

TARGETED COMMUNITY MERGING PROVIDES AN EFFICIENT COMPARISON BETWEEN COLLABORATION CLUSTERS AND DEPARTMENTAL PARTITIONS

Francisco Bauzá Mingueza

Gonzalo Ruiz, Jesús Gómez, Alfonso Tarancón & David Íñiguez Dieste



Universidad
Zaragoza



Instituto Universitario de Investigación
**Biocomputación y Física
de Sistemas Complejos**
Universidad Zaragoza





Universidad
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Propuesta de reestructuración departamental de la Universidad de Zaragoza.

Si buscas resultados distintos, no hagas siempre lo mismo
Albert Einstein



Consejo de Dirección
Universidad Zaragoza

Obtention of an optimal departmental partition based on scientific collaboration criteria

DATA AND NETWORK MODELLING

- Scientific collaboration data (2002 – 2021) from University of Zaragoza database (Sideral), processed by *Kampal Data Solutions*. Three macro-areas of knowledge:
 - Science (537 researchers, 14 departments)
 - Health science (724 researchers , 11 departments)
 - Engineering and Architecture (628 researchers , 10 departments)

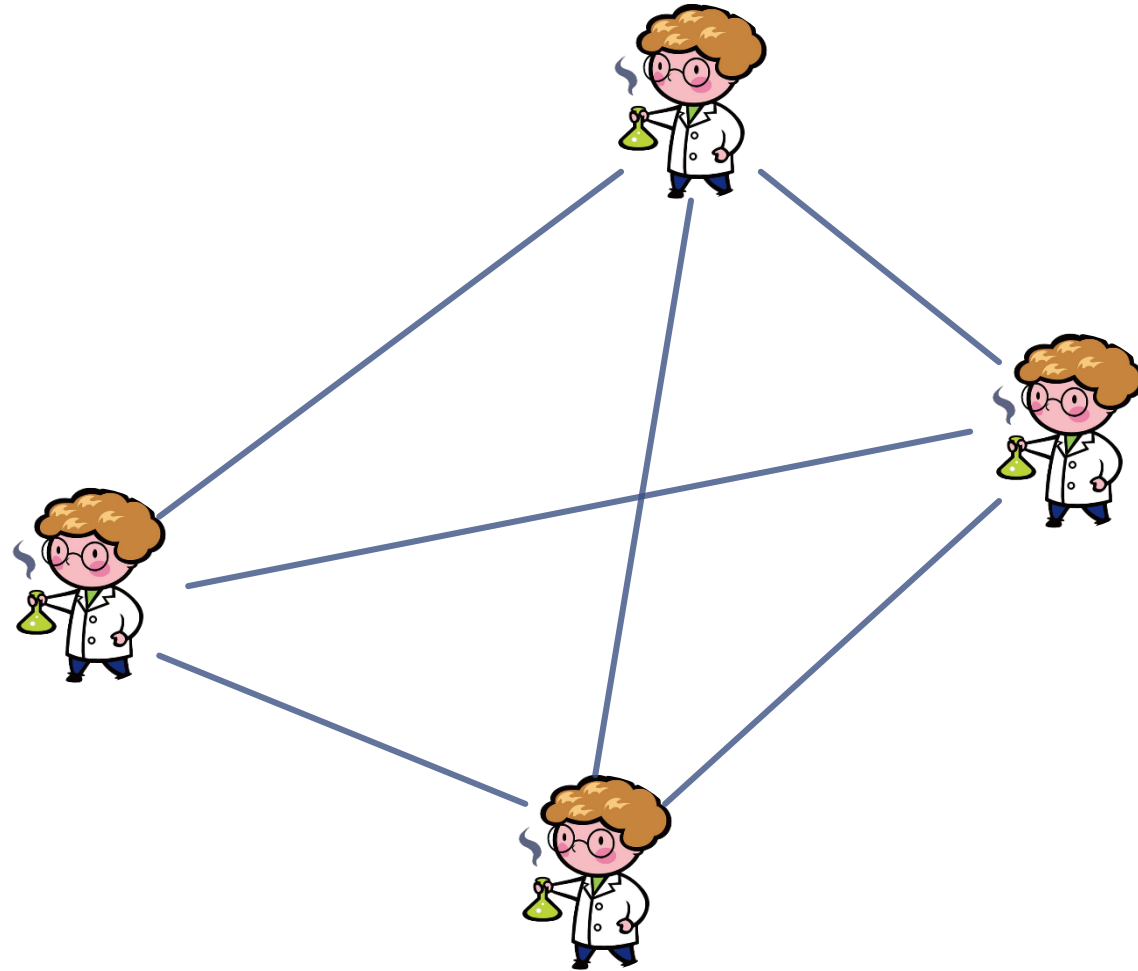
SCIENTIFIC COLLABORATION NETWORKS



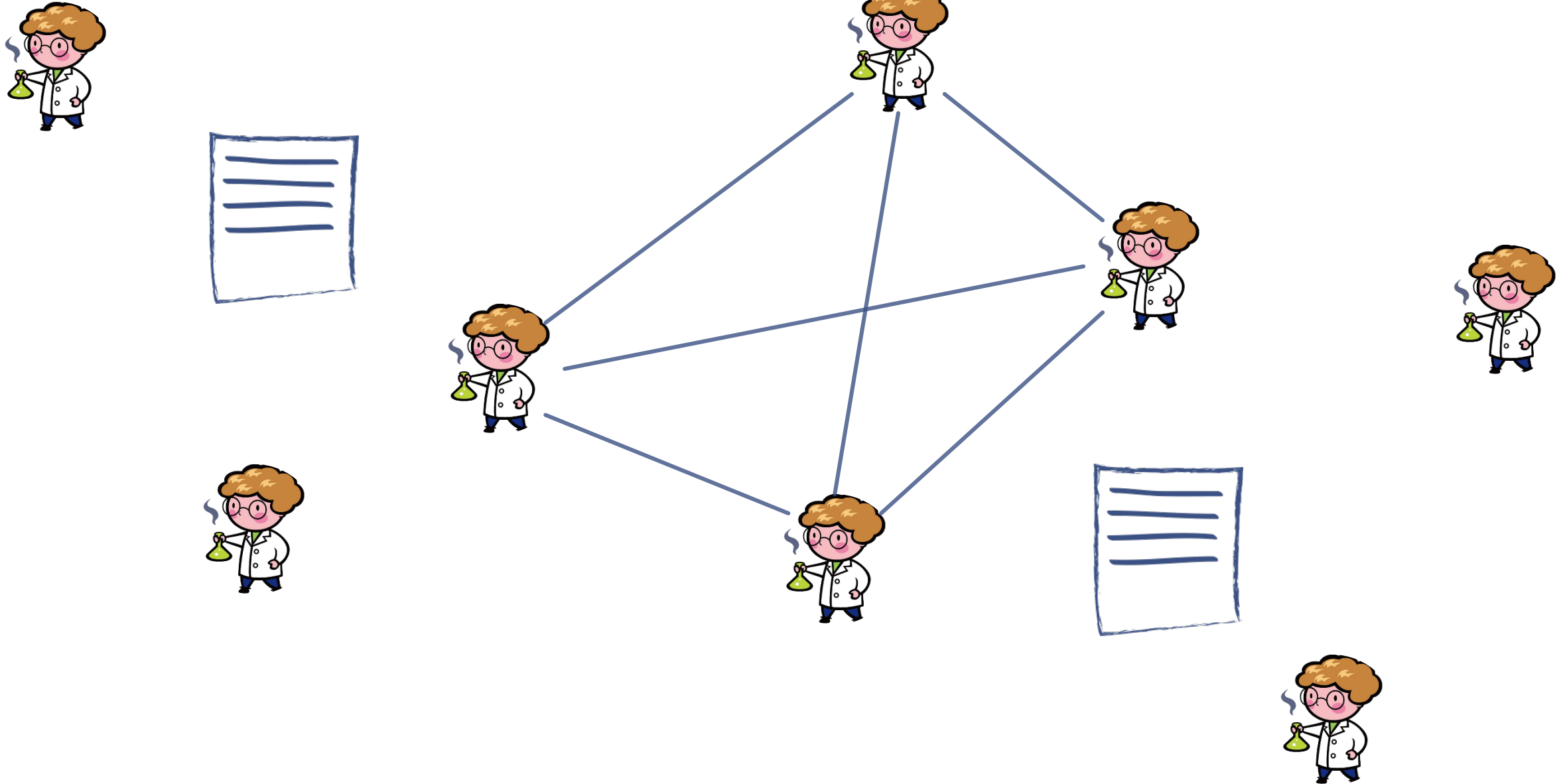
SCIENTIFIC COLLABORATION NETWORKS



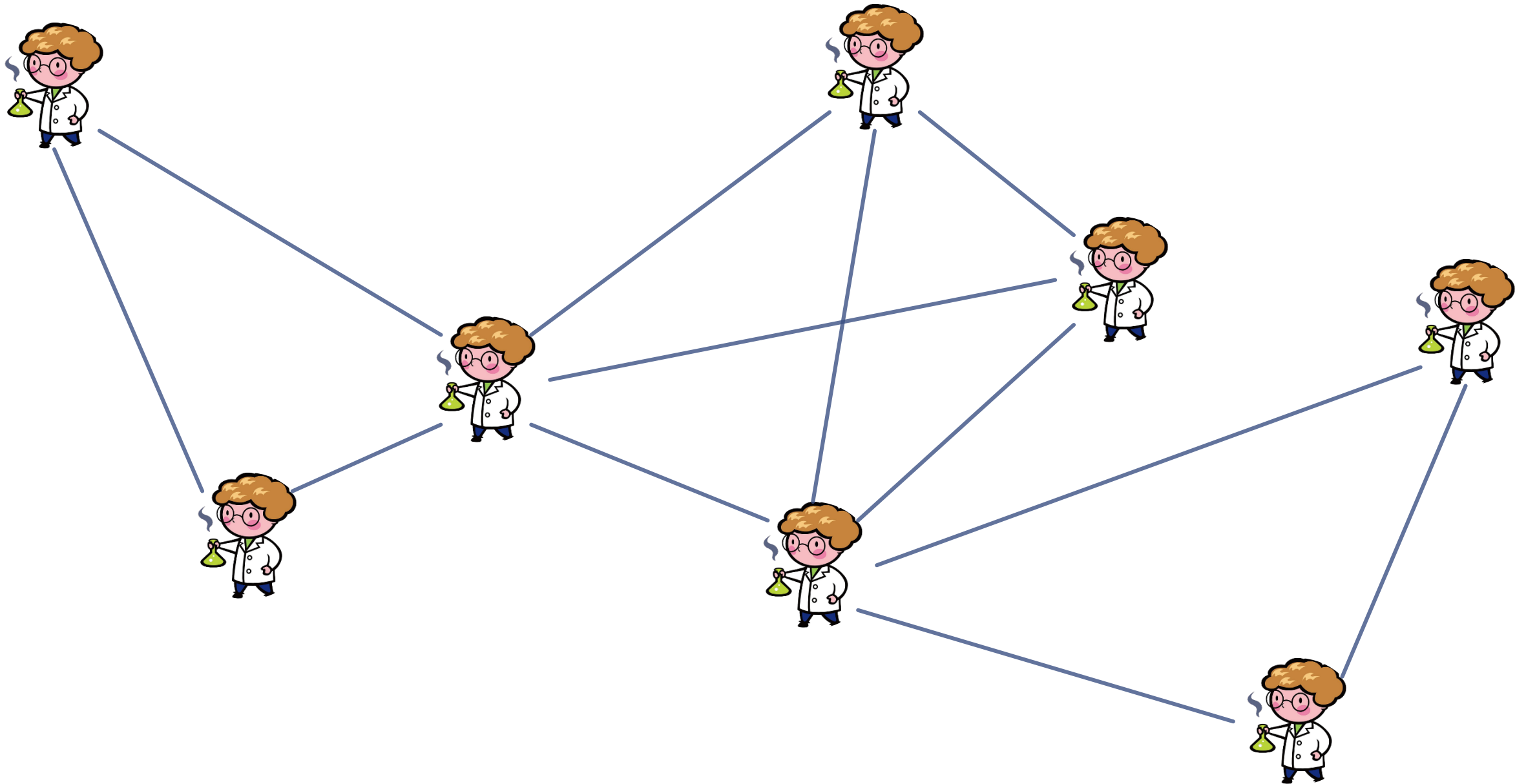
SCIENTIFIC COLLABORATION NETWORKS



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SCIENTIFIC COLLABORATION NETWORKS



- Three **undirected** and **weighted** networks

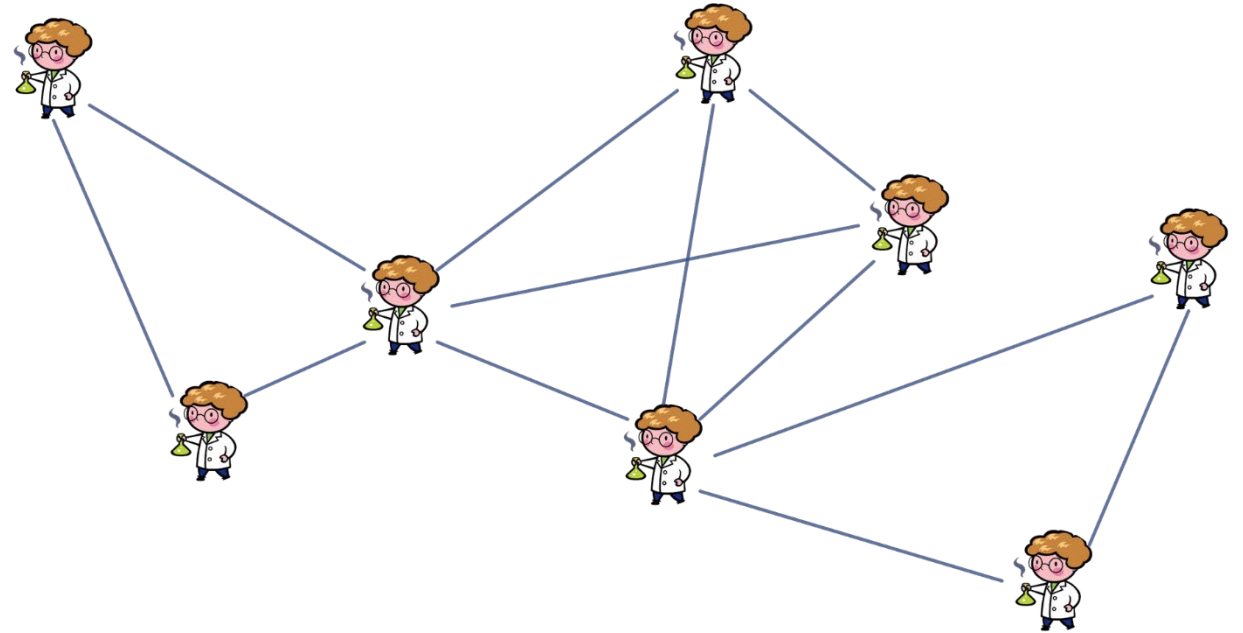
$$w_{ij} = \sum_{m=1}^{M_{ij}} \frac{IF_{ij}^m}{N_{ij}^m - 1}$$

w_{ij} : Weight of link between nodes i and j

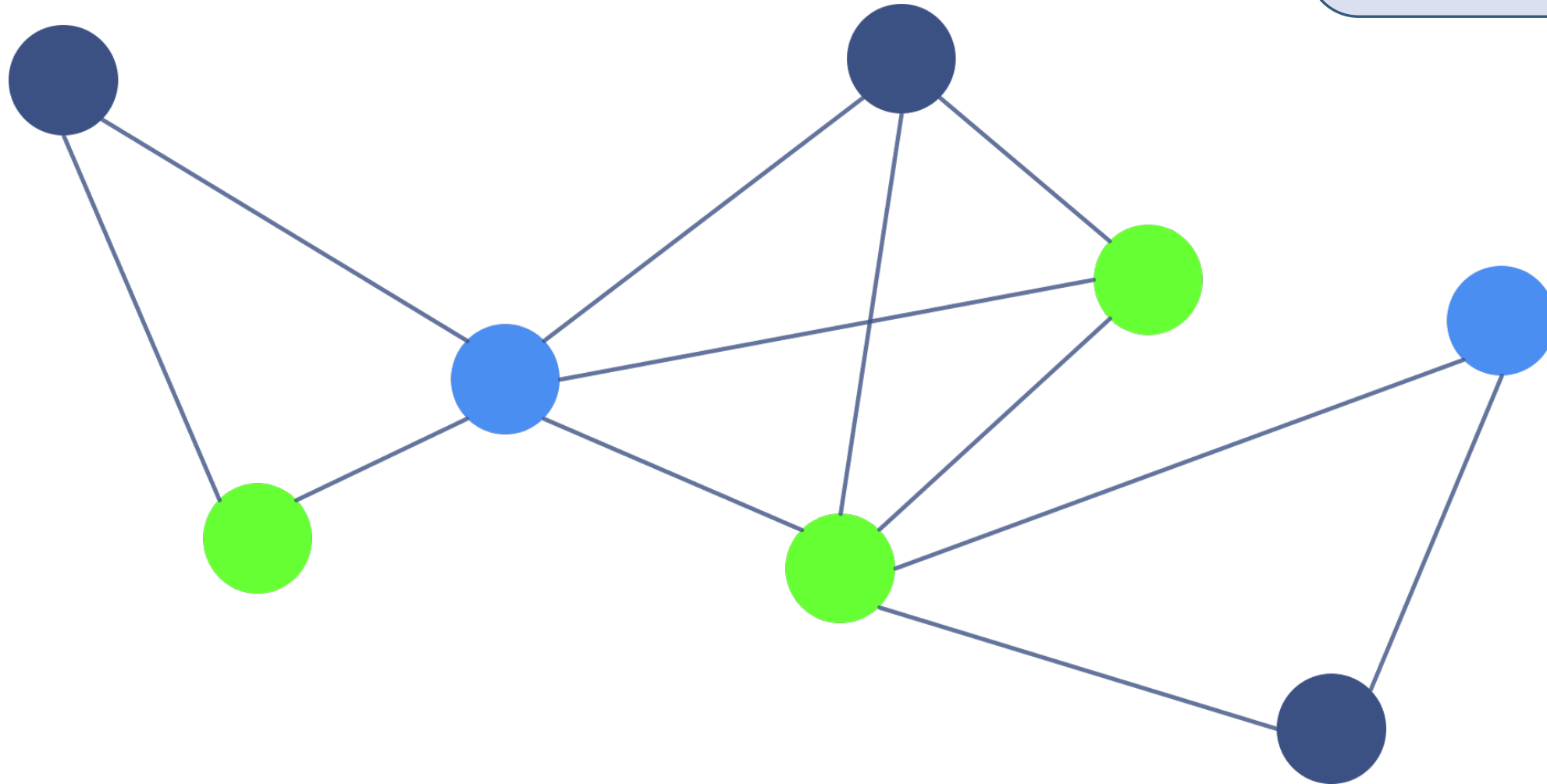
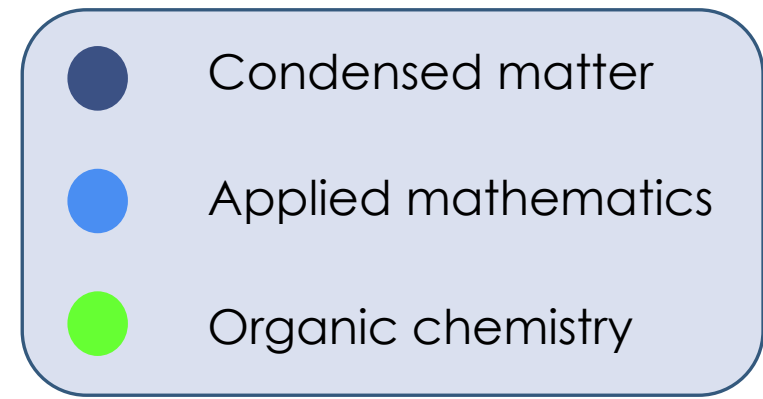
M_{ij} : Number of articles published with researchers i and j as co-authors

IF_{ij}^m : Impact factor of m -th article

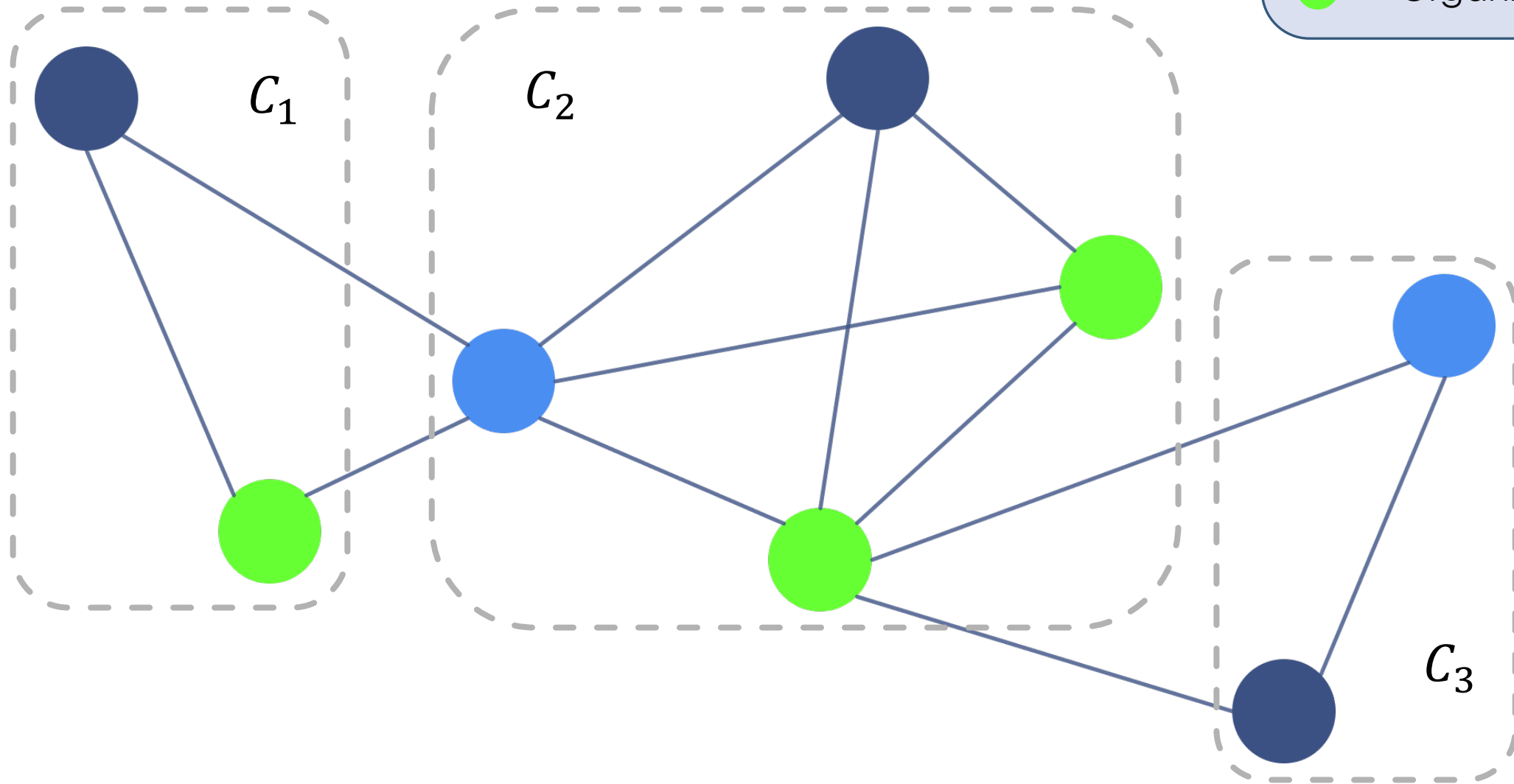
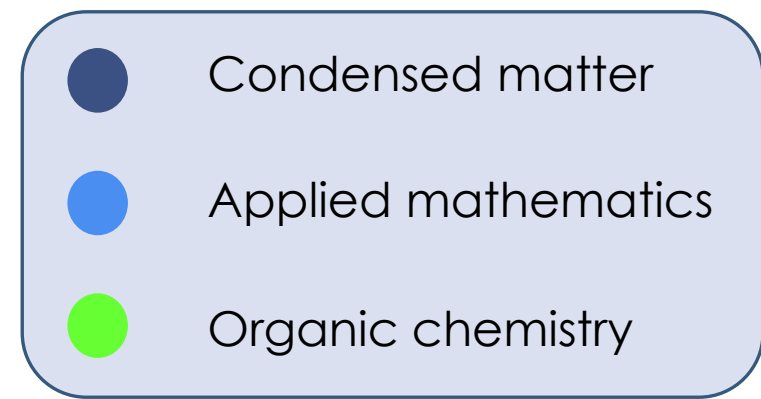
N_{ij}^m : Number of authors of m -th article



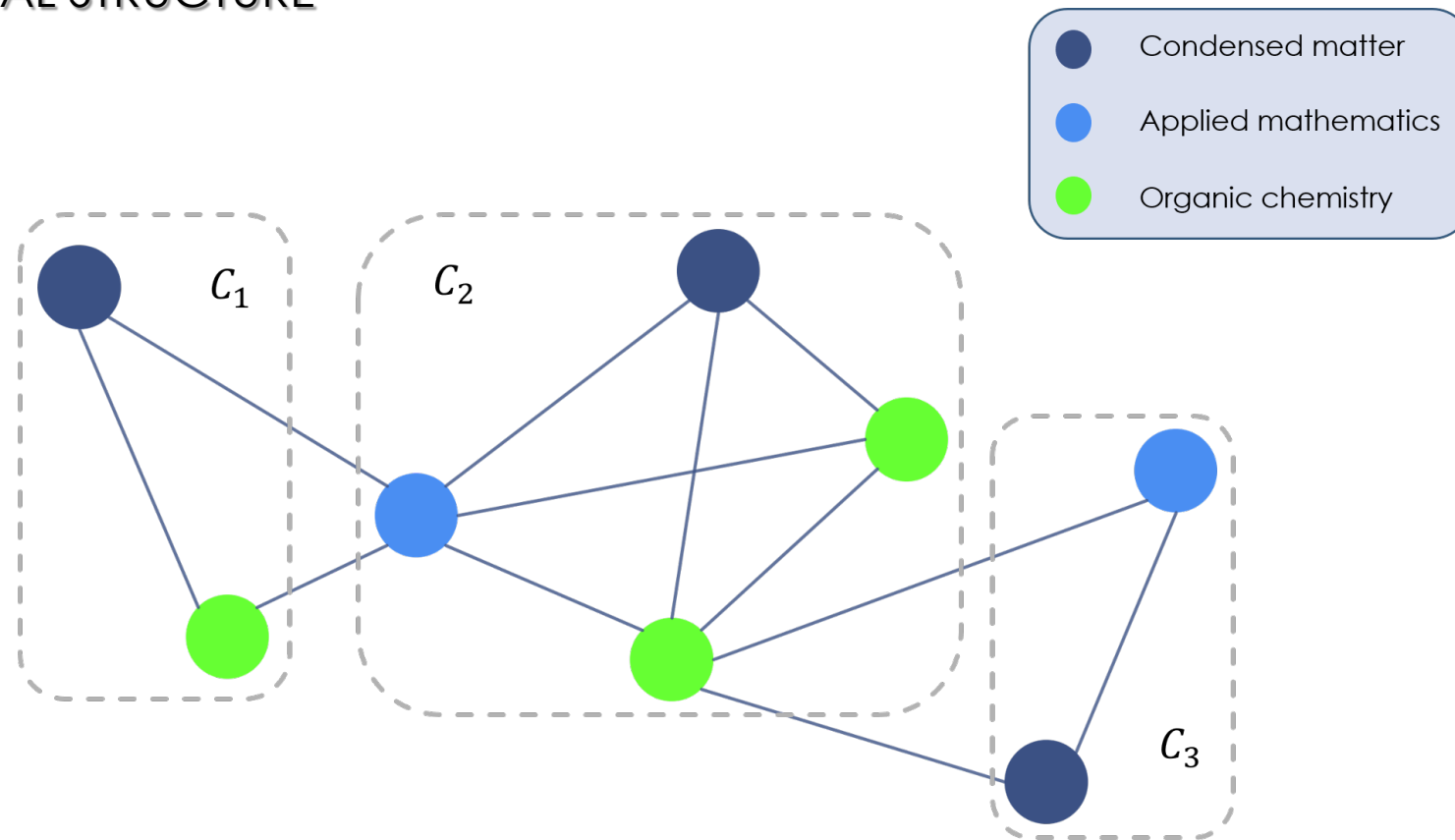
ANALYSIS OF DEPARTMENTAL STRUCTURE



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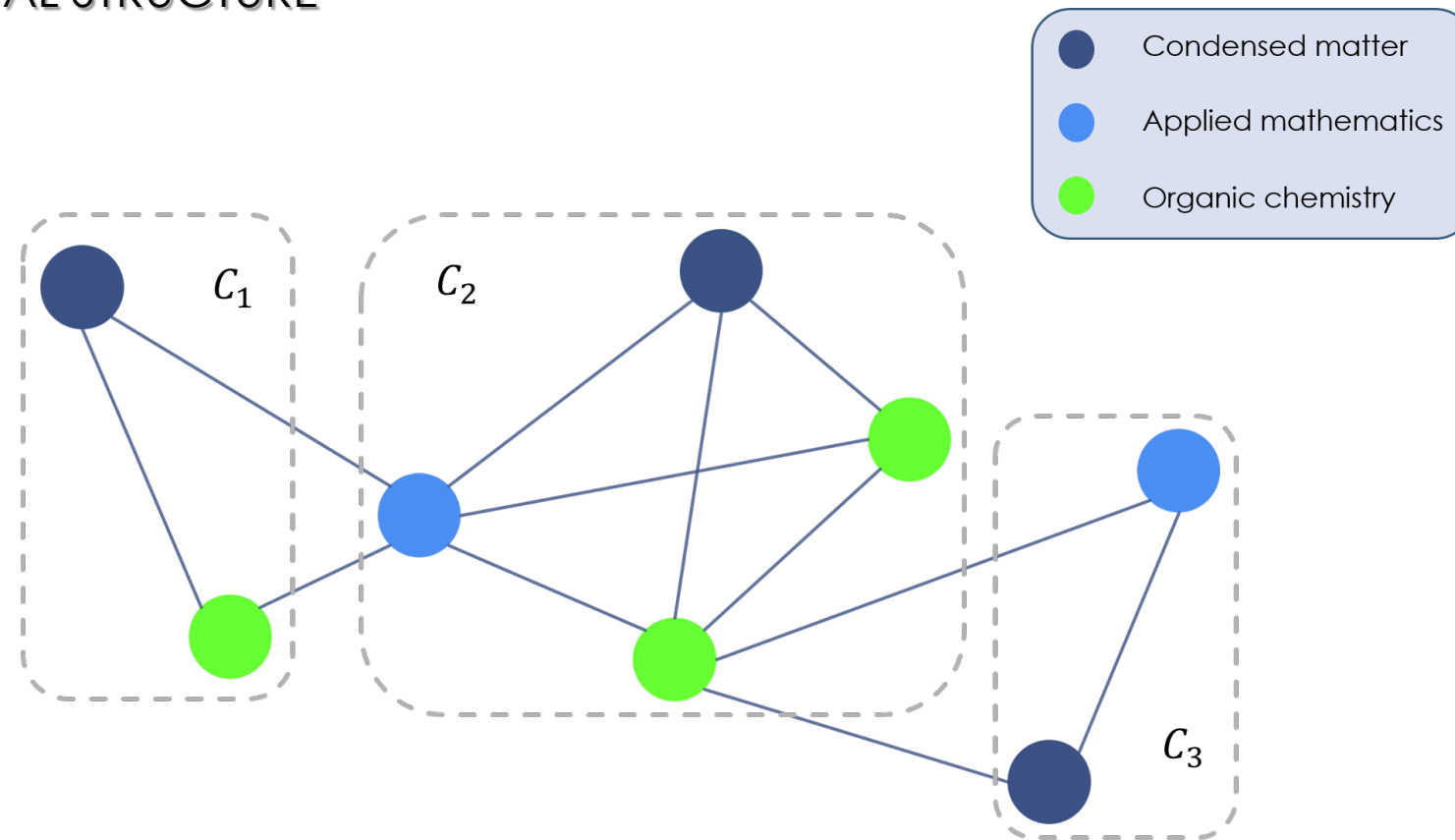


ANALYSIS OF DEPARTMENTAL STRUCTURE



Louvain and **Girvan-Newman** algorithms

ANALYSIS OF DEPARTMENTAL STRUCTURE



Louvain and **Girvan-Newman** algorithms

Modularity (Q):

$$Q(\mathcal{G}) = \frac{\sum_{ij} (w_{ij} - \frac{s_i s_j}{2m}) \delta(C_i, C_j)}{2m}$$

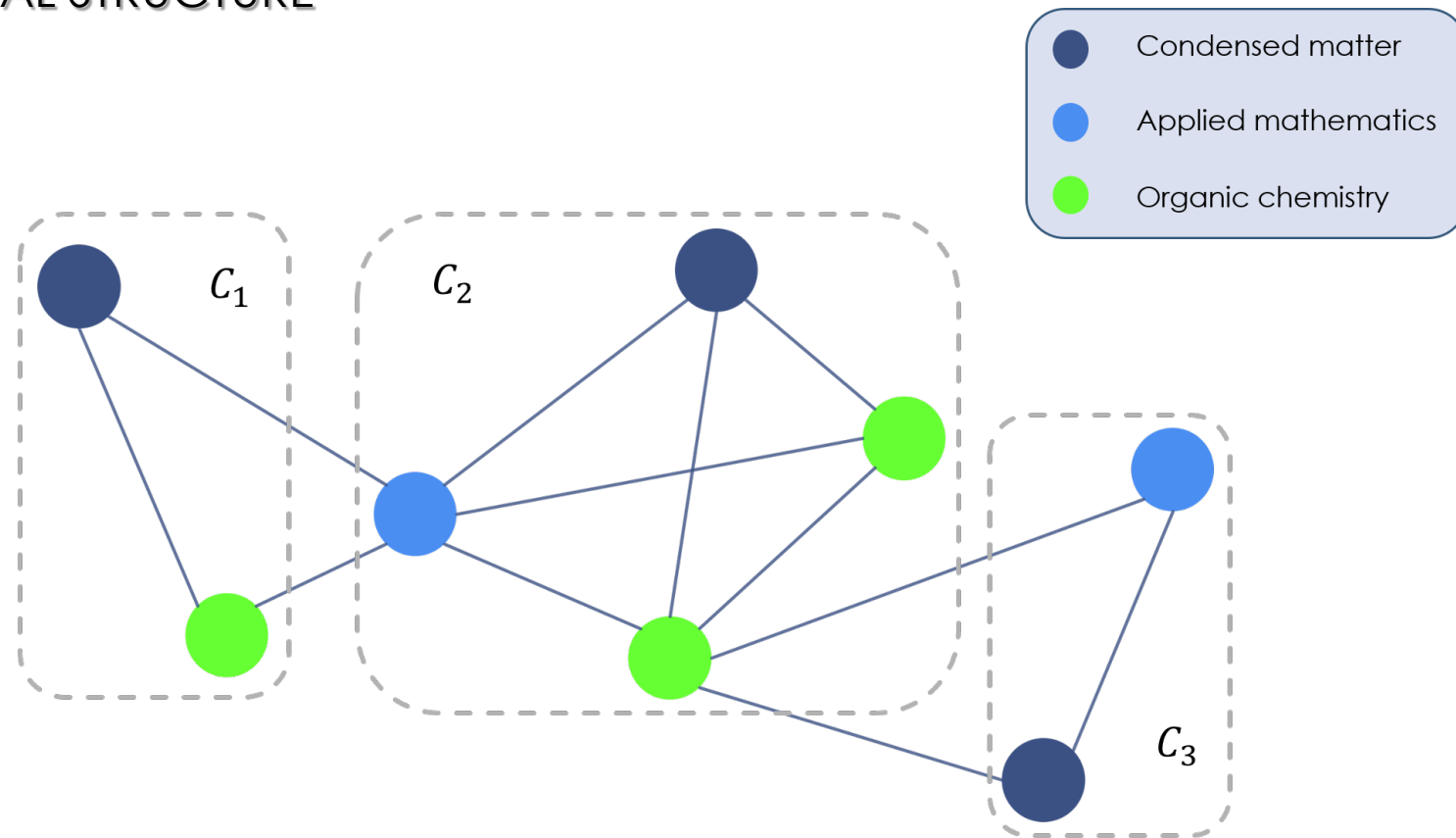
w_{ij} : Weight of link between nodes i and j

C_i : Community of node i

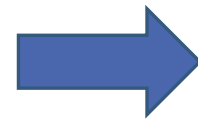
s_i : Weighted degree of node i

m : Total weight of network

ANALYSIS OF DEPARTMENTAL STRUCTURE

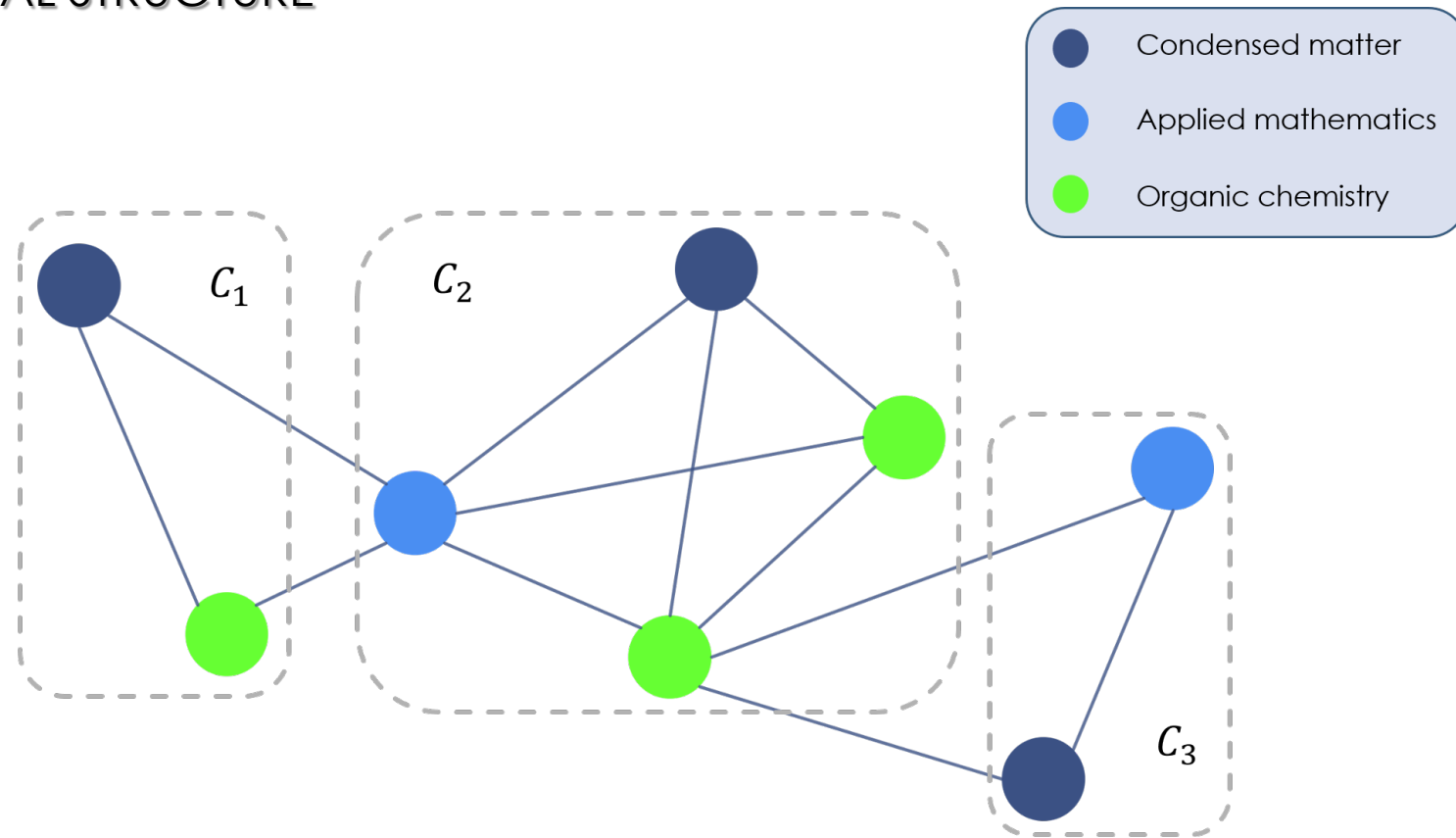


Louvain and **Girvan-Newman** algorithms



Too many communities in optimal partition

ANALYSIS OF DEPARTMENTAL STRUCTURE



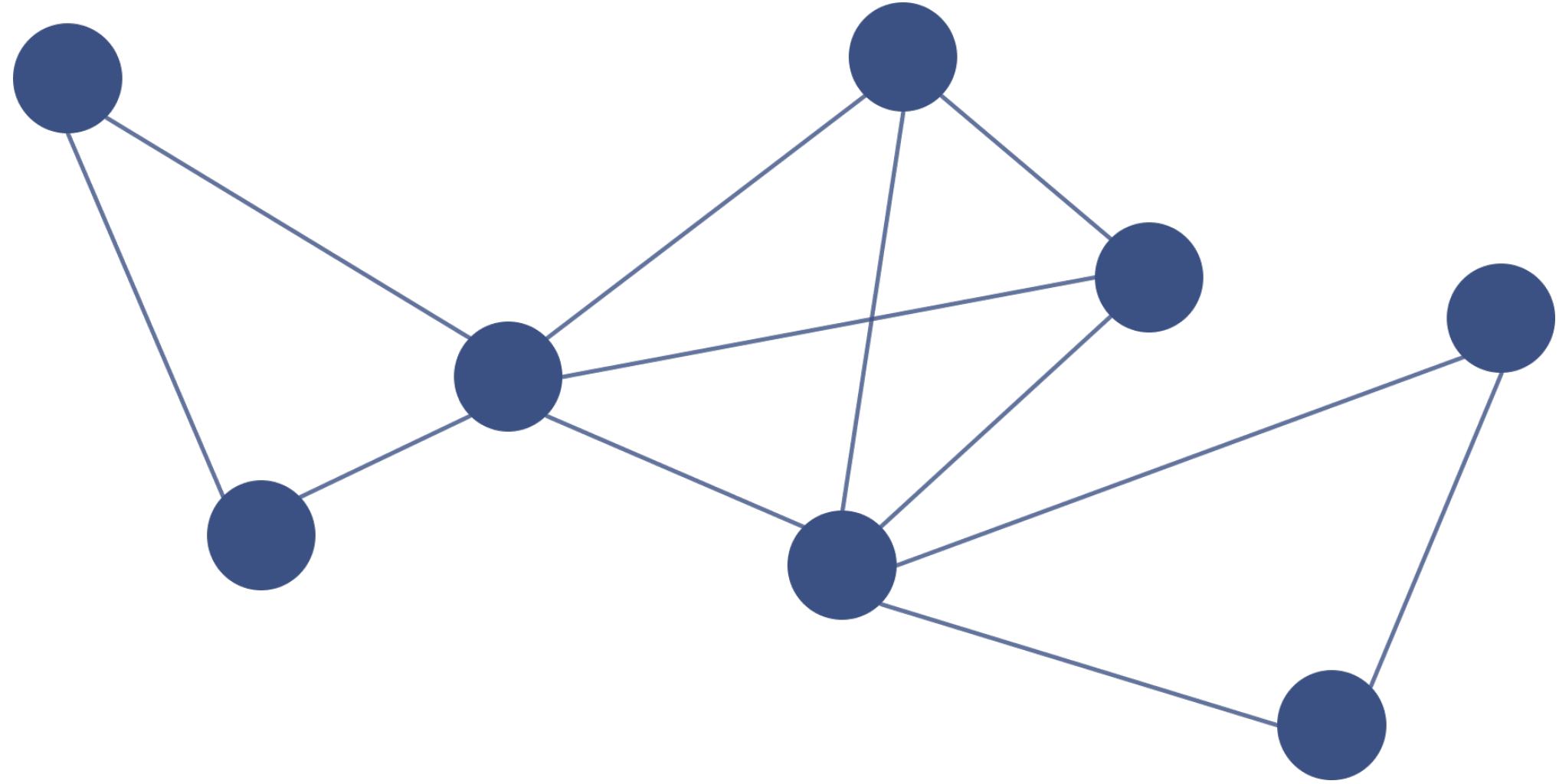
Louvain and Girvan-Newman algorithm



Targeted Community Merging algorithm

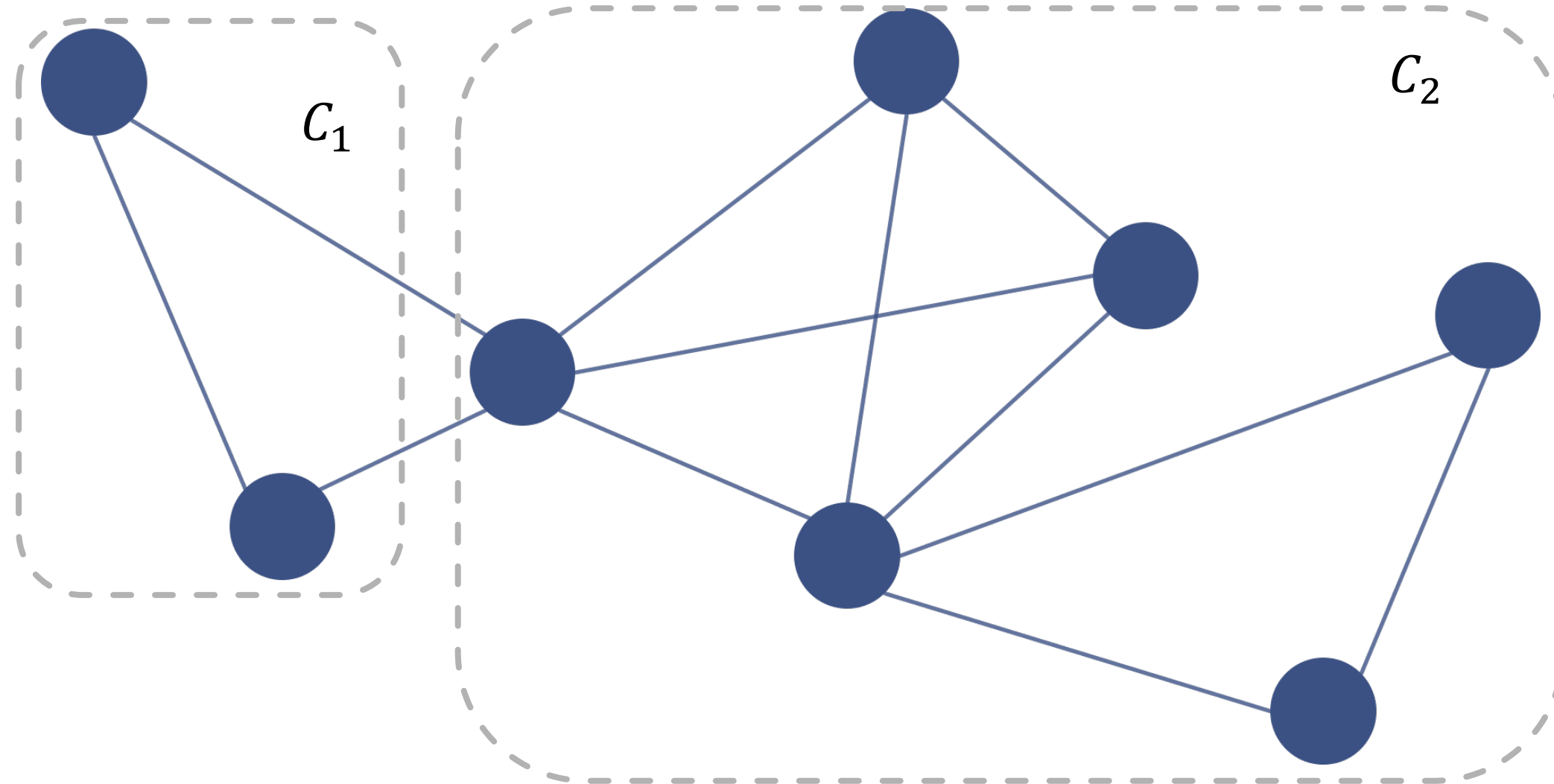
GIRVAN-NEWMAN ALGORITHM

- Heuristic iterative algorithm
- Deleting links with maximum Betweenness Centrality value



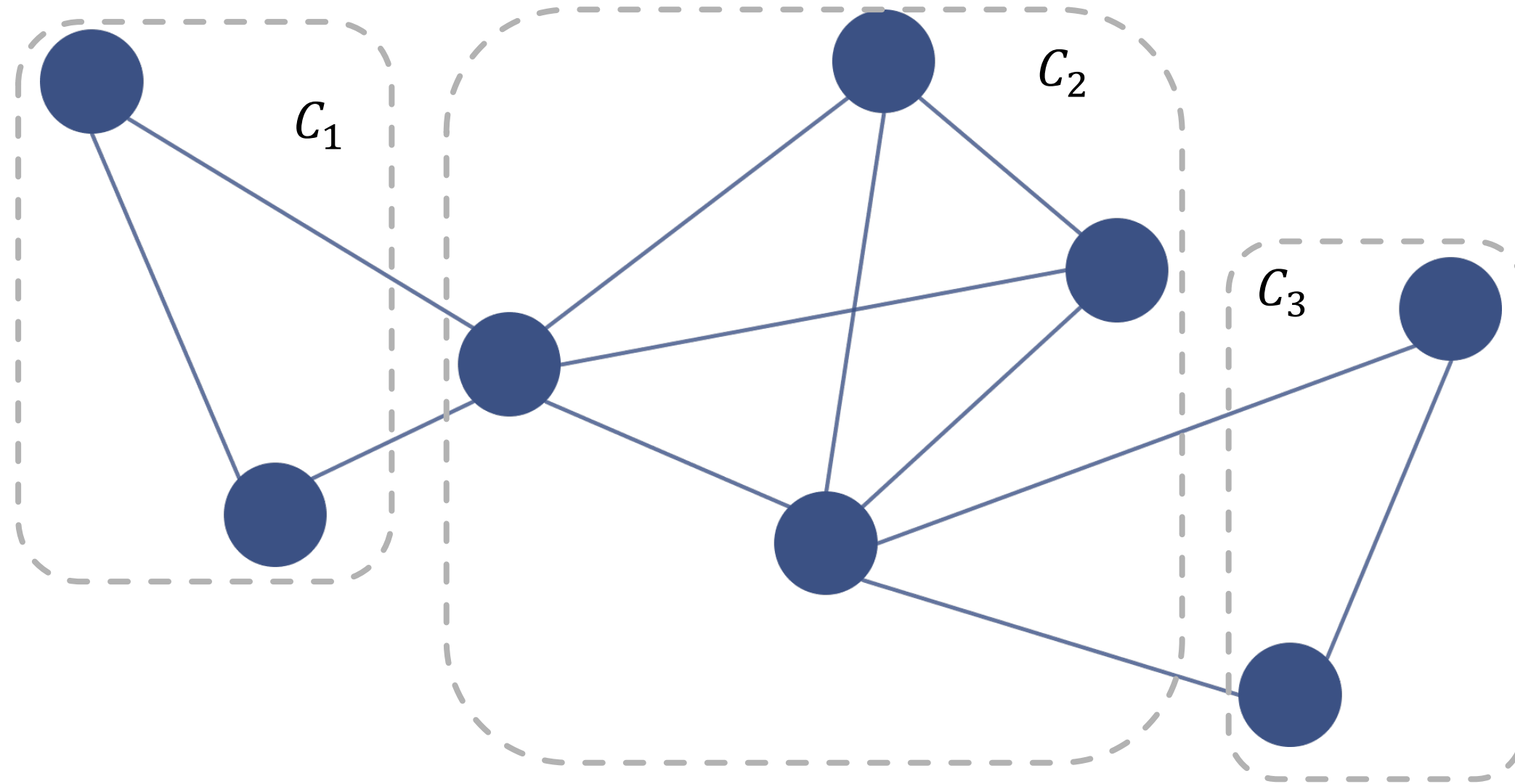
GIRVAN-NEWMAN ALGORITHM

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GIRVAN-NEWMAN ALGORITHM

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TCM ALGORITHM

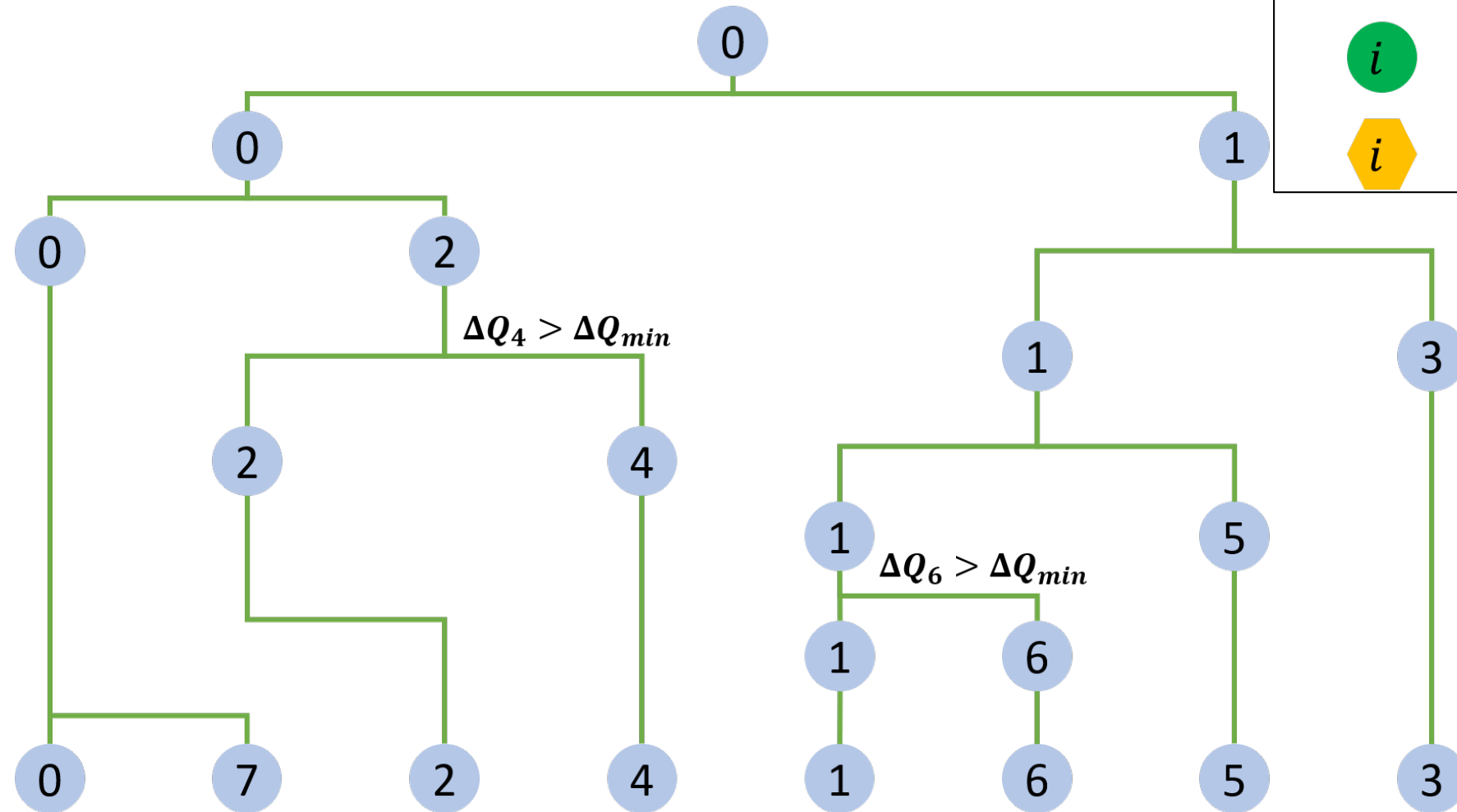
$\Delta Q_i > \Delta Q_{min}$: Community with significant growth of Modularity

i : Community before marking and joining process

i : Irrelevant community to be eliminated

i : Relevant community after marking process

i : Irrelevant community with relevant parent



TCM ALGORITHM

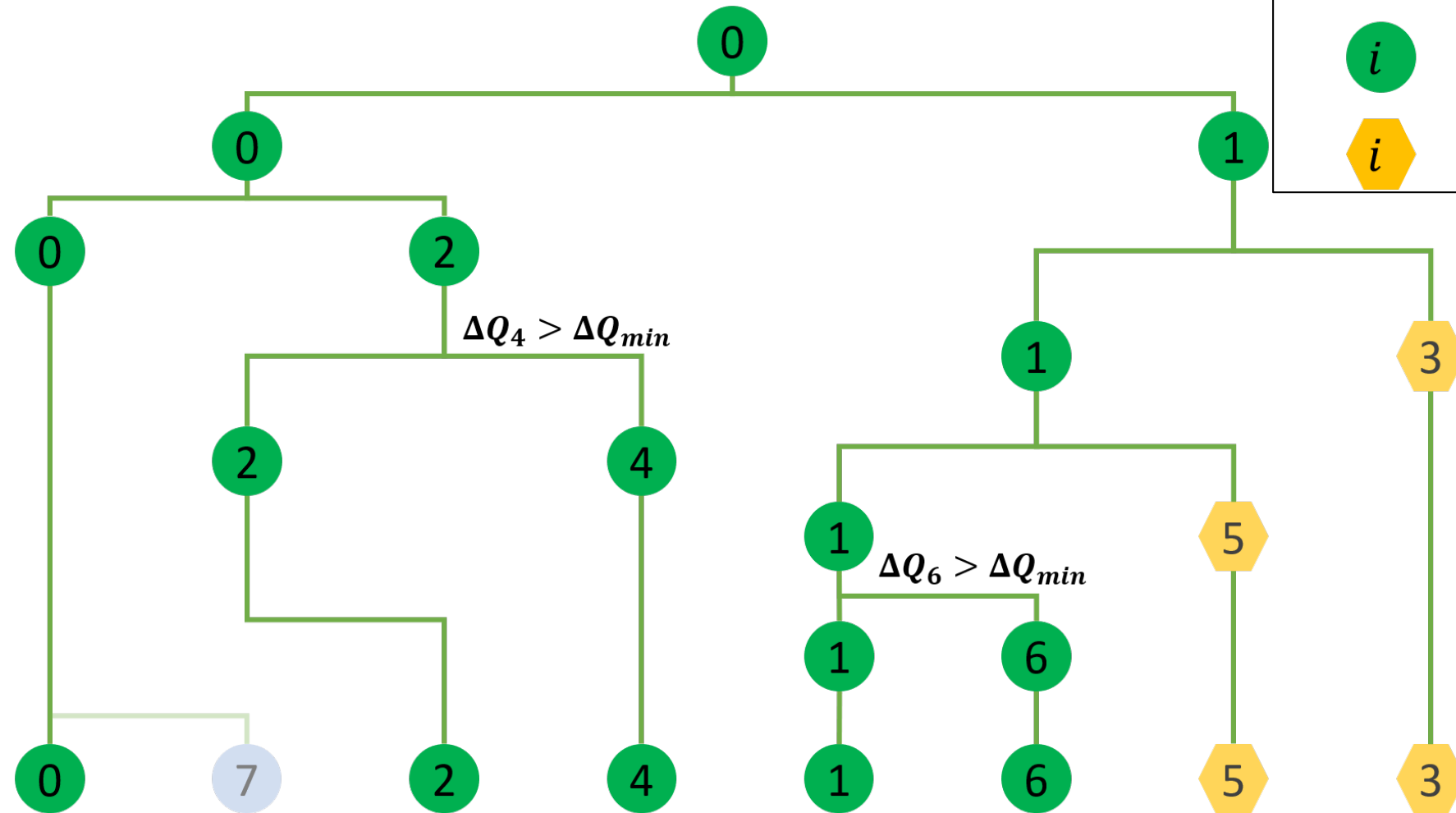
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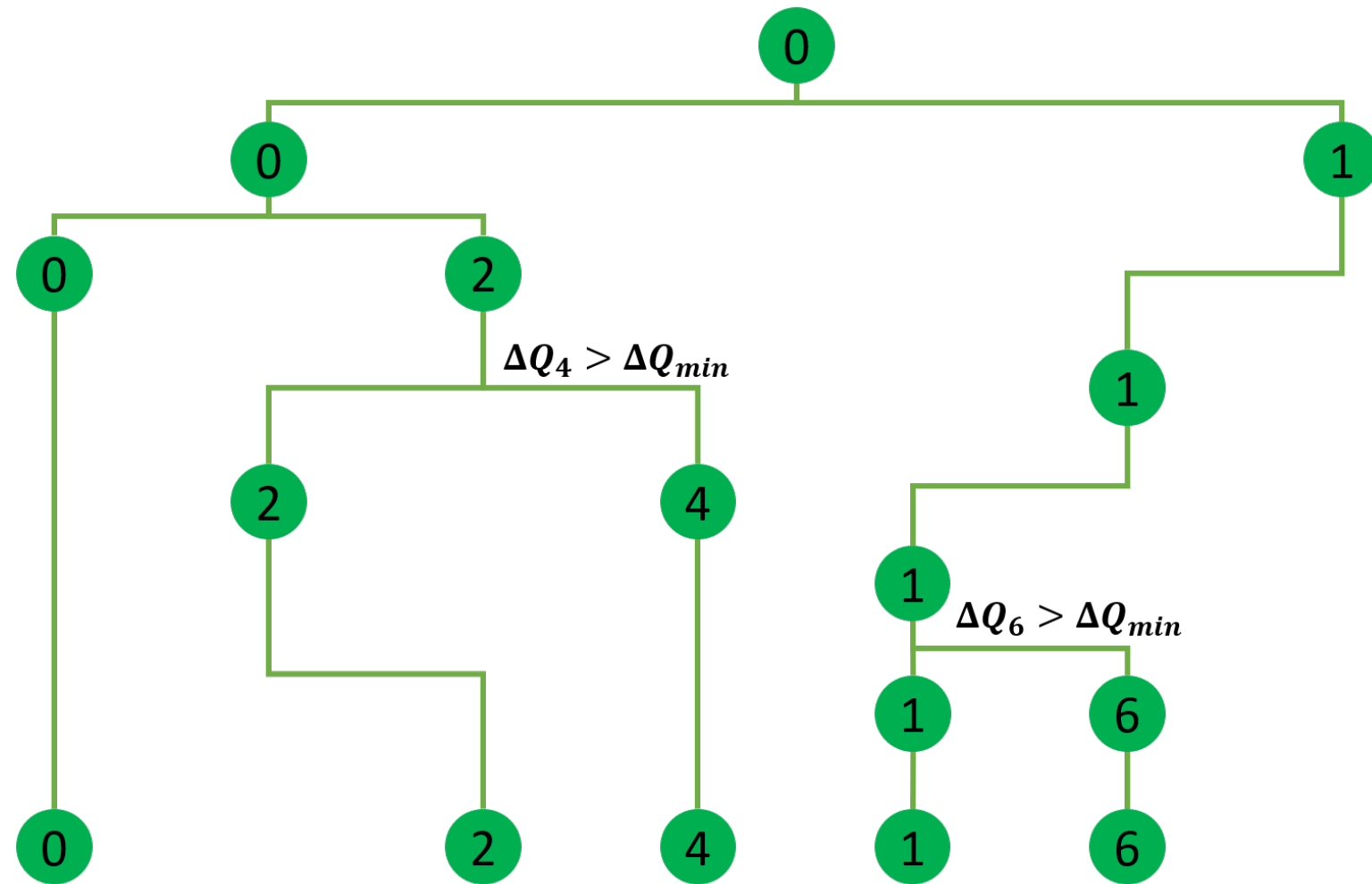
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TCM ALGORITHM



$\Delta Q_i > \Delta Q_{min}$: Community with significant growth of Modularity



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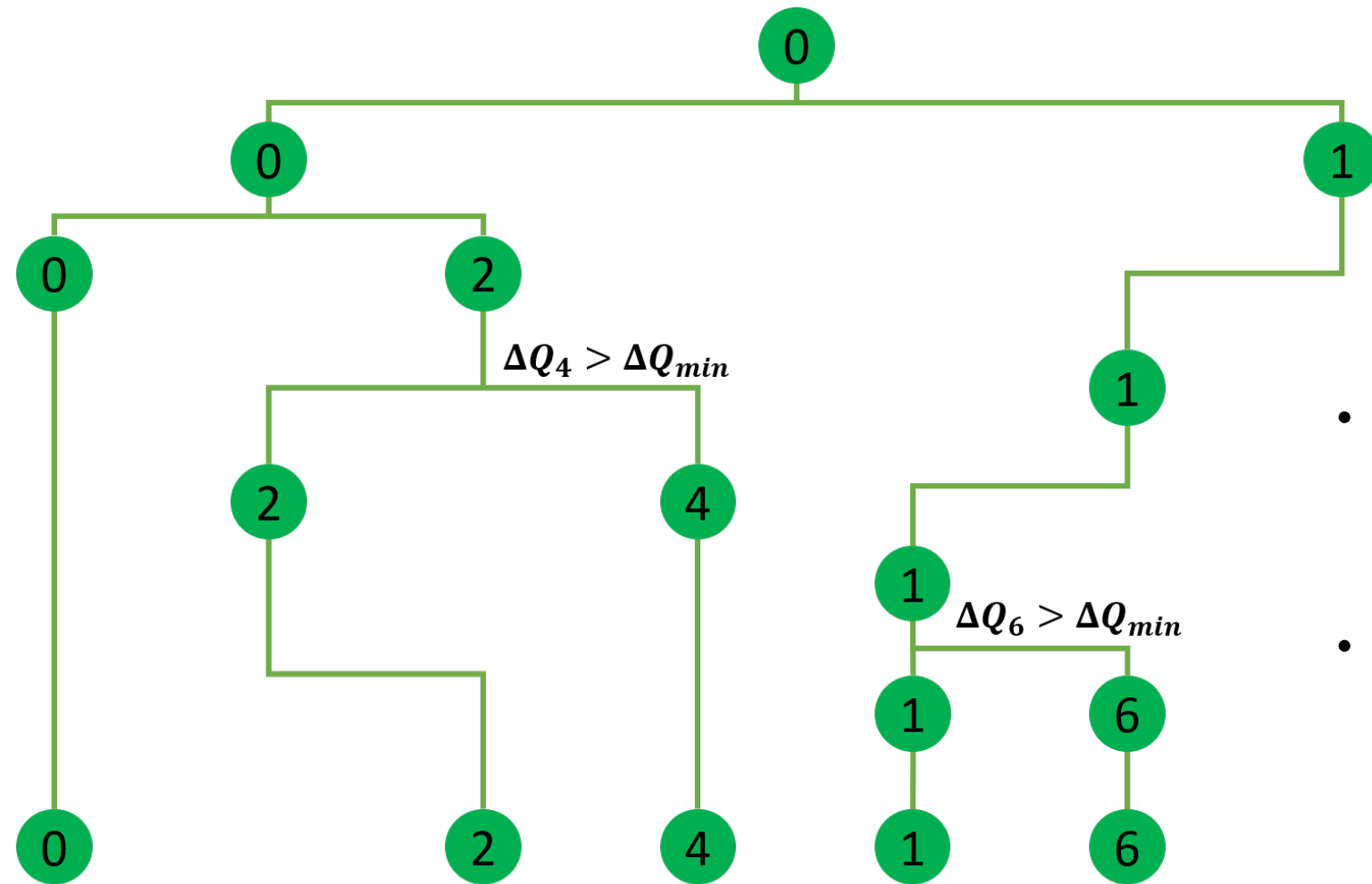


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TCM ALGORITHM



$\Delta Q_i > \Delta Q_{min}$: Community with significant growth of Modularity

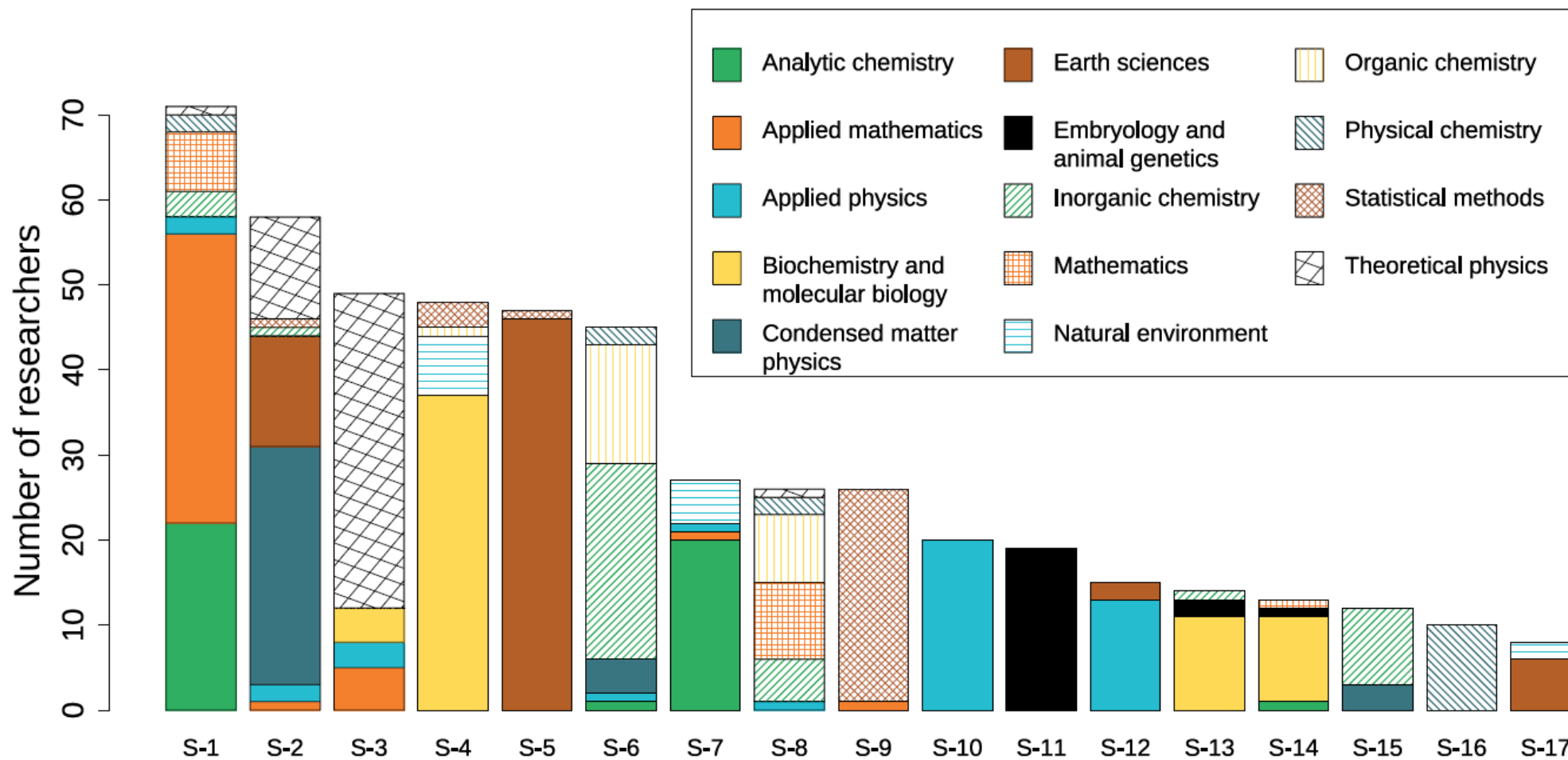
- i : Community before marking and joining process
- i : Irrelevant community to be eliminated
- i : Relevant community after marking process
- ⬡ i : Irrelevant community with relevant parent

- High values of ΔQ_{min} implies more communities reduction but also more modularity reduction
- $\Delta Q_{min} = 0$ returns a community partition with greater modularity than GN algorithm.

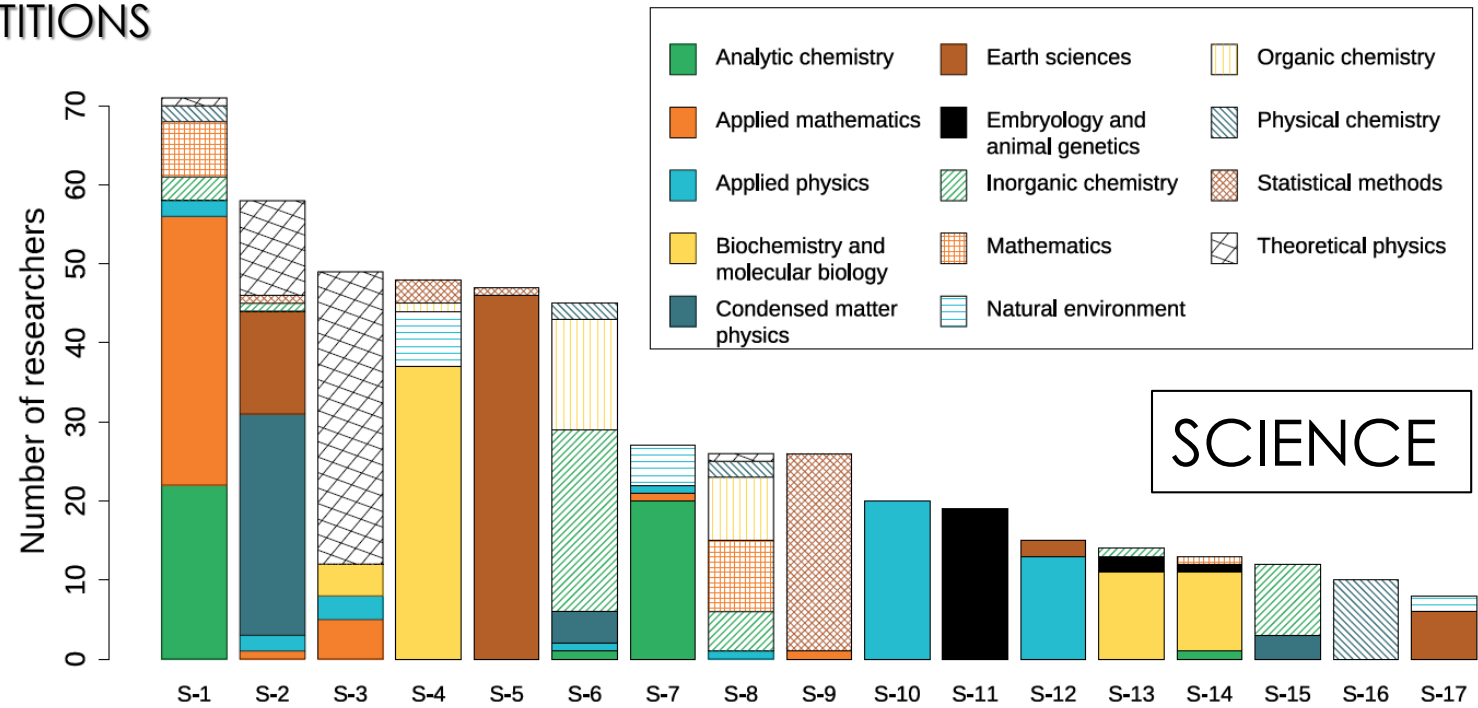
DATA AND NETWORK MODELLING

- Three macroareas, one collaboration network for each macroarea.
- Applied TCM and obtain optimal community structure.
- Optimal community structure as a basis for restructuring and for analyzing departmental collaboration.

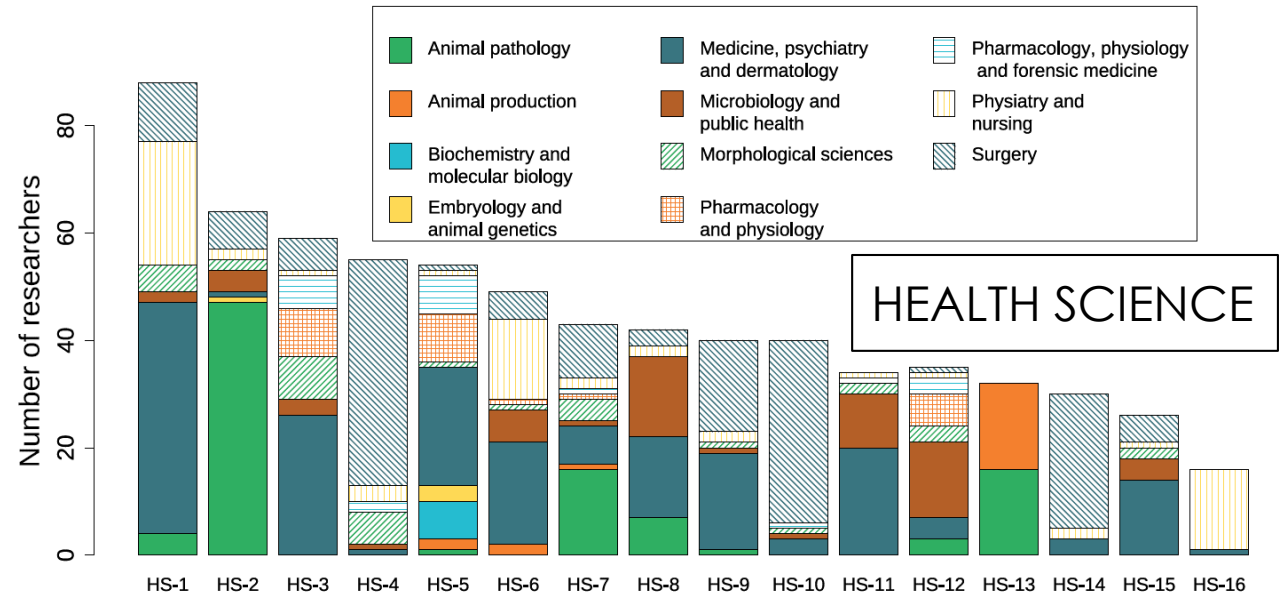
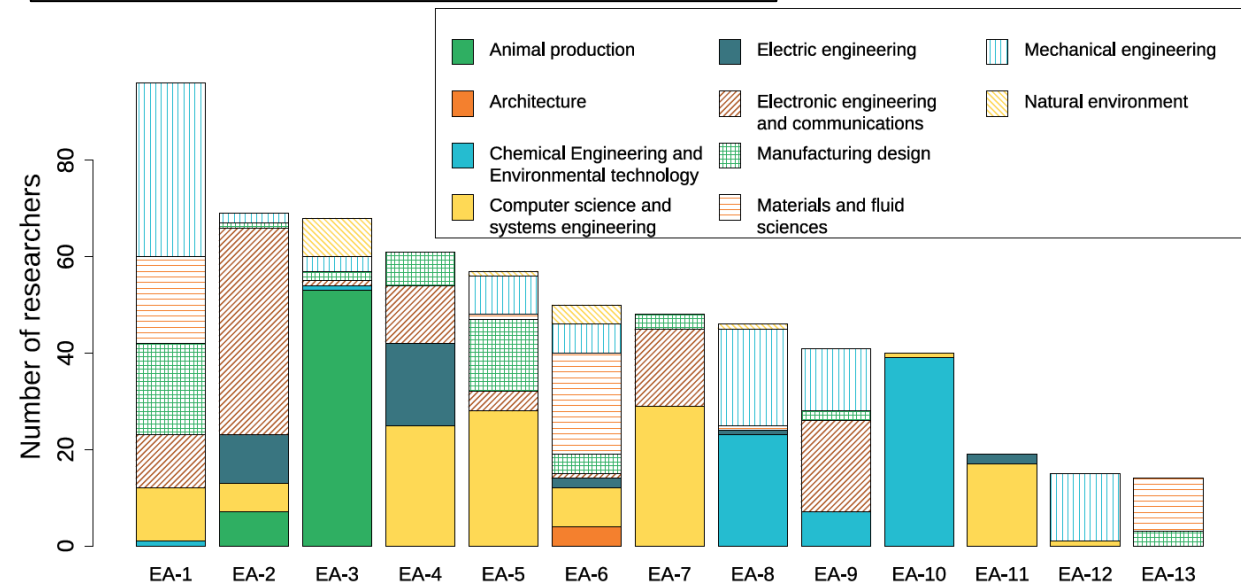
COMPARISON OF PARTITIONS



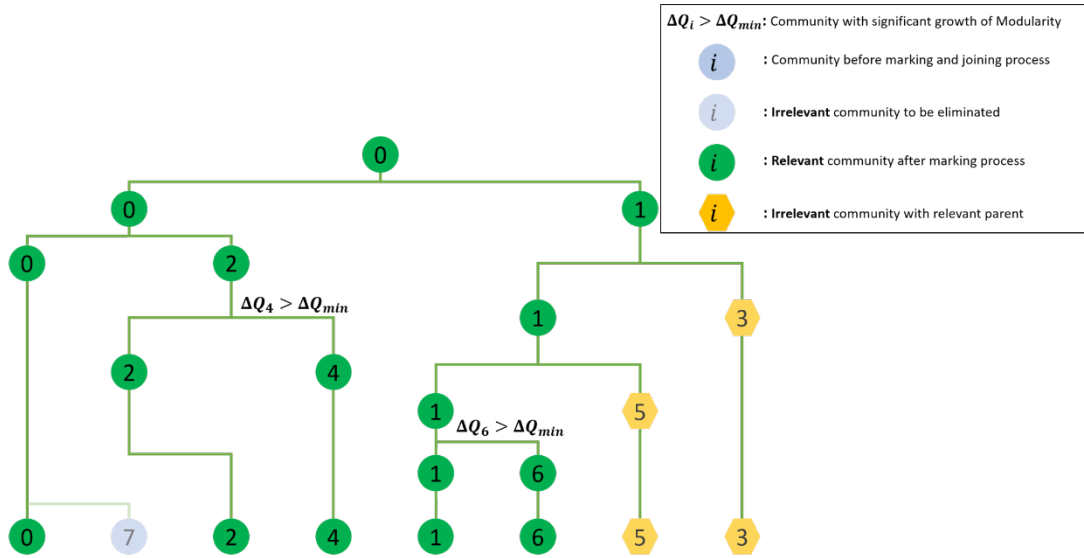
COMPARISON OF PARTITIONS



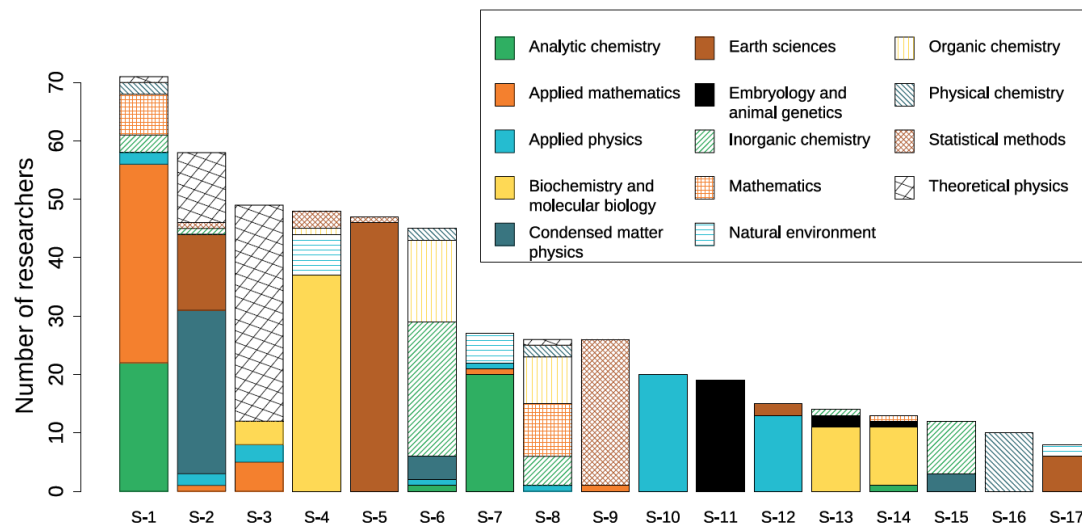
ENGINEERING AND ARCHITECTURE



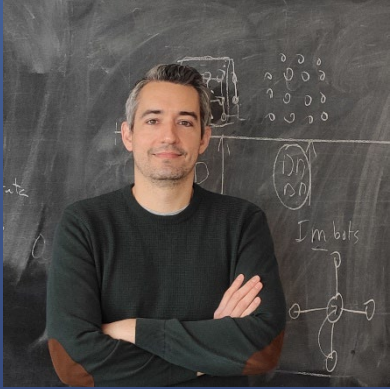
TAKE-HOME IDEAS



TCM algorithm provides community partitions that can be easily compared with the native partition of cooperation systems



Some departmental partitions designed based on collaboration criteria while others on branches of knowledge



Gonzalo



Jesús



Alfonso



David

Thank you !!