

Search for CP violation in HWW anomalous couplings with the ATLAS detector

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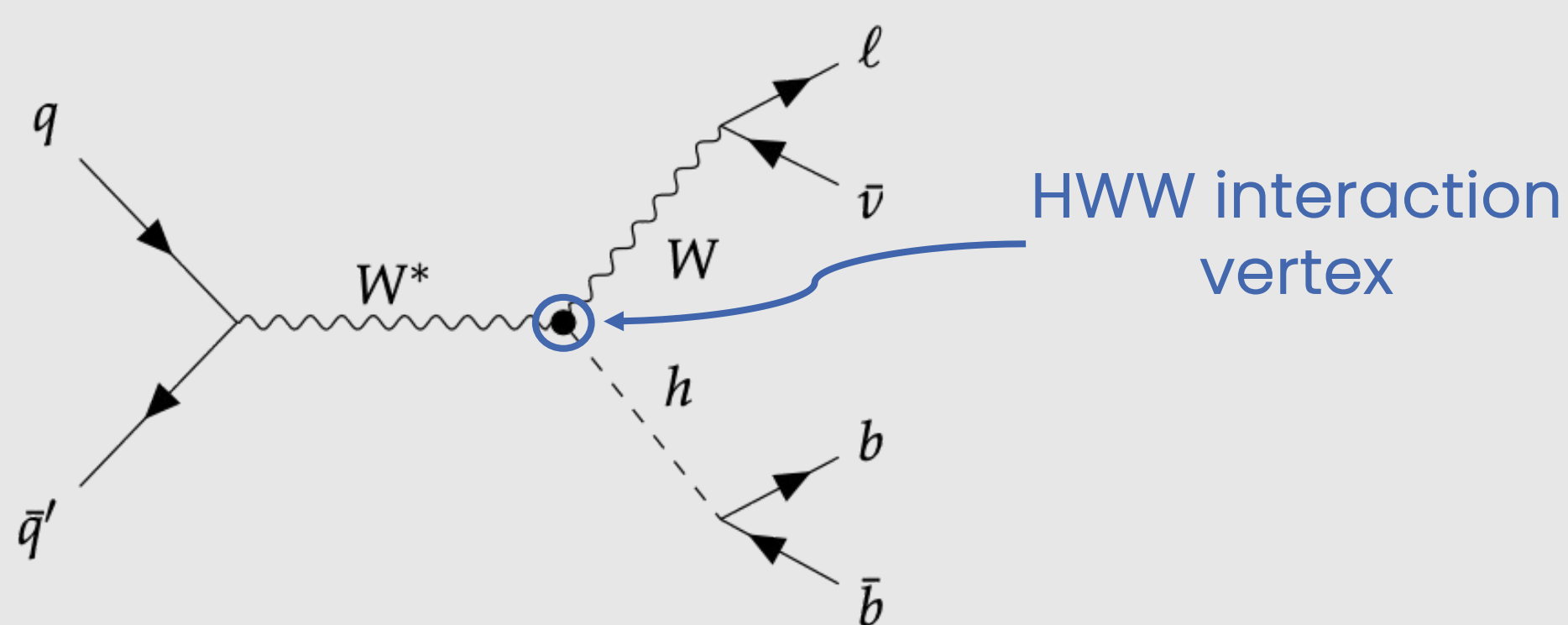
Motivation

One of the major mysteries unaddressed by the Standard Model (SM) is the observed asymmetry between matter and anti-matter.

Charge-Parity (CP) symmetry violation Beyond SM (BSM) needed!

BSM theories predict **anomalous couplings** in the Higgs boson interactions: natural place for new physics (NP) searches

WH production channel:



Angular Observable

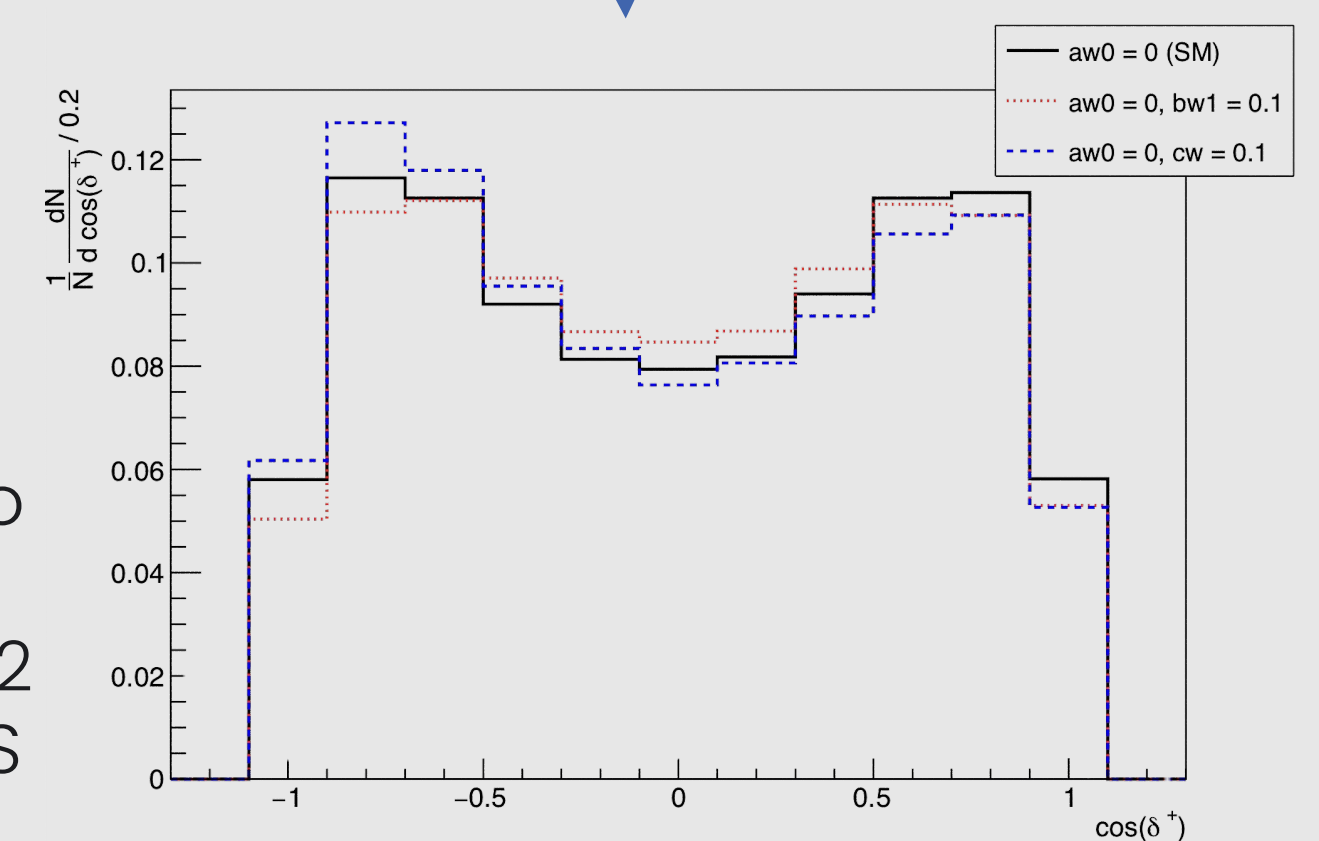
Estimate the likelihood function by **filling histograms of an angular variable** sensitive to the CP-odd operator:

$$\cos \delta^+ = \frac{p_\ell \cdot (p_H \times p_W)}{|p_\ell| |(p_H \times p_W)|}$$

p_ℓ - momentum of the lepton (ℓ)
 p_H - momentum of the Higgs boson (H)
 p_W - momentum of the W boson (W)

Different distribution with CP-odd contribution (cw)

$\cos \delta^+$ will be used to study CP-violating behaviour with Run 2 data from the ATLAS experiment



Effective Field Theory (EFT)

The SM can be considered as an EFT by adding to its Lagrangian operators of mass dimension > 4 .

$$\mathcal{L}_{EFT} = \mathcal{L}_{SM} + \frac{1}{\Lambda} \sum_i c_i^{(5)} \mathcal{O}_i^{(5)} + \frac{1}{\Lambda^2} \sum_j c_j^{(6)} \mathcal{O}_j^{(6)} + \dots$$

c_i - Wilson Coefficients
 \mathcal{O}_i - Operators with SM symmetries
 Λ - NP cutoff energy scale

Only one CP-odd (changes signs under CP transformation) operator affects this interaction: $c_{H\tilde{W}}$.

Likelihood Function

Goal: Estimate the likelihood function and set limits on the Wilson coefficients. But...

$$p(x|\theta) = \int dz_d \int dz_s \int dz_p p(x|z_d) p(z_d|z_s) p(z_s|z_p) p(z_p|\theta)$$

Many millions of random numbers

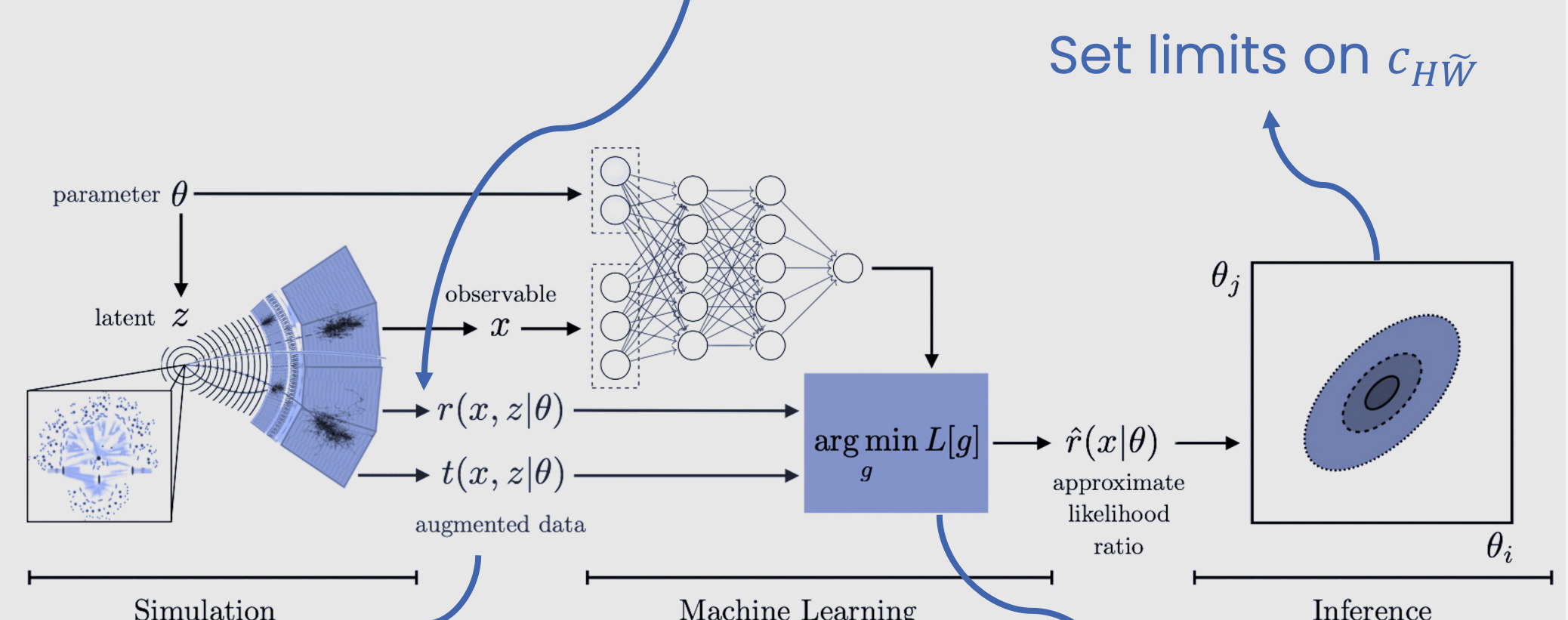
Intractable likelihood

Two different approaches to study the likelihood: use an **angular observable** or **machine learning**

x - detector-level reconstructed observables
 z_d - detector simulation latent variables
 z_s - parton shower latent variables
 z_p - parton-level latent variables (kinematics)
 θ - parameter of interest (Wilson coefficients)

Machine Learning

Train neural networks that converge to the likelihood/likelihood ratio, using **information from simulations**.



Joint likelihood ratio:

$$r(x, z|\theta_0, \theta_1) = \frac{p(z_p|\theta_0)}{p(z_p|\theta_1)}$$

Joint score:

$$t(x, z|\theta) = \frac{\nabla_\theta p(z_p|\theta)}{p(z_p|\theta)}$$

Minimize a suitable loss function:

$$L[\hat{r}] = |r(x, z|\theta_0, \theta_1) - \hat{r}(x, \theta_0, \theta_1)|^2$$

This will be used to optimize Run 3 analysis of the LHC.

References

- [1] Rohini Godbole et al, arXiv:1409.5449
- [2] Ricardo Barrau, CERN-THESIS-2020-023
- [3] Johann Brehmer et al, Phys. Rev. D 98, 052004 (2018)
- [4] Johann Brehmer et al, arXiv:1907.10621