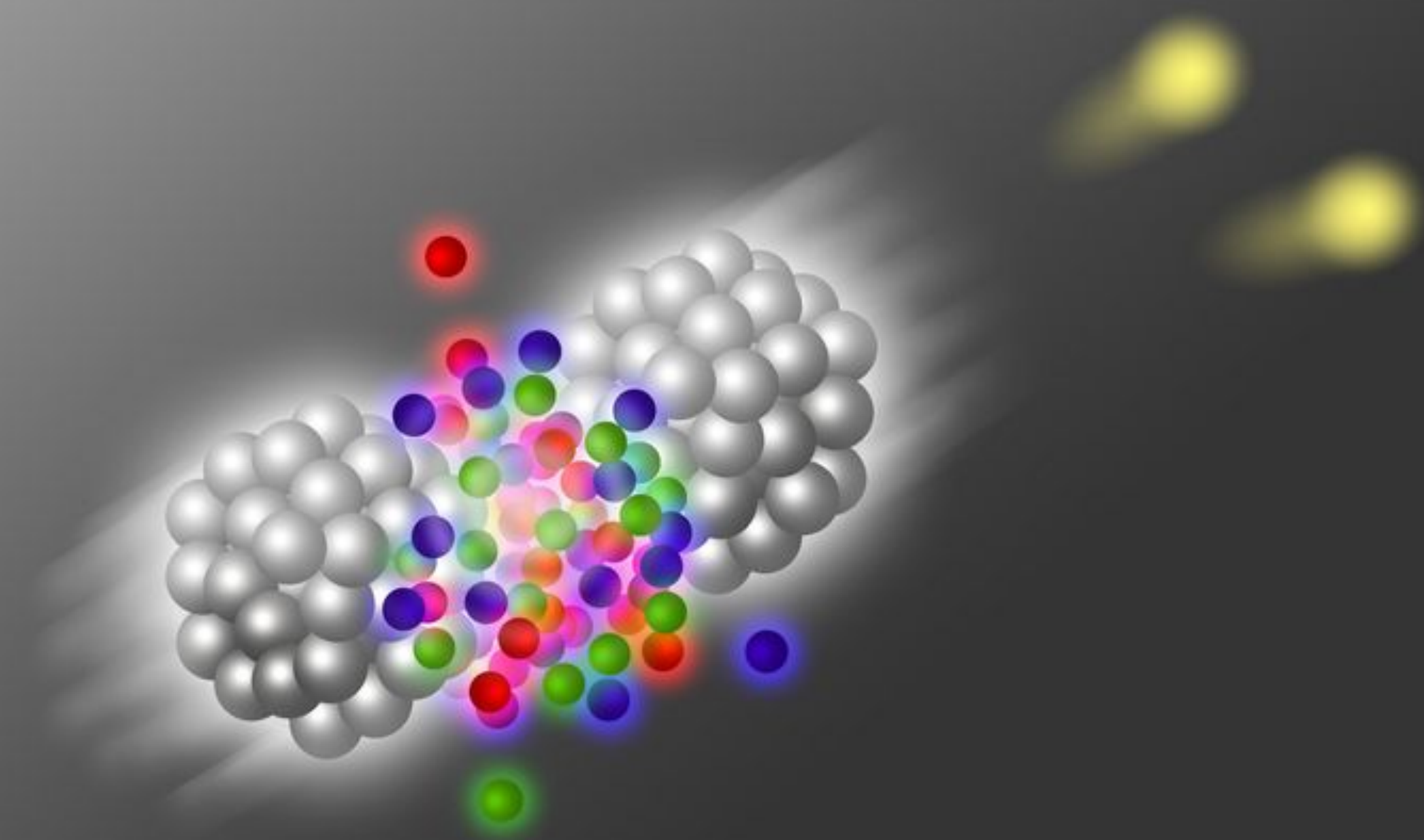


# Opportunities and Future directions for Heavy-Ions



Liliana Apolinário

Guilherme Milhano



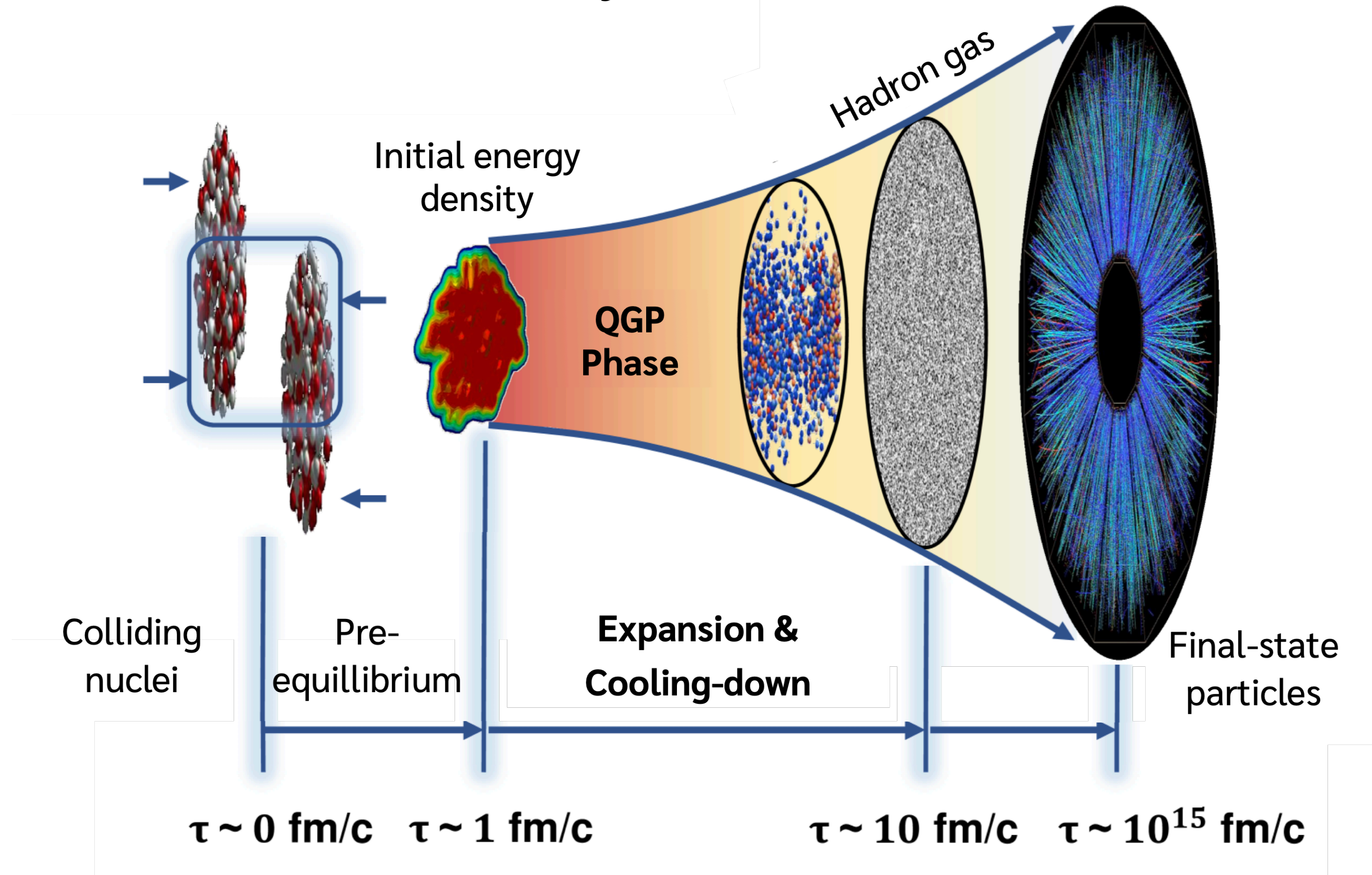
TÉCNICO  
LISBOA



# Heavy-Ion Collisions

- Ultra-relativistic heavy-ion collision
- **Quark-Gluon Plasma (QGP):** new state of QCD matter made of quarks and gluons

## Relativistic Heavy-Ion collision evolution

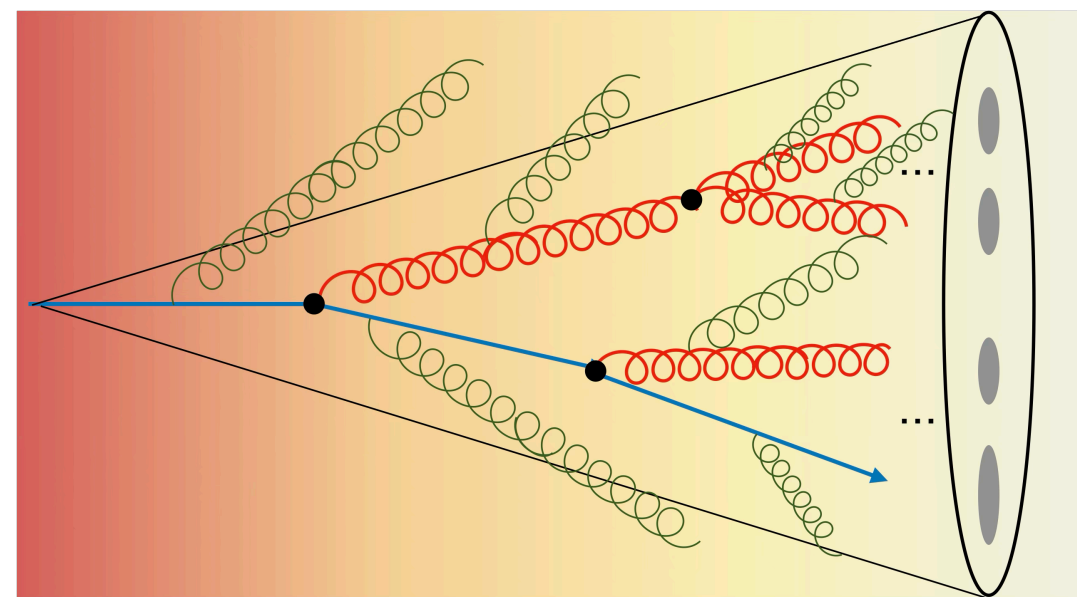




# Heavy-Ion Collisions

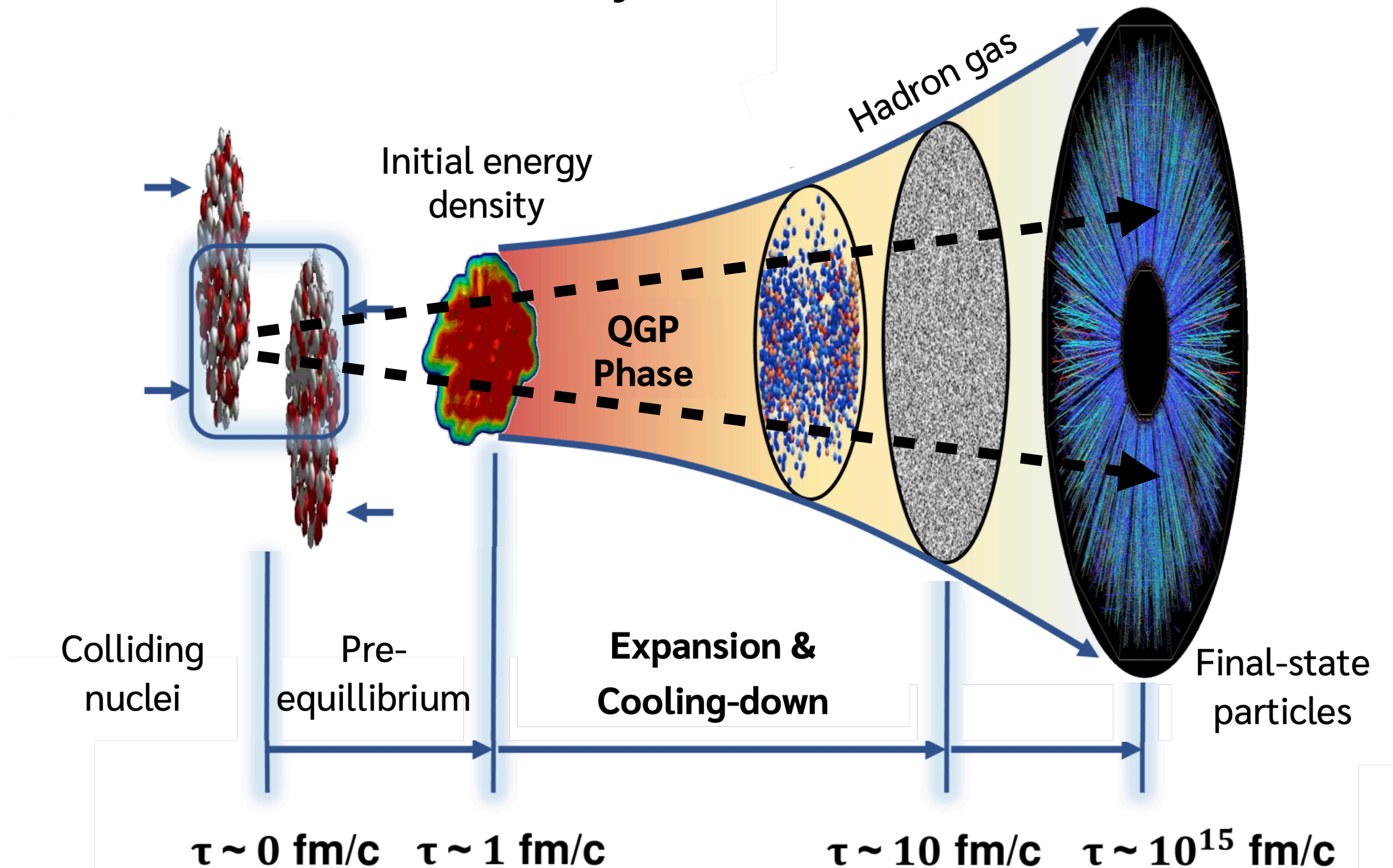
- Ultra-relativistic heavy-ion collision
- Quark-Gluon Plasma (QGP): new state of QCD matter made of quarks and gluons

*Jets will propagate and interact with the produced QGP resulting into **jet energy loss** and **changes on jet substructure***



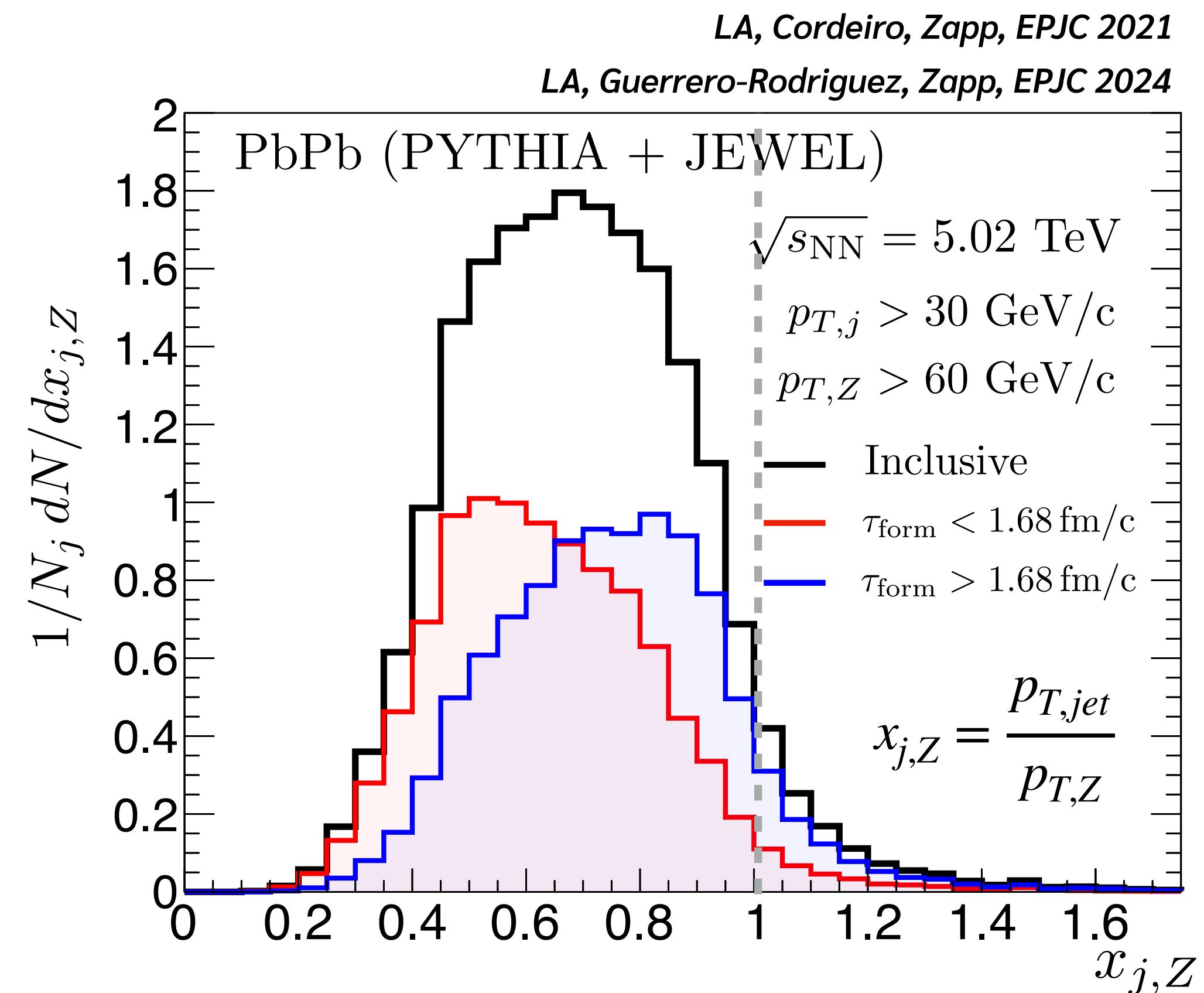
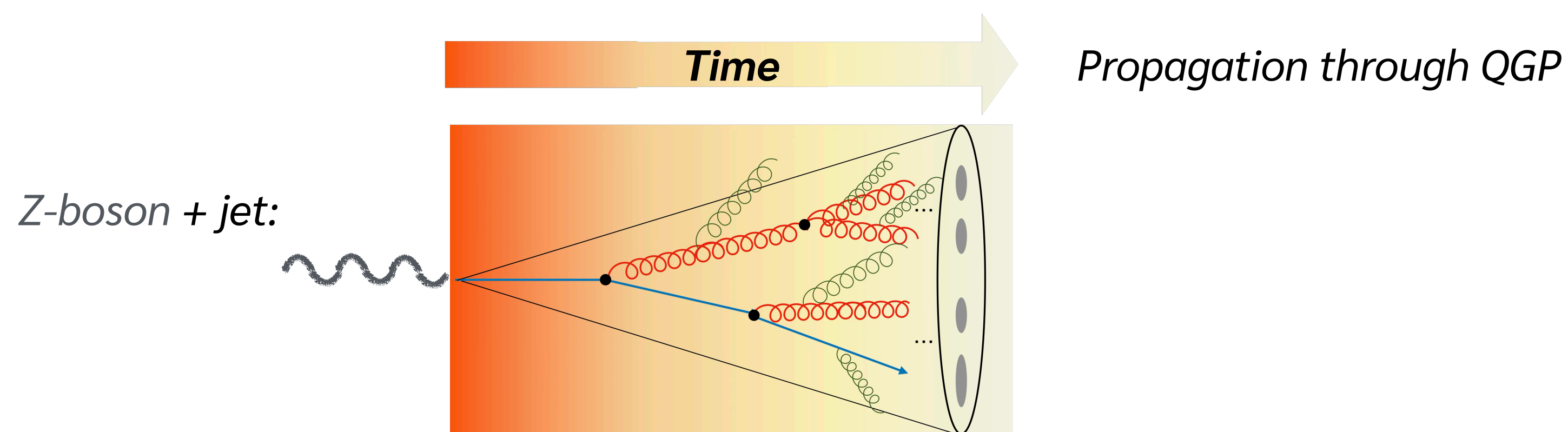
**Jet Quenching**

## Relativistic Heavy-Ion collision evolution



# Jet $\tau$ Reclustering

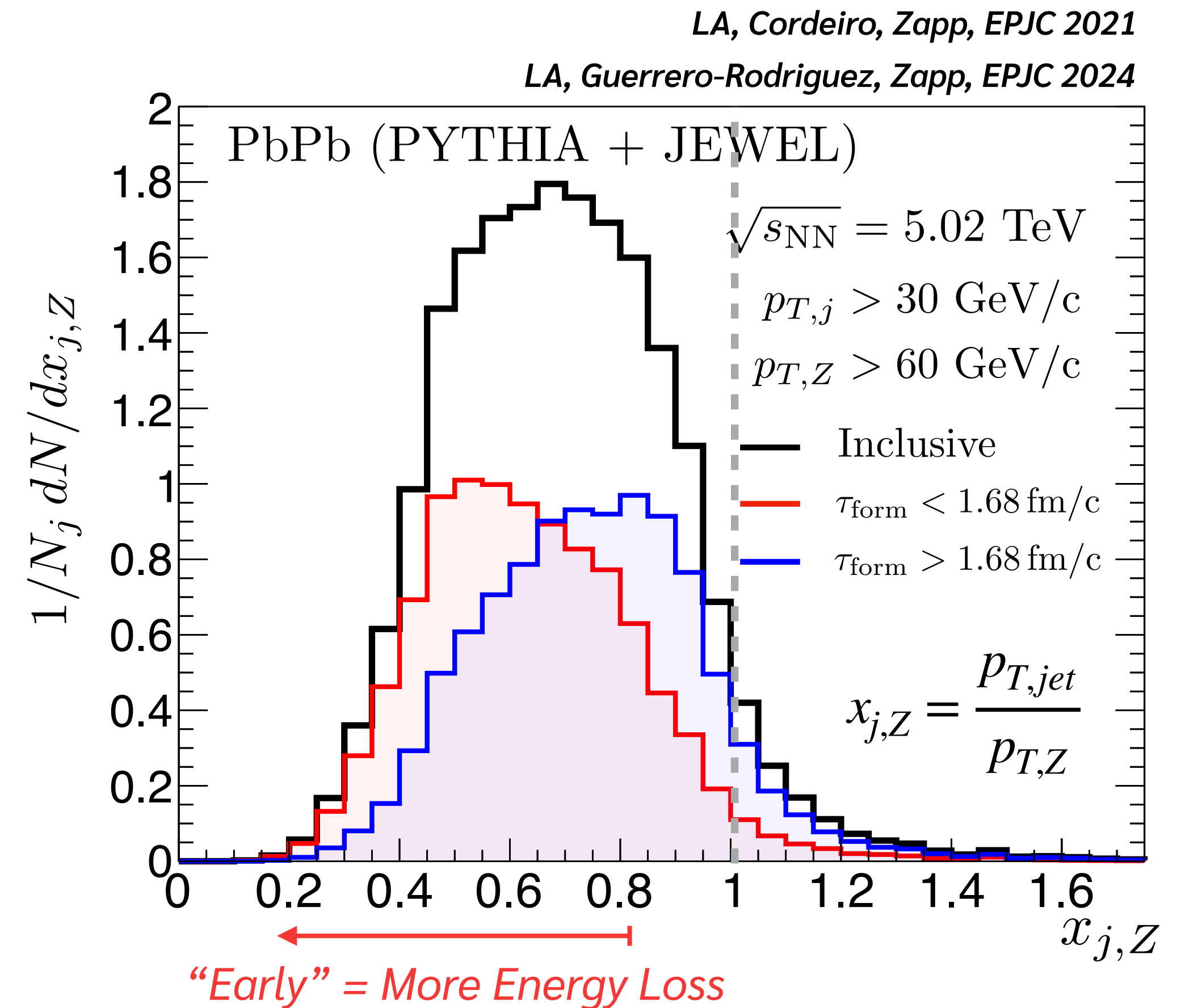
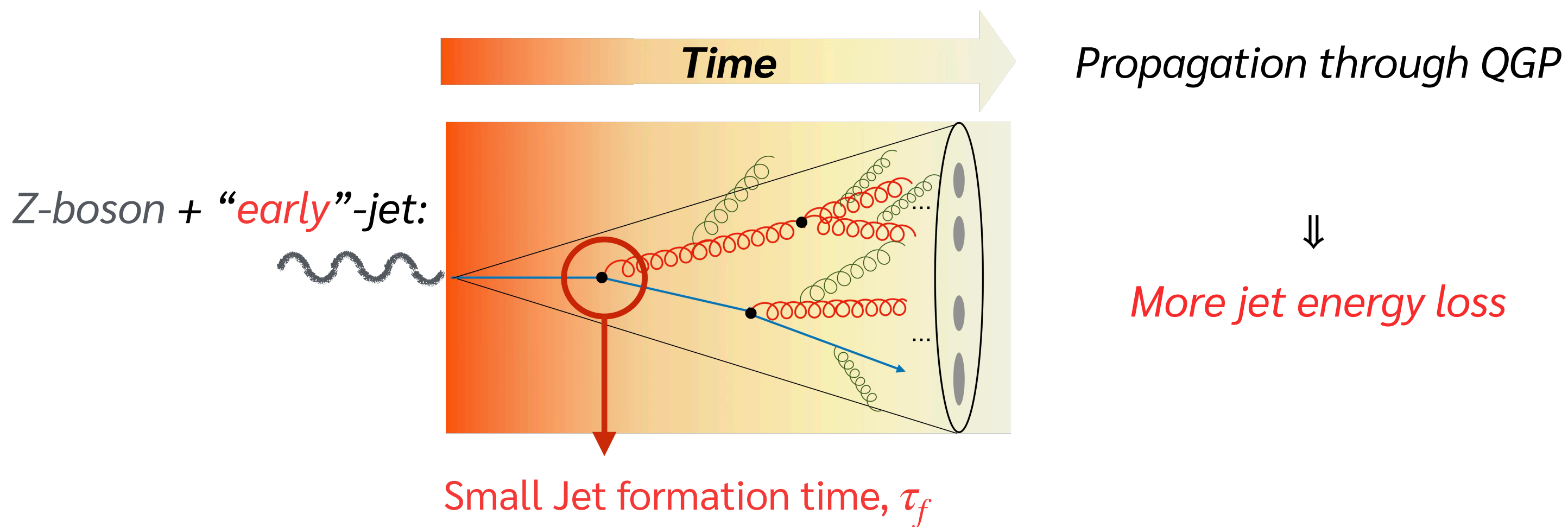
- In heavy-ion collisions, formation time allows to **select jets strongly modified by the QGP**





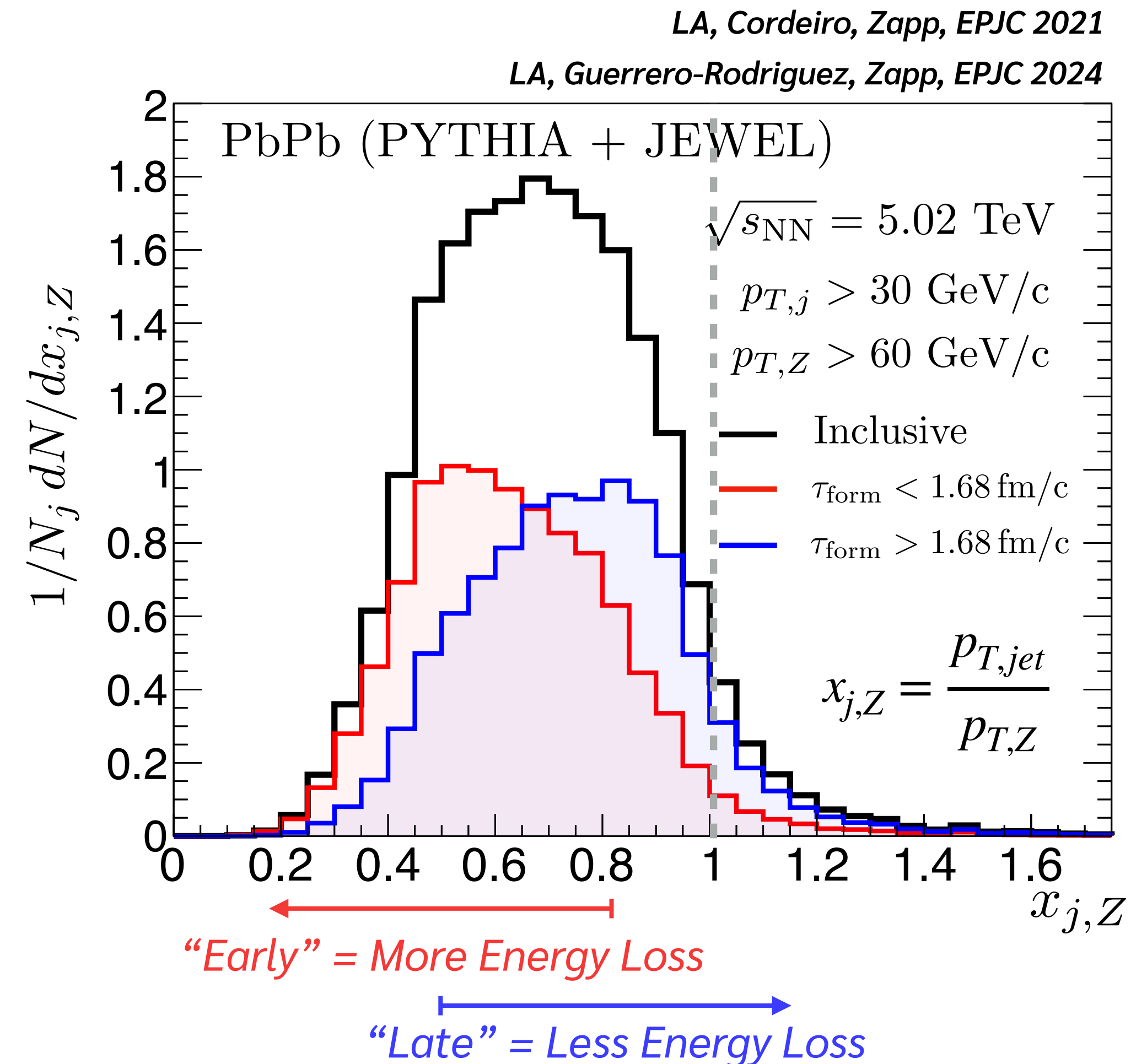
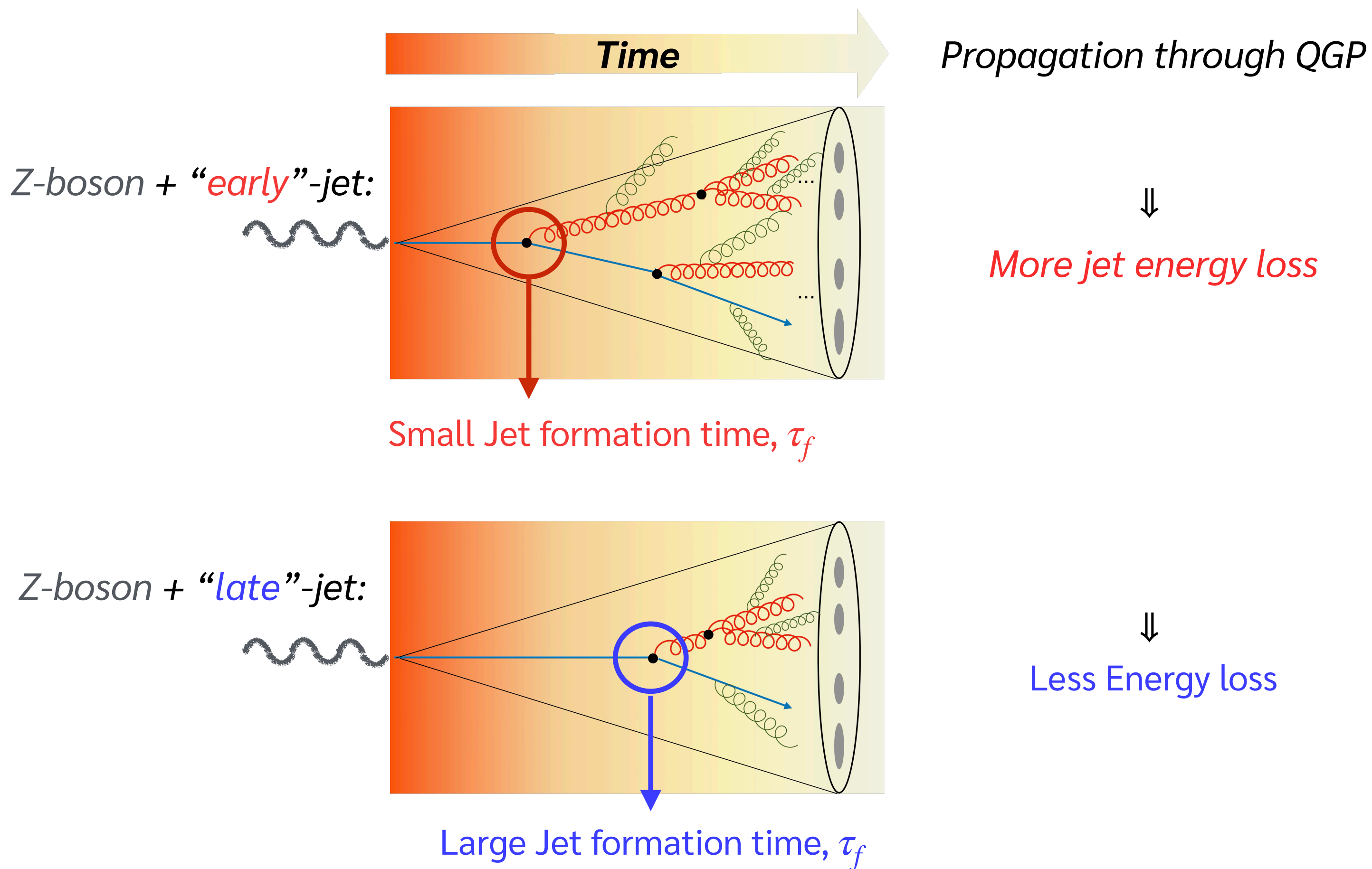
# Jet $\tau$ Reclustering

- In heavy-ion collisions, formation time allows to **select jets strongly modified by the QGP**



# Jet $\tau$ Reclustering

- In heavy-ion collisions, formation time allows to **select jets strongly modified by the QGP**

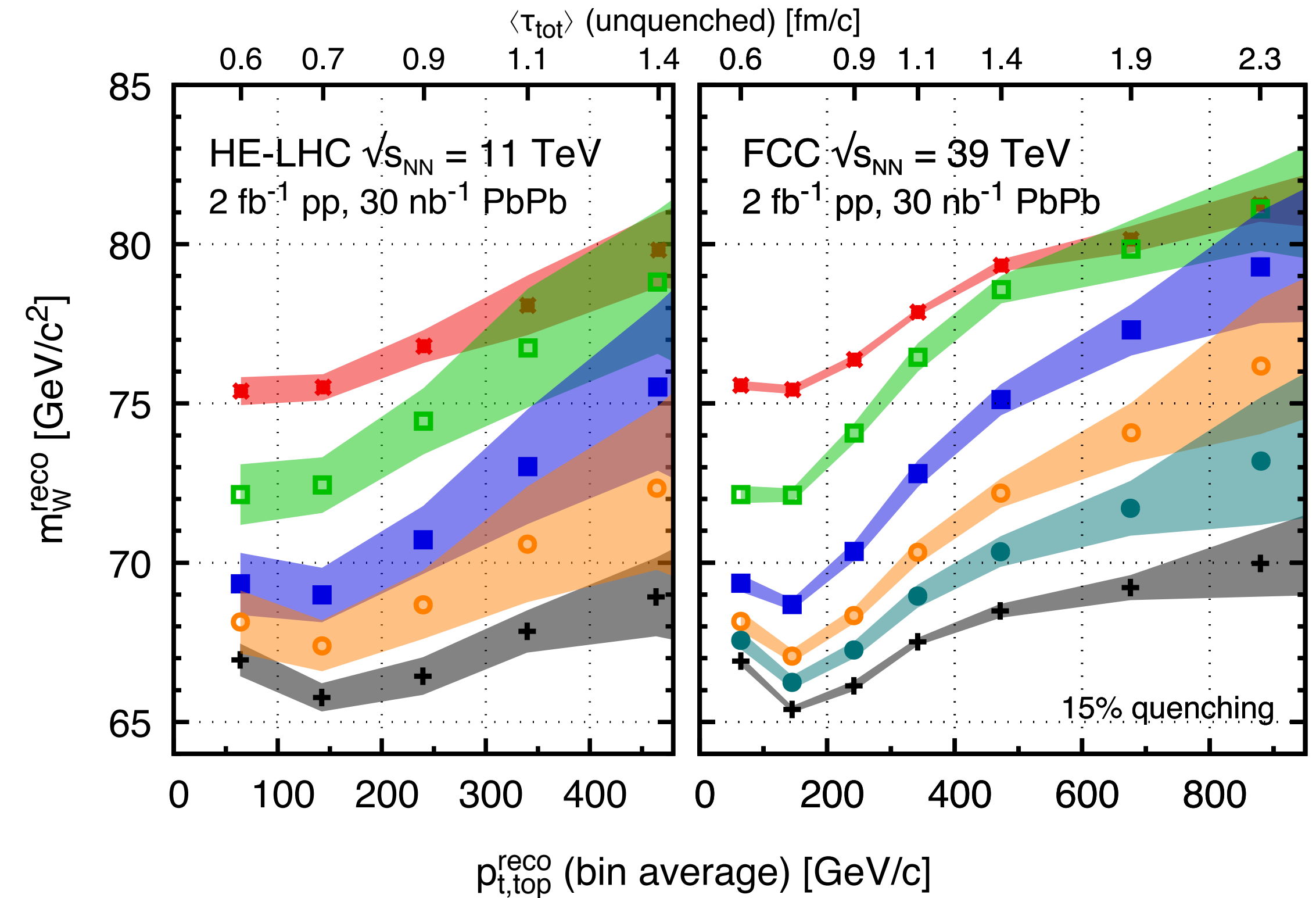
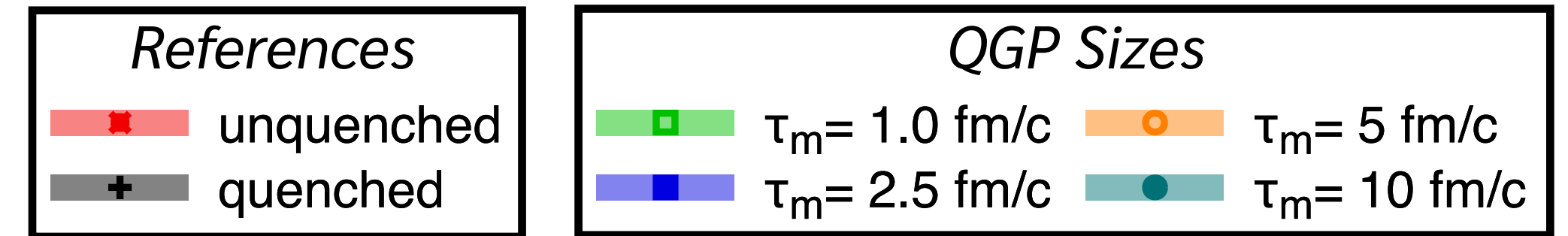
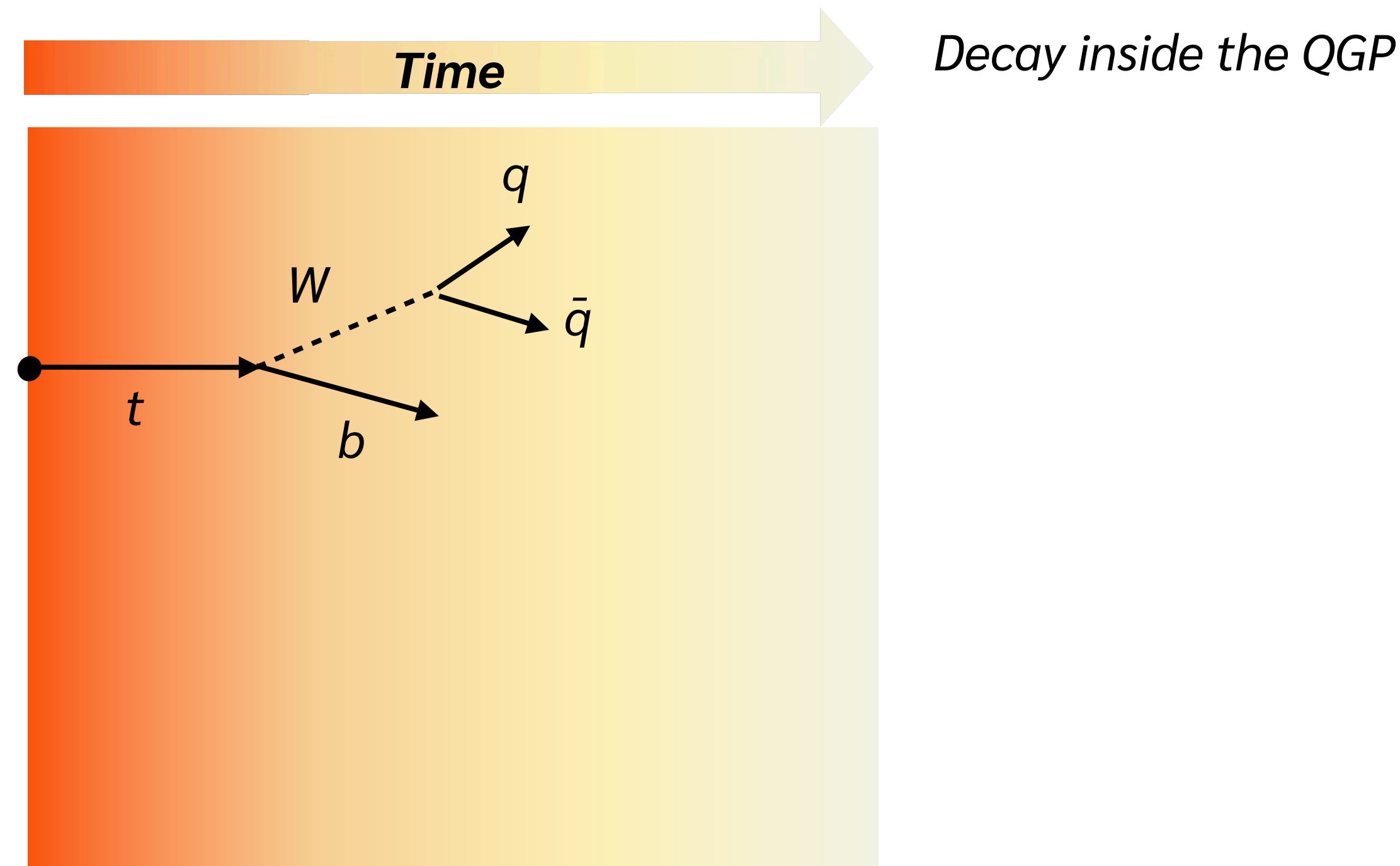




# Boosted tops

- Time at which hadronic particles start to “see” QGP will depend on the boost of the top quark

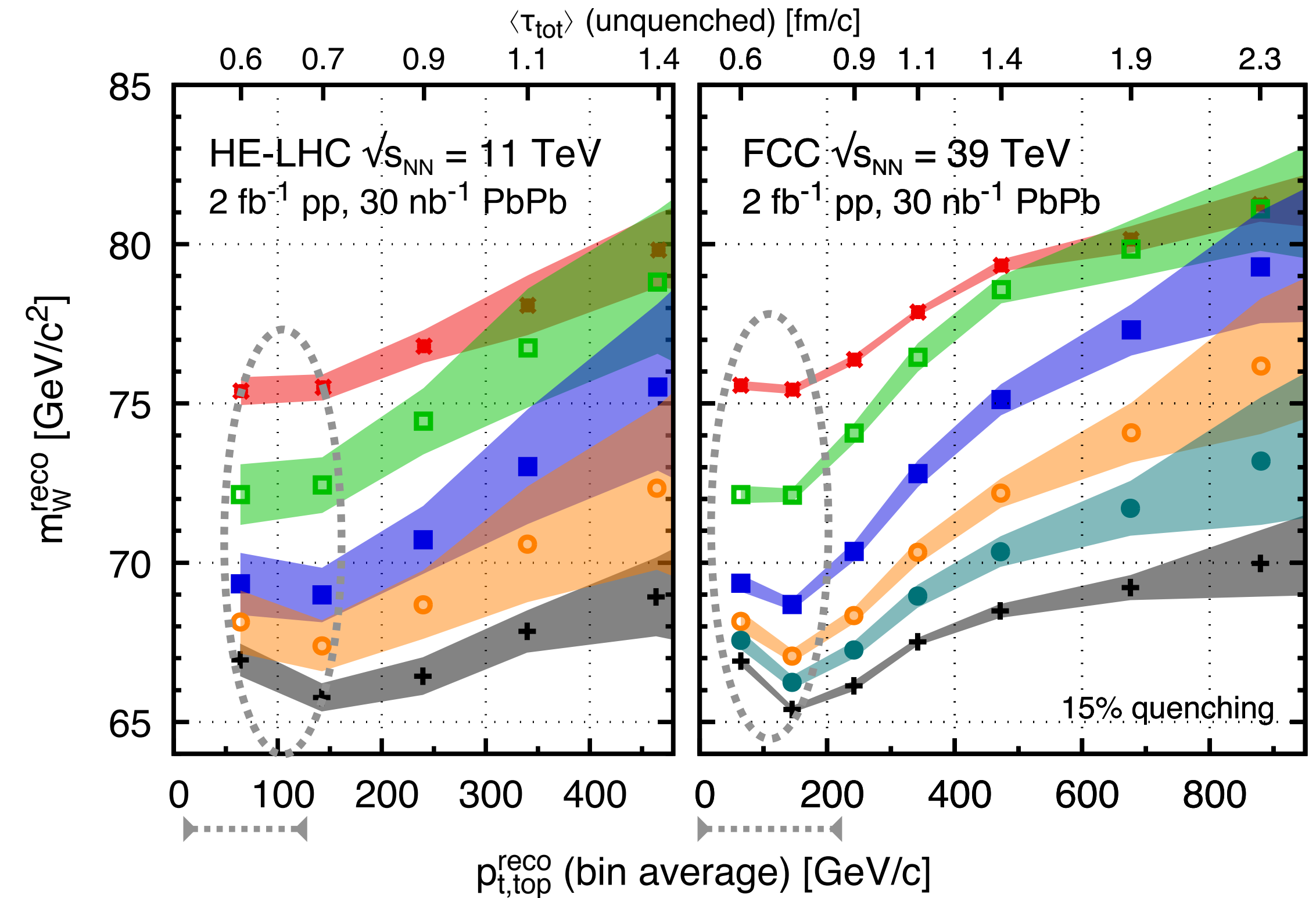
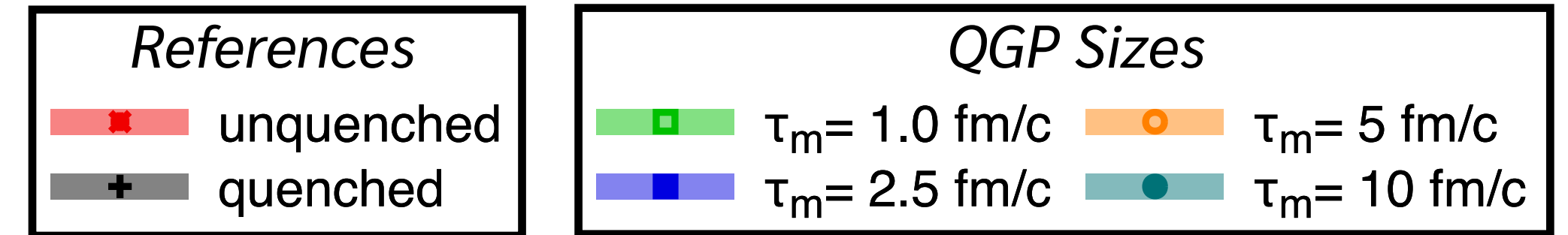
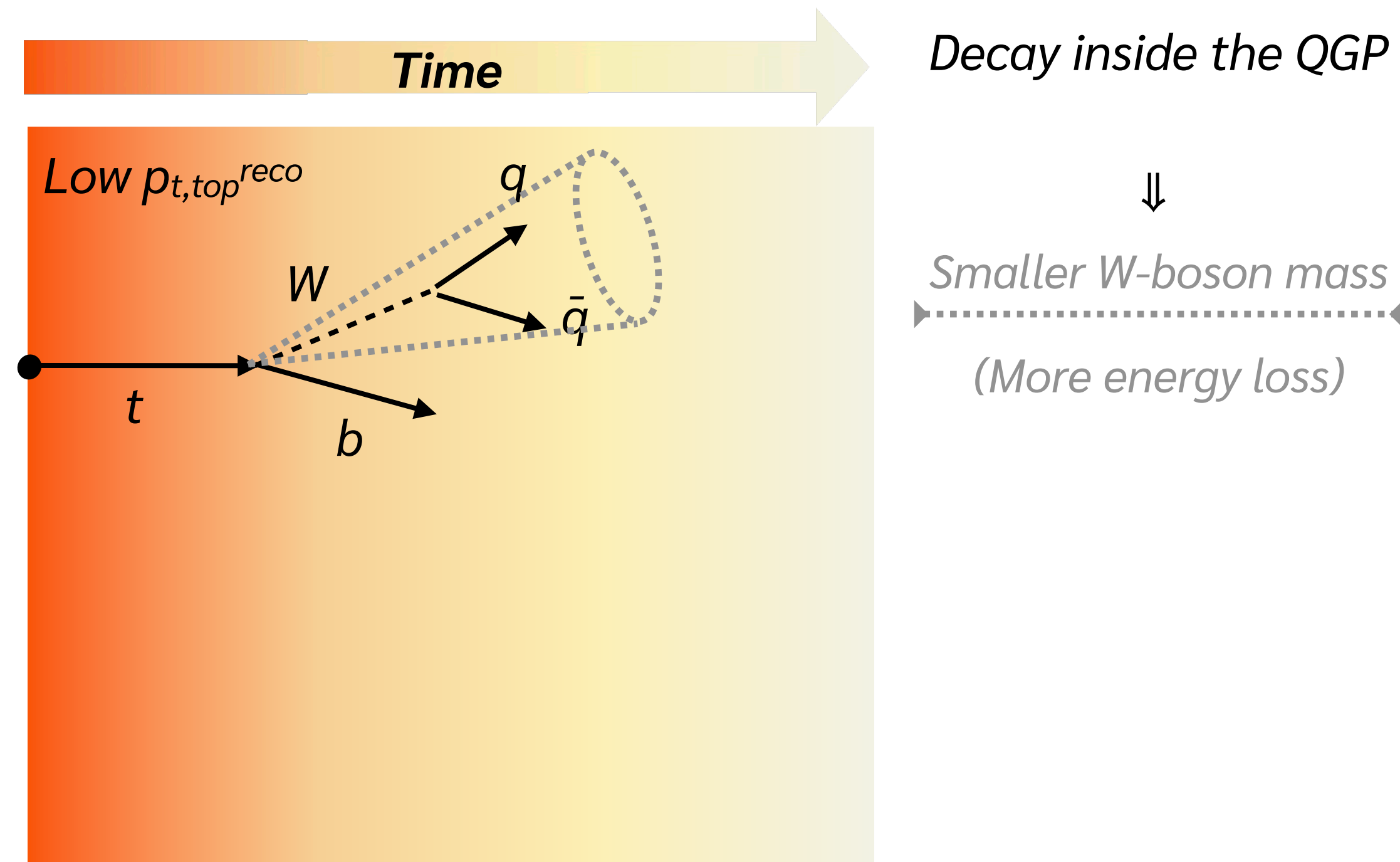
LA, Milhano, Salgado, Salam, PRL 2019



# Boosted tops

- Time at which hadronic particles start to “see” QGP will depend on the boost of the top quark

LA, Milhano, Salgado, Salam, PRL 2019

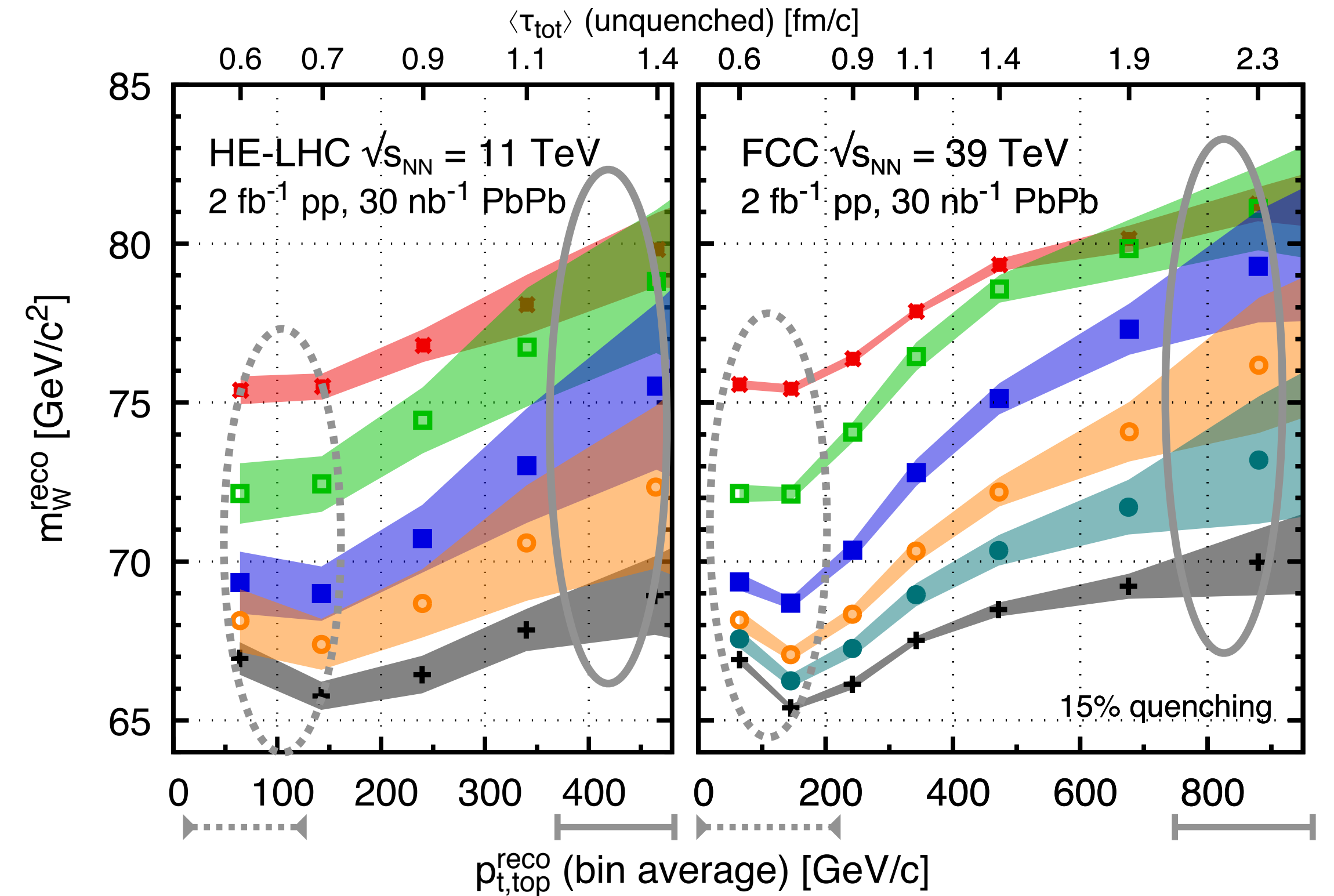
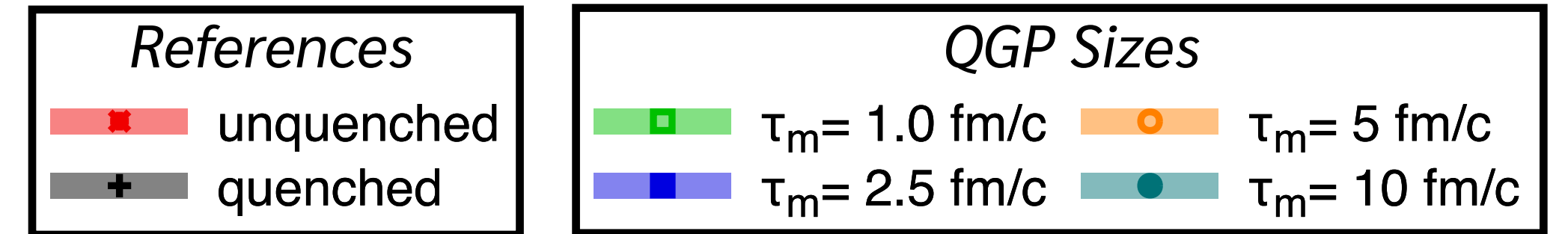
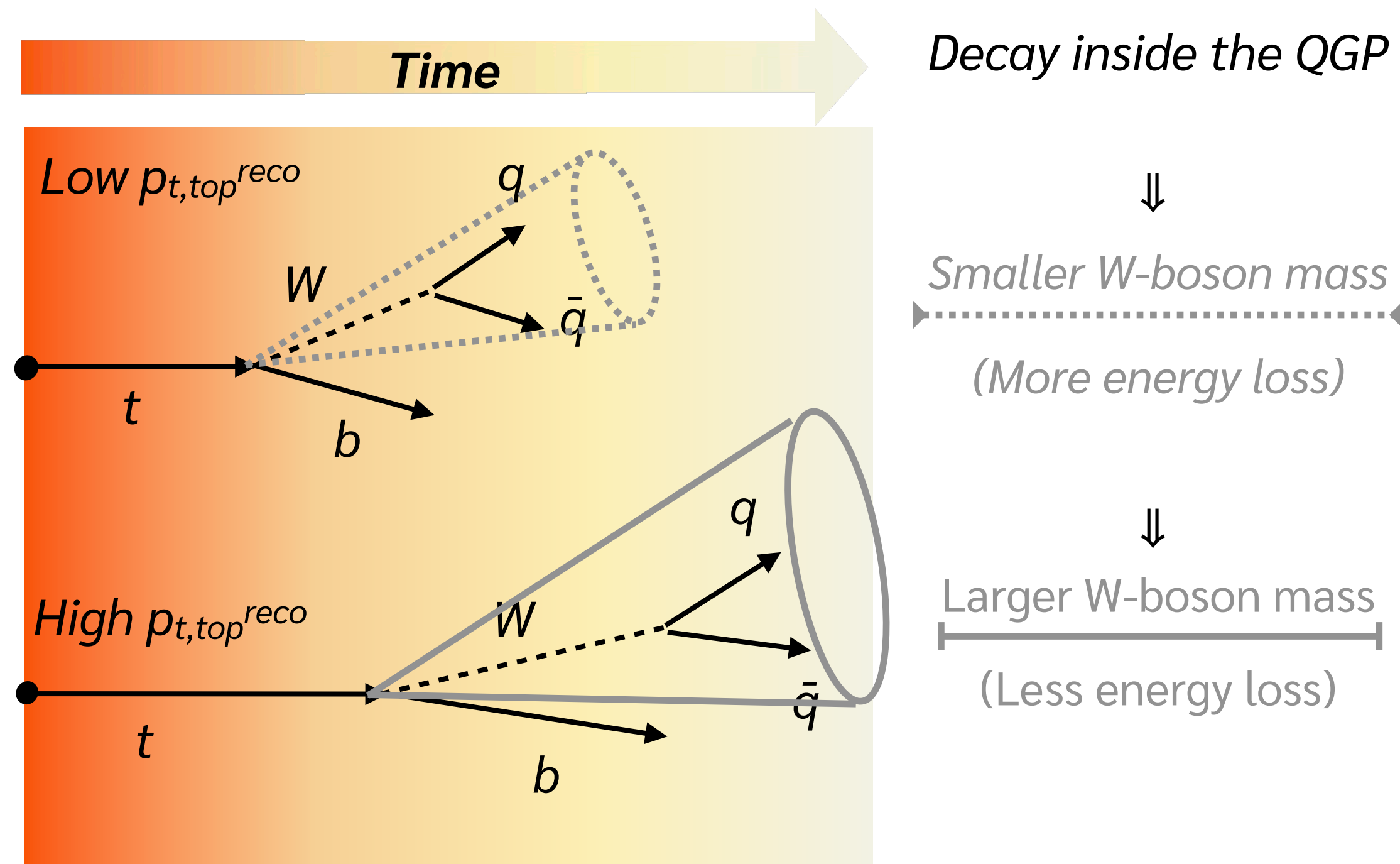




# Boosted tops

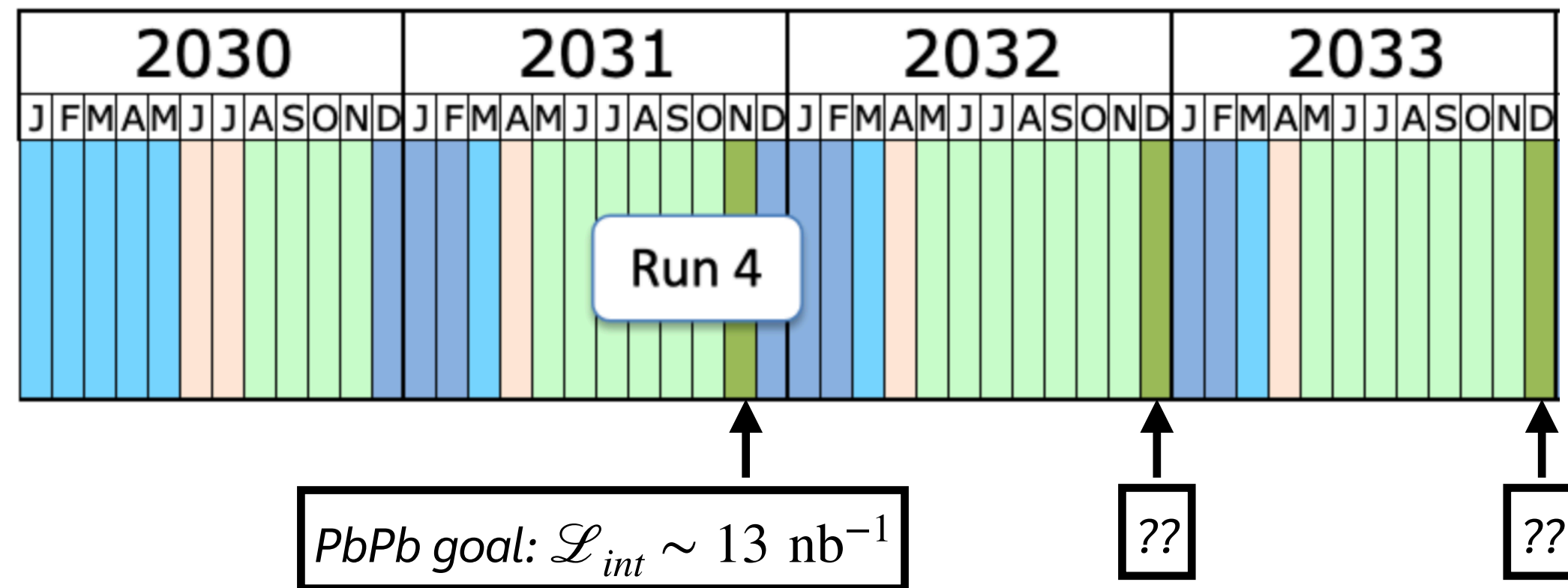
- Time at which hadronic particles start to “see” QGP will depend on the boost of the top quark

LA, Milhano, Salgado, Salam, PRL 2019



# Small Systems @ LHC

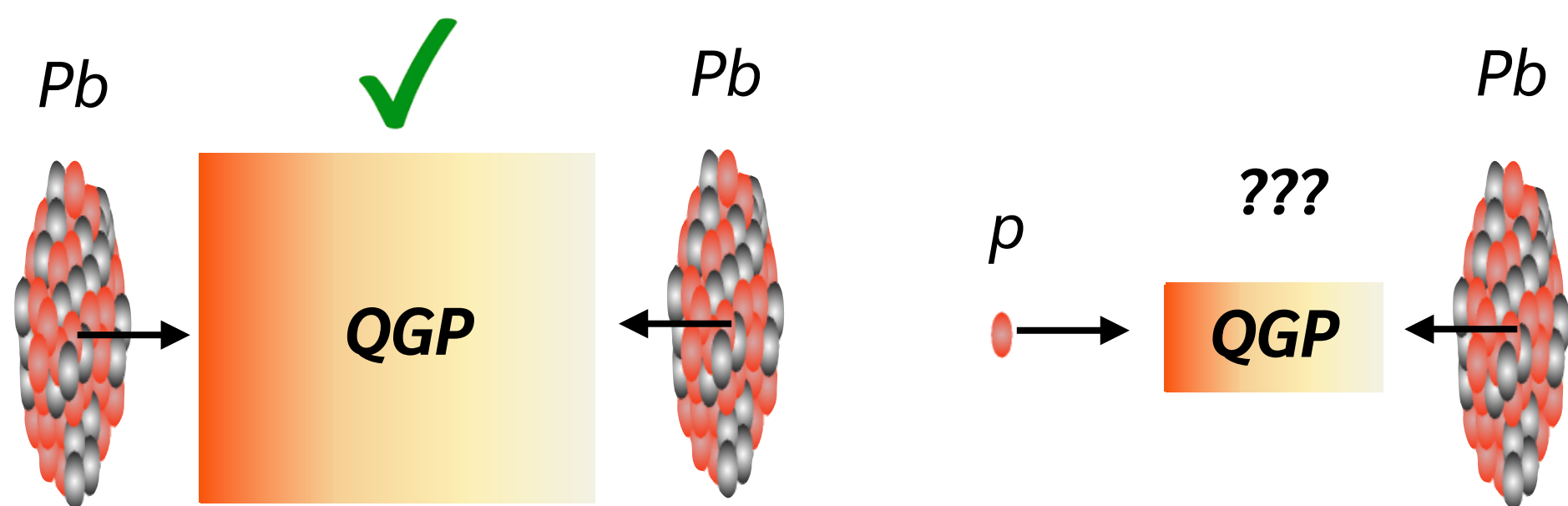
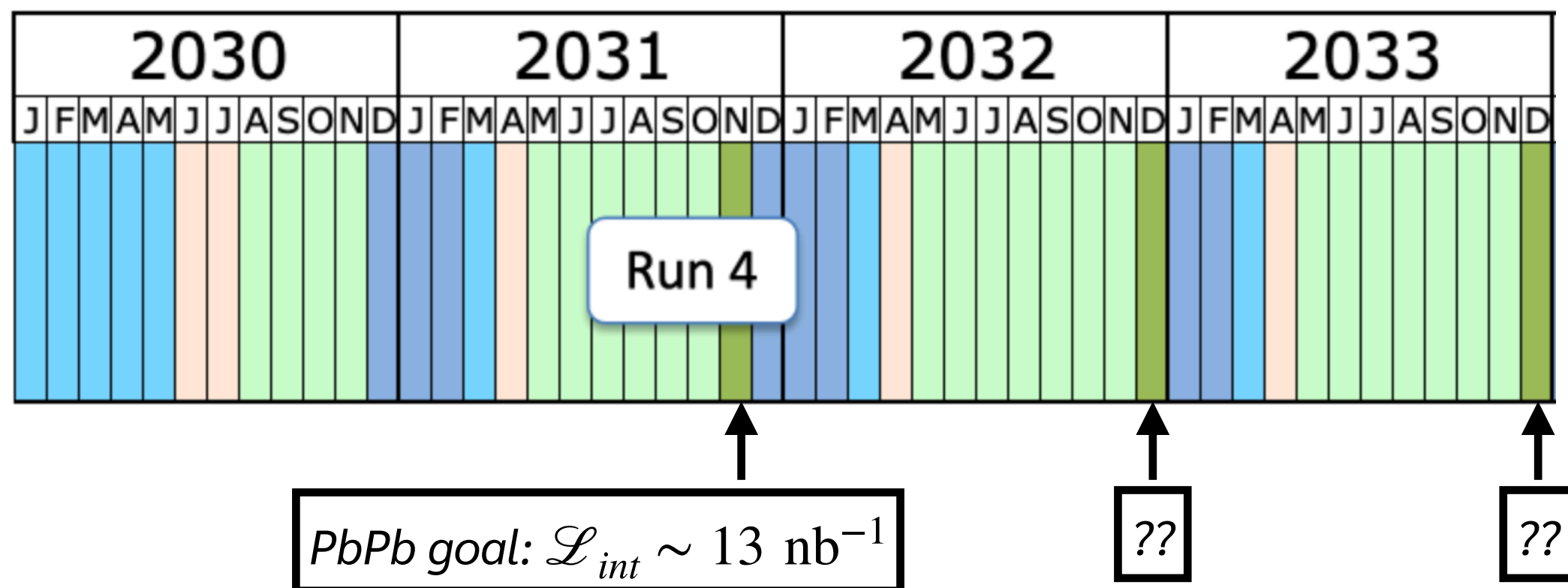
Reveal the critical conditions for QGP formation





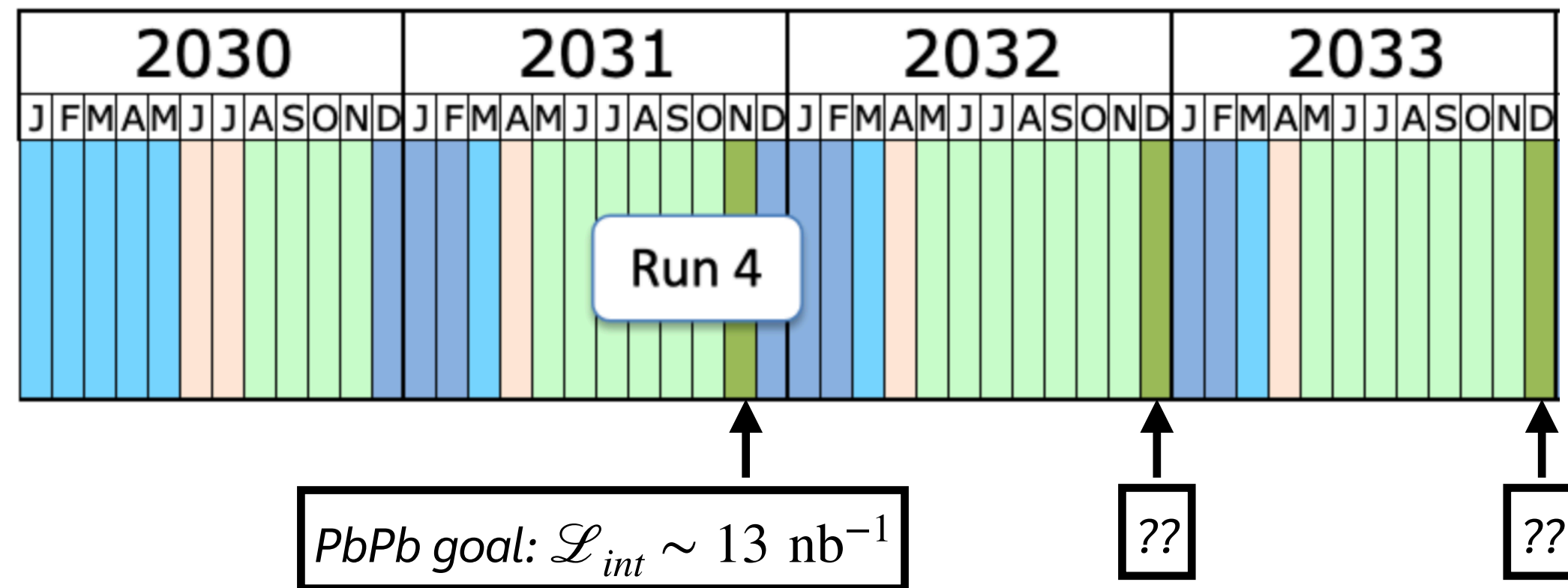
# Small Systems @ LHC

Reveal the critical conditions for QGP formation

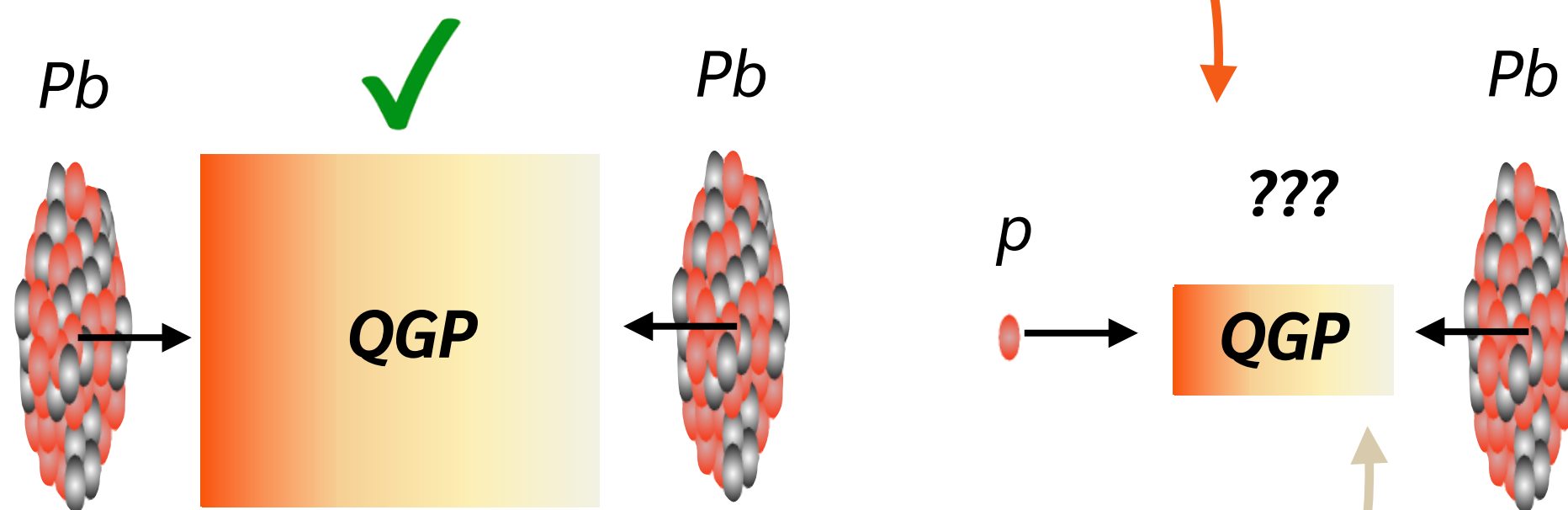


# Small Systems @ LHC

Reveal the critical conditions for QGP formation



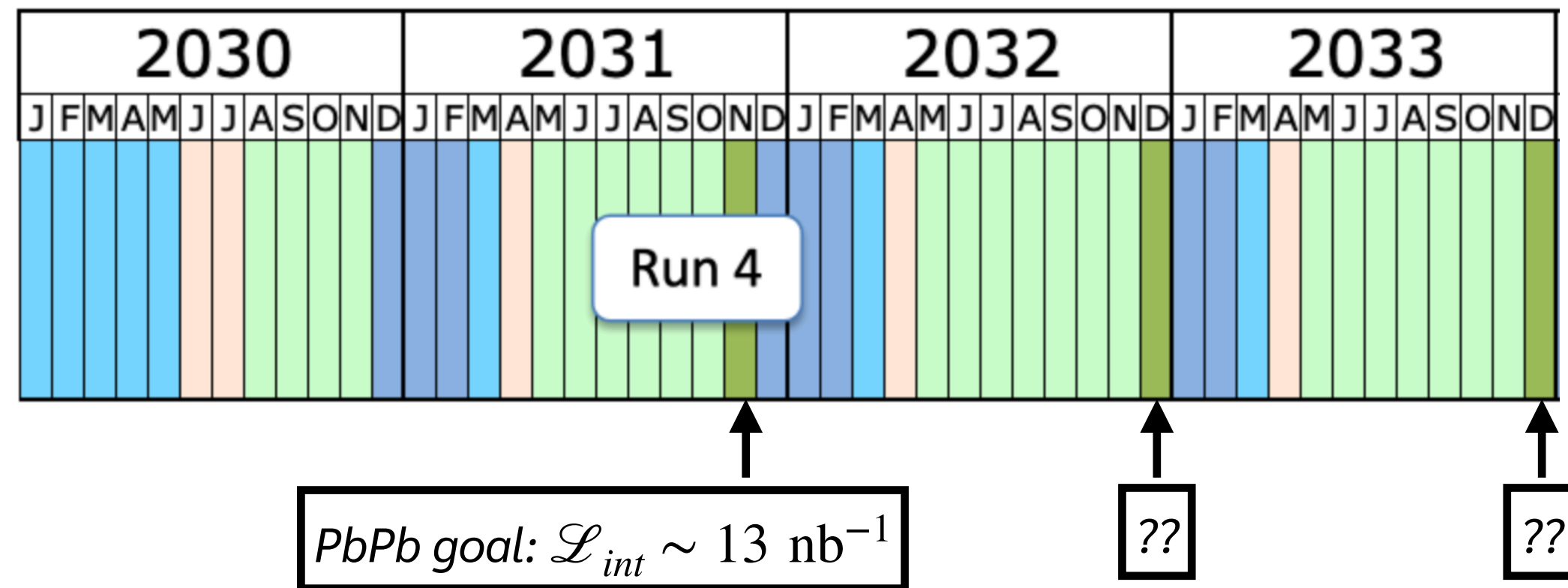
$\tau$ -Reclustering: **Early** QGP-tomography



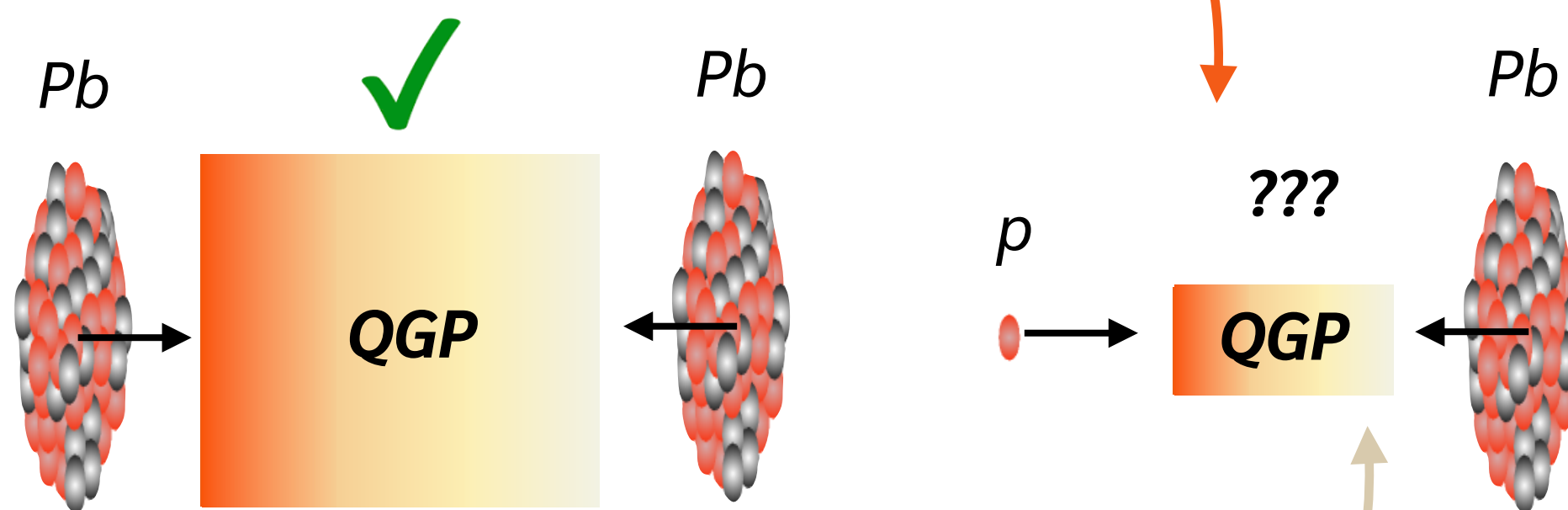
Boosted tops: **Delayed** QGP-tomography

# Small Systems @ LHC

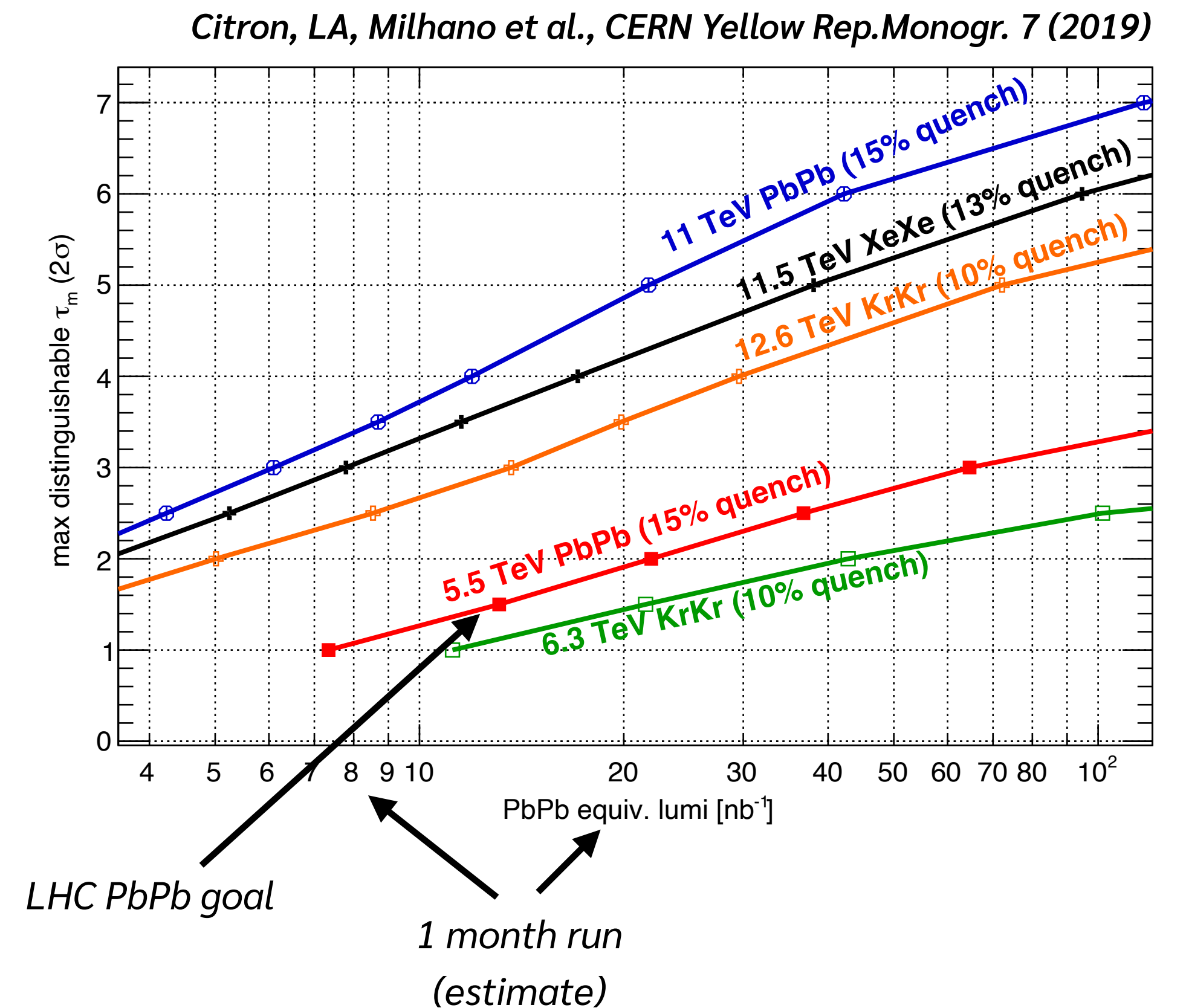
Reveal the critical conditions for QGP formation



$\tau$ -Reclustering: **Early** QGP-tomography



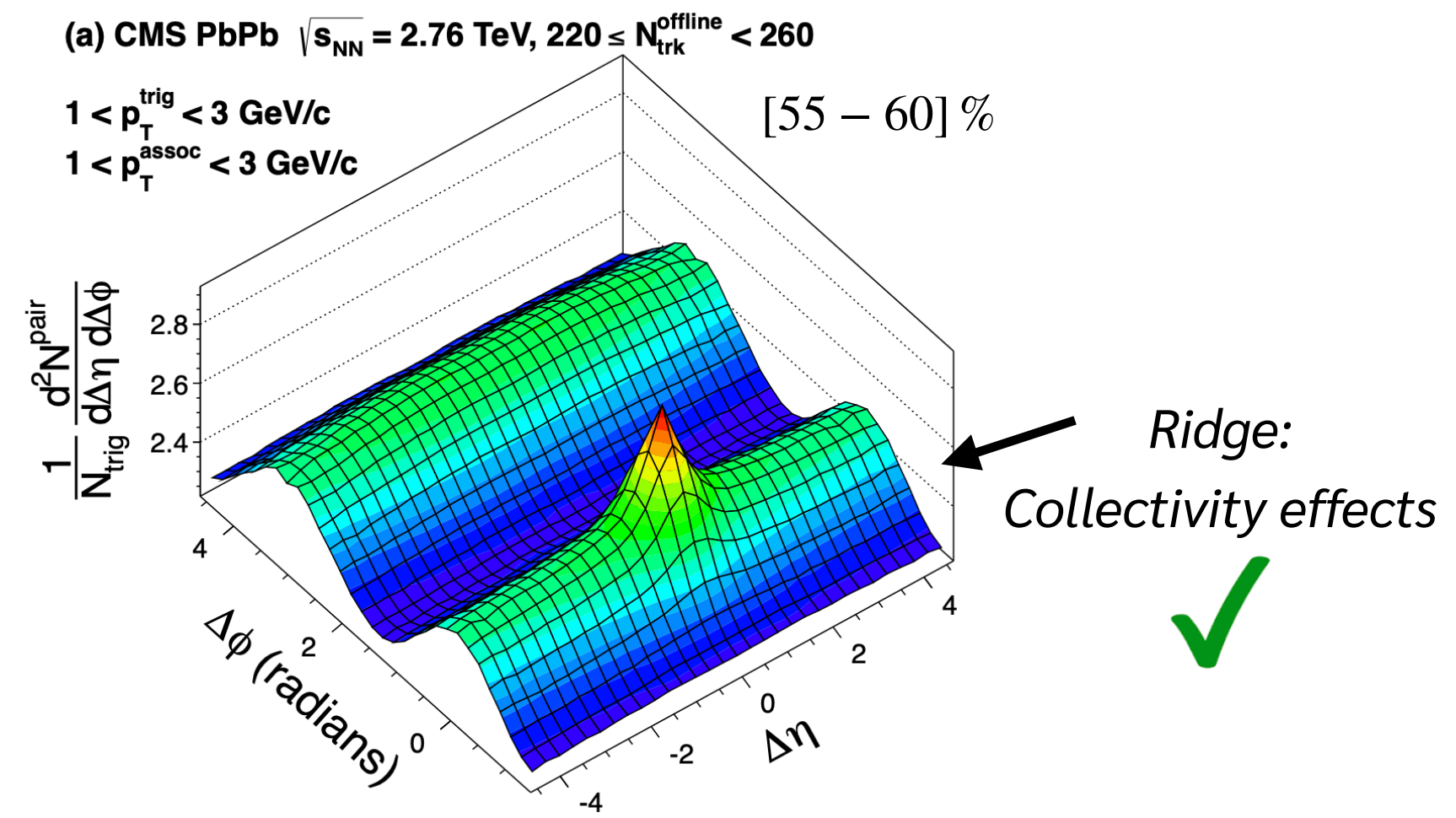
Boosted tops: **Delayed** QGP-tomography





# FCC

## Reference for QGP studies



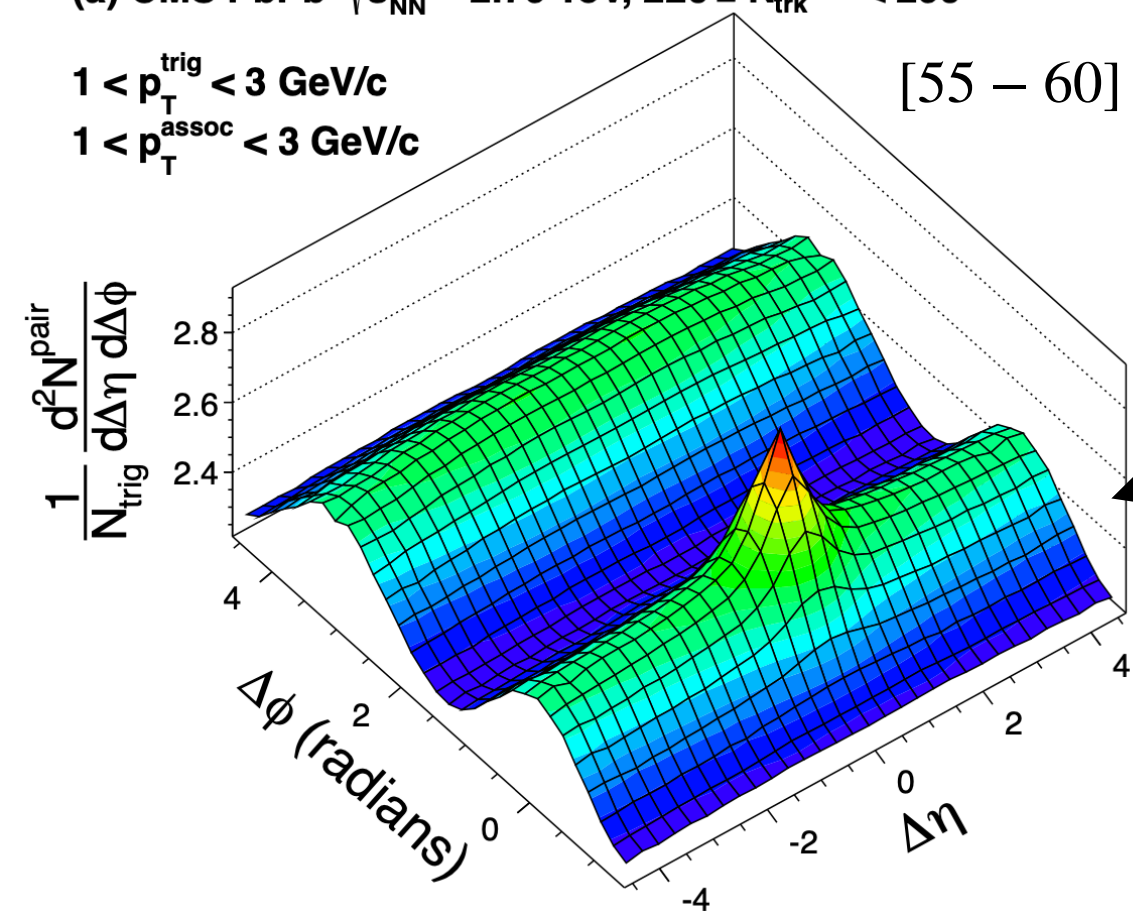
# FCC

## Reference for QGP studies

(a) CMS PbPb  $\sqrt{s_{NN}} = 2.76$  TeV,  $220 \leq N_{trk}^{offline} < 260$

$1 < p_T^{trig} < 3$  GeV/c  
 $1 < p_T^{assoc} < 3$  GeV/c

[55 – 60] %

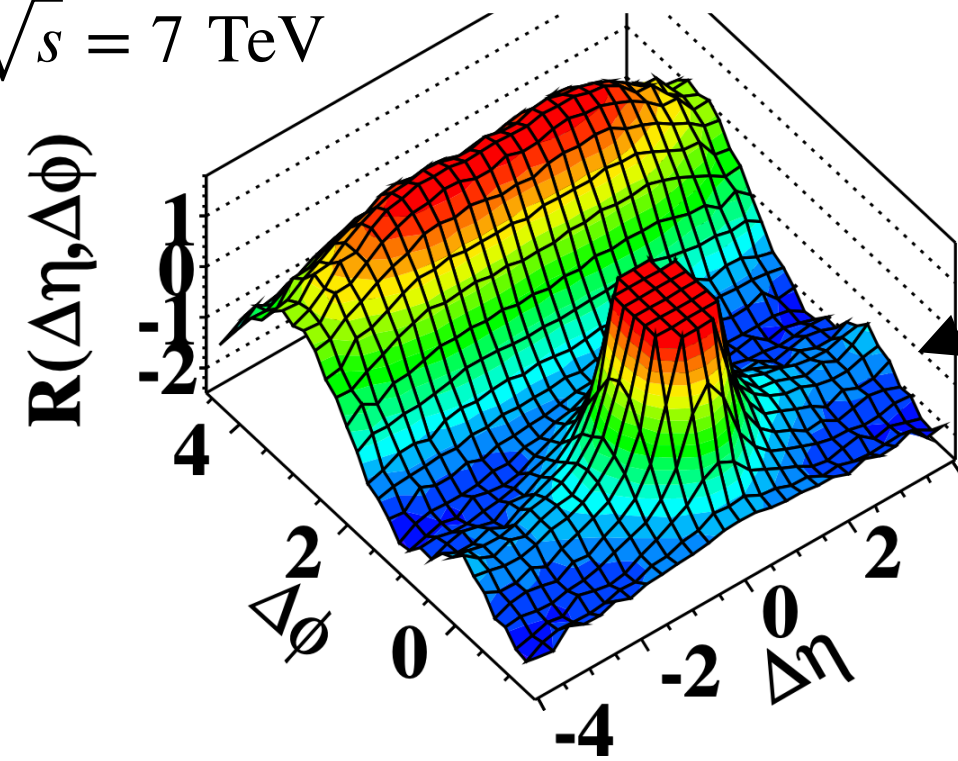


Ridge:  
Collectivity effects



(d) CMS  $N \geq 110$ ,  $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$

$pp \sqrt{s} = 7$  TeV



Ridge:  
???

# FCC

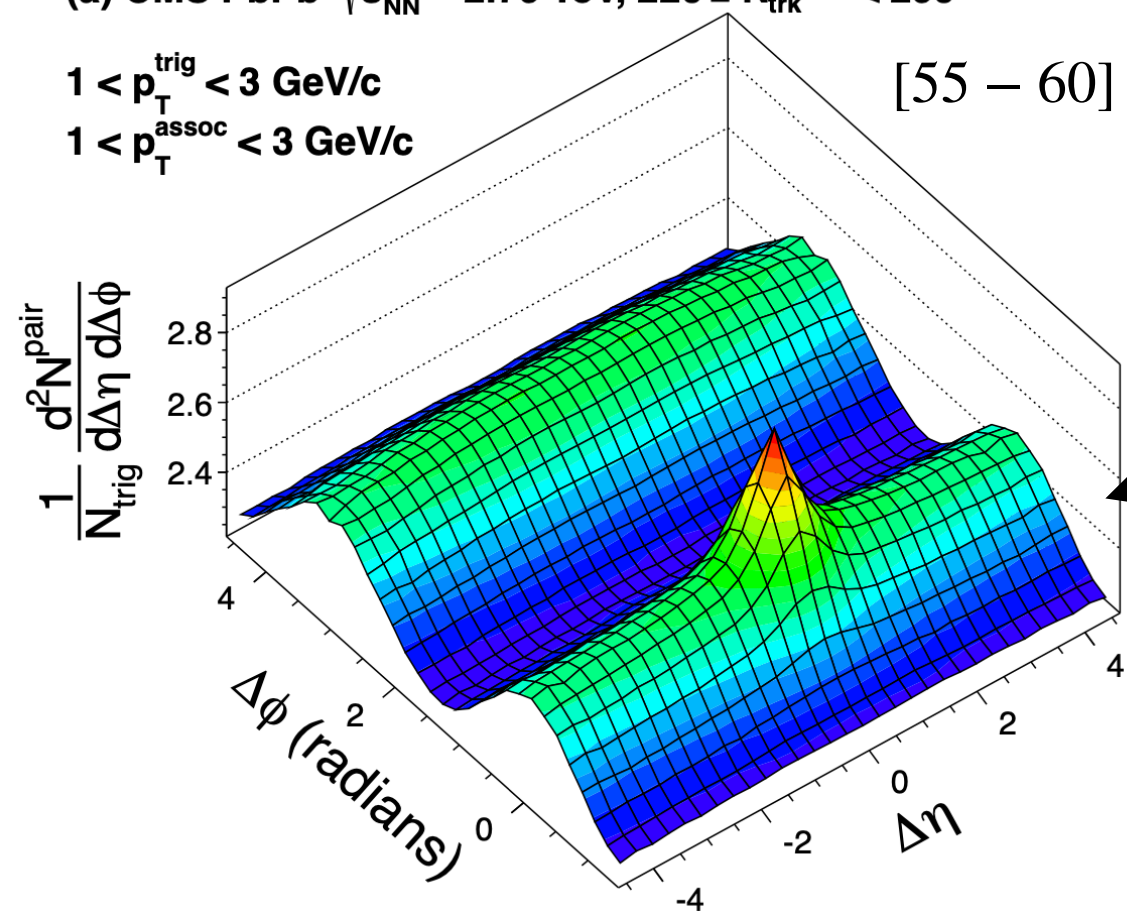
Reference for QGP studies

Uncover hadronization mechanisms and QCD confinement

(a) CMS PbPb  $\sqrt{s_{NN}} = 2.76$  TeV,  $220 \leq N_{trk}^{offline} < 260$

$1 < p_T^{trig} < 3$  GeV/c  
 $1 < p_T^{assoc} < 3$  GeV/c

[55 – 60] %

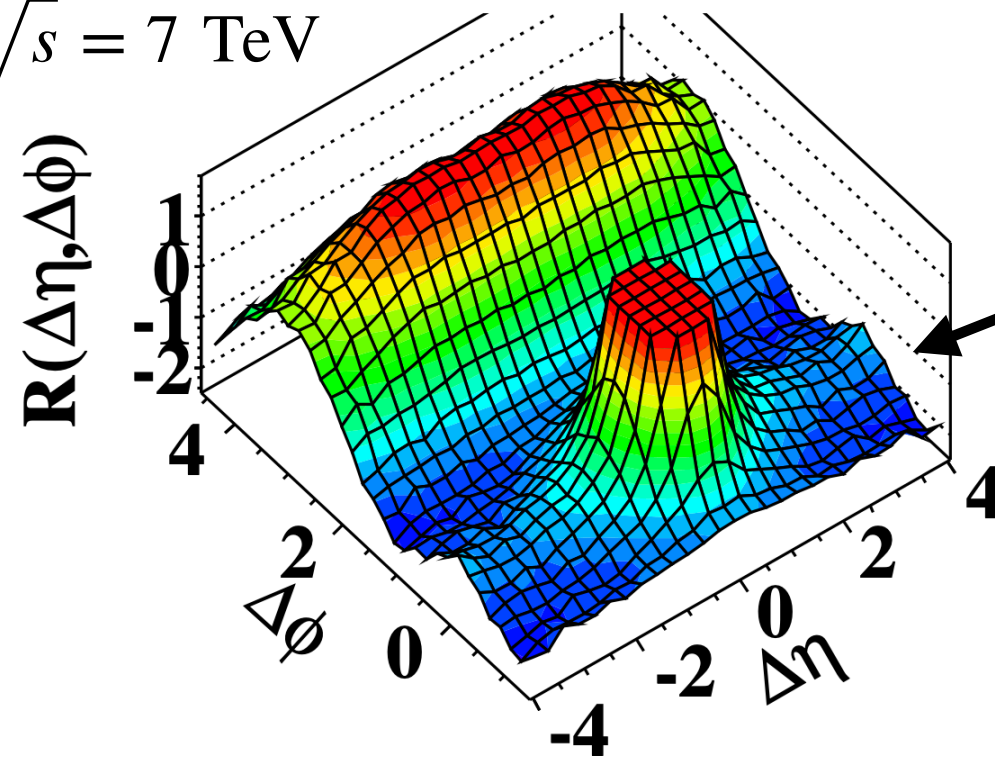


Ridge:  
Collectivity effects



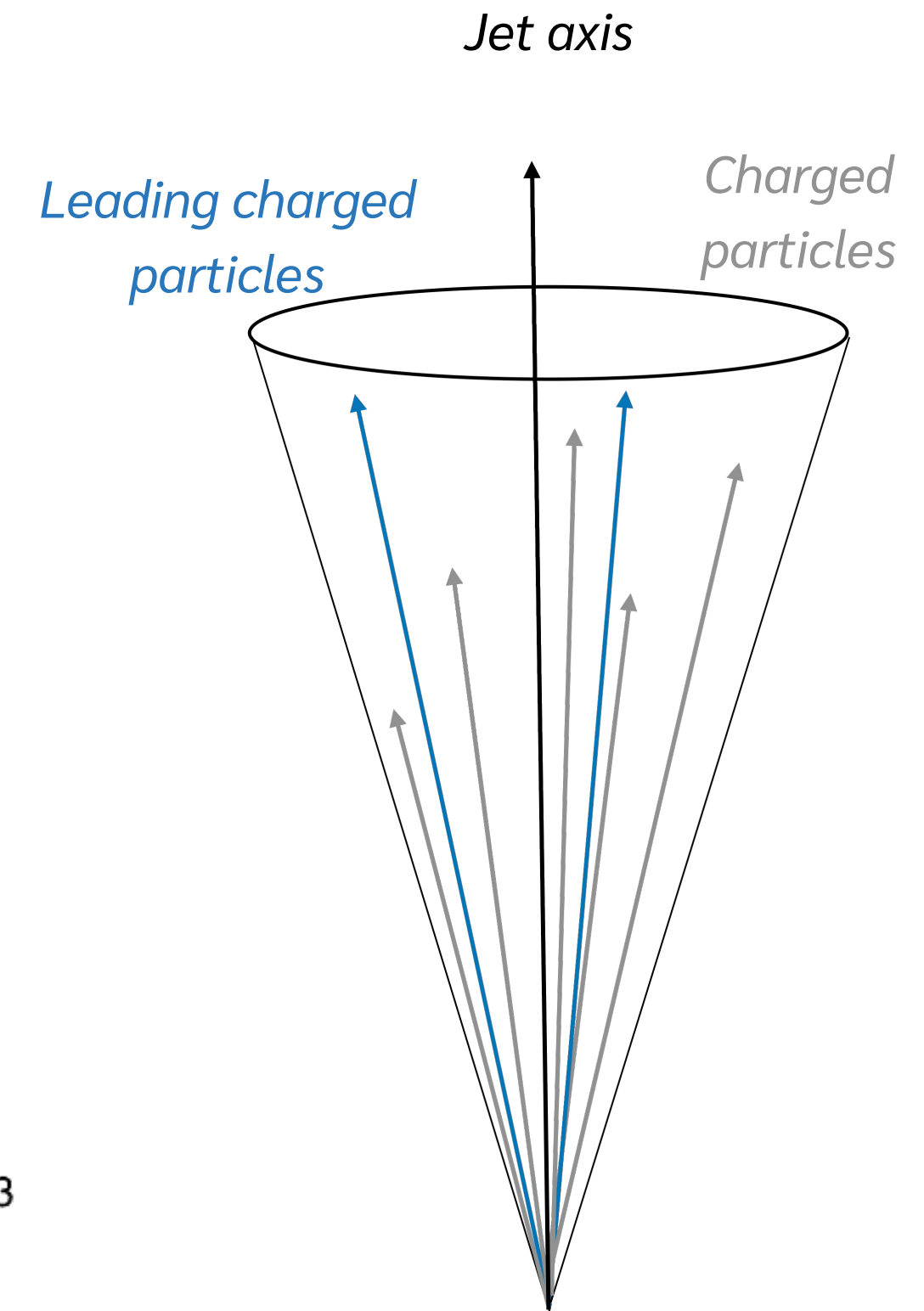
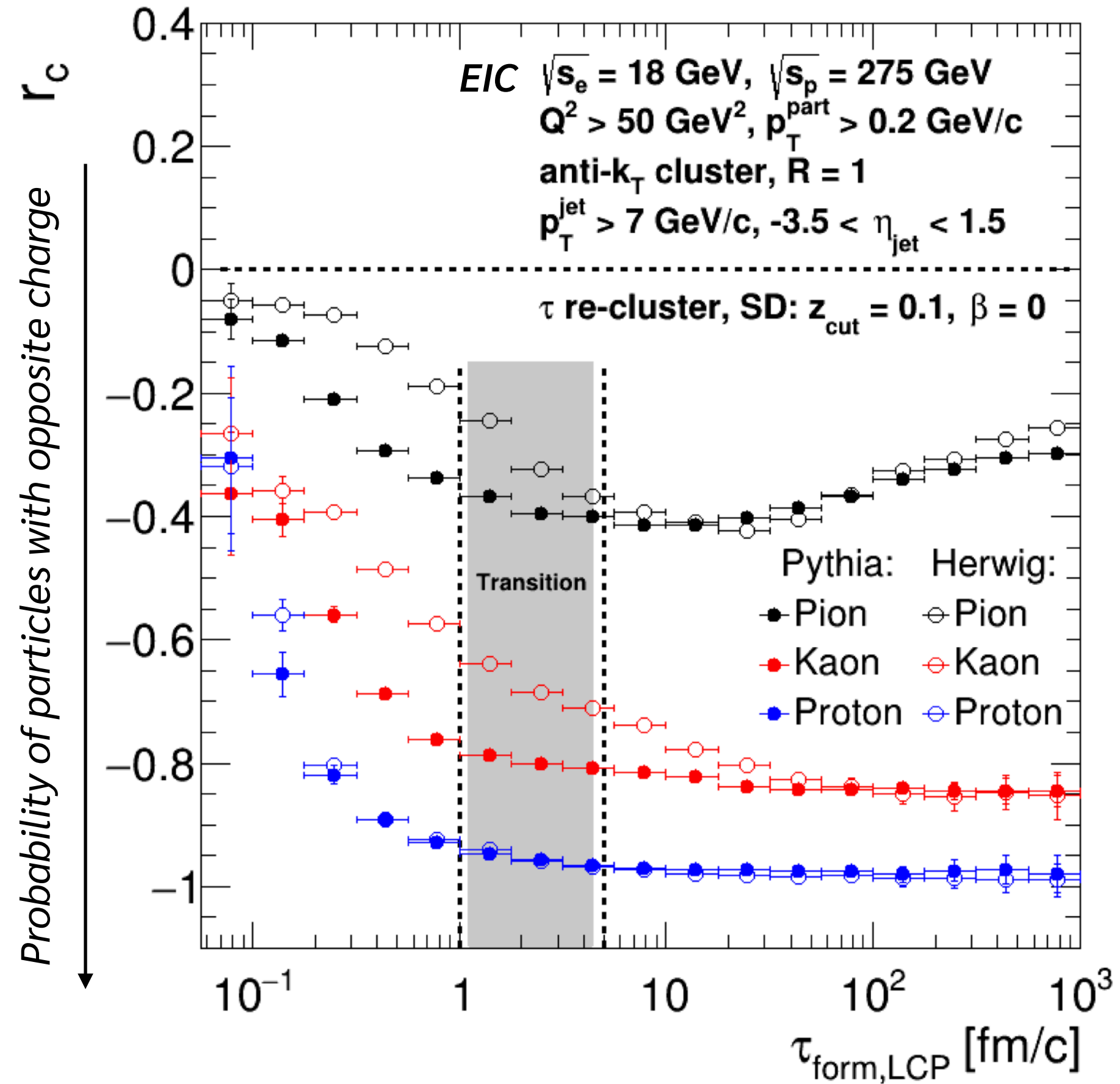
(d) CMS  $N \geq 110$ ,  $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$

$pp \sqrt{s} = 7$  TeV



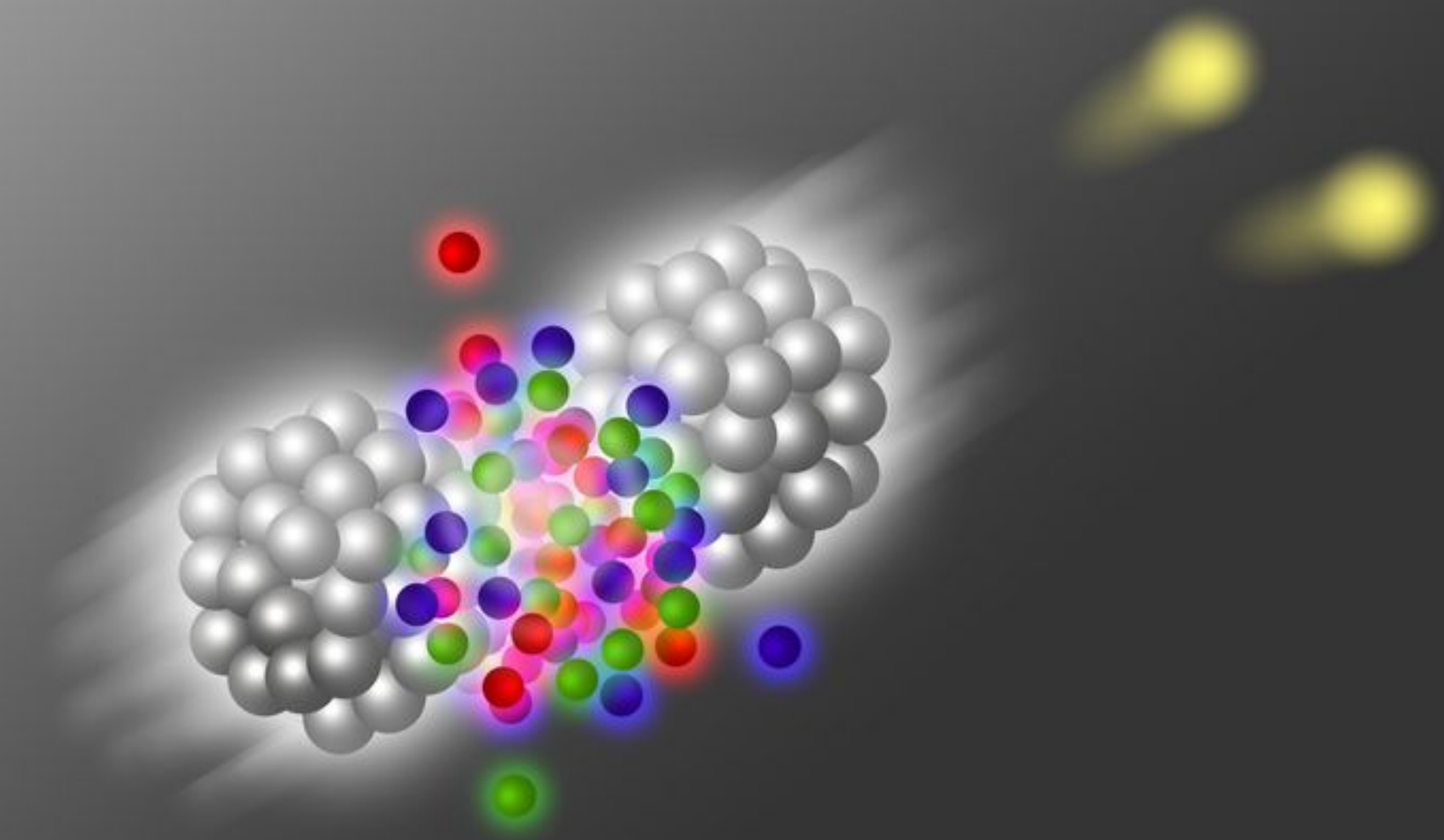
Ridge:  
???

LA, Elayavalli, Olavo, submitted to PRD



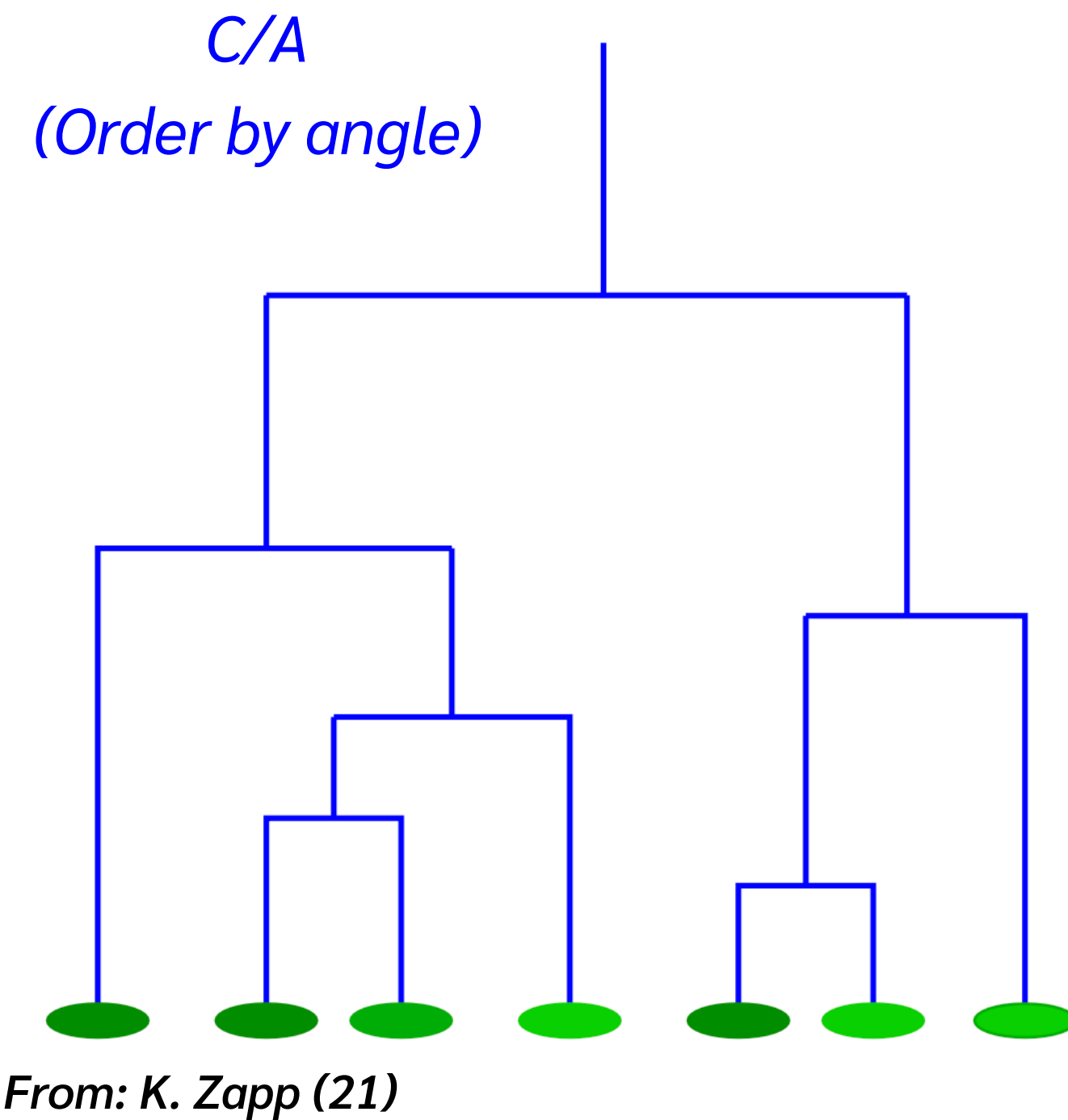


# Backup Slides



# Jet $\tau$ -algorithm

- Jet algorithms are a set of rules in which clustering steps follow a given metric order:



Iterative distance between 2 pseudo-jets:

(Generalized- $k_T$  family)

$$d_{ij} = \min(p_{T,1}^{2p}, p_{t,j}^{2p}) \frac{\Delta R_{ij}^2}{R^2}$$

$p = 0$ : Cambridge/Aachen (C/A)

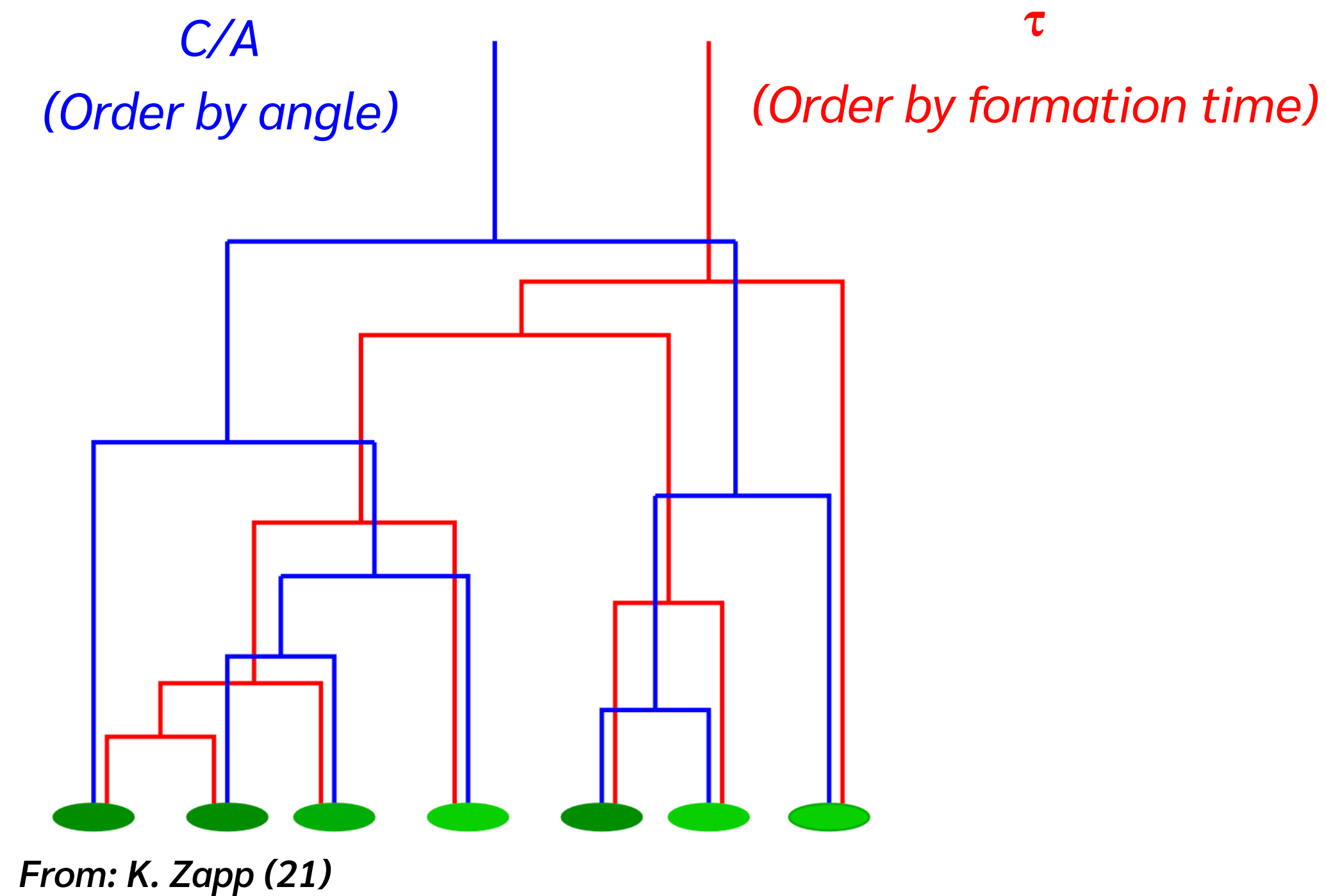
$$d_{ij} \propto \theta_{ij}^2$$

Dokshitzer, Leder, et al,  
JHEP 1997

# Jet $\tau$ -algorithm

- Jet algorithms are a set of rules in which clustering steps follow a given metric order:

*QGP is an extended medium*



*Iterative distance between 2 pseudo-jets:*

*(Generalized- $k_T$  family)*

$$d_{ij} = \min(p_{T,1}^{2p}, p_{t,j}^{2p}) \frac{\Delta R_{ij}^2}{R^2}$$

$p = 0$ : Cambridge/Aachen (C/A) Dokshitzer, Leder, et al, JHEP 1997

$$d_{ij} \propto \theta_{ij}^2$$

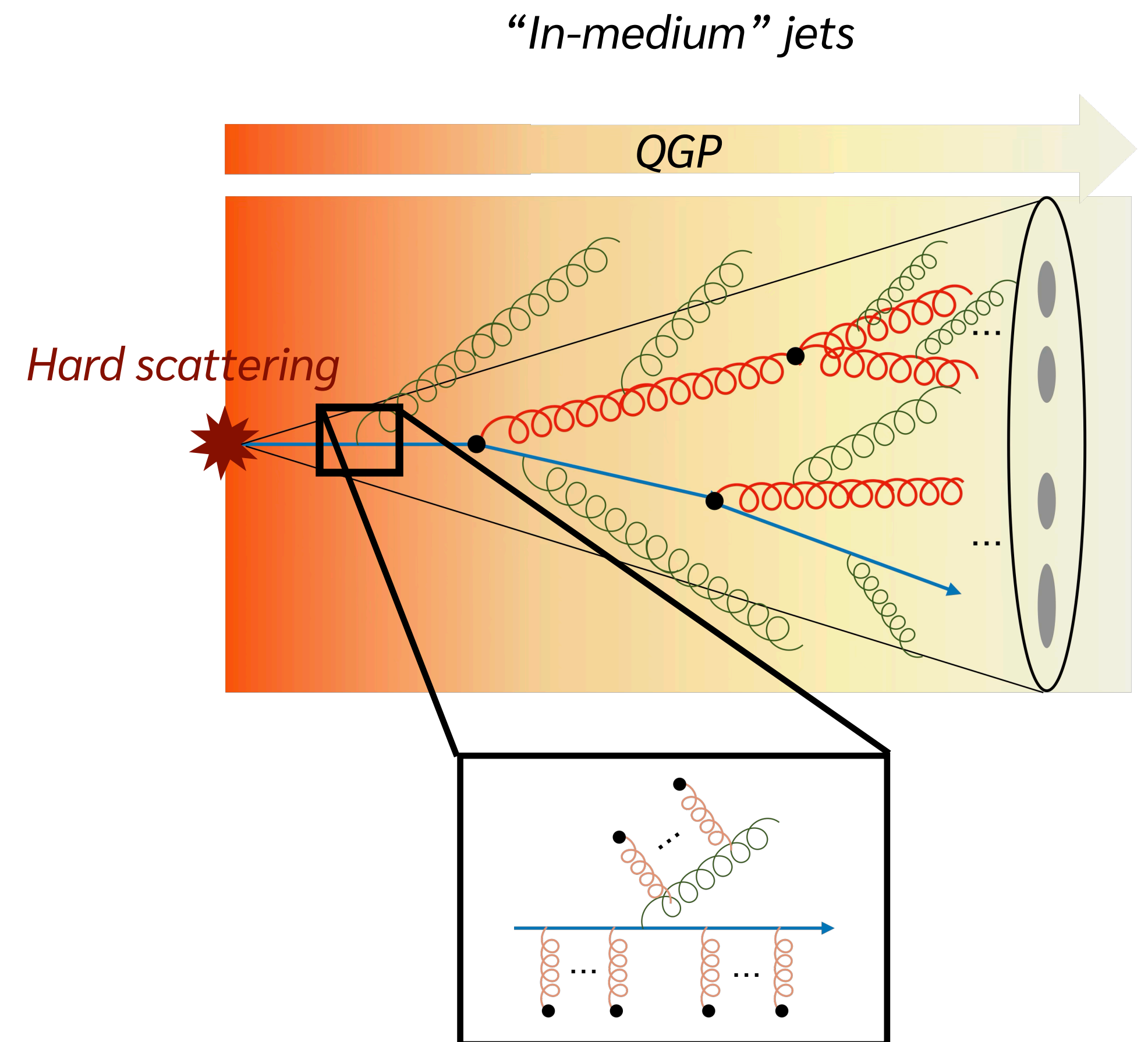
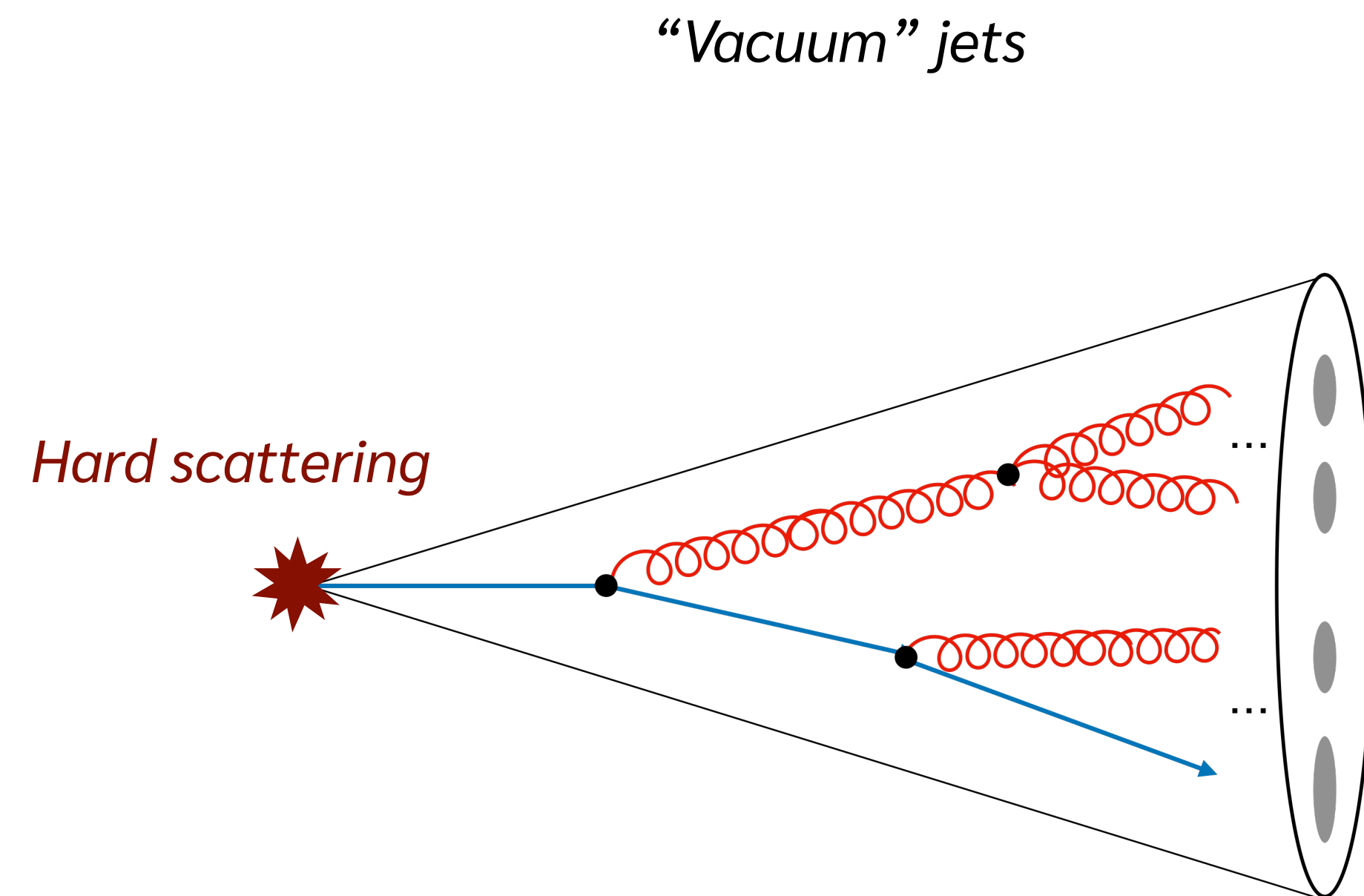
$p = 1/2$ : Inverse formation time ( $\tau$ ) LA, Cordeiro, Zapp, EPJC 2021

$$d_{ij} \propto \tau_{form}^{-1} \simeq p_{T,i} \theta_{ij}^2$$



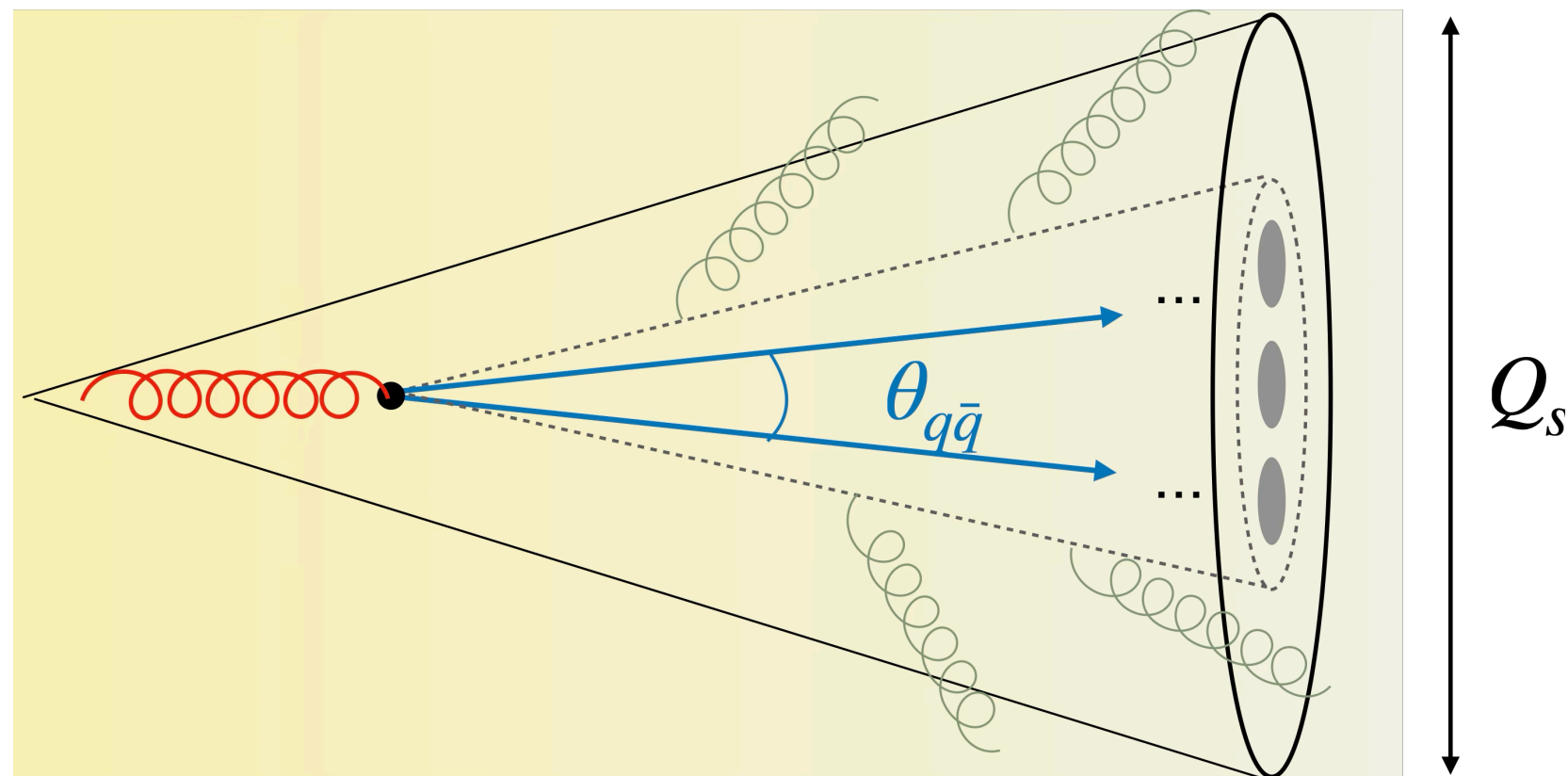
# Jet Energy Loss

- In-medium interactions will induce additional QCD radiation:



# Color (De)Coherence

- In-medium interactions can break expected angular ordering pattern
- Magnitude of the effect will depend on interplay between medium resolution and QCD-antenna opening angle



$$Q_s \geq \theta_{q\bar{q}}$$

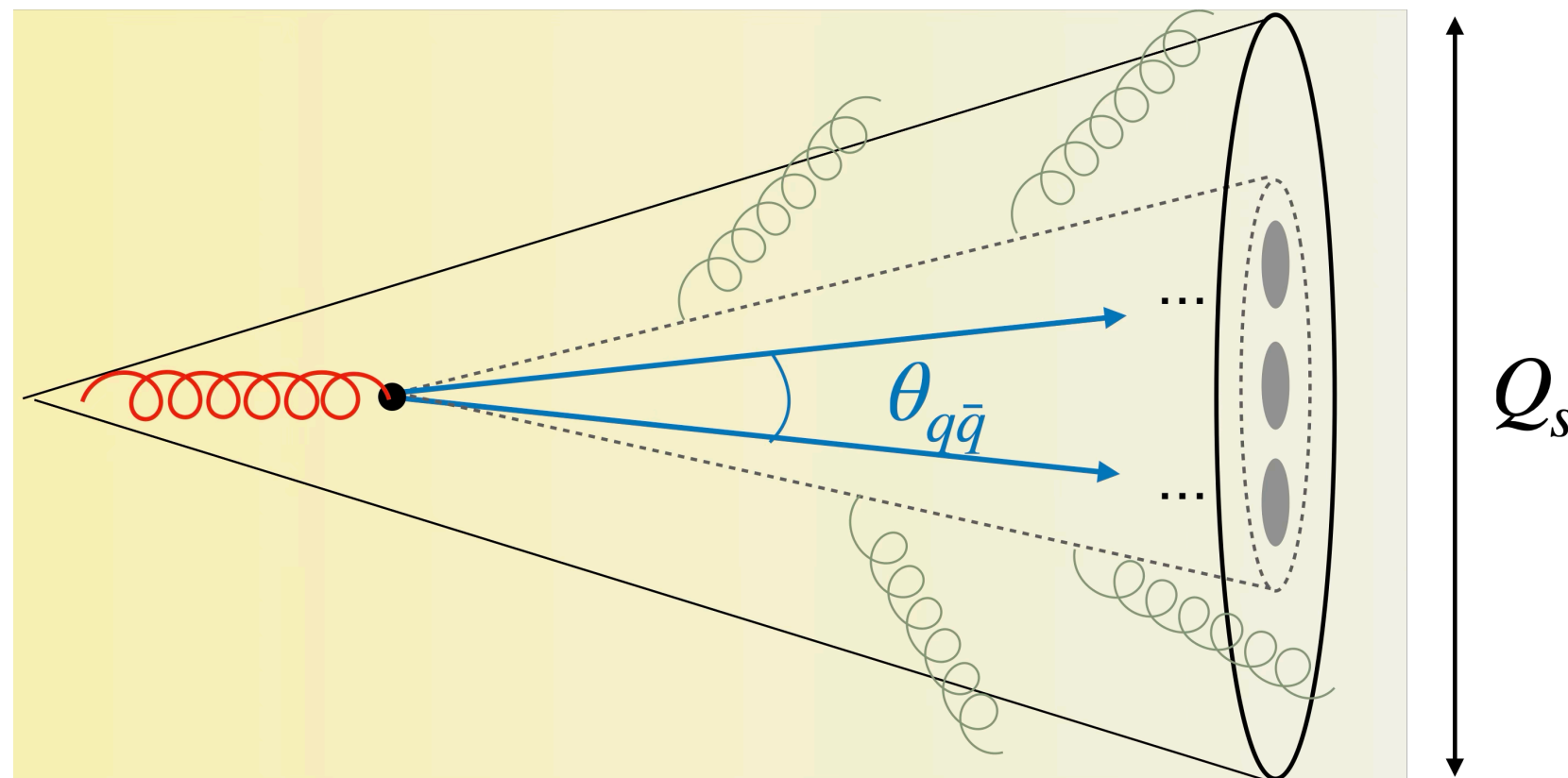
Medium “sees” quark and anti-quark as  
a single emitter  
Coherent loss of energy

Medium saturation  
scale:  $Q_s^2 = \hat{q}L$

Transport  
coefficient:  $\hat{q}$   
Medium length:  $L$

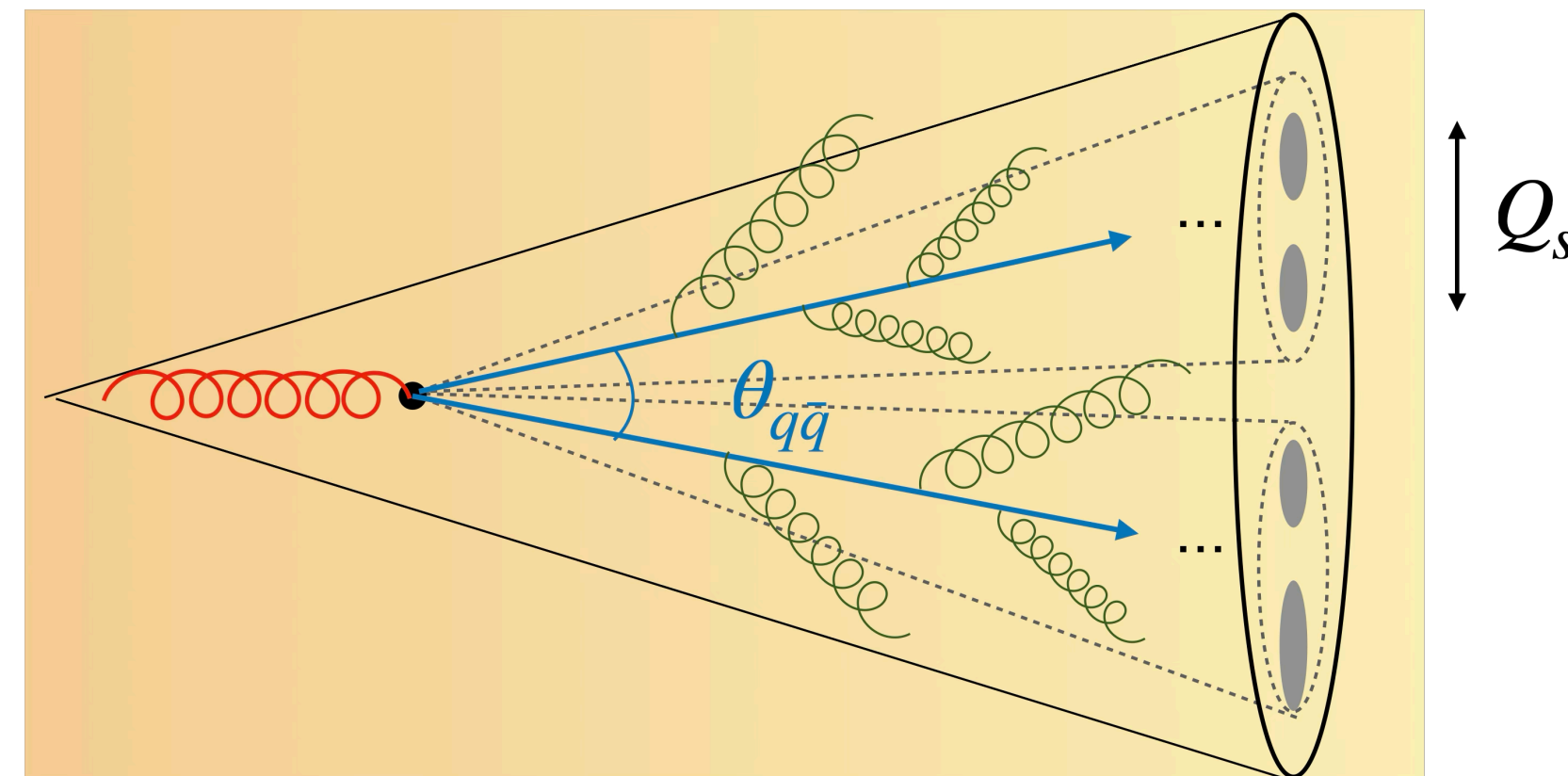
# Color (De)Coherence

- In-medium interactions can break expected angular ordering pattern
- Magnitude of the effect will depend on interplay between medium resolution and QCD-antenna opening angle



$$Q_s \geq \theta_{q\bar{q}}$$

Medium “sees” quark and anti-quark as  
a single emitter  
Coherent loss of energy



$$Q_s < \theta_{q\bar{q}}$$

Medium “sees” quark and anti-quark  
independently  
Incoherent loss of energy

Medium saturation  
scale:  $Q_s^2 = \hat{q}L$

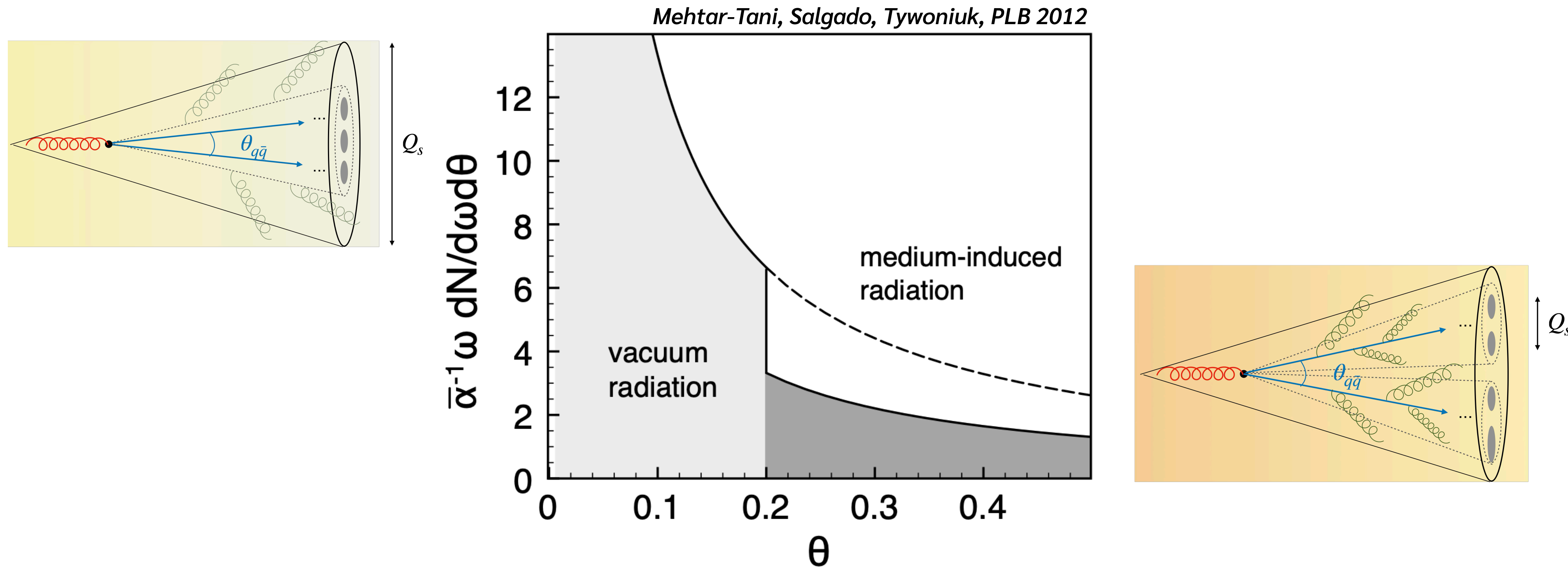
Transport  
coefficient:  $\hat{q}$

Medium length:  $L$



# (Anti-)Angular Ordering

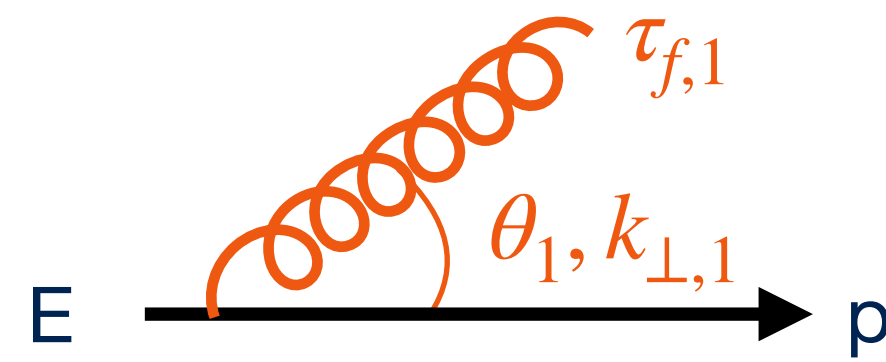
- In-medium interactions can break expected angular ordering pattern
- Magnitude of the effect will depend on interplay between medium resolution and QCD-antenna opening angle



*In the presence of a QGP, emissions do not need to follow angular ordering...*

# QCD Parton Formation time

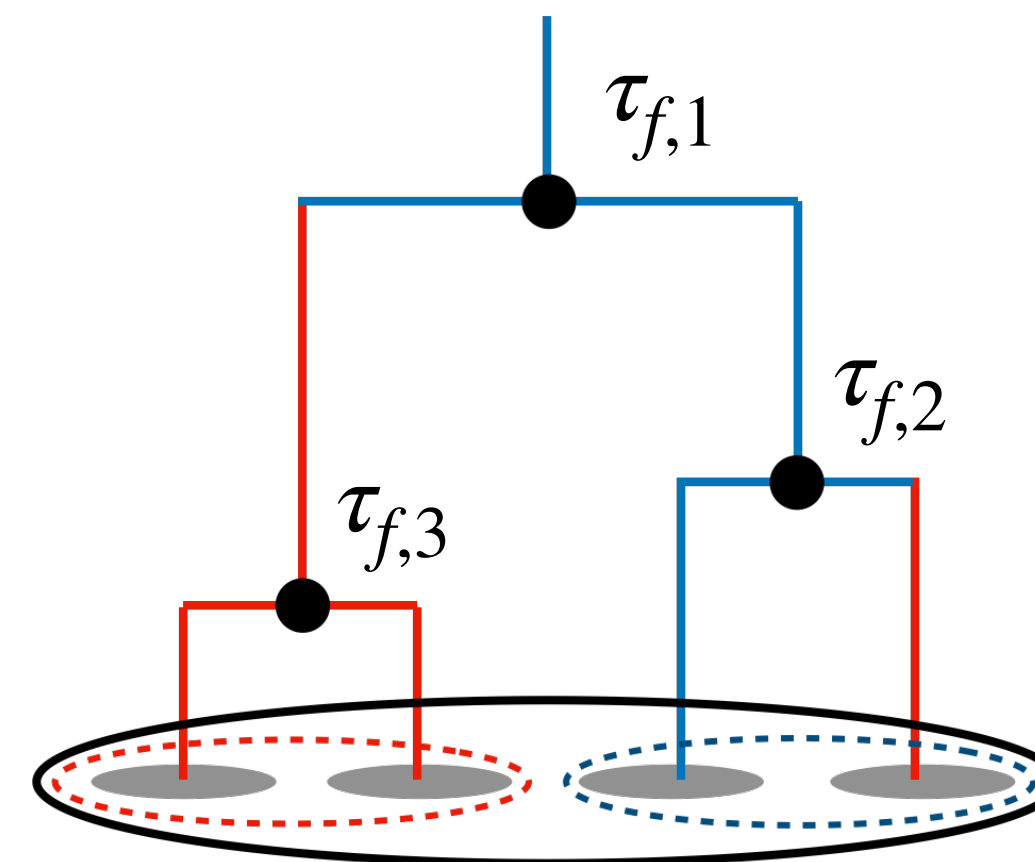
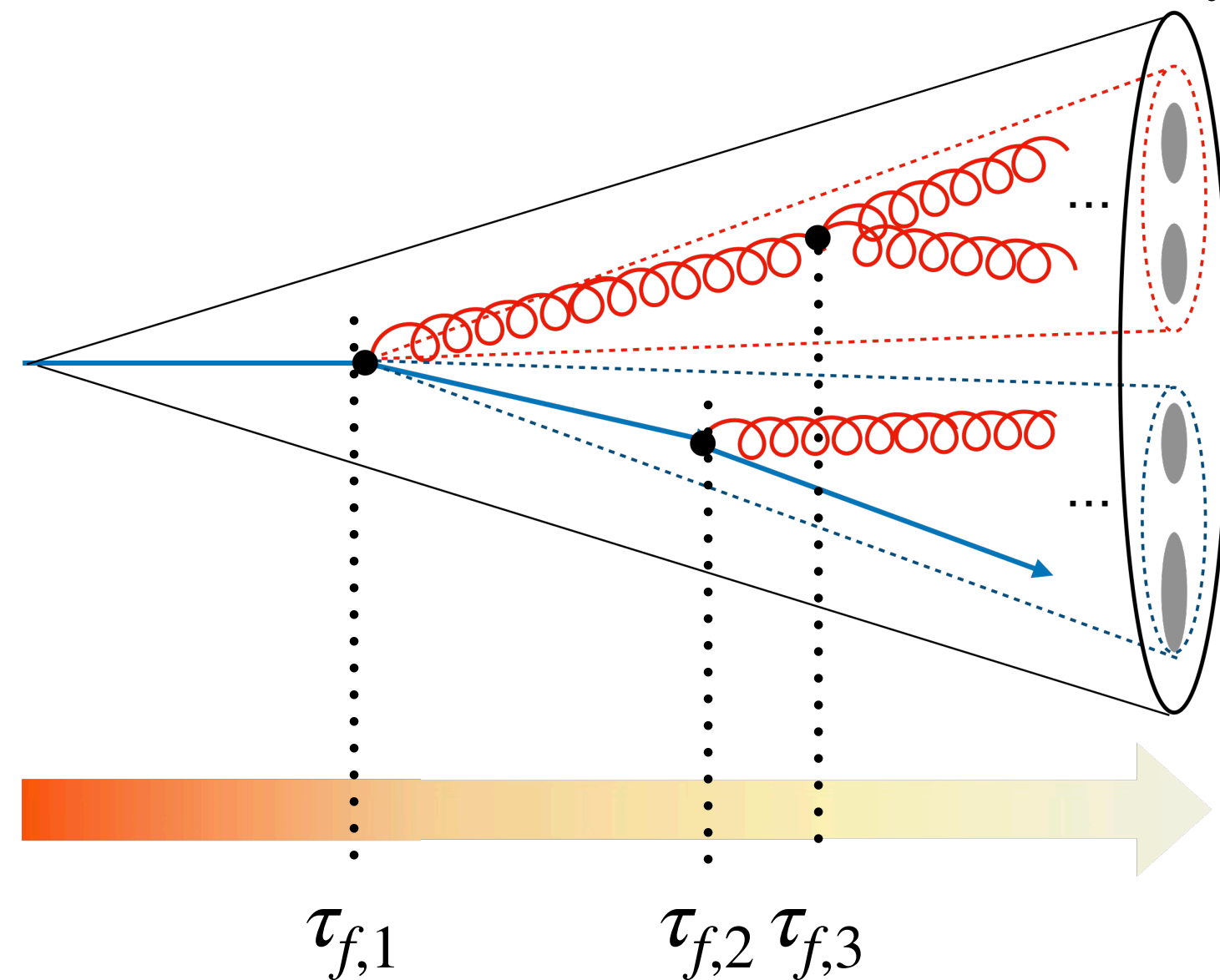
- QCD Parton Formation time understood as the time it takes for a quark/gluon to radiate



$$\tau_{form} \sim \frac{E}{M_{virt}} \frac{1}{M_{virt}}$$

(Estimated from Heisenberg uncertainty principle)

- When applied to a jet clustering tree yields  $\tau_{f,1} < \tau_{f,2} < \tau_{f,3}$



**First unclustering step is the one with the shortest formation time**