

# Tutorial on Data Analysis

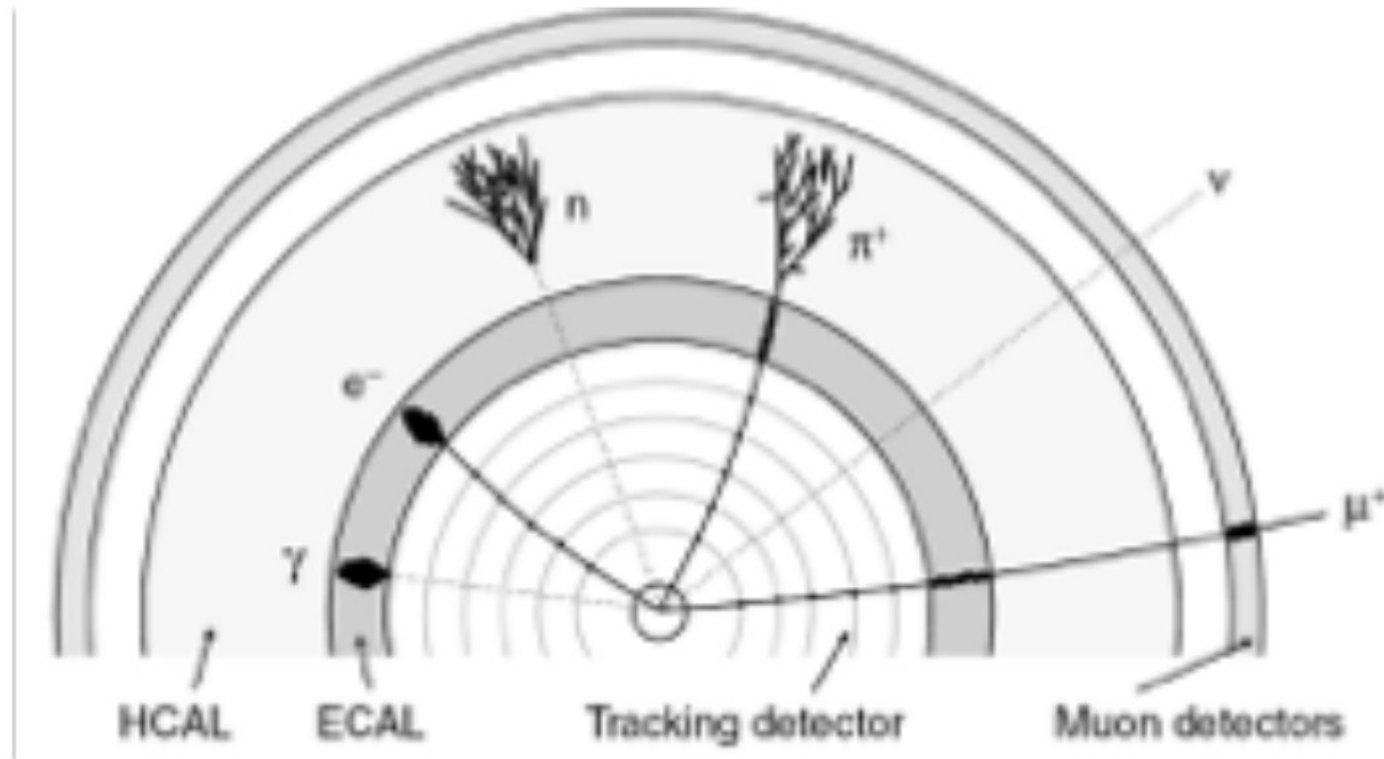
LIP internship program, 2024

# Goals

## **perform a simple data analysis**

- visualise the data
- manipulate data ntuples
- produce, process, and display data histograms
  - select different physics signals
  - plot kinematic distributions, inspect detector/trigger effects
- extract physics parameters from data
  - measure signal yields by performing a likelihood fit
  - inspect statistical and systematic errors

# Typical detector at collider



## calorimeters:

measure particle's energy by absorbing it

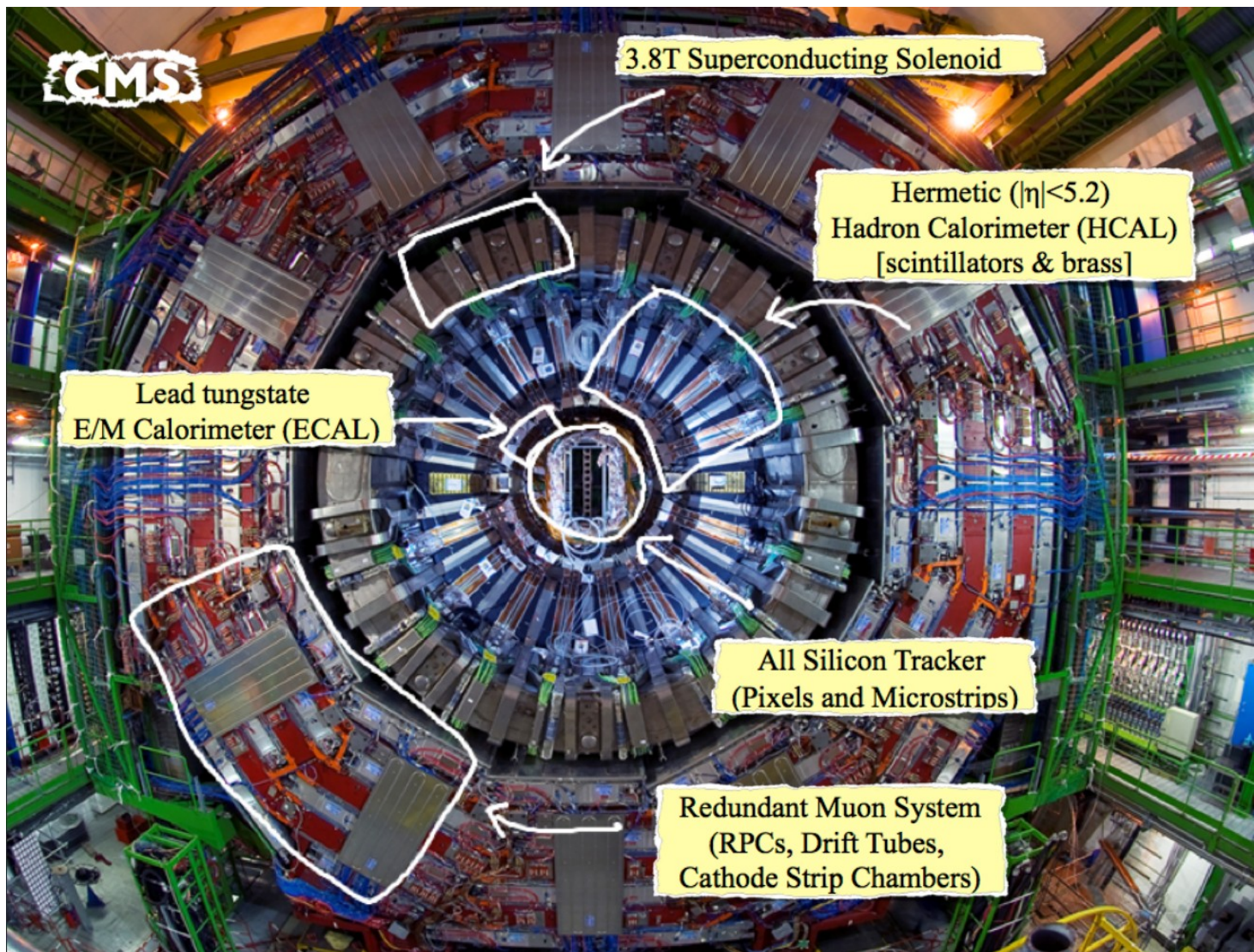
## trackers:

detect trajectory of charged particles

## muons:

detected in outer detector layers

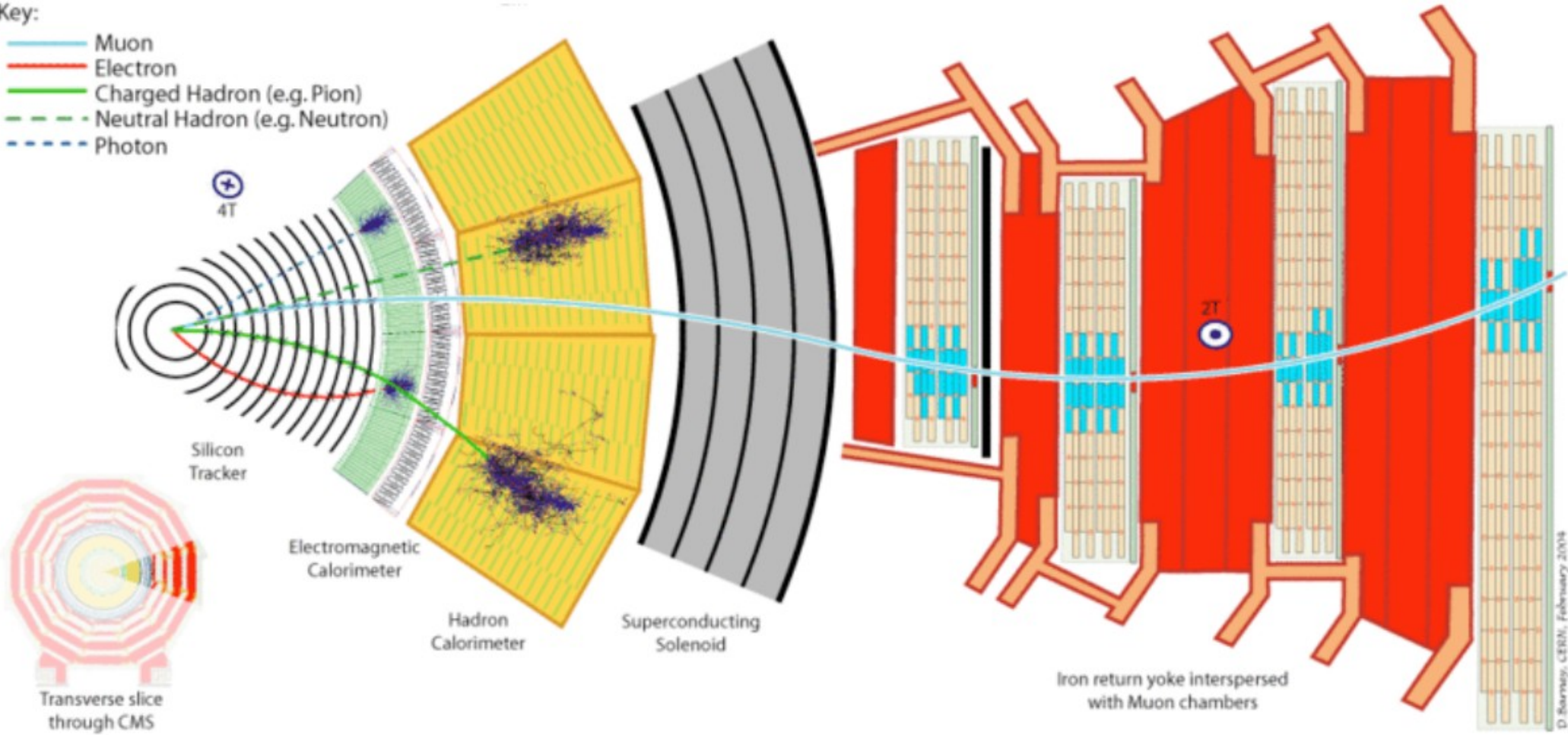
# The CMS detector



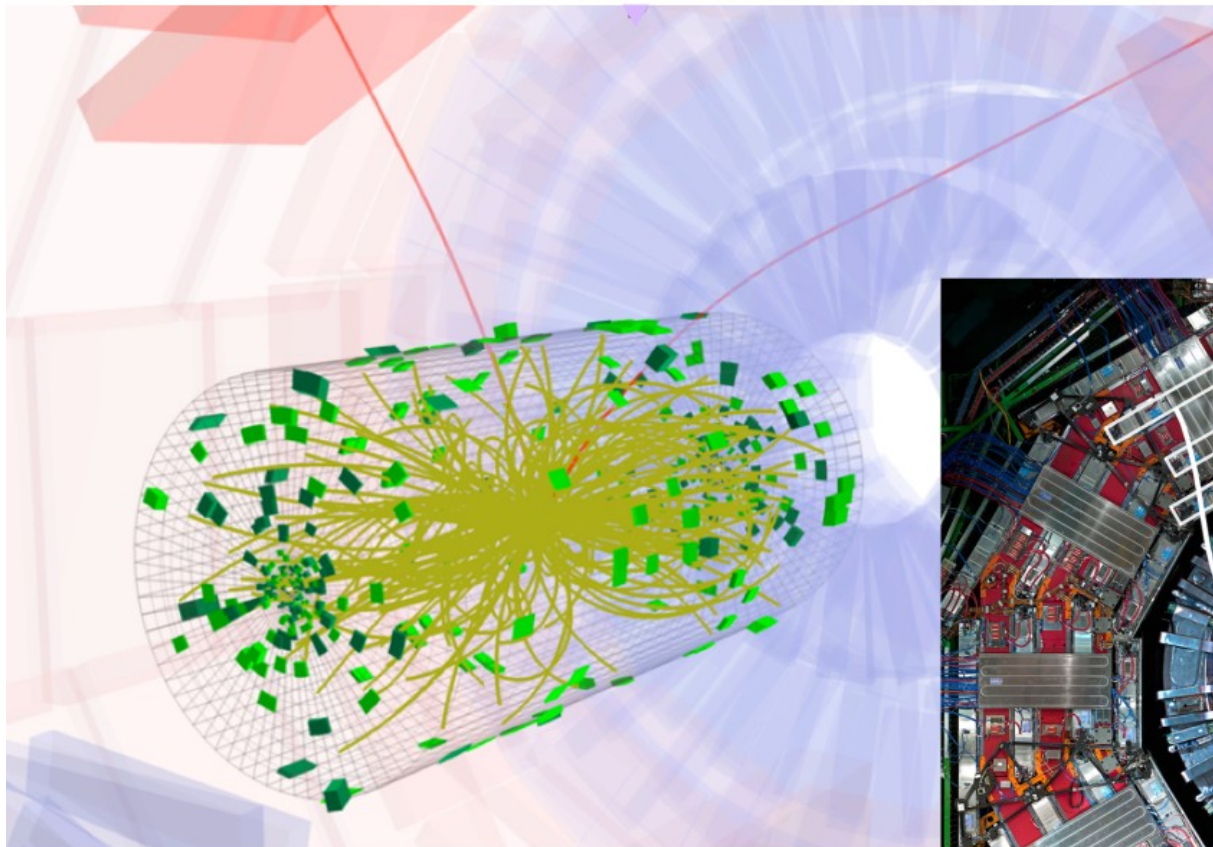
# How do particles interact?

Key:

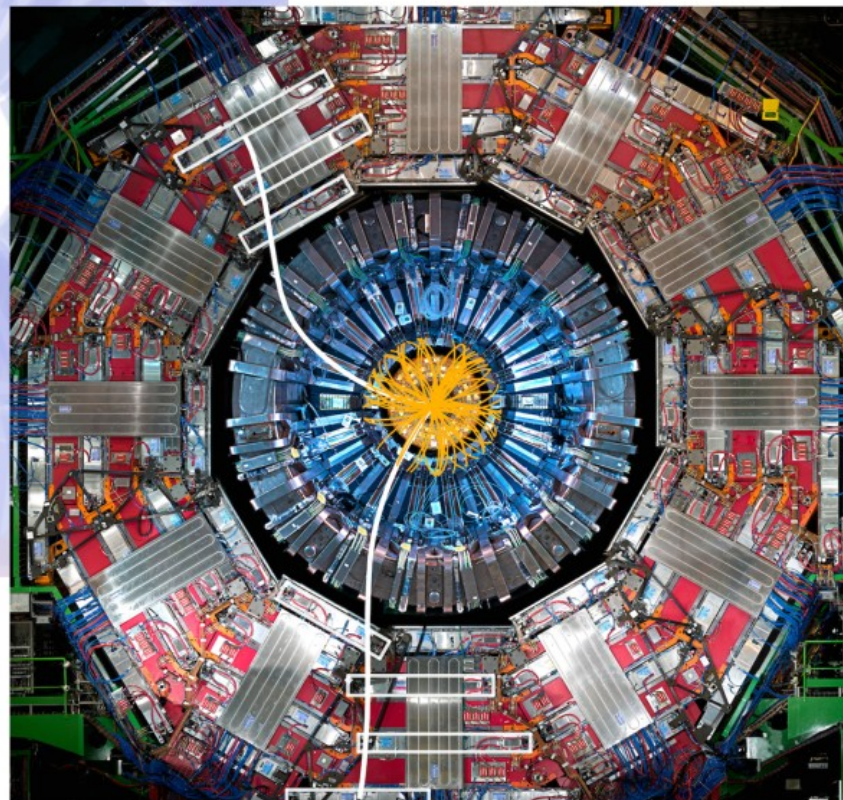
- Muon
- Electron
- Charged Hadron (e.g. Pion)
- - - Neutral Hadron (e.g. Neutron)
- - - Photon



# Two-muon events in CMS



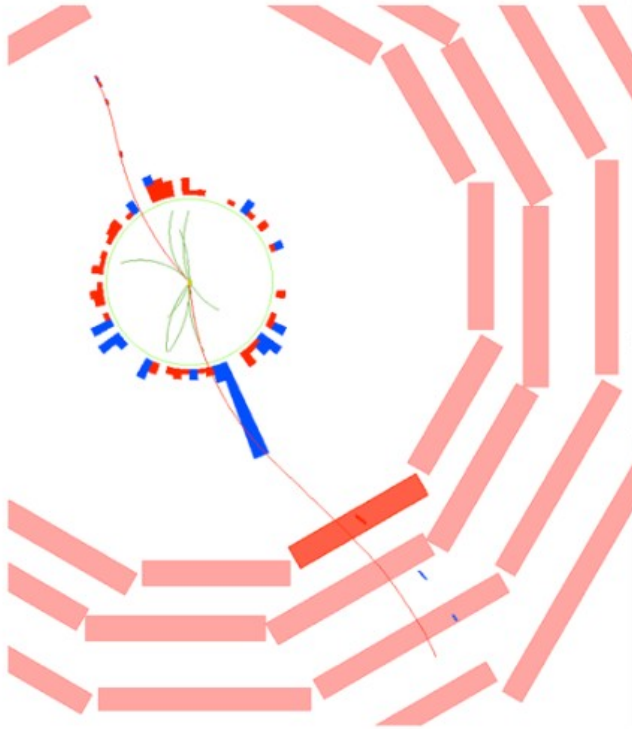
$$X \rightarrow \mu\mu$$



# First look at the code and data

- Open the notebook in google colab
  - Follow [link](#) (also in [indico agenda](#))
  - If you never used google colab, follow instructions to set it up (simple login with your google account)
  - save a copy of the code in your area, so you can modify and run it
  - run the first blocks to set up root and open file with data
  - Let's have a look at the content of the file!

# Two-muon invariant mass



particle identification

- signal in muon chambers

→ it's a muon!

⇒  $m = m(\mu) \sim 106 \text{ MeV}/c^2$

particle trajectory

- muon chambers but especially the silicon tracker

⇒ linear momentum,  $\underline{p} \equiv (p_x, p_y, p_z)$

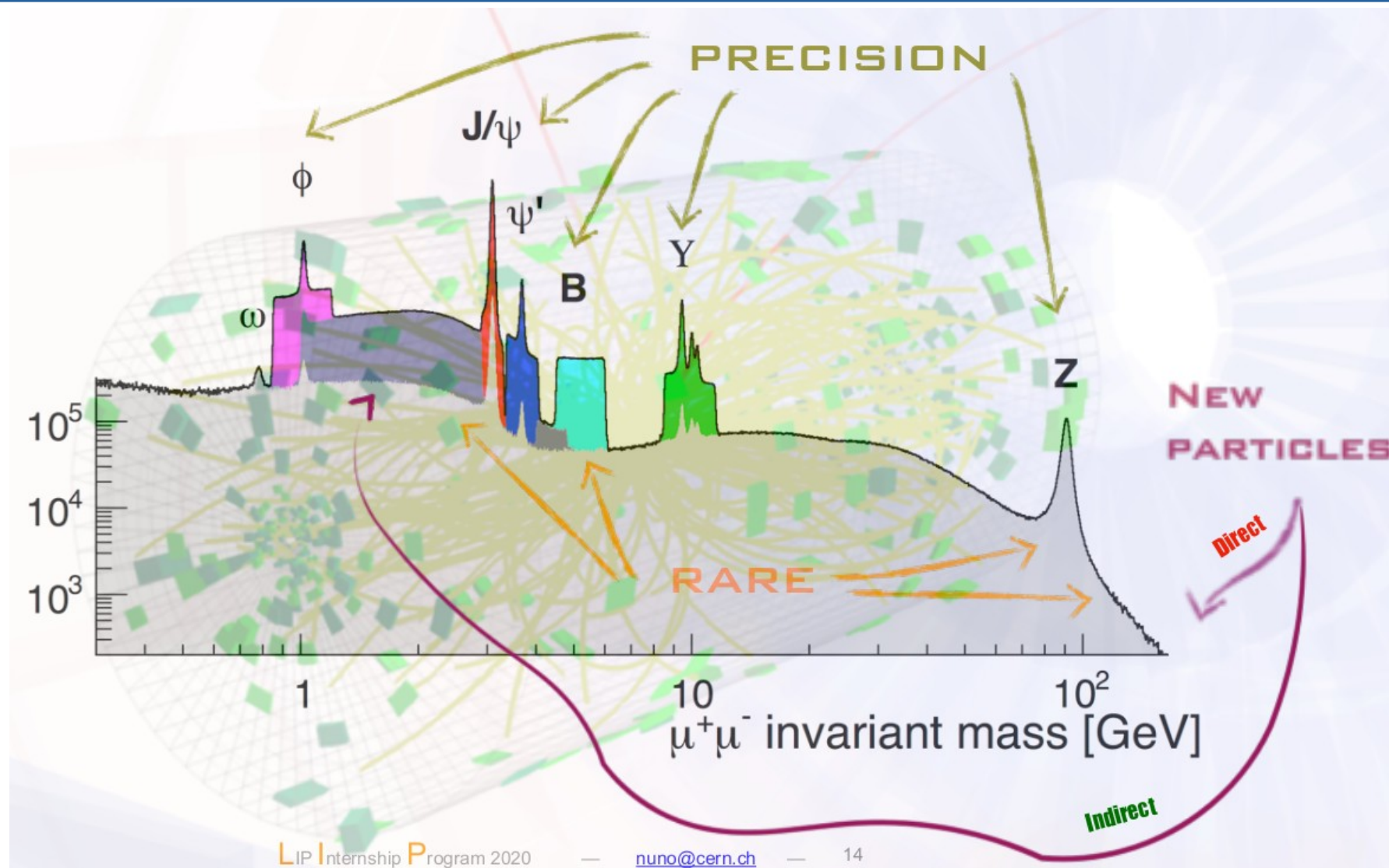
⇒ form 4-momentum of each muon:  $\mathbf{P}_\mu \equiv (E, p_x, p_y, p_z)$

⇒ that of the di-muon pair  $\mathbf{P}_{\mu\mu} = \mathbf{P}_{\mu 1} + \mathbf{P}_{\mu 2} = \mathbf{P}_{\mathbf{x} \rightarrow \mu\mu}$

⇒ invariant mass  $\mathbf{P}_{\mu\mu} \cdot \mathbf{P}_{\mu\mu} = \mathbf{M}_{\mu\mu}^2 = (\mathbf{M}_{\mathbf{x}})^2$

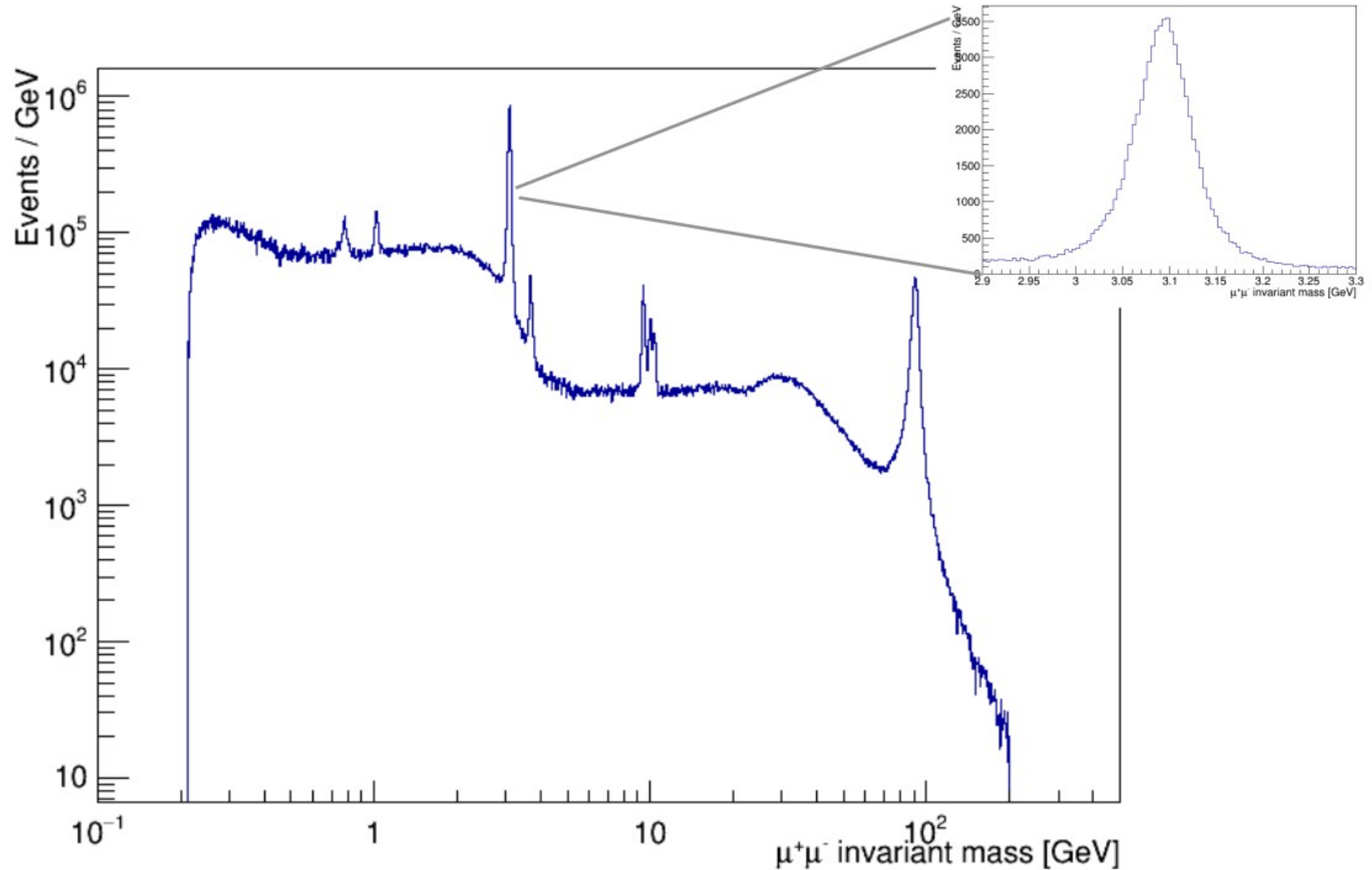


# The dimuon spectrum

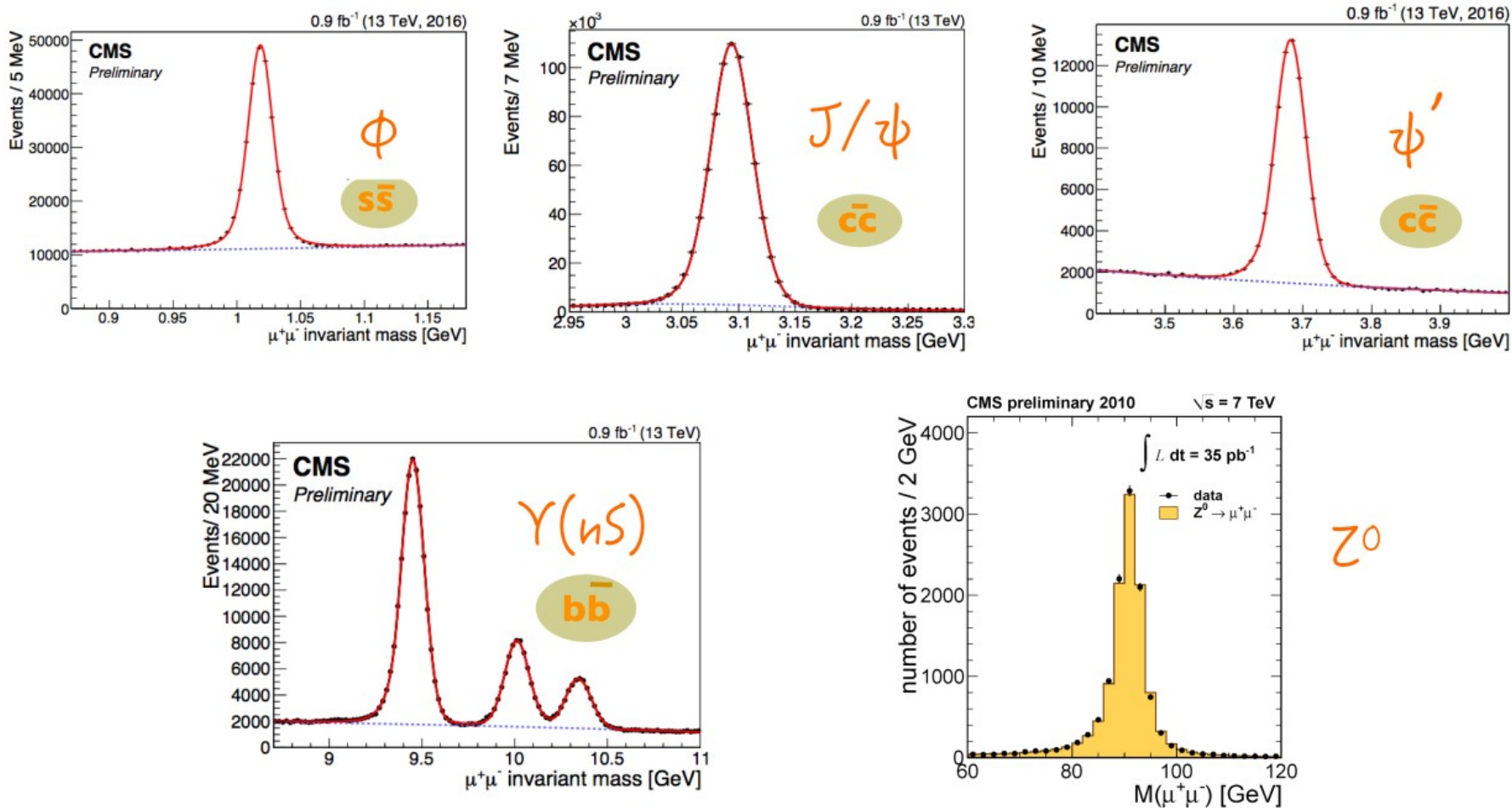


# Back to the code: plot the dimuon invariant mass

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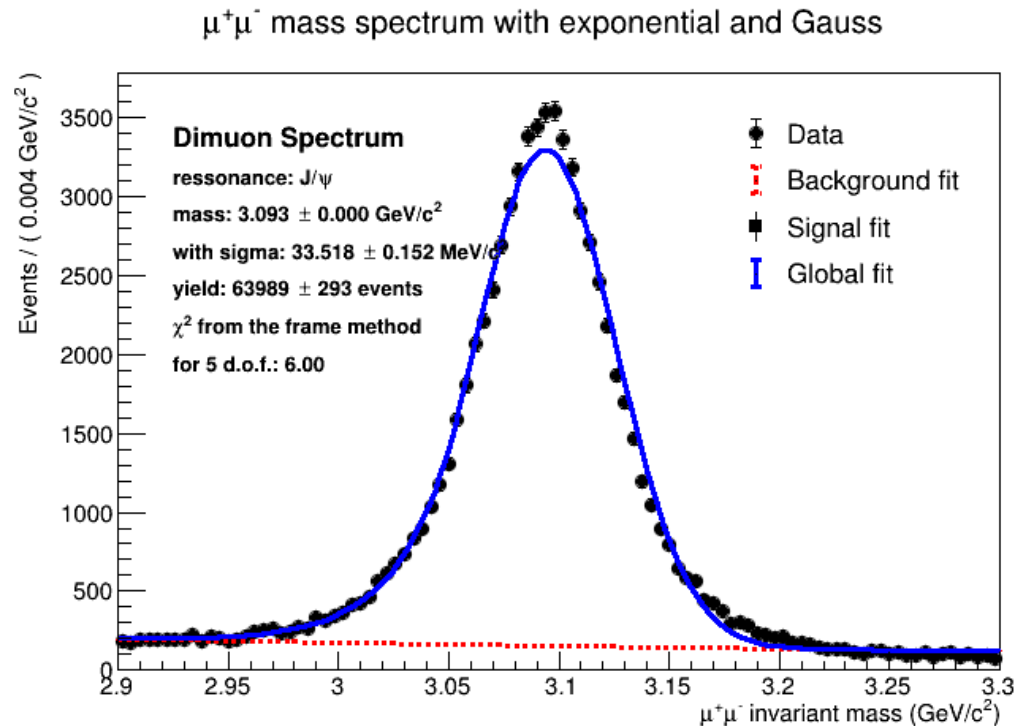
# What are the peaks?



Check their measured properties at <http://pdglive.lbl.gov>

# Fit the data!

- Choose your favourite peak (other than the  $J/\psi$ )
- Establish a fit model. Starting point:
  - signal: Gaussian function
  - background: exponential function
- Inspect quality of fit
  - can model be improved?
  - hint: final state radiation ( $\mu \rightarrow \mu\gamma$ ) may distort shape
- Extract signal parameters
  - yield ( $N \pm \sigma_N$ )
  - mass ( $m \pm \sigma_m$ )
- Estimate systematic errors
  - does the choice of fit model affect the measured results?
  - quantify the systematic variations by employing different models



- Quote final measurements
  - $N \pm \sigma_{\text{stat}} \pm \sigma_{\text{syst}}$

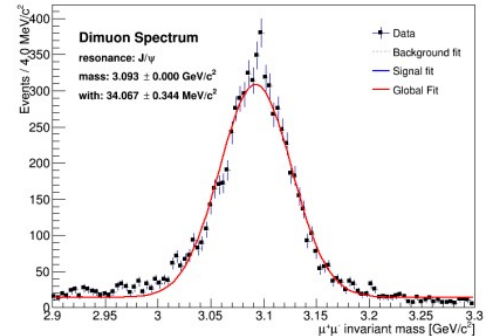
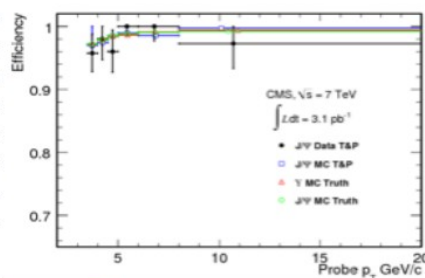
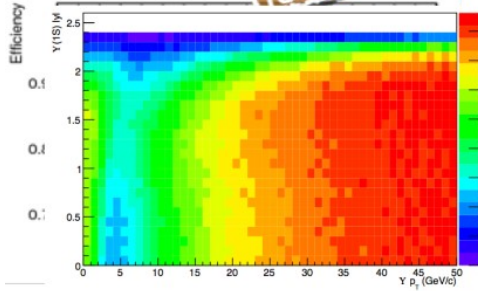
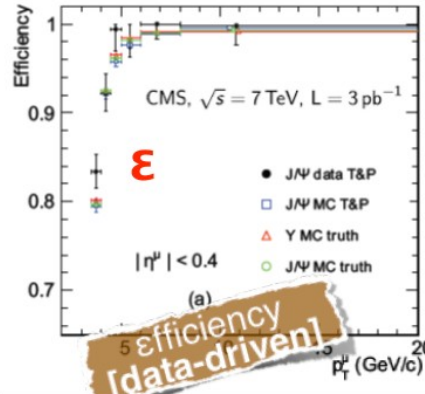
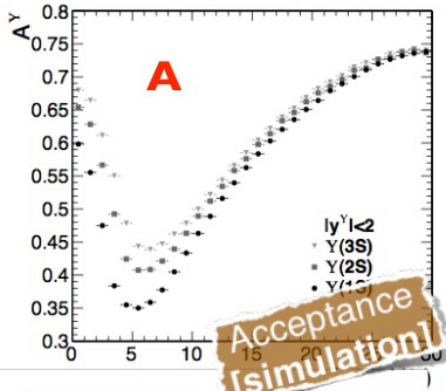
# What do we learn from the yield?

## Cross section

**“N=L.σ”**

an effective area of interaction  
unit: barn, 1b = 10<sup>-28</sup> m<sup>2</sup> = 100fm<sup>2</sup>

$$\frac{d^2\sigma(Q\bar{Q})}{dp_T dy} \mathcal{B}(Q\bar{Q} \rightarrow \mu^+\mu^-) = \frac{N_{fit}(Q\bar{Q})}{\mathcal{L} \cdot \mathcal{A} \cdot \epsilon \cdot \Delta p_T \cdot \Delta y}$$



- N: fitted signal yield
- A: detector acceptance from simulation
- ε: detector reconstruction and trigger efficiencies (simulation or data-driven)
- L: integrated sample luminosity