frac{V}{\sqrt{2}} \overline{D}_{II} Y_{dI} D_{R}$$

No scalar induced tree-level FCNCs

2HDM Yukawa Lagrangian

However in 2HDMs

$$\Phi_{1} = \begin{pmatrix} - \\ (h_{1} + v_{1})/\sqrt{2} \end{pmatrix}; \quad \Phi_{2} = \begin{pmatrix} - \\ (h_{2} + v_{2})/\sqrt{2} \end{pmatrix}$$

$$\begin{split} L_{Y}^{\text{mass}} &= \frac{\mathbf{v}_{1}}{\sqrt{2}} \ \overline{\mathbf{U}}_{L} \mathbf{Y}_{u}^{1} \mathbf{U}_{R} + \frac{\mathbf{v}_{1}}{\sqrt{2}} \ \overline{\mathbf{D}}_{L} \mathbf{Y}_{d}^{1} \mathbf{D}_{R} + \frac{\mathbf{v}_{2}}{\sqrt{2}} \ \overline{\mathbf{U}}_{L} \mathbf{Y}_{u}^{2} \mathbf{U}_{R} + \frac{\mathbf{v}_{2}}{\sqrt{2}} \ \overline{\mathbf{D}}_{L} \mathbf{Y}_{d}^{2} \mathbf{D}_{R} + \dots \\ &= \frac{1}{\sqrt{2}} \ \overline{\mathbf{U}}_{L} \left(\mathbf{v}_{1} \mathbf{Y}_{u}^{1} + \mathbf{v}_{2} \mathbf{Y}_{u}^{2} \right) \mathbf{U}_{R} + \frac{1}{\sqrt{2}} \ \overline{\mathbf{D}}_{L} \left(\mathbf{v}_{1} \mathbf{Y}_{d}^{1} + \mathbf{v}_{2} \mathbf{Y}_{d}^{2} \right) \mathbf{D}_{R} + \dots \end{split}$$

$$-\frac{1}{\sqrt{2}} N_{L}^{\dagger} \left(v_{1} Y_{d}^{1} + v_{2} Y_{d}^{2} \right) N_{R} = M_{d}; \qquad -\frac{1}{\sqrt{2}} K_{L}^{\dagger} \left(v_{1} Y_{u}^{1} + v_{2} Y_{u}^{2} \right) K_{R} = M_{u}$$

$$L_{Y}^{\text{interactions}} = \frac{h_{1}}{\sqrt{2}} \ \overline{U}_{L} Y_{u}^{1} U_{R} + \frac{h_{1}}{\sqrt{2}} \ \overline{D}_{L} Y_{d}^{1} D_{R} + \frac{h_{2}}{\sqrt{2}} \ \overline{U}_{L} Y_{u}^{2} U_{R} + \frac{h_{2}}{\sqrt{2}} \ \overline{D}_{L} Y_{d}^{2} D_{R} + \dots$$
$$= \frac{h}{\sqrt{2}} \ \overline{U}_{L} \left(\cos \alpha Y_{u}^{1} + \sin \alpha Y_{u}^{2} \right) U_{R} + \frac{H}{\sqrt{2}} \ \overline{D}_{L} \left(-\sin \alpha Y_{d}^{1} + \cos \alpha Y_{d}^{2} \right) D_{R} + \dots$$

h, H are the mass eigenstates (a is the rotation angle in the CP-even sector)

2HDM Yukawa Lagrangian

How can we avoid large tree-level FCNCs?

1. **Fine tuning** - for some reason the parameters that give rise to tree-level FCNC are small

Example: Type III models CHENG, SHER (1987)

2. Flavour alignment - for some reason we are able to diagonalise simultaneously both the mass term and the interaction term

Example: Aligned models PICH, TUZON (2009)

$$Y_d^2 \propto Y_d^1$$
 (for down type)

2HDM Yukawa Lagrangian

- 3. Use symmetries- for some reason the L is invariant under some symmetry
 - 3.1 Naturally small tree-level FCNCs

Example: BGL Models BRANCO, GRIMUS, LAVOURA (2009)

3.2 No tree-level FCNCs

 $\underline{\text{Example}: \text{Type I 2HDM} \quad Z_2 \text{ symmetries} } \qquad \begin{array}{l} \text{GLASHOW, Weinberg; Paschos (1977)} \\ \text{Barger, Hewett, Phillips (1990)} \end{array} \\ L_Y = \sum_i \begin{bmatrix} \overline{U} & \overline{D} \end{bmatrix}_L \Phi_i Y_d^i D_R + \begin{bmatrix} \overline{U} & \overline{D} \end{bmatrix}_L \tilde{\Phi}_i Y_u^i U_R + \begin{bmatrix} \overline{N} & \overline{E} \end{bmatrix}_L \Phi_i Y_e^i E_R + \text{h.c.} \\ \Phi_1 \rightarrow \Phi_1; \Phi_2 \rightarrow -\Phi_2 \qquad D_R \rightarrow -D_R; E_R \rightarrow -E_R; U_R \rightarrow -U_R \\ L_Y^I = \begin{bmatrix} \overline{U} & \overline{D} \end{bmatrix}_L \Phi_2 Y_d^2 D_R + \begin{bmatrix} \overline{U} & \overline{D} \end{bmatrix}_L \tilde{\Phi}_2 Y_u^2 U_R + \begin{bmatrix} \overline{N} & \overline{E} \end{bmatrix}_L \Phi_2 Y_e^2 E_R + \text{h.c.} \end{array}$

NOW, WHAT ARE THEY GOOD FOR?

Extended scalars programme: SM + singlets/doublets/triplet or combinations thereof. <u>But what about the physics?</u>

Singlets and 2HDMs as benchmark models

- 1. 2HDM Inert and Singlet Dark matter candidate;
- 2. 2HDM and singlet Could help explain baryon asymmetry;
- 3. 2HDM and singlet Improve stability of the SM at high energies;
- 4. 2HDM Rich phenomenology (charged scalars in 2HDM);
- 5. 2HDM fermiophobic Decoupling from fermions (heavy scalars);
- 6. 2HDM Wrong sign limit (Yukawas) and non-decoupling effects;
- 7. C2HDM Large pseudo-scalar components in Yukawa couplings;
- 8. C2HDM Probe CP-violation in a combination of 3 scalar decays;
- 9. 2HDM BGL Controlled flavour changing neutral currents... and more

Working Group 3: Sub-group - Neutral Extended Scalars

1. <u>Motivate searches at the LHC</u> - Look for new scalars (new signatures?) in simple extensions of the scalar sector - benchmark models for searches.

2. <u>Precision</u> - H₁₂₅ couplings measurements (sure-fire investment)

a) How efficiently can the parameter space of these simple extensions be constrained through measurements of the Higgs properties?
b) How SM-like is the SM-like Higgs?
c) What are higher order EW corrections (of extended models) good for?

3. <u>Distinguishing models</u> - Can the LHC Higgs phenomenology and in particular signal rates and coupling measurements be used to distinguish models with extended Higgs sectors? Needs new physics <u>but</u> it can also be a guide for signature motivated searches.

<u>Yellow Report 4</u>: benchmarks proposed in many different extensions, for the LHC Run 2 16

arXiv:1610.07922v1

1. Motivate searches - Benchmark models used by ATLAS and CMS

- Real Singlet Extension of the SM (one extra real singlet) $R \times SM$ Scalar sector - 2 CP-even neutral scalars (broken phase) $SM+complex singlet - C \times SM$
- Next-to-Minimal 2HDM (Real one extra doublet) N2HDM

Scalar sector - 3 CP-even and 1 CP-odd neutral scalars plus 2 charged scalars

Very minimal versions, CP-conserving and no FCNC (discrete symmetries). Both 2HDM and N2HDM come in 4 types.

... and others like Georgi-Machacek model (two extra SU(2)_L triplet scalars) – GM Scalar sector – 3 CP-even, 4 charged scalars and 2 doubly charged scalars

Models

The CxSM (or RxSM) - Singlet

SM plus $\mathbb{S} = (S + iA)/\sqrt{2}$,

 $V = \frac{m^2}{2}H^{\dagger}H + \frac{\lambda}{4}(H^{\dagger}H)^2 + \frac{\delta_2}{2}H^{\dagger}H|\mathbb{S}|^2 + \frac{b_2}{2}|\mathbb{S}|^2 + \frac{d_2}{4}|\mathbb{S}|^4 + \left(\frac{b_1}{4}\mathbb{S}^2 + a_1\mathbb{S} + c.c.\right)$

soft breaking terms

Model	Phase	VEVs at global minimum
$\mathbb{U}(1)$	Higgs+2 degenerate dark	$\langle \mathbb{S} angle = 0$
	$2 \operatorname{mixed} + 1 \operatorname{Goldstone}$	$\langle A \rangle = 0 \ (\mathbb{M}(1) \to \mathbb{Z}_2')$
$\mathbb{Z}_2 imes \mathbb{Z}'_2$	Higgs + 2 dark	$\langle \mathbb{S} angle = 0$
	$2 \operatorname{mixed} + 1 \operatorname{dark}$	$\langle A \rangle = 0 \ (\mathbb{Z}_2 \times \mathbb{Z}'_2 \to \mathbb{Z}'_2)$
\mathbb{Z}_2'	$2 \operatorname{mixed} + 1 \operatorname{dark}$	$\langle A \rangle = 0$
	3 mixed	$\langle \mathbb{S} \rangle \neq 0 \ (\mathbb{Z}_2')$

 $S \rightarrow S^* \Rightarrow A \rightarrow -A$

The CxSM

SM plus $\mathbb{S} = (S + iA)/\sqrt{2}$, with residual \mathbb{Z}_2 symmetry $A \to -A$

Z₂ phase ($v_S \neq 0, v_A = 0$): 2 Higgs mix + 1 dark

$$\begin{pmatrix} h_1 \\ h_2 \\ h_{DM} \end{pmatrix} = \begin{pmatrix} \cos \alpha & -\sin \alpha & 0 \\ \sin \alpha & \cos \alpha & 0 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} h \\ s \\ A \end{pmatrix}$$

■ \mathbb{Z}_2 phase ($v_S \neq 0, v_A \neq 0$): 3 Higgs mix

$$\begin{pmatrix} h_1 \\ h_2 \\ h_3 \end{pmatrix} = \begin{pmatrix} R_{1h} & R_{1S} & R_{1A} \\ R_{2h} & R_{2S} & R_{2A} \\ R_{3h} & R_{3S} & R_{3A} \end{pmatrix} \begin{pmatrix} h \\ s \\ a \end{pmatrix}$$

Once a scalar is chosen to be the 125 GeV all couplings to other SM particles are modified by the same factor R_{ih}!

Softly broken Z₂ symmetric Higgs potential

$$V(\Phi_{1}, \Phi_{2}) = m_{1}^{2} \Phi_{1}^{+} \Phi_{1} + m_{2}^{2} \Phi_{2}^{+} \Phi_{2} - \left(m_{12}^{2} \Phi_{1}^{+} \Phi_{2} + \text{h.c.}\right) + \frac{\lambda_{1}}{2} \left(\Phi_{1}^{+} \Phi_{1}\right)^{2} + \frac{\lambda_{2}}{2} \left(\Phi_{2}^{+} \Phi_{2}\right)^{2} + \lambda_{3} \left(\Phi_{1}^{+} \Phi_{1}\right) \left(\Phi_{2}^{+} \Phi_{2}\right) + \lambda_{4} \left(\Phi_{1}^{+} \Phi_{2}\right) \left(\Phi_{2}^{+} \Phi_{1}\right) + \frac{\lambda_{5}}{2} \left[\left(\Phi_{1}^{+} \Phi_{2}\right)^{2} + \text{h.c.}\right]$$

and CP is not spontaneously broken

$$\langle \Phi_1 \rangle = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v_1 \end{pmatrix}; \langle \Phi_2 \rangle = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v_2 \end{pmatrix}$$

- m_{12}^2 and λ_5 real potential is CP-conserving (2HDM)
- m_{12}^2 and λ_5 complex potential is explicitly CP-violating (C2HDM)

Inert 2HDM
$$V(\Phi_1, \Phi_2)/. m_{12}^2 \rightarrow 0 \langle \Phi_1 \rangle = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v \end{pmatrix}; \langle \Phi_2 \rangle = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ 0 \end{pmatrix}$$
 21

The N2HDM

$$\begin{split} \Phi_1 &\to \Phi_1 \;, \quad \Phi_2 \to -\Phi_2 \;, \quad \Phi_S \to \Phi_S & \text{Explicitly broken} \\ \Phi_1 &\to \Phi_1 \;, \quad \Phi_2 \to \Phi_2 \;, \quad \Phi_S \to -\Phi_S & \text{Spontaneously broken} \\ \\ V &= m_{11}^2 |\Phi_1|^2 + m_{22}^2 |\Phi_2|^2 - m_{12}^2 (\Phi_1^{\dagger} \Phi_2 + h.c.) + \frac{\lambda_1}{2} (\Phi_1^{\dagger} \Phi_1)^2 + \frac{\lambda_2}{2} (\Phi_2^{\dagger} \Phi_2)^2 \\ &\quad +\lambda_3 (\Phi_1^{\dagger} \Phi_1) (\Phi_2^{\dagger} \Phi_2) + \lambda_4 (\Phi_1^{\dagger} \Phi_2) (\Phi_2^{\dagger} \Phi_1) + \frac{\lambda_5}{2} [(\Phi_1^{\dagger} \Phi_2)^2 + h.c.] \\ &\quad + \frac{1}{2} u_S^2 \Phi_S^2 + \frac{\lambda_6}{8} \Phi_S^4 + \frac{\lambda_7}{2} (\Phi_1^{\dagger} \Phi_1) \Phi_S^2 + \frac{\lambda_8}{2} (\Phi_2^{\dagger} \Phi_2) \Phi_S^2 \;. \end{split}$$

$$\Phi_1 = \begin{pmatrix} \phi_1^+ \\ \frac{1}{\sqrt{2}}(v_1 + \rho_1 + i\eta_1) \end{pmatrix}, \quad \Phi_2 = \begin{pmatrix} \phi_2^+ \\ \frac{1}{\sqrt{2}}(v_2 + \rho_2 + i\eta_2) \end{pmatrix}, \quad \Phi_S = v_S + \rho_S, \qquad \tan \beta = \frac{v_2}{v_1}$$

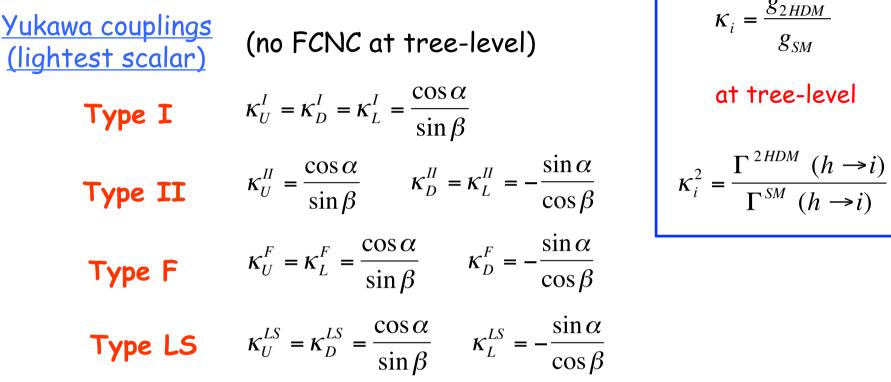
$$R = \begin{pmatrix} c_{\alpha_{1}}c_{\alpha_{2}} & s_{\alpha_{1}}c_{\alpha_{2}} & s_{\alpha_{2}} \\ -(c_{\alpha_{1}}s_{\alpha_{2}}s_{\alpha_{3}} + s_{\alpha_{1}}c_{\alpha_{3}}) & c_{\alpha_{1}}c_{\alpha_{3}} - s_{\alpha_{1}}s_{\alpha_{2}}s_{\alpha_{3}} & c_{\alpha_{2}}s_{\alpha_{3}} \\ -c_{\alpha_{1}}s_{\alpha_{2}}c_{\alpha_{3}} + s_{\alpha_{1}}s_{\alpha_{3}} & -(c_{\alpha_{1}}s_{\alpha_{3}} + s_{\alpha_{1}}s_{\alpha_{2}}c_{\alpha_{3}}) & c_{\alpha_{2}}c_{\alpha_{3}} \end{pmatrix} \begin{pmatrix} H_{1} \\ H_{2} \\ H_{3} \end{pmatrix} = R \begin{pmatrix} \rho_{1} \\ \rho_{2} \\ \rho_{S} \end{pmatrix}$$

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Couplings

Lightest Higgs couplings to gauge bosons

Lightest Higgs Yukawa couplings

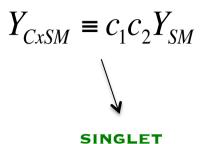


 $\kappa_i = \frac{g_{2HDM}}{g_{SM}}$ at tree-level

III = I' = Y = Flipped = 4... IV = II' = X = Lepton Specific= 3...

Lightest Higgs Yukawa couplings

Type I $\kappa_U^I = \kappa_D^I = \kappa_L^I = \frac{\cos \alpha}{\sin \beta}$ Type II $\kappa_U^{II} = \frac{\cos \alpha}{\sin \beta}$ $\kappa_D^{II} = \kappa_L^{II} = -\frac{\sin \alpha}{\cos \beta}$ Type F/Y $\kappa_U^F = \kappa_L^F = \frac{\cos \alpha}{\sin \beta}$ $\kappa_D^F = -\frac{\sin \alpha}{\cos \beta}$ Type LS/X $\kappa_U^{LS} = \kappa_D^{LS} = \frac{\cos \alpha}{\sin \beta}$ $\kappa_L^{LS} = -\frac{\sin \alpha}{\cos \beta}$



EXTENSION

$$\begin{split} Y_{N2HDM} &\equiv c_2 Y_{2HDM} \end{split} \text{CP-conserving N2HDM} \\ Y_{C2HDM} &\equiv c_2 Y_{2HDM} \pm i\gamma_5 s_2 \begin{cases} t_\beta \\ 1/t_\beta \end{cases} = Y_{N2HDM} \pm i\gamma_5 s_2 \begin{cases} t_\beta \\ 1/t_\beta \end{cases} \text{CP-violating} \\ 1/t_\beta \end{cases} \end{split}$$

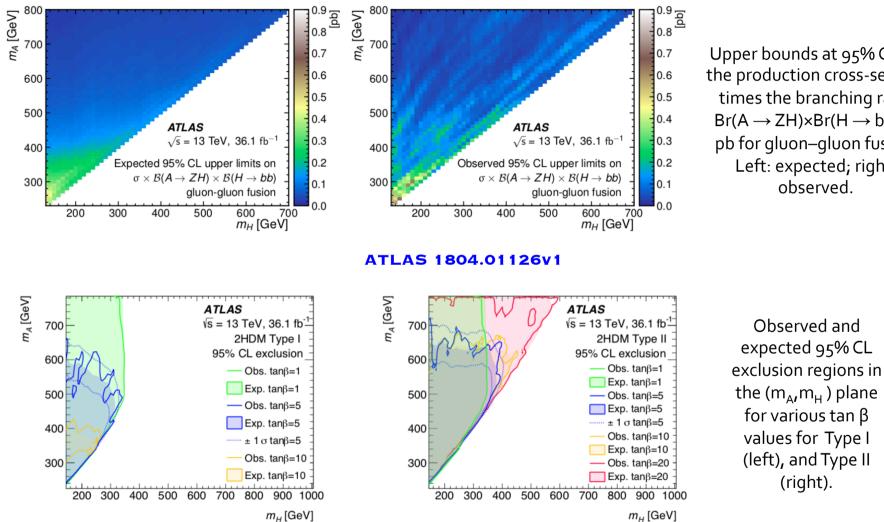
when $s_2 \rightarrow 0$

$$Y_{C2HDM} \equiv Y_{N2HDM} \equiv Y_{2HDM}$$

Independent of the Yukawa type ²⁶

2HDM

The 2HDM (CP-conserving and no tree-level FCNC)

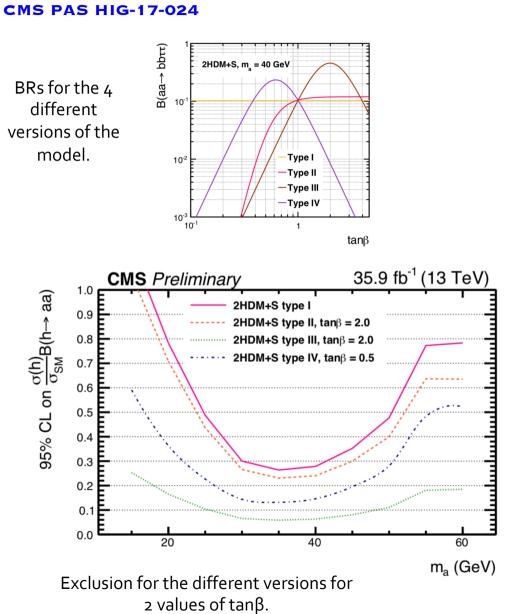


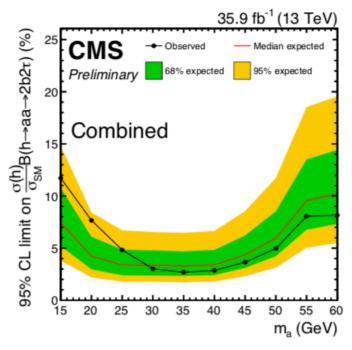
Upper bounds at 95% CL on the production cross-section times the branching ratio $Br(A \rightarrow ZH) \times Br(H \rightarrow bb)$ in pb for gluon-gluon fusion. Left: expected; right: observed.

(right).

Assumptions: alignent, lightest Higgs 125 GeV, $m_{H_{2}} = m_{\Delta}$, U(1) symmetry (fixes m_{12}^{2}).

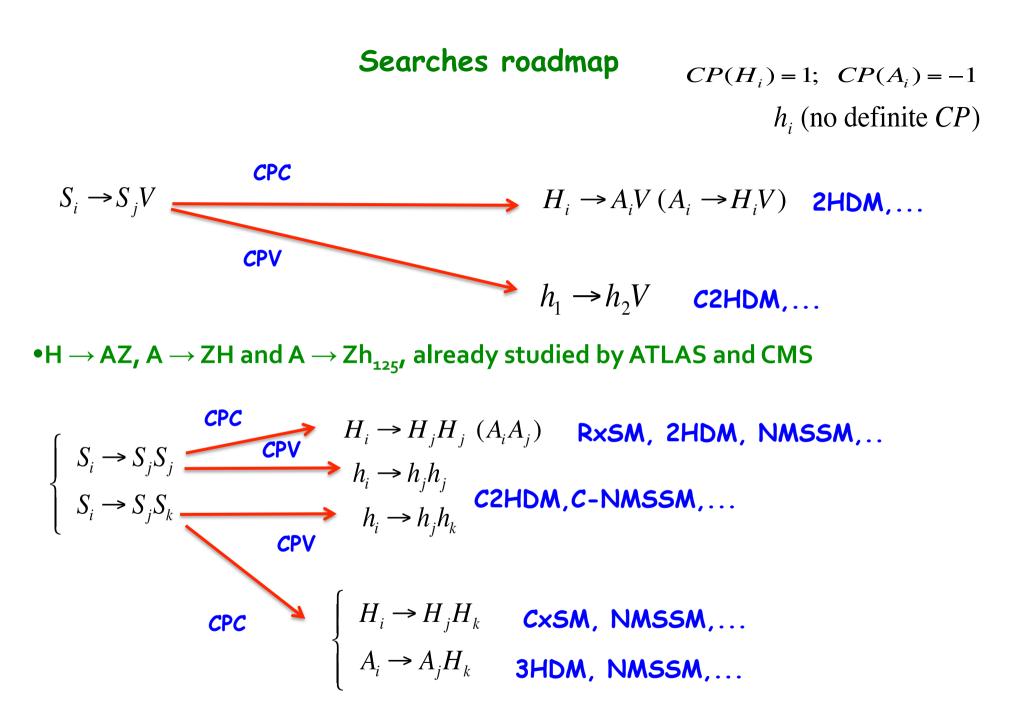
The N2HDM (CP-conserving and no tree-level FCNC)





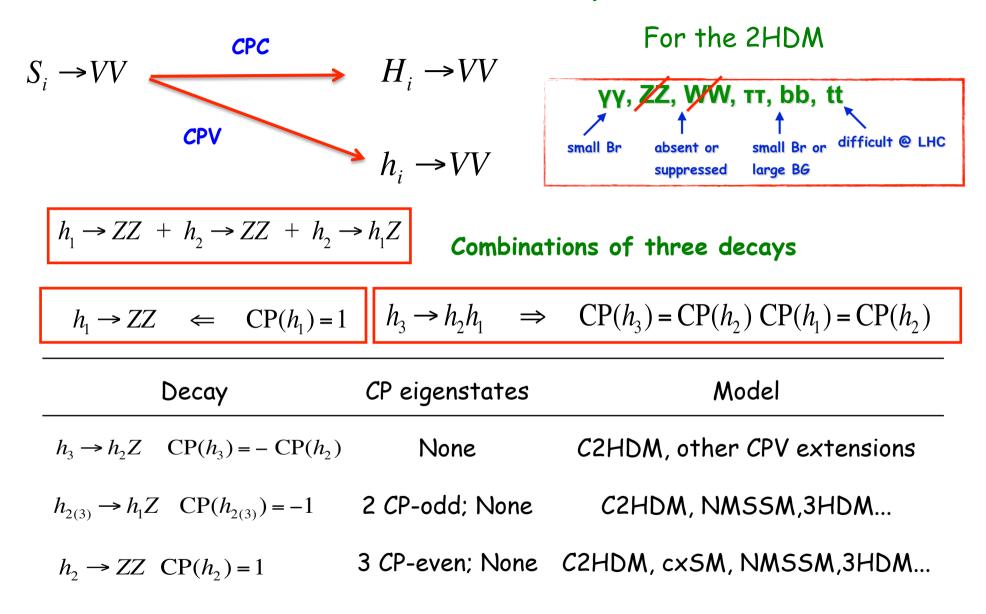
Expected and observed 95% CL limits on $\sigma(h)B(h \rightarrow aa \rightarrow 2\tau 2b)$ in %. Combined eµ, et and µt channels. The inner (green) band and the outer (yellow) band indicate the regions containing 68 and 95%, respectively, of the distribution of limits expected under the background-only hypothesis.

ATLAS, (γγjj final state),1803.11145



• $h_{_{125}} \rightarrow AA \text{ and } H \rightarrow h_{_{125}} h_{_{125}}$ already studied by ATLAS and CMS

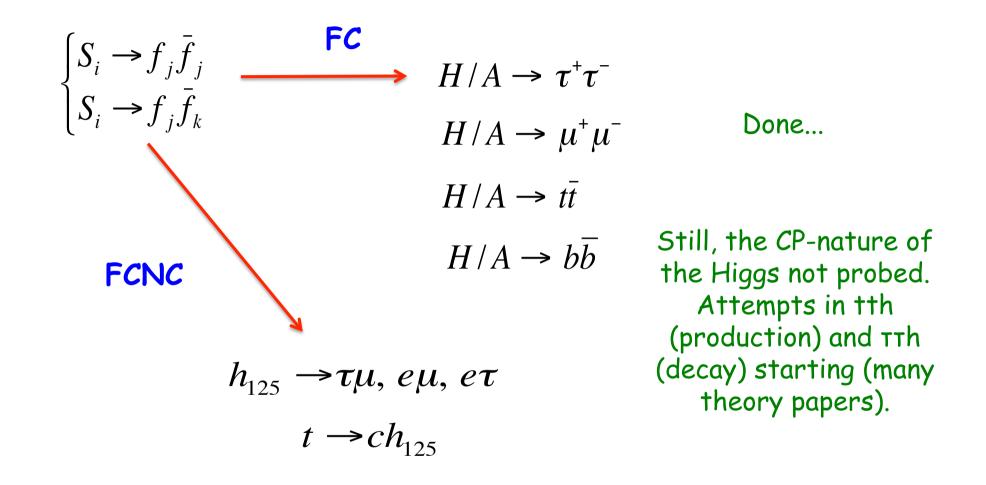
Searches roadmap



C2HDM - FONTES, ROMÃO, RS, SILVA, PRD92 (2015) 5, 055014

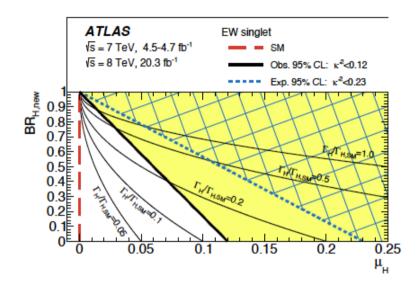
CNMSSM - KING, MÜHLLEITNER, NEVZOROV, WALZ; NPB901 (2015) 526-555

Searches roadmap



 S_i (any neutral scalar)

2.a) H₁₂₅ couplings - The Real Singlet



Limits as a function of the non-125 Higgs. Taking the largest point in μ_H to be the exclusion limit, the result does not depend on the H mass and width.

ATLAS 1509.00672

$$\mu_h = \frac{\sigma_h \times \mathrm{BR}_h}{(\sigma_h \times \mathrm{BR}_h)_{\mathrm{SM}}} = \kappa^2$$

$$\mu_H = \frac{\sigma_H \times BR_H}{(\sigma_H \times BR_H)_{SM}} = \kappa'^2 (1 - BR_{H,new})$$

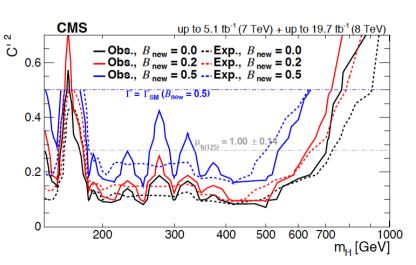
$$\kappa'^2 = 1 - \mu_h$$

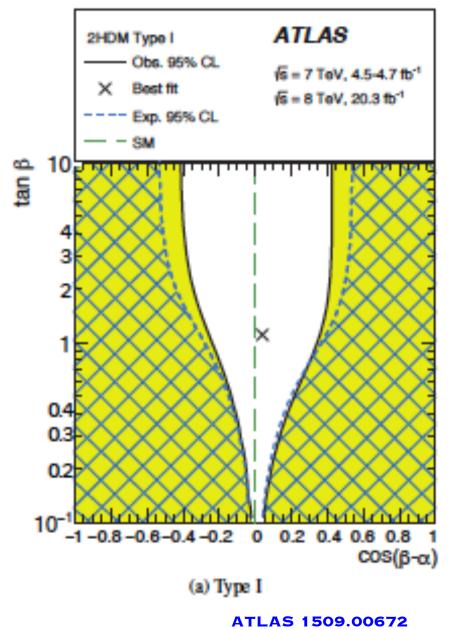
CMS 1504.00936

$$\mu' = C'^2 \left(1 - \mathcal{B}_{\text{new}}\right)$$

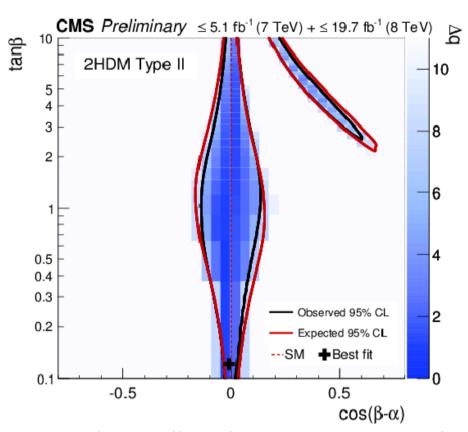
$$\Gamma' = \Gamma_{\rm SM} \, \frac{C'^2}{1 - \mathcal{B}_{\rm new}}$$

Real singlet plus SM. Also any portal model with a singlet in the broken phase.





2.a) b) H₁₂₅ couplings - The 2HDM (CP-conserving and no tree-level FCNC)



CMS-PAS-HIG-16-007

ATLAS and CMS allowed regions in type I and type II for the CP-conserving 2HDM. The central region is the SM-like limit (or alignment) where the Higgs couplings to the other SM particles are just the SM ones. The extra leg on the right has the wrong sign in the b/tau couplings relative to SM ones.

For the 2HDM the results obtained by ATLAS and CMS can be understood in terms of the Higgs couplings in the Alignment and Wrong-sign Yukawa limits

The Alignment (SM-like) limit - all tree-level couplings to fermions and gauge bosons are the SM ones.

$$\sin(\beta - \alpha) = 1 \implies \kappa_D = 1; \quad \kappa_U = 1; \quad \kappa_W = 1$$

 $\kappa_i = \frac{g_{2HDM}}{g_{2HDM}}$

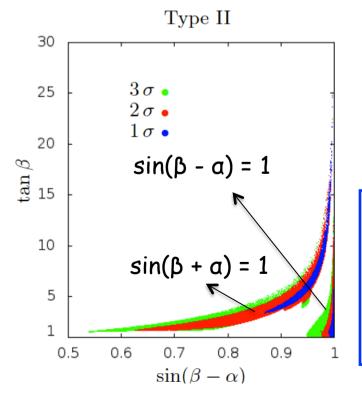
 $\kappa_i^2 = -$

 g_{SM}

at tree-level

 Γ^{2HDM} $(h \rightarrow i)$

 $\overline{\Gamma^{SM}}(h \rightarrow i)$



Wrong-sign Yukawa coupling - at least one of the couplings of h to down-type and up-type fermion pairs is opposite in sign to the corresponding coupling of h to VV (in contrast with SM).

$$\kappa_D \kappa_W < 0$$
 or $\kappa_U \kappa_W < 0$

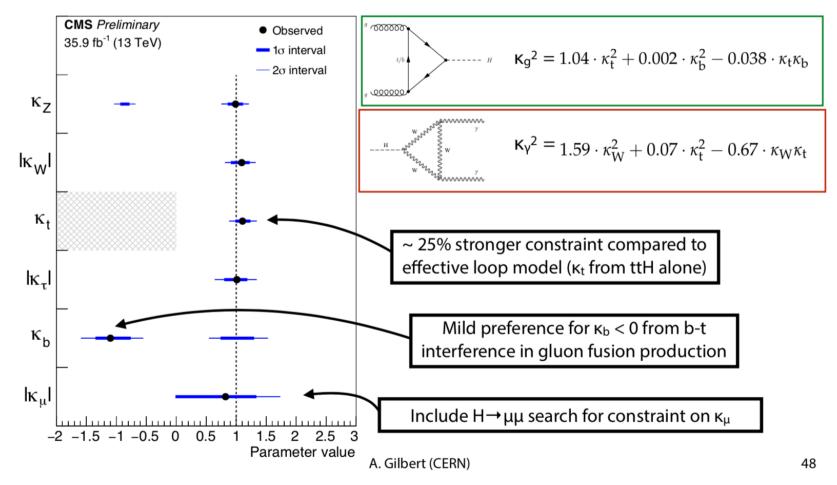
The actual sign of each κ_i depends on the chosen range for the angles.

FERREIRA, GUNION, HABER, RS, PRD89 (2014) 11, 115003

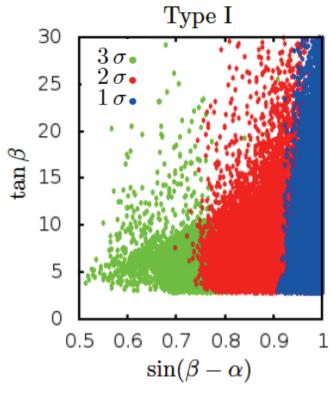
FERREIRA, GUEDES, SAMPAIO, RS, JHEP 1412 (2014) 067

The wrong-sign strikes back!





CERN-LHC SEMINAR 10 APRIL 2018, A. GILBERT ON BEHALF OF THE CMS COLLABORATION



The shape of type I

 $\kappa_F \approx \kappa_V = \sin(\beta - \alpha)$

Cross sections and widths are like in the SM+singlet for "large" tanβ. Only Higgs selfcouplings are different.

Using the same approx as in type II

$$\mu_{VV} \approx \mu_{\tau\tau} \approx \sin^2(\beta - \alpha)$$

 $\sin^2(\beta - \alpha) = 0.8 \Rightarrow$

 $\sin(\beta - \alpha) = 0.89$

Except for h -> $\gamma\gamma$

$$\mu_{\gamma\gamma} \approx \kappa_{\gamma}^{2}$$
Which is close to 1.
$$\frac{\text{Therefore bounds are}}{\text{almost independent}}$$
of tanß

Also there is just one "leg" (next slide).

$$\kappa_U = \kappa_D = \kappa_L = \frac{\cos \alpha}{\sin \beta} = \sin(\beta - \alpha) + \cos(\beta - \alpha)\cot \beta$$

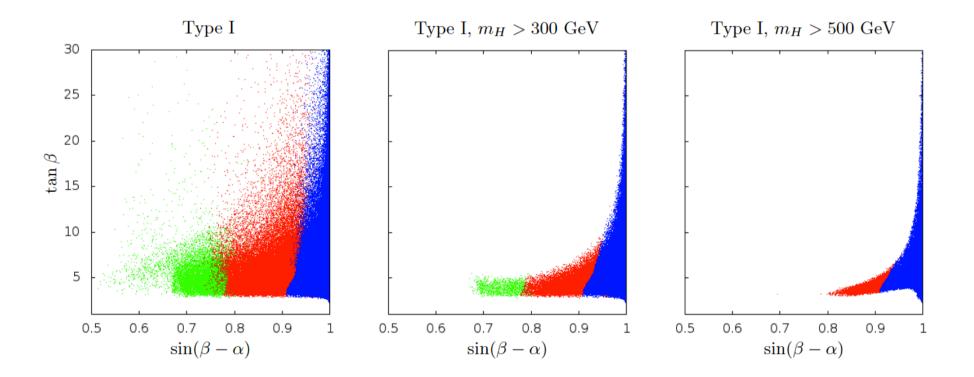
Type I

$$\kappa_U = \kappa_D = \frac{\cos \alpha}{\sin \beta} = \sin(\beta + \alpha) + \cos(\beta + \alpha) \cot \beta$$

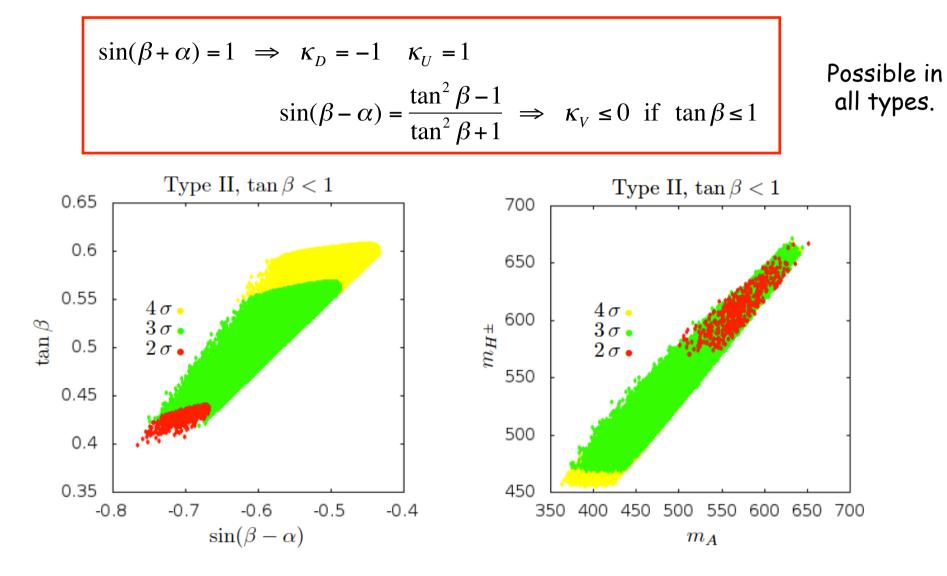
$$\sin(\beta + \alpha) = 1 \implies \kappa_U = 1 \quad (\kappa_D = 1)$$

$$\sin(\beta - \alpha) = \frac{\tan^2 \beta - 1}{\tan^2 \beta + 1} \implies \kappa_V \le 0 \text{ if } \tan \beta \le 1$$

Because constraints force $\tan\beta$ to be order 1 or larger, "there is no wrong-sign Yukawa coupling" in Type I (more about this later).

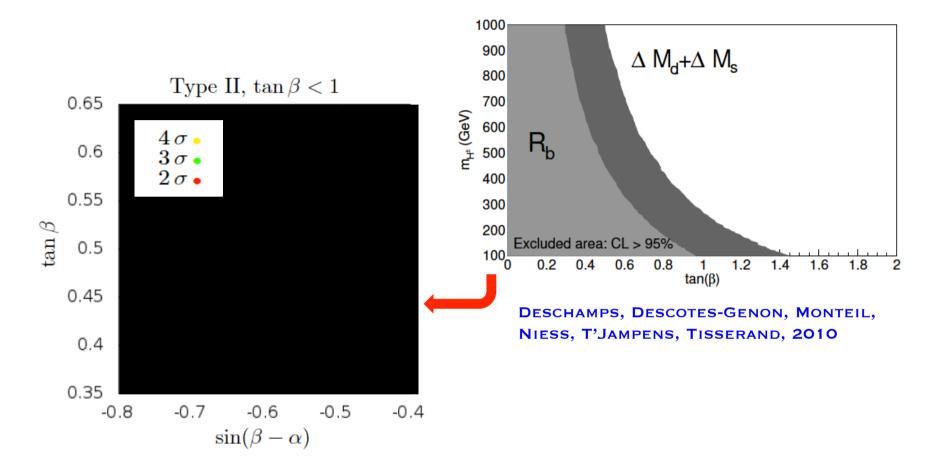


The dark side of the wrong sign scenario

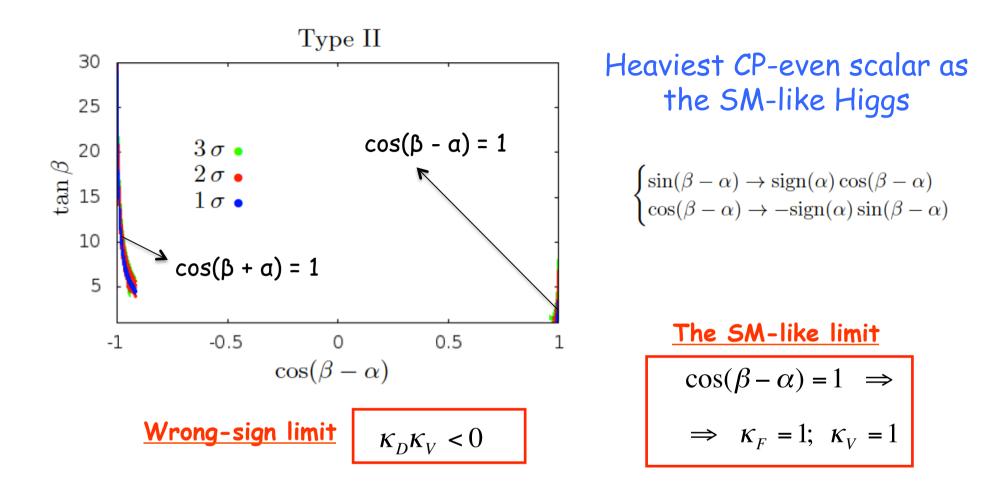


Z-> bb and b -> s γ included.

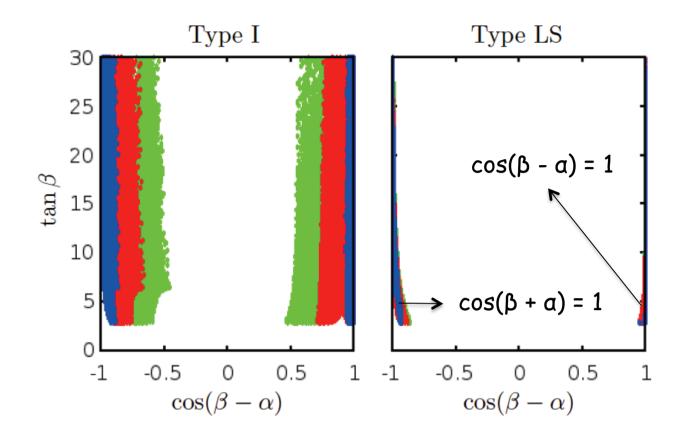
The dark side of the wrong sign scenario



Final results when the limits from BB mixing are included.



$$\cos(\beta + \alpha) = 1 \implies \kappa_D = 1 \quad (\kappa_U = -1)$$
$$\cos(\beta - \alpha) = -\frac{\tan^2 \beta - 1}{\tan^2 \beta + 1} \implies \kappa_V \le 0 \text{ if } \tan \beta \ge 1$$



Type I and LS

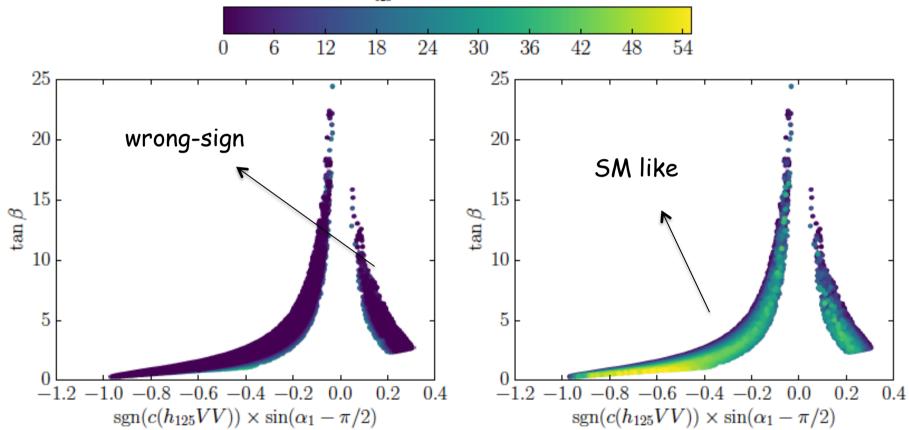
$$\cos(\beta + \alpha) = 1 \implies \kappa_D = \kappa_U = -1$$

$$\cos(\beta - \alpha) = -\frac{\tan^2 \beta - 1}{\tan^2 \beta + 1} \implies \kappa_v \le 0 \text{ if } \tan \beta \ge 1$$

All couplings change sign - same conclusions as for the light scenario.

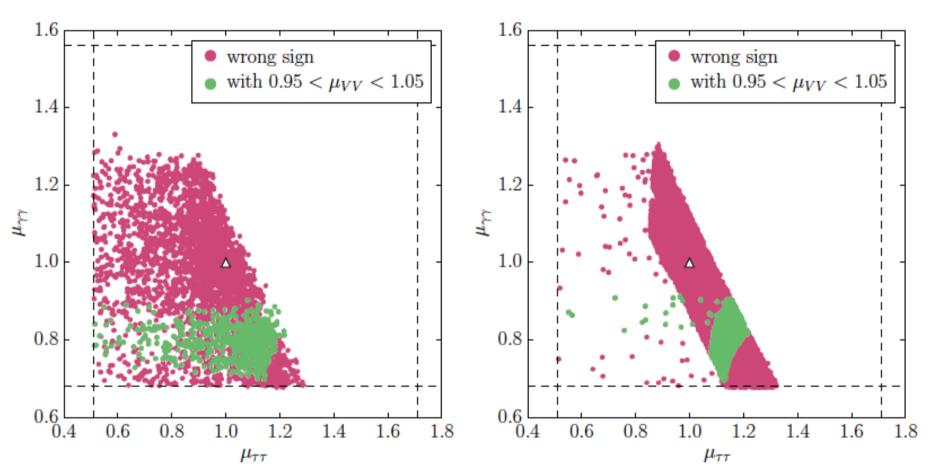
N2HDM - Without the colour bar this is just the 2HDM

 $\Sigma_i^{\text{N2HDM}} = (R_{i3})^2$ singlet admixture of H_i (measure the singlet weight of H_i)



 $\Sigma_{h_{125}}$ in % for $H_1 \equiv h_{125}$

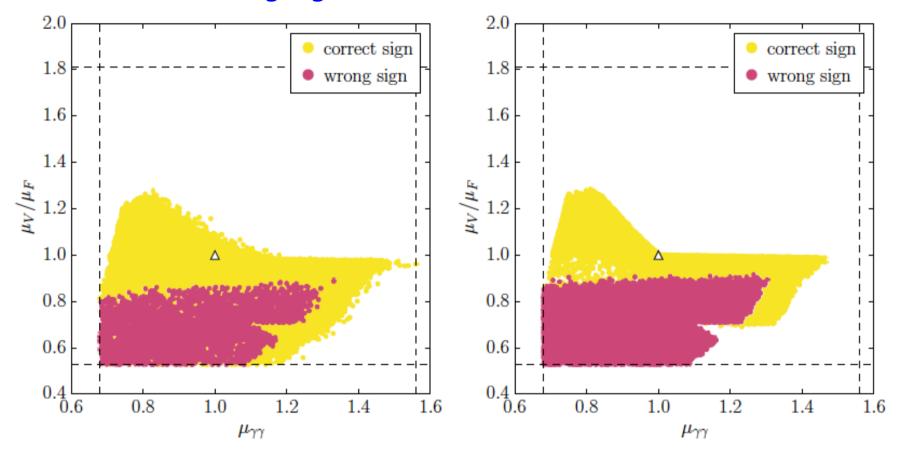
SM-like and wrong-sign limit in the N2HDM type II - the interesting fact is that in the alignment limit the singlet admixture can go up to 54 %.



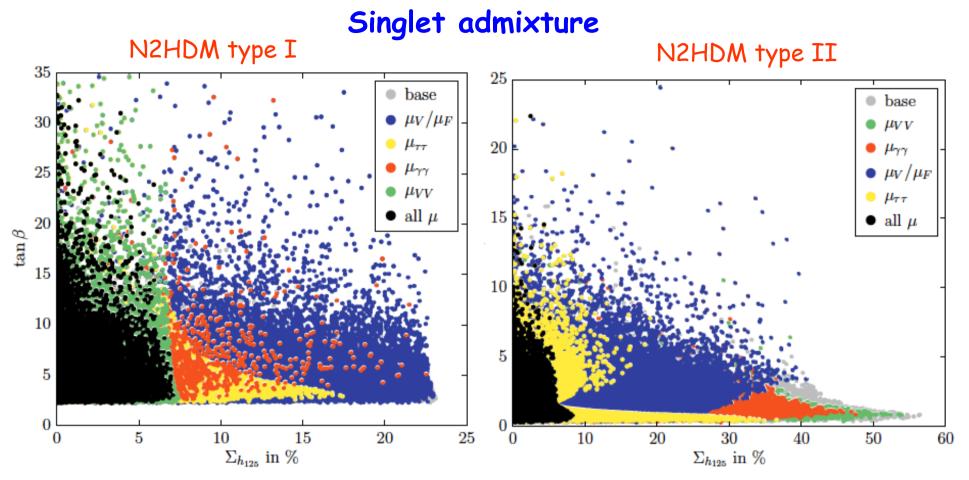
Wrong sign can be probed in the 2HDM and N2HDM with the same measurements

 $\mu_{\gamma\gamma}$ vs $\mu_{\tau\tau}$ (only wrong sign points) in type II 2HDM (left) and N2HDM (right) - in "pink" all points and in green points where μ ZZ is measured within 5% of the SM value. Dashed lines are current limits. Very similar behavior in the two models.

Wrong sign in the 2HDM and N2HDM



μ_V/μ_F vs μ_{YY} in type II 2HDM (left) and N2HDM (right) - in yellow the "right sign" and in pink the wrong sign points. Dashed lines are current limits. The h₁₂₅ can be any of the H_i in the N2HDM and h or H in the 2HDM. New variable that can be used to probe the wrong sign limit.



MUHLLEITNER, SAMPAIO, RS, WITTBRODT, JHEP 1703 (2017) 094

tanß as a function of the singlet admixture for type I N2HDM (left) and type II N2HDM (right) – in grey all points with constraints; the remaining colours denote μ values measured within 5 % of the SM. In black all μ 's. Singlet admixture slightly below 10 % almost independently of tanß.

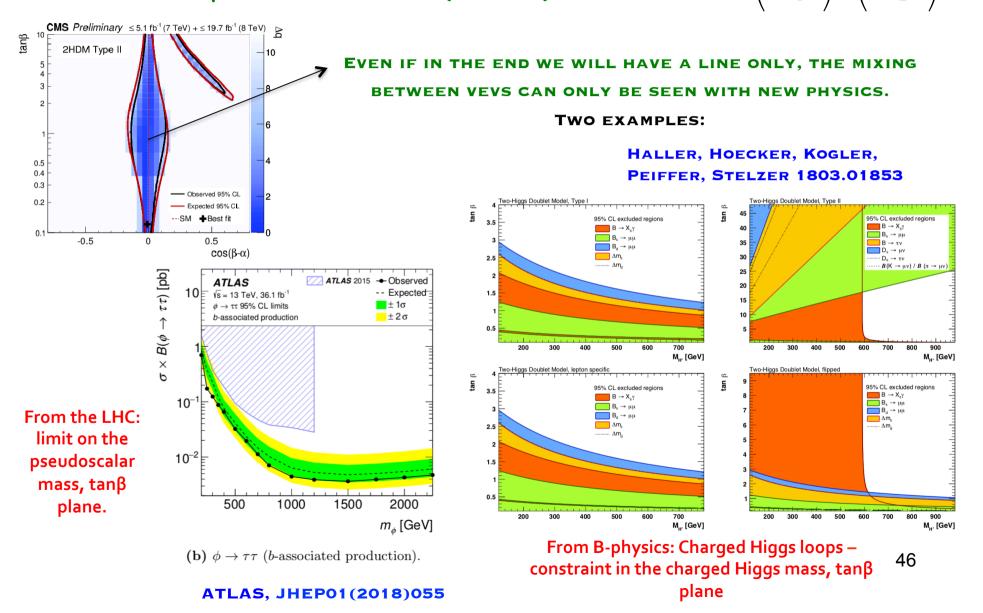
The plot shows how far we can go in the measurement of the singlet component of the Higgs.

Back to The alignment limit in the 2HDM

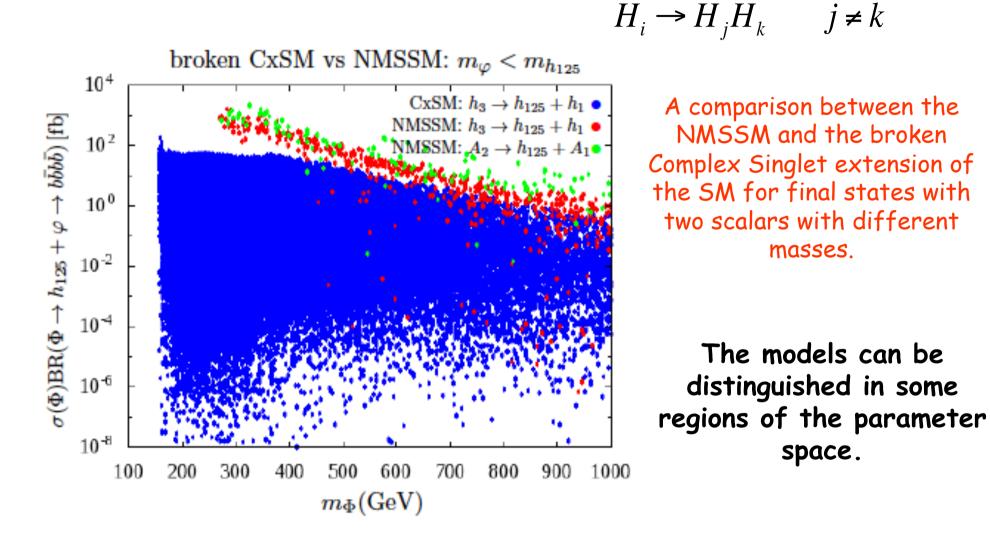
 v_2

V.

What about $\tan\beta$? All couplings of h125 with the other SM particles are SM-like (even hhh).

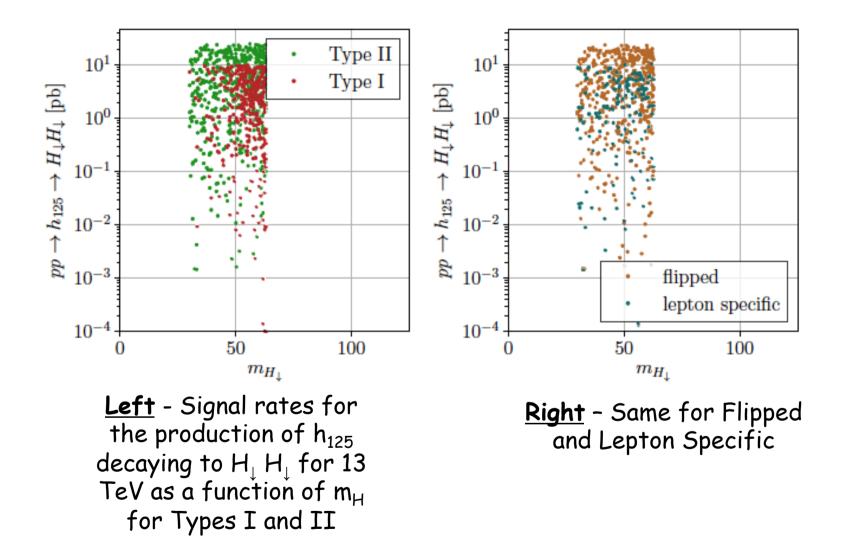


3. Distinguishing models



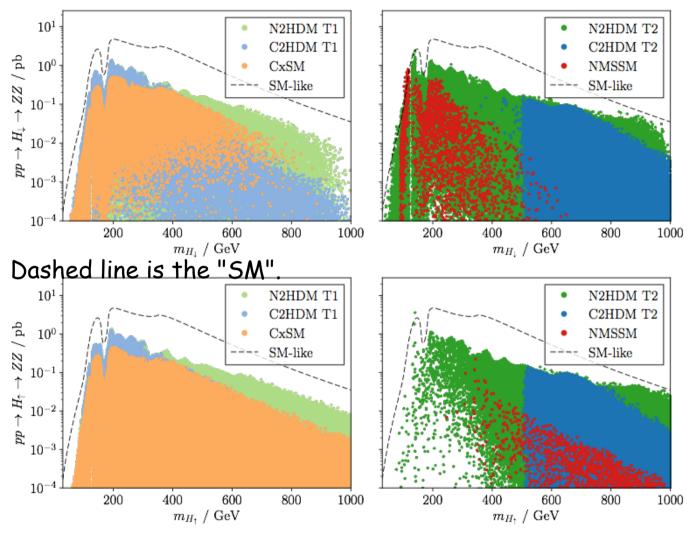
 $\Phi
ightarrow h_{125} + arphi$ found to be distinctive

The decay



We are able to distinguish different types of the same model - maximal rates range from 10 to 30 pb

Non-125 CP-even to ZZ in different models



Signal rates for the production of H↓ (upper) and H↑ (lower) for 13 TeV as a function of m_H.

h₁₂₅ takes most of the hVV coupling. Yukawa couplings can be different and lead to enhancements relative to the SM.

Discovery more likely via Higgs to Higgs decays for the heavier ones.

MUHLLEITNER, SAMPAIO, RS, WITTBRODT, JHEP 1708 (2017) 132

Rates are larger for N2HDM and C2HDM and more in type II because the Yukawa couplings can vary independently.

Models with triplets: focus on Georgi-Machacek model ($\rho = 1$) Georgi & Machacek 1985; Chanowitz & Golden 1985

SM Higgs (bi-)doublet + two isospin-triplets in a bi-triplet:

$$\Phi = \begin{pmatrix} \phi^{0*} & \phi^+ \\ -\phi^{+*} & \phi^0 \end{pmatrix} \qquad X = \begin{pmatrix} \chi^{0*} & \xi^+ & \chi^{++} \\ -\chi^{+*} & \xi^0 & \chi^+ \\ \chi^{++*} & -\xi^{+*} & \chi^0 \end{pmatrix}$$

under a global $SU(2)_L \times SU(2)_R$

Physical spectrum:

- Two custodial singlets $\rightarrow h^0$, $H^0 m_h, m_H \leftarrow \text{very similar}$
- Custodial triplet $\rightarrow (H_3^+, H_3^0, H_3^-) m_3 \leftarrow \text{to 2HDM}$
- Custodial fiveplet $(H_5^{++}, H_5^{+}, H_5^{0}, H_5^{-}, H_5^{--}) m_5 \leftarrow \text{new!}$

\rightarrow Focus on direct searches for fermiophobic H_5 states

And for the GM model

Consider the hWW coupling:

- SM:
$$i \frac{g^2 v}{2} g_{\mu\nu}$$
 ($v \simeq 246$ GeV)

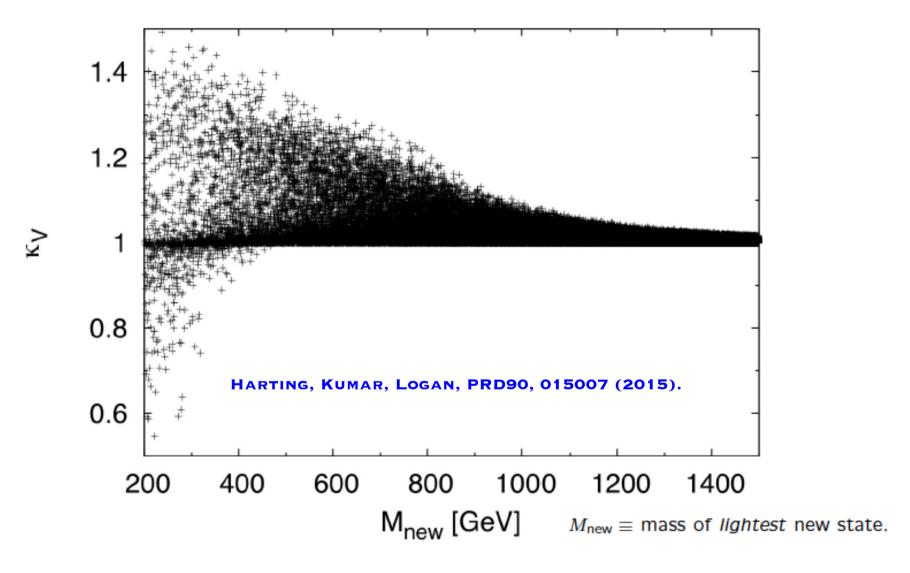
- 2HDM:
$$i\frac{g^2v}{2}g_{\mu\nu}\sin(\beta-\alpha)$$

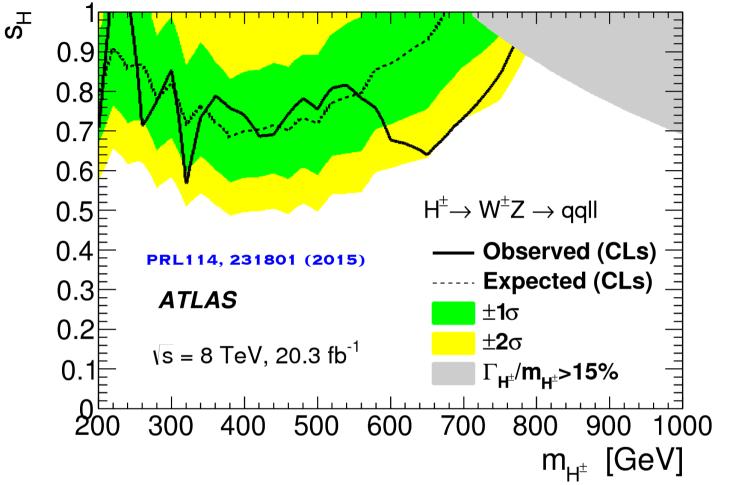
Extended Higgs sectors with isospin doublets or singlets always have hVV couplings less than or equal to those in the SM.

- SM + some multiplet X:
$$i \frac{g^2 v_X}{2} g_{\mu\nu} \cdot 2 \left[T(T+1) - \frac{Y^2}{4} \right] (Q = T^3 + Y/2)$$

The only way to enhance the hWW (hZZ) coupling above its SM value is through a scalar with isospin \geq 1 that has a non-negative vev and mixes into the observed Higgs h (triplets benchmark).

Numerical results: hVV coupling enhancement can be quite large!





The GM Model

Exclusion limits at the 95% CL for sH versus mH±in the Georgi-Machacek Higgs Triplet Model. Also included on the plot are the median, $\pm 1 \sigma$ and $\pm 2 \sigma$ values within which the limit is expected to lie in the absence of a signal. Tools available for scans and decay rates

• Home

- Downloads
- Contact

2HDMC

2HDMC is a general-purpose calculator for the two-Higgs doublet model. It allows parametrization of the Higgs potential in many different ways, convenient specification of generic Yukawa sectors, the evaluation of decay widths (including higher-order QCD corrections), theoretical constraints and much more.

2HDMC material

- Latest version
- Physics and Manual

2HDMC - Two-Higgs-Doublet Model Calculator D. Eriksson, J. Rathsman, O. Stål Comput.Phys.Commun.181:189-205 (2010); Comput.Phys.Commun.181:833-834 (2010) [arXiv:0902.0851]

Recommendations for evaluation of Higgs production cross sections and branching ratios at the LHC in the 2HDM R. Harlander, M. Mühlleitner, J. Rathsman, M. Spira, O. Stål [arXiv:1312.5571]

Release history

1.7.0 2015-08-28 Included new interface for HiggsBounds and HiggsSignals. Included support for input in hybrid basis as defined in [1507.04281]. Improved treatment of off-shell H+ decays. Thanks to R. Hansen Addition of FCNC top decays. Thanks to L. Zethraeus Clean-up of obsolete features.

https://2hdmc.hepforge.org/

GMCALC A calculator for the Georgi-Machacek model

Description:

The Georgi-Machacek model adds scalar triplets to the Standard Model Higgs sector in such a way as to preserve custodial SU(2) symmetry in the scalar potential. This allows the triplets to have a non-negligible vacuum expectation value while satisfying constraints from the rho parameter. Depending on the parameters, the 125 GeV neutral Higgs particle can have couplings to WW and ZZ larger than in the Standard Model due to mixing with the triplets. The model also contains singly- and doubly-charged Higgs particles that couple to vector boson pairs at tree level (WZ and like-sign WW, respectively).

GMCALC is a FORTRAN program that, given a set of input parameters, calculates the particle spectrum and tree-level couplings, checks theoretical and indirect constraints on the model, and computes the branching ratios and total widths of the scalars. It also generates a param_card.dat file for MadGraph5 (both LO and NLO versions) to be used with the corresponding <u>FeynRules model implementation</u>.

The full functionality of GMCALC v1.3.0 and higher requires an installation of the <u>LoopTools package</u>. There is an option to compile GMCALC v1.3.0 and higher without LoopTools, but if this is done then the loop-induced decays of H_5^0 to Z gamma and H_3^+ , H_5^+ to W^+ gamma will not be computed.

Authors:

- Celine Degrande, Katy Hartling, Kunal Kumar, Heather E. Logan, and Andrea D. Peterson (v1.3.x)
- Katy Hartling, Kunal Kumar, Heather E. Logan, and Andrea D. Peterson (v1.2.x)
- Katy Hartling, Kunal Kumar, and Heather E. Logan (v1.0.x, 1.1.x)

Downloads:

• <u>GMCALC v1.3.0</u> (.tar.gz, includes manual and changes log)

http://people.physics.carleton.ca/~logan/gmcalc/

- <u>Manual</u> (pdf)
- Log of <u>changes</u> (txt)

If you use this program to write a paper, please cite:

• K. Hartling, K. Kunal, and H. E. Logan, "GMCALC: a calculator for the Georgi-Machacek model," arXiv:1412.7387 [hep-ph] [InSPIRE record].

The physics that went into this code is described in more detail in the following references:

- K. Hartling, K. Kunal, and H. E. Logan, "The decoupling limit in the Georgi-Machacek model," <u>Phys. Rev. D 90, 015007 (2014)</u> [arXiv:1404.2640 [hep-ph]] [InSPIRE record].
- K. Hartling, K. Kunal, and H. E. Logan, "Indirect constraints on the Georgi-Machacek model and implications for Higgs couplings," <u>Phys.\ Rev. D 91,015013 (2015)</u> [arXiv:1410.5538 [hep-ph]] [InSPIRE record].
- C. Degrande, K. Hartling, and H. E. Logan, "Scalar decays to gamma gamma, Z gamma, and W gamma in the Georgi-Machacek model," <u>arXiv:1708.08753 [hep-ph]</u> [InSPIRE record].

Requests and bug reports:

Contact Heather Logan at logan@physics.carleton.ca.

Scamer₅

ScannerS alows general scalar potential with automatic:

- Analysis of tree level local minimum/stability
- Detection of tree level scalar spectrum and mixing
- Tree level unitarity test

Interfaces to:

- HDECAY, SHDECAY, N2HDECAY, C2HDECAY
- HIGGSBOUNDS/SIGNALS (collider bounds/measurements)
- MICROMEGAS (dark matter observables)
- SUSHI (+ internal numerical tables for gluon fusion)
- SUPERISO (flavour physics observables)

User/model defined functions to:

- Check boundedness from below
- Check global stability
- Implement phenomenological analysis for each point

BSMPT - Beyond the Standard Model Phase Transitions –

A Tool for the Electroweak Phase Transition in Extended Higgs Sectors

BASLER, MUHLLEITNER; 1803.02846

Real and Complex Scalar Singlet Extensions:

R. Costa, M. Mühlleitner, M.O.P. Sampaio, R. Santos, JHEP 1606 (2016) 034 + see YR4 R. Coimbra, M.O.P. Sampaio, R. Santos, EPJ C73 (2013) 2428 R. Costa, A. Morais, M.O.P. Sampaio, R. Santos, Phys.Rev. D92 (2015) 2, 025024

- RxSM-dark: 1 Higgs + 1 Dark (Z₂)
- **RxSM-broken**: 2 Higgs mixing (Z₂ spont.broken)
- CxSM-dark: 2 Higgs mixing + 1 Dark
- CxSM-broken: 3 Higgs mixing

New: Input files allow Scan or Check point mode. see → How to run scalar singlet extensions in ScannerS (indico.cern.ch/event/640710)

- Scalar Doublet Extensions
 - 2HDM: Scan or Check point modes available. P.M. Ferreira, R. Guedes, M.O.P. Sampaio, R. Santos, JHEP 12 (2014) 067
 - N2HDM-broken: 2HDM + Real singlet Z₂ spont. broken. Scan mode (Check mode available soon ...) M.M. Mühlleitner M.O.P. Sampaio, R. Santos, J. Wittbrodt, JHEP 1703 (2017) 094
 - N2HDM-dark: 2HDM + Real singlet Z₂ (under dev.)
 - C2HDM: To be publicly released soon.
 M.M. Mühlleitner M.O.P. Sampaio, R. Santos, J. Wittbrodt, arXiv:1703.07750

https://scanners.hepforge.org/

Determines the global minimum of BSM Higgs models at NLO and to extract the NLO triple Higgs couplings. • General: Based on implementation in HDECAY

[Douadi,Spira,Kalinowski+Muhlleitner(2010), Comput.Phys.Commun. 108 (1998) 56]

 Features: Stand-alone codes; inclusion of relevant QCD corrections and off-shell decays, EW corrections consistently neglected (includes 2HDM)

• sHDECAY http://www.itp.kit.edu/~maggie/sHDECAY/ [R.Costa,M.Muhlleitner,M.O.P.Sampaio,R.Santos, JHEP 06 (106) 034]

- * Real-extended SM in symmetric (dark) phase, RxSM-dark: 1 Higgs + 1 Dark (\mathbb{Z}_2)
- * Real-extended SM in broken phase, RxSM-broken: 2 mixing Higgs bosons (\mathbb{Z}_2 spont. broken)
- \star Complex-extended SM in symmetric (dark) phase, CxSM-dark: 2 mixing Higgs + 1 Dark
- * Complex-extended SM in broken phase, CxSM-broken: 3 mixing Higgs bosons
- N2HDECAY for N2HDM http://www.itp.kit.edu/~maggie/N2HDECAY/ [M.Muhlleitner,M.O.P.Sampaio,R.Santos,J.Wittbrodt, JHEP 1703 (2017) 094]
 - * 2DHM + real singlet \mathbb{Z}_2 spont. broken: 3 scalars $H_{1,2,3}$, 1 pseudocalar A, charged pair H^{\pm}
 - \star 2HDM + real singlet \mathbb{Z}_2 : in preparation

C2HDECAY

* CP-violating 2DHM: 3 CP-mixing scalars $H_{1,2,3}$, charged Higgs pair H^{\pm}

https://www.itp.kit.edu/~maggie/C2HDM/

[M. Mühlleitner, J.C. Romão, R. Santos, J.P. Silva, J. Wittbrodt, JHEP 1802 (2018) 073]

The end and Extra slides

We define the following admixtures

 $\Sigma_i^{\text{CxSM}} = (R_{i2})^2 + (R_{i3})^2$, CxSM - sum of real and complex complex singlet components

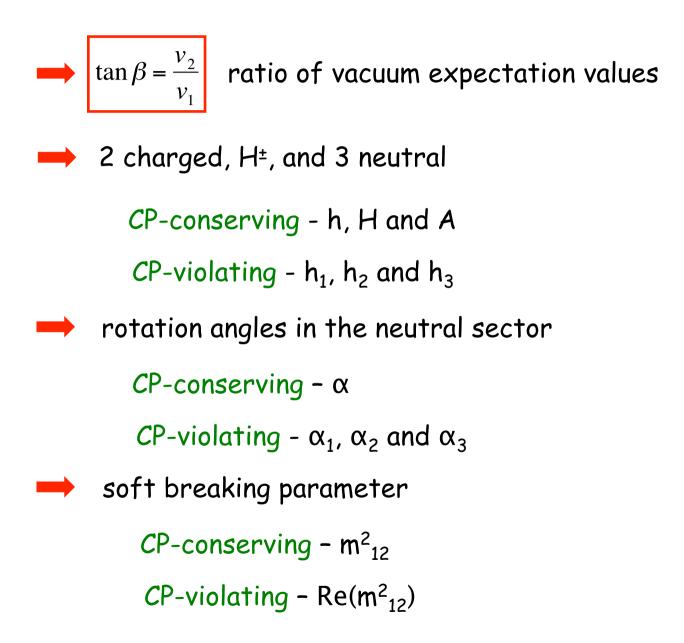
 $\Psi_i^{\text{C2HDM}} = (R_{i3})^2$ C2HDM - "PSEUDOSCALAR" COMPONENT

 $\Sigma_i^{\text{N2HDM}} = (R_{i3})^2$ N2HDM AND NMSSM - SINGLET COMPONENT

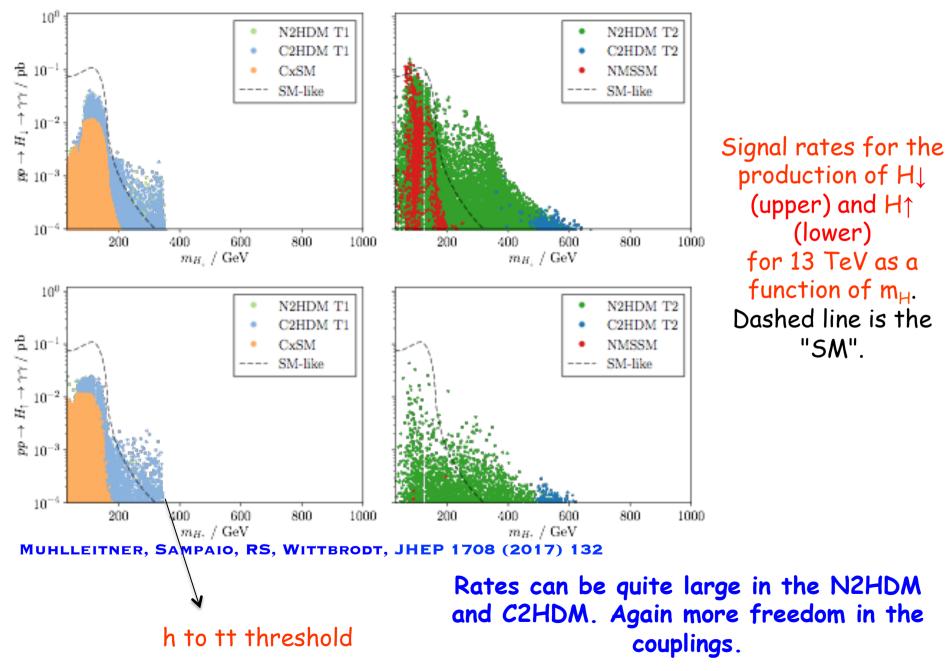
In the CxSM all couplings to the SM particles are rescaled by one common factor. The maximum allowed singlet admixture in the CxSM is given by the lower bound on the global signal strength µ and amounts to

$$\Sigma_{\rm max}^{\rm CxSM} \approx 1 - \mu_{\rm min} \approx 11\%$$

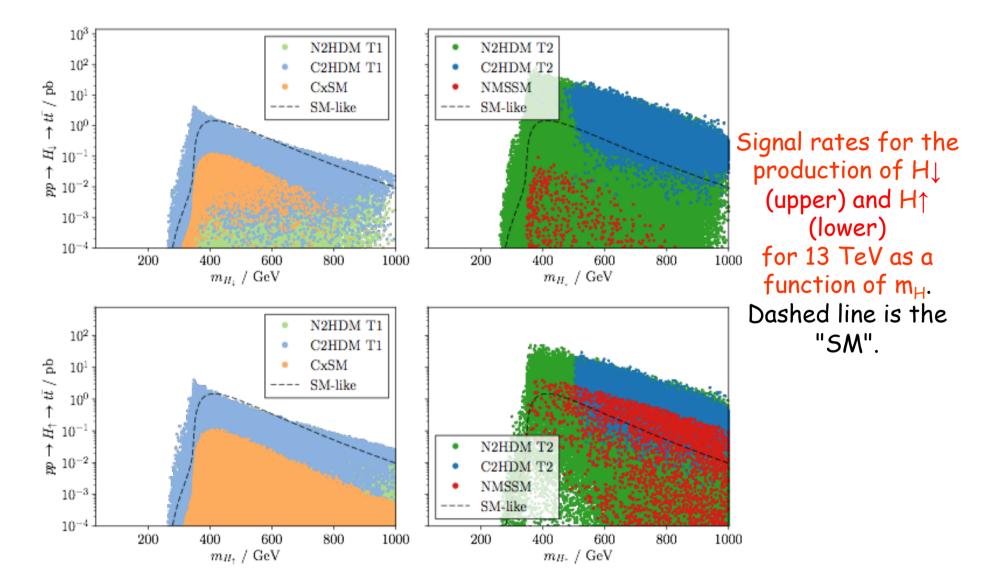
Parameters



Non-125 to $\gamma\gamma$

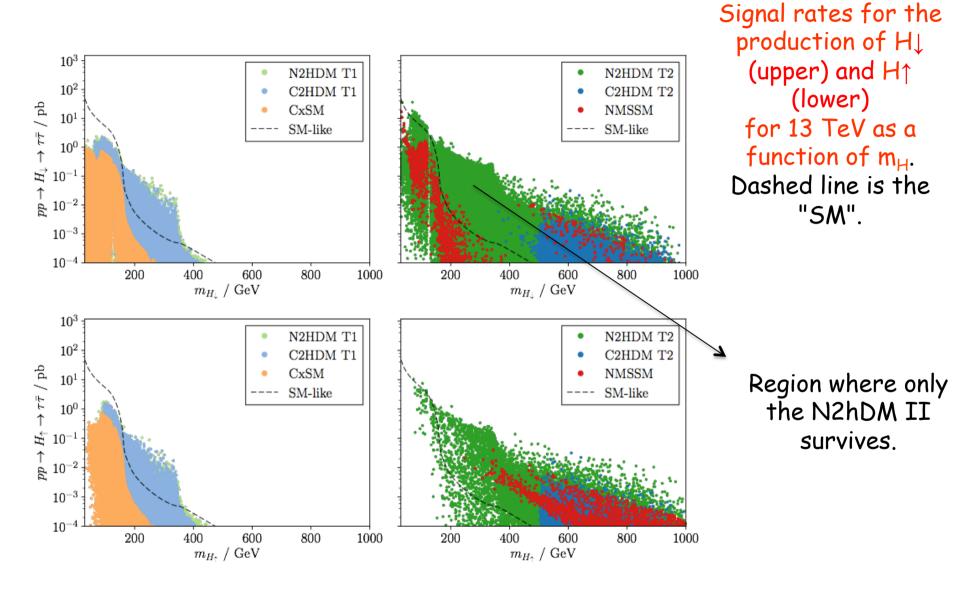


Non-125 to tt



MUHLLEITNER, SAMPAIO, RS, WITTBRODT, JHEP 1708 (2017) 132

Non-125 to TT



MUHLLEITNER, SAMPAIO, RS, WITTBRODT, JHEP 1708 (2017) 132

Models with triplets: focus on Georgi-Machacek model ($\rho = 1$) Georgi & Machacek 1985; Chanowitz & Golden 1985

SM Higgs (bi-)doublet + two isospin-triplets in a bi-triplet:

$$\Phi = \begin{pmatrix} \phi^{0*} & \phi^+ \\ -\phi^{+*} & \phi^0 \end{pmatrix} \qquad X = \begin{pmatrix} \chi^{0*} & \xi^+ & \chi^{++} \\ -\chi^{+*} & \xi^0 & \chi^+ \\ \chi^{++*} & -\xi^{+*} & \chi^0 \end{pmatrix}$$

under a global $SU(2)_L \times SU(2)_R$

Physical spectrum:

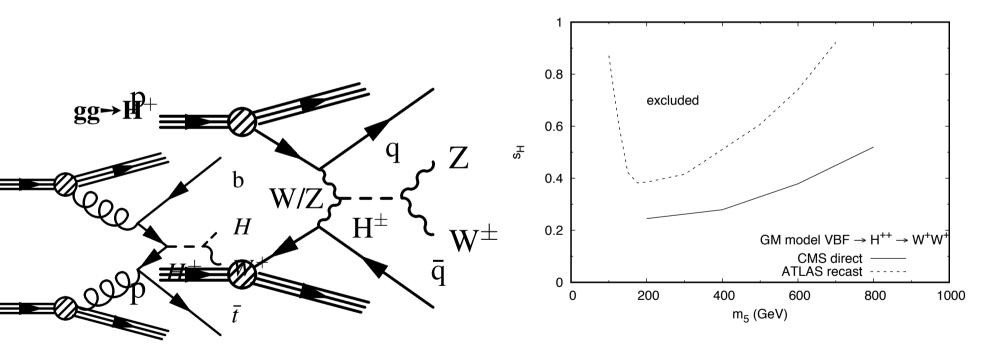
- Two custodial singlets $\rightarrow h^0$, $H^0 m_h, m_H \leftarrow \text{very similar}$
- Custodial triplet $\rightarrow (H_3^+, H_3^0, H_3^-) m_3 \leftarrow \text{to 2HDM}$
- Custodial fiveplet $(H_5^{++}, H_5^{+}, H_5^{0}, H_5^{-}, H_5^{--}) m_5 \leftarrow \text{new!}$

\rightarrow Focus on direct searches for fermiophobic H_5 states

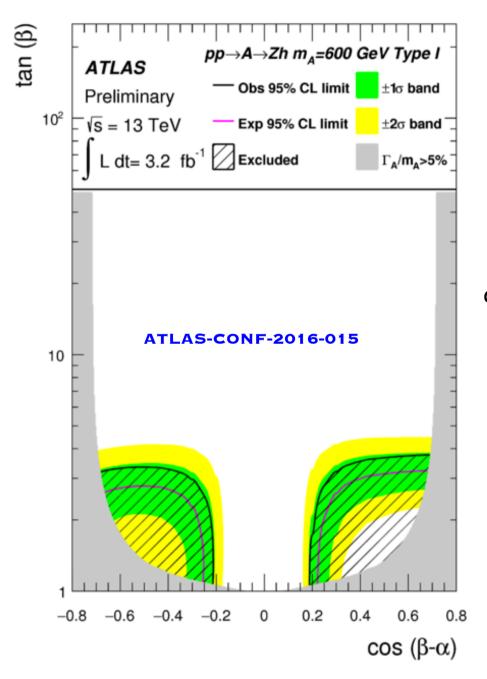
Focus for YR4:

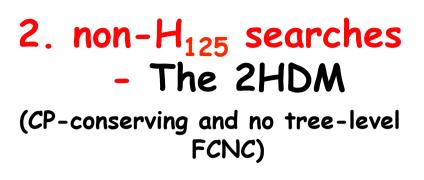
 $\begin{array}{ll} \mathsf{VBF} \rightarrow H_5^{\pm\pm} \rightarrow W^{\pm}W^{\pm} & \mathsf{VBF} + \mathsf{like}\mathsf{-sign} \; \mathsf{dileptons} + \; \mathsf{MET} \\ \\ \mathsf{VBF} \rightarrow H_5^{\pm} \rightarrow W^{\pm}Z & \mathsf{VBF} + qq\ell\ell; \; \mathsf{VBF} + 3\ell + \; \mathsf{MET} \end{array}$

 $m_5 \ge 200 \text{ GeV}$ (for on-shell W/Z pairs)



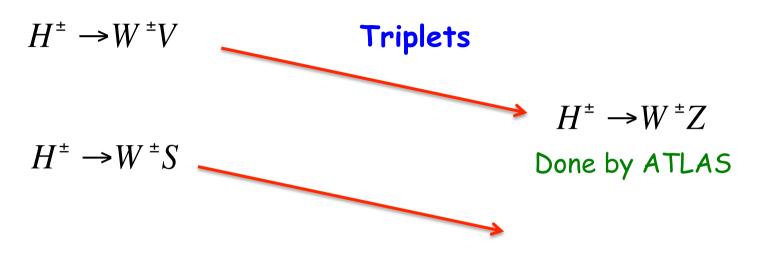
VBF cross sections $\propto s_H^2=8v_\chi^2/v_{\rm SM}^2\equiv$ fraction of M_W^2,M_Z^2 due to exotic scalars





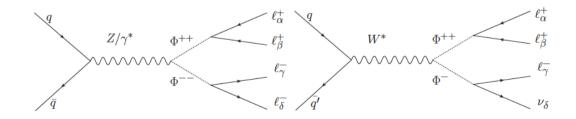
The interpretation of the cross section limits in the context of a Type-I 2HDM as a function of the parameters tanß and $\cos(\beta - a)$ for mA = 600GeV. Variations of the natural width up to $\Gamma A/mA=5\%$ and different mixtures of gluon-fusion and b-quark-associated production are taken into account. Only points in parameter space where $\Gamma A/mA < 5\%$ are considered.

Searches roadmap



So far there seems to be no concrete plans even for H⁺->W⁺h₁₂₅

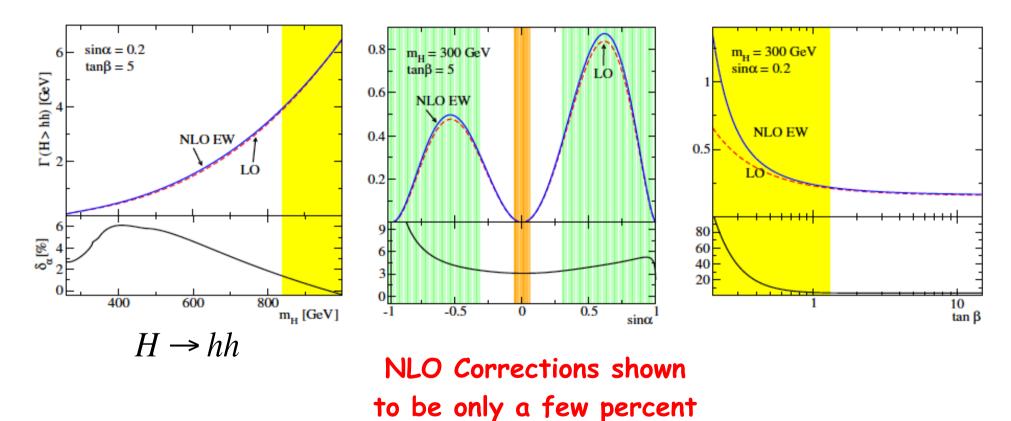
Main decays for CPC and CPV 2HDM are the same.



Doubly charged Higgs have been searched for in leptons and WW.

2.c) What are radiative corrections good for?

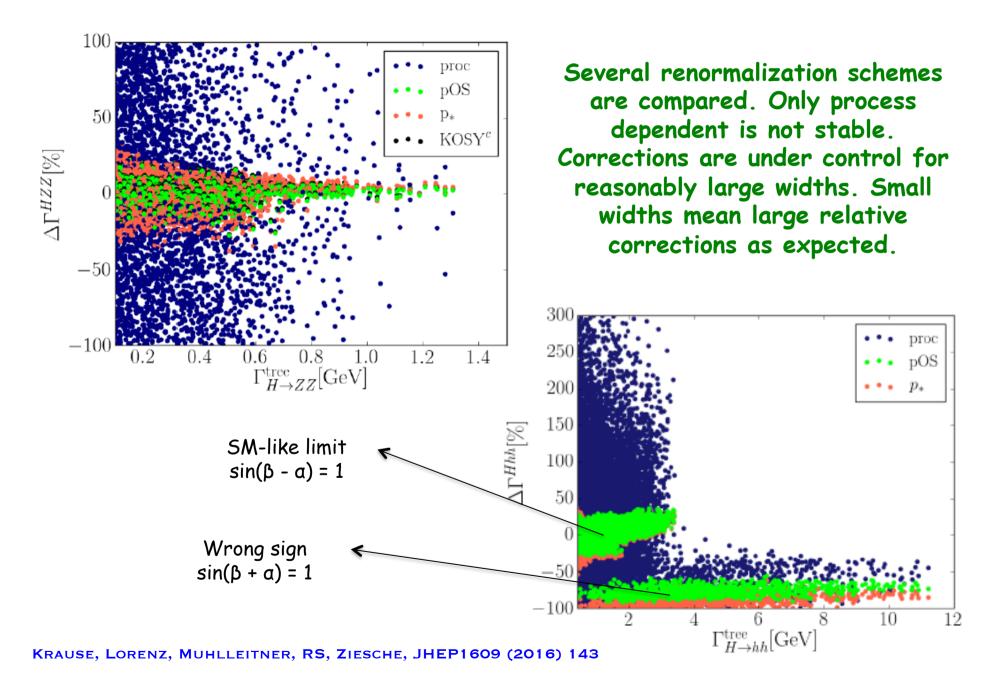
Once upon a time we thought we would find more scalars and the radiative corrections would have to be ready. But...



Real Singlet model

BOJARSKI, CHALONS, LOPEZ-VAL, ROBENS, JHEP1602 (2016) 142

Real 2HDM



N2HDM

	BRH2ZZhigh	BRH3ZZhigh	BRH2ZZlow	BRH3ZZlow
m_{H_1}	125.09	125.09	125.09	125.09
m_{H_2}	673.70	600.76	657.07	283.53
m_{H_3}	692.22	713.74	658.28	751.72
m_A	669.07	743.00	543.62	763.09
$m_{H^{\pm}}$	679.76	695.73	528.76	733.05
$t_{\beta} \ (\mathrm{pOS}^c)$	6.12	8.39	4.79	3.53
$\alpha_1 (pOS)$	-1.513	-1.526	-1.489	1.318
$\alpha_2 (pOS)$	0.098	-0.308	0.225	0.0362
$\alpha_3 (pOS)$	-0.495	-1.421	-1.001	1.504
m_{12}^2	74518.4	60125.0	87240.8	143579.0
v_s	305.48	854.50	834.33	219.29
Γ_H	2.946	2.241	2.990	2.746
\mathbf{BR}	0.327	0.329	0.010	0.010

Table 6: Input parameters for the N2HDM benchmark scenarios used in the numerical analysis of the decay processes $H_{2/3} \rightarrow ZZ$. In round brackets we specify the scheme in which α and β are defined. All masses and v_S are given in GeV. The LO total width (also given in GeV) and individual branching fractions in the last two rows correspond to the Higgs state and decay each benchmark is named after, and have been generated with N2HDECAY.

Corrections of heavy Higgs to ZZ in different scenarios.

		pOS^{c}	pOS^{o}	\mathbf{p}^c_{\star}	\mathbf{p}^o_{\star}
BRH2ZZhigh	$\Gamma^{\rm LO}(H_2 \to ZZ)$	0.989	0.989	1.008	1.008
	$\Gamma^{\rm NLO}(H_2 \to ZZ)$	1.120	1.122	1.142	1.148
	$\Delta \Gamma^{H_2 Z Z}$ [%]	13.2	13.4	13.3	14.0
BRH3ZZhigh	$\Gamma^{\rm LO}(H_3 \to ZZ)$	0.755	0.755	0.782	0.782
	$\Gamma^{\rm NLO}(H_3 \to ZZ)$	0.872	0.867	0.890	0.889
	$\Delta \Gamma^{H_3 Z Z} [\%]$	15.6	14.9	13.9	13.7
BRH2ZZlow	$\Gamma^{\rm LO}(H_2 \to ZZ)$	3.130×10^{-2}	3.130×10^{-2}	2.529×10^{-2}	$2.533{ imes}10^{-2}$
	$\Gamma^{\rm NLO}(H_2 \to ZZ)$	3.042×10^{-2}	3.040×10^{-2}	2.840×10^{-2}	2.745×10^{-2}
	$\Delta \Gamma^{H_2 Z Z} [\%]$	-2.8	-2.9	12.3	8.4
BRH3ZZlow	$\Gamma^{\rm LO}(H_3 \to ZZ)$	2.870×10^{-2}	2.869×10^{-2}	3.430×10^{-2}	3.418×10^{-2}
	$\Gamma^{\rm NLO}(H_3 \to ZZ)$	2.990×10^{-2}	3.011×10^{-2}	3.593×10^{-2}	3.738×10^{-2}
	$\Delta \Gamma^{H_3 Z Z} [\%]$	4.2	5.0	4.8	9.3

What can we do with all this?

a) New scalar is found – include the corrections and go home. They are probably too small anyway to be sure which model it is.

b) Nothing new is found but there is a deviation - check for the thousand parameter combinations that can explain the deviation. Maybe you're lucky!... Not likely...

c) None of the above - do nothing!

Table 7: Higgs decay widths (in GeV) at LO and NLO EW accuracy as well as the relative corrections for the N2HDM benchmarks presented in Table 6 and four different renormalization schemes.