

CP violation in the HWW interaction in WH production

From observable choice to results

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FCT

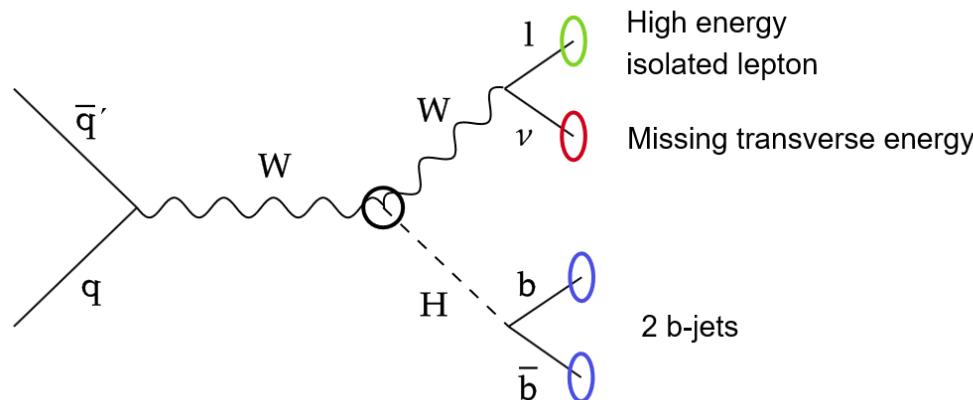
SFRH/BD/150792/2020
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Fundação
para a Ciência
e a Tecnologia

Motivation

BSM CP violation **required to explain baryonic asymmetry**

- Uncertainty on Higgs couplings can accomodate this
- My focus: HWW interaction in WH production



ATLAS VH “Legacy” analysis

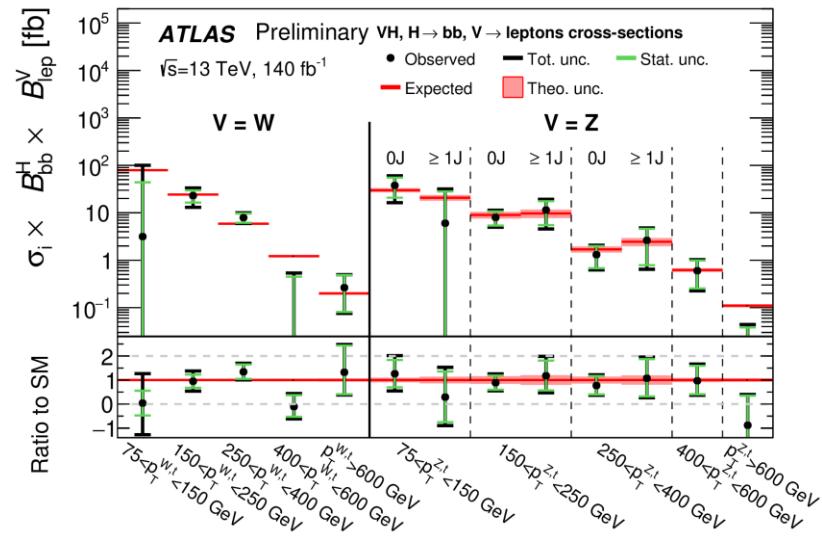
Precision measurement of $V(W/Z)H(bb)$ production and search for $VH(cc)$ ([CONF/INT](#)).

Goal: combined measurement

Challenge: develop **harmonized** strategy

Contributions: background modelling studies,
fit model development

Most precise measurement of WH(bb).



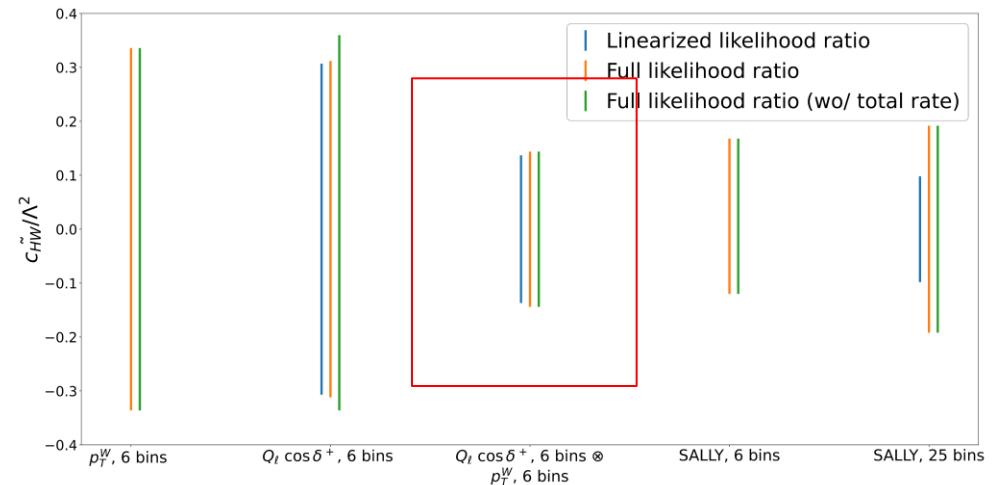
Pheno: observable choice

Compared kinematic observables w/ detector-level optimal observable (SALLY)

$$\cos \delta^+ = \frac{\vec{p}_\ell^{(W)} \cdot (\vec{p}_H \times \vec{p}_W)}{|\vec{p}_\ell^{(W)}| |\vec{p}_H \times \vec{p}_W|}$$

$\vec{p}_\ell^{(W)}$: momentum of lepton in W boson rest frame

[JHEP 04 \(2015\) 103](#)



Kinematic observables give comparable limits to SALLY - [JHEP04\(2024\)014](#)

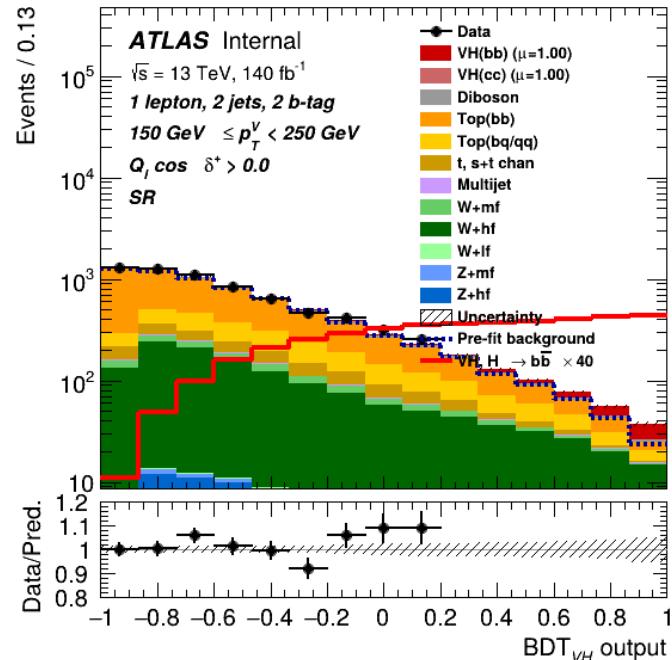
ATLAS CP in WH analysis

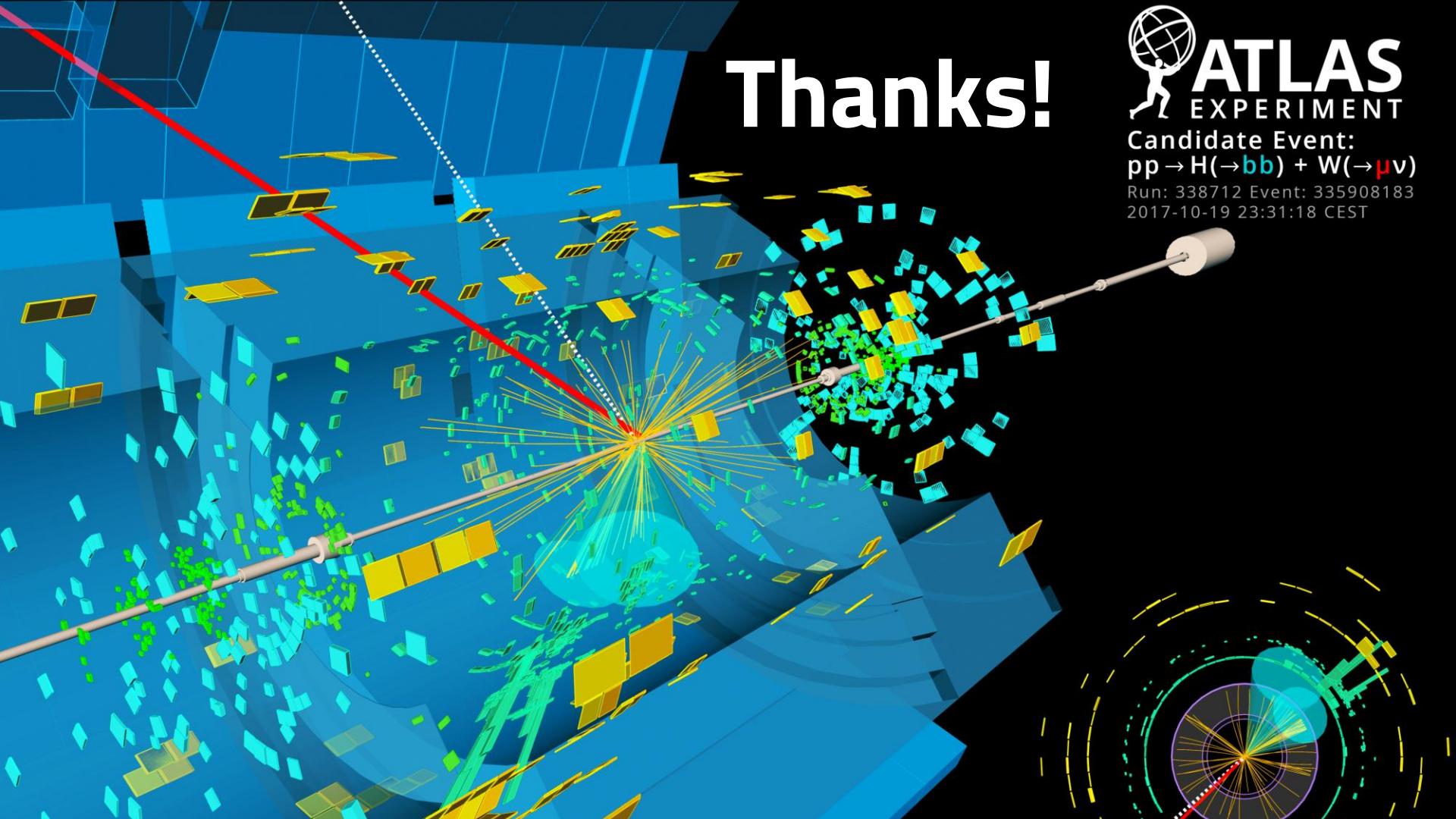
Implemented baseline analysis strategy on top of VH Legacy analysis.

Goal:

- Extract μ_{STXS} in categories of $Q_\ell \cos \delta^+$ and $Q_\ell \cos \delta^+ \times p_T^W$
- Interpret μ_{STXS} as a function of $c_{H\widetilde{W}}$

First results competitive with world best !



A 3D visualization of the ATLAS particle detector. It shows a central interaction point where a red line represents an incoming proton. The detector consists of various blue and yellow rectangular modules. Numerous thin, colored lines (yellow, green, blue) represent the paths of particles produced in the collision, some of which are detected by the calorimeters. A large cylindrical component is visible on the right.

Thanks!



Backup

Likelihood ratio trick/CARL

For two POIs, (θ_0, θ_1) and balanced samples $p(\theta_0) = p(\theta_1) = 0.5$, $p(x) = \frac{p(x|\theta_0) + p(x|\theta_1)}{2}$

- For a classifier trained to distinguish between samples from θ_0 and θ_1 the classifier boundary

$$s(x|\theta_0, \theta_1) = p(y=1|x) = \frac{p(x|\theta_1)}{p(x|\theta_0) + p(x|\theta_1)} = \frac{1}{r(x|\theta_0, \theta_1) + 1}$$

Inverting the relation, one can use classifiers to estimate likelihood ratios – **CARL** - [arXiv:1506.02169](https://arxiv.org/abs/1506.02169)

$$\hat{r}(x|\theta_0, \theta_1) = \frac{1 - \hat{s}(x|\theta_0, \theta_1)}{\hat{s}(x|\theta_0, \theta_1)}$$

SBI with mining gold

Likelihood cannot be calculated analitically, but can be factorized

- $p(x|\theta) = \int dz_d \int dz_s \int dz_p p(x|z_d) p(z_d|z_s) p(z_s|z_p) p(z_p|\theta) \equiv \int dz p(x, z|\theta)$

Can extract parton-level likelihood from generators

- $p(z_p|\theta) = d\sigma(z_p|\theta)/\sigma(\theta)$, $d\sigma$: event generator weights

[arXiv:1805.00020](#): quantities based on $p(z_p|\theta)$ can be used to estimate likelihood ratio and score

- Score is a local approximation of the likelihood (statistically optimal observable) around θ_{ref}

SBI with mining gold

Joint score: $t(x, z|\theta) = \nabla_\theta \log p(x, z|\theta) = \frac{\nabla_\theta p(z_p|\theta)}{p(z_p|\theta)} = \frac{\nabla_\theta d\sigma(\theta)}{d\sigma(\theta)} - \frac{\nabla\sigma(\theta)}{\sigma(\theta)}$

- Regressor with $L \propto |\hat{g}(x) - t(x, z|\theta)|_{\theta_{ref}}|^2 \rightarrow t(x|\theta)|_{\theta_{ref}}$ - SALLY

Joint likelihood ratio: $\frac{p(x, z|\theta_0)}{p(x, z|\theta_1)} = \frac{p(z_p|\theta_0)}{p(z_p|\theta_1)} = \frac{d\sigma(\theta_0)}{\sigma(\theta_0)} \frac{\sigma(\theta_1)}{d\sigma(\theta_1)}$

- Classifier with $L \propto |s(x, z|\theta_0, \theta_1) \log(\hat{s}(x|\theta_0, \theta_1)) + (1 - s(x, z|\theta_0, \theta_1)) \log(1 - \hat{s}(x|\theta_0, \theta_1))|^2 \rightarrow r(x|\theta_0, \theta_1)|_{\theta_{ref}}$ - ALICE (can be singly or doubly parametrized classifier)
- ALICE + gradient/score loss term, $|t(x, z|\theta_0, \theta_1) - \nabla_\theta \log \left(\frac{1 - \hat{s}(x|\theta_0, \theta_1)}{\hat{s}(x|\theta_0, \theta_1)} \right)|_{\theta_0}|^2$ - ALICES