

Improving the neutrino detection at Pierre Auger Observatory

LIP

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THE SEARCH FOR NEUTRINOS

Detection of very high energy neutrinos can complement other observations giving us more information over an event – multi-messenger approach.

- Neutrinos have no charge, almost massless
- They can easily escape their sources
- Not deflected or absorbed during propagation towards Earth
- Can pinpoint direction of source

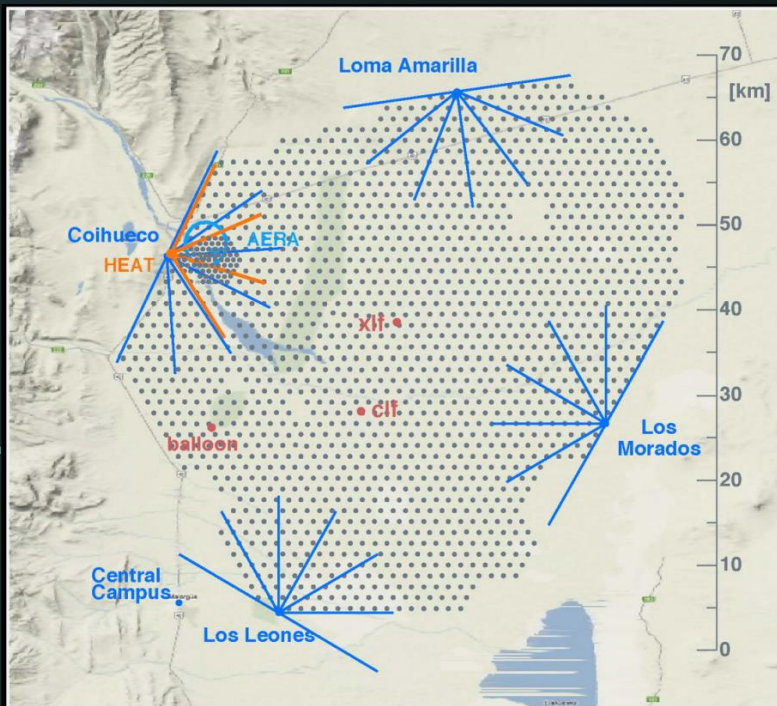
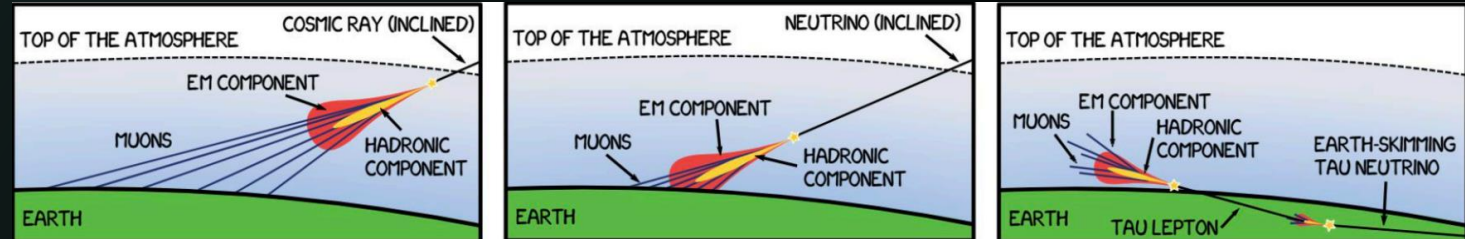
EXTENSIVE AIR SHOWERS



- Highly energetic particles create showers upon entering the atmosphere
- Shower has 3 components:
 - Electromagnetic
 - Hadronic
 - Muonic
- Muons are produced by the hadronic component

PIERRE AUGER OBSERVATORY

- Located in Argentina
- Built to detect UHECR



- Neutrinos typically detected using “Earth-skimming” neutrino
 - Very effective method
 - Severe limitations to sky coverage
- Recent scintillator and radio antenna upgrades
 - Direct distinction between S_{em} and S_{μ}
 - Use these variables to distinguish vertical events
 - Low acceptance issue solved

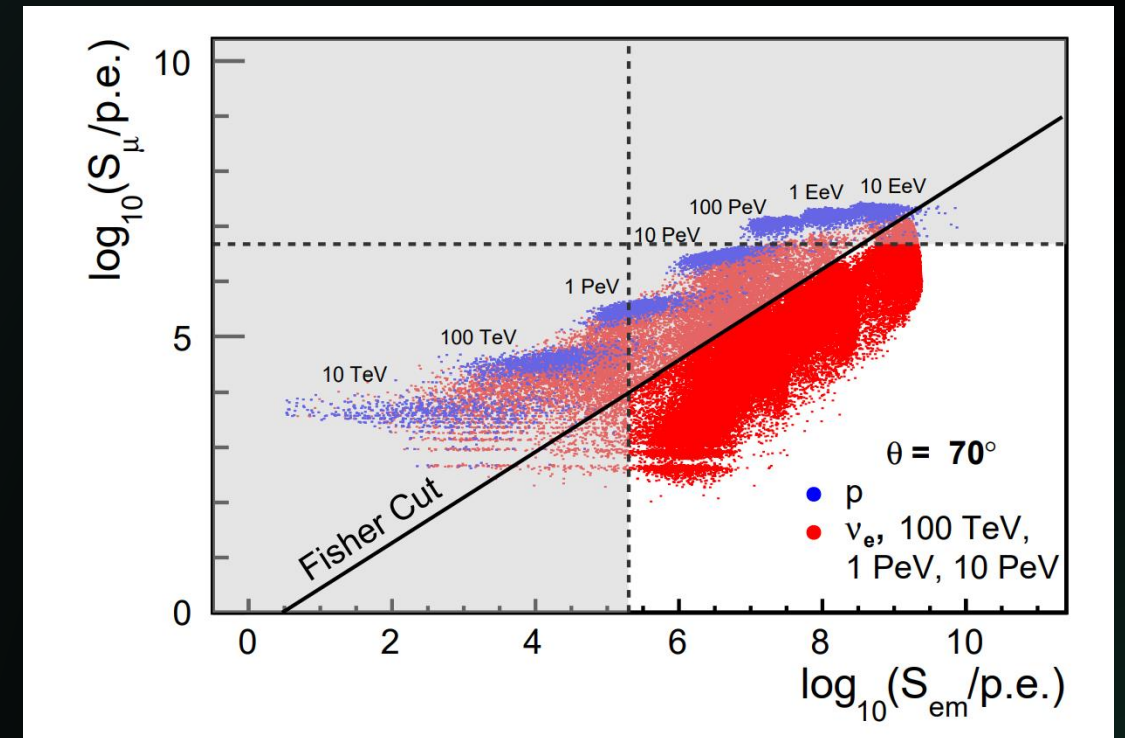
NEW STRATEGY

- Fisher discriminant to distinguish populations within $\log(S_{em})$ vs $\log(S_{\mu})$ space
- Obtain neutrino detection efficiency



- Calculate differential neutrino flux:

$$E^2 \frac{dN}{dE} = E^2 \left(2\pi A \Delta E \Delta t \iint \frac{\sigma}{m} \sin\theta \cos\theta \varepsilon(E, D, \theta) d\theta dD \right)^{-1}$$



[1] Phys.Rev.D 106 (2022) 10, 102001

PREVIOUS RESULTS

Using a threshold (background rejection factor) of 10^{-4} :

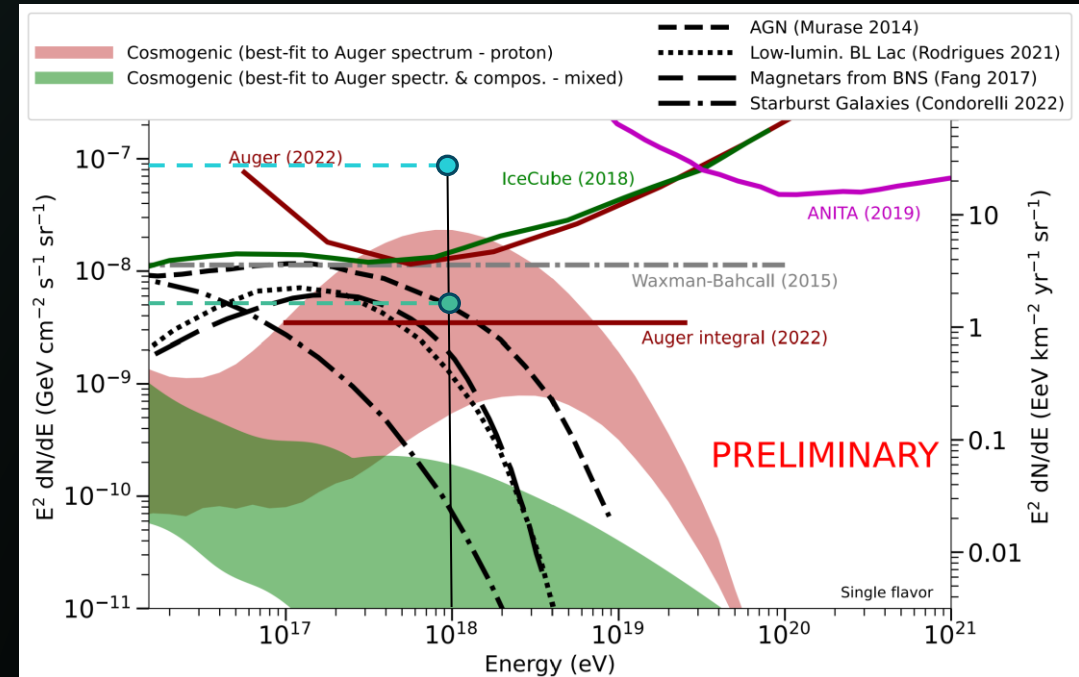
Muon neutrino:

Differential flux estimate: $8.68 \times 10^{-8} \text{ GeV cm}^{-2} \text{ s}^{-1} \text{ sr}^{-1}$

Electron neutrino:

Differential flux estimate: $4.09 \times 10^{-9} \text{ GeV cm}^{-2} \text{ s}^{-1} \text{ sr}^{-1}$

- While at a lower efficiency, muon neutrino can also contribute to the total neutrino flux
- Demonstrated the viability of vertical neutrino detection



● Muon neutrino

● Electron neutrino

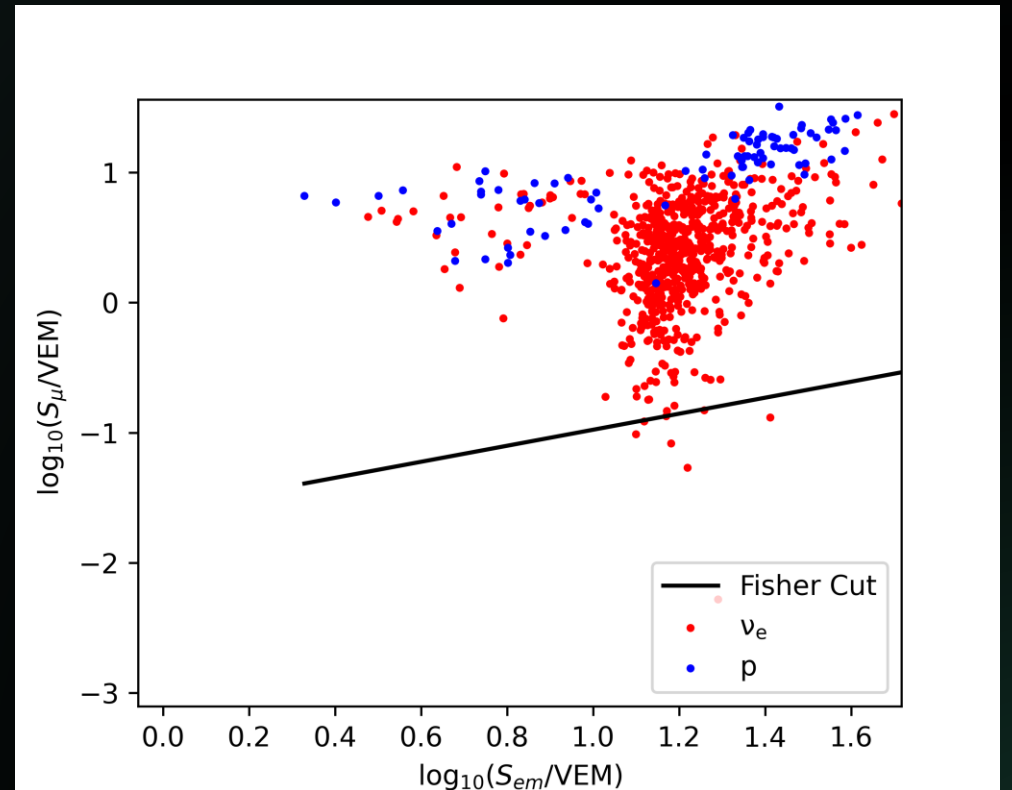
MASTER THESIS PROPOSAL

- New idea: Use X_{max} along S_{em} and S_{μ} to increase sensitivity to neutrino detection
- Use FDs to extract e.m. longitudinal profile and fit according to USP:

$$N' = \left(1 + \frac{RX'}{L}\right)^{R^{-2}} \exp\left(-\frac{X'}{LR}\right)$$

- Evident increase in neutrino-to-proton ratio for specific X_{max} bins, however for most bins (and data) the Fisher cut is inconsistent

X_{max} bin $\in [838, 939]$ g cm⁻²



OBJECTIVES

- Switch Fisher analysis to BDT to solve statistics problem
- New radio antennas being installed for Auger Prime upgrade could replace FDs, solving low duty-cycle issue as well as increasing resolution on X_{max}
- Increase detection efficiency while expanding the coverage of the sky



THANK YOU!

David Dias

2nd Cycle Integrated Project in
Engineering Physics

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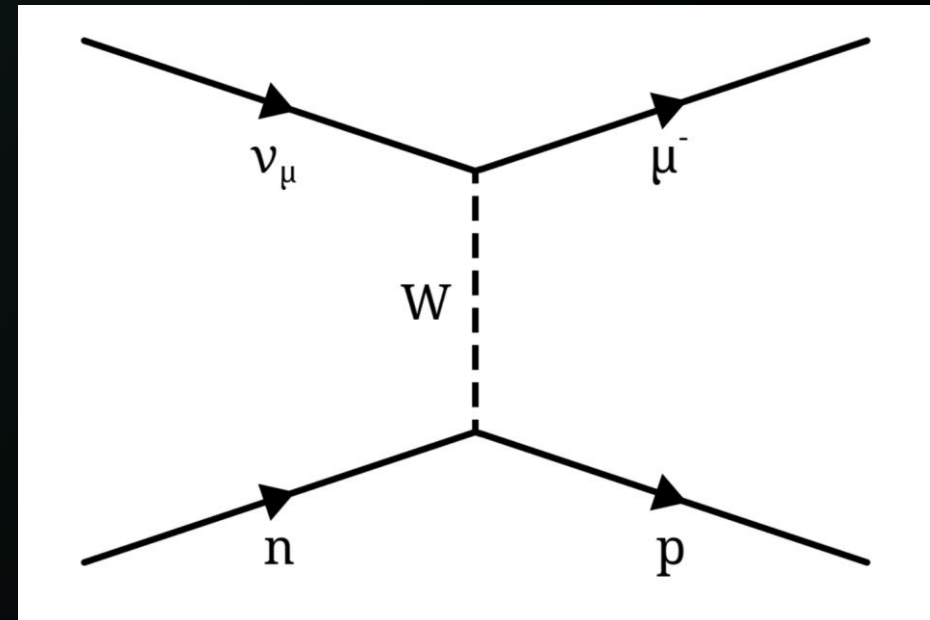
The background features two large, overlapping wireframe spheres. The left sphere is rendered in a reddish-purple hue, while the right sphere is in a teal color. Both spheres are composed of numerous thin, parallel lines that create a mesh-like structure. Scattered around the spheres are several small, light-colored geometric elements: a vertical blue line on the left, a small white circle, a small teal circle, and a small white dot. On the right side, there is another small white circle. The overall aesthetic is modern and technical.

BONUS SLIDES

MUON NEUTRINO

Can we apply a similar procedure as the electron neutrino?

- Interaction with atmosphere produces high energy muon
- Above critical energy (~ 3 TeV) muon will radiate through bremsstrahlung
- Photon then generates electromagnetic cascade
- Atmospheric proton produces hadronic cascade



DIFFERENTIAL NEUTRINO FLUX

Expected neutrino count:

$$N = \int \Phi(E) \sigma(E) A \Delta t \varepsilon(E, D, \theta) \sin\theta \cos\theta dE d\theta dD \leq 1$$

Assume small energy interval with constant flux $\Phi = \frac{dN}{dE}$ and $\sigma(E) = \frac{\sigma}{m}$

$$N \approx \Phi(E) A \Delta E \Delta t \int \frac{\sigma}{m} \varepsilon(E, D, \theta) \sin\theta \cos\theta d\theta dD$$

Since no neutrinos have been detected $N=1$, differential neutrino flux:

$$E^2 \frac{dN}{dE} = E^2 \left(2\pi A \Delta E \Delta t \iint \frac{\sigma}{m} \sin\theta \cos\theta \varepsilon(E, D, \theta) d\theta dD \right)^{-1}$$