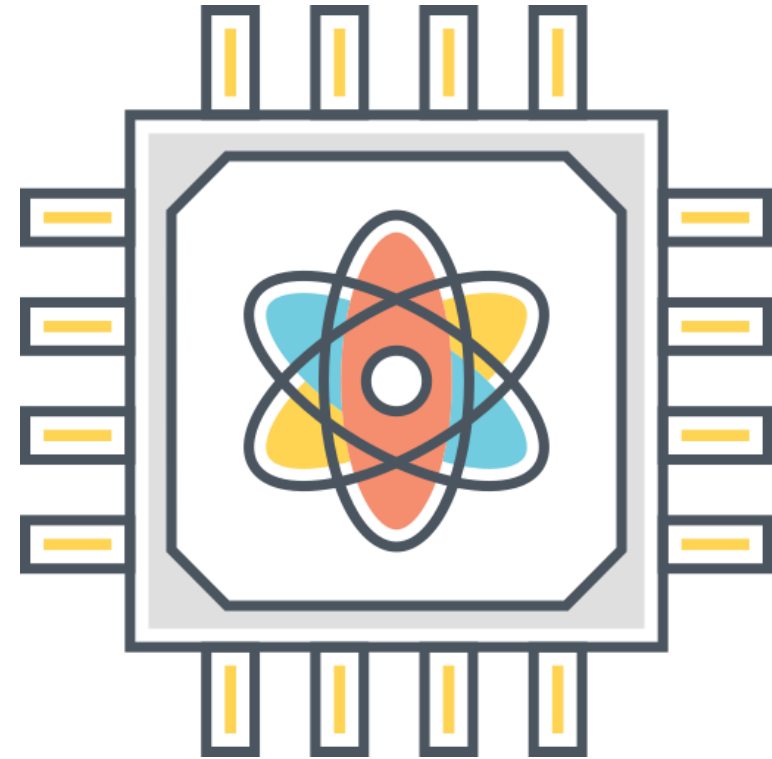


# Quantum Machine Learning Applied to HEP: a Pragmatic Approach

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Advisors: Nuno Castro & Gabriela Oliveira & Miguel Caçador



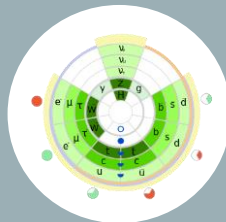
# **INTRODUCTION**

# SM AND BSM



## Standard Model of Particle Physics (SM)

The Standard Model of Particle Physics (SM) has been highly successful in describing the fundamental constituents of matter and their interactions, as evidenced by its agreement with collider data.



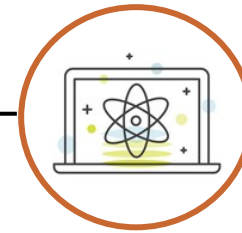
## Physics Beyond the Standard Model (BSM)

Nevertheless, **crucial questions persist**, such as gravity, dark matter, dark energy, and matter-antimatter asymmetry in the universe, **motivating the search for new physics beyond the SM** at the Large Hadron Collider at CERN.

# QML IN THE CONTEXT OF BSM SEARCH

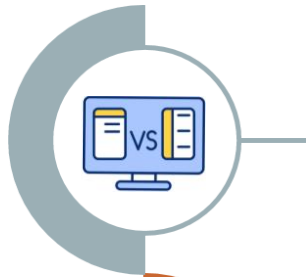


The exploration of BSM phenomena at colliders presents **challenges** due to **vast datasets** and **low signal-to-background ratios**.



To tackle this **ML techniques**, particularly for **classification tasks**, have been employed, revealing their remarkable ability to **identify correlations** in **high-dimensional parameter spaces**.

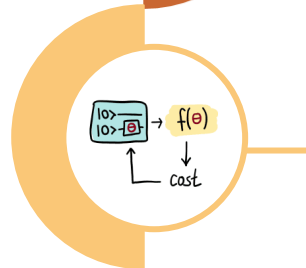
# PROJECT DEVELOPED



A systematic **comparison** is made between the **performance** of Quantum Machine Learning (QML) and shallow Classical Machine Learning (CML).



The primary focus is on **binary classification** tasks, specifically **distinguishing** between **BSM signals** and **SM background**.



The investigation involves the utilization of **VQCs**, while also **exploring the potential of reduced data** through feature reduction techniques.

# VARIATIONAL QUANTUM CLASSIFIER

# VARIATIONAL QUANTUM CLASSIFIER (VQC)

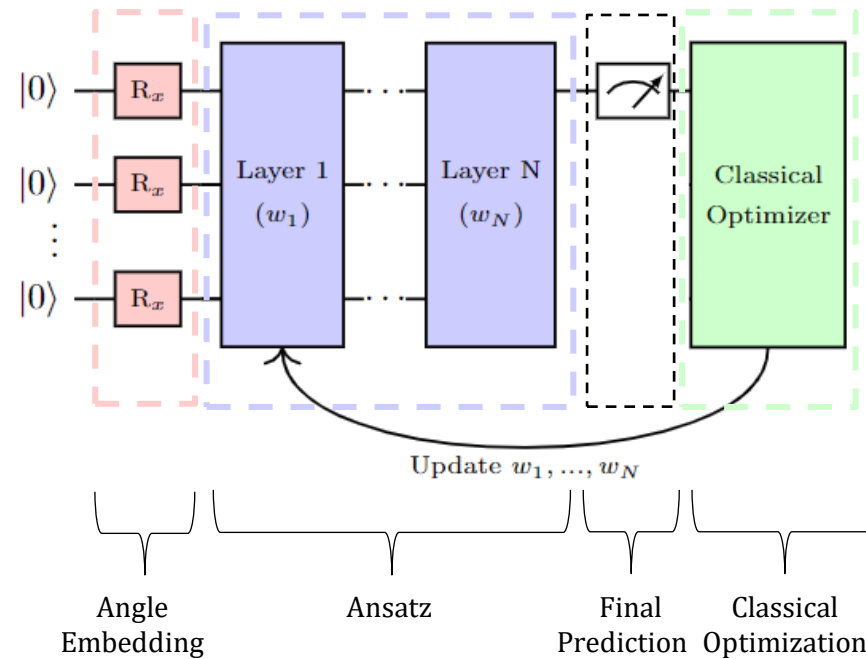
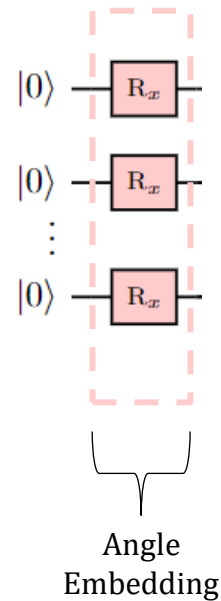


Fig 1: Variational Quantum Classifier (VQC) structure

# DATA EMBEDDING



Data Embedding

Consists of encoding the classical data into a quantum state  $|\psi_x\rangle$ .

Angle Embedding

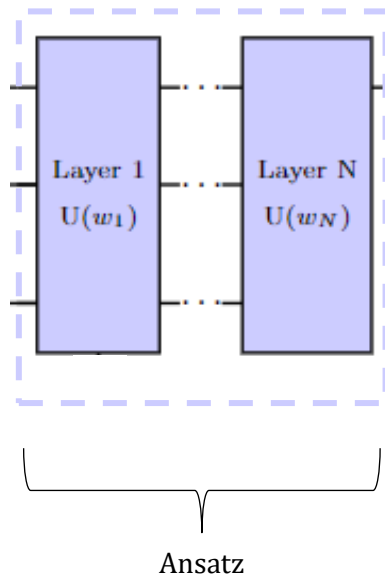
Each feature is encoded as an angle.

No of qubits

Corresponds to the number of features.



# ANSATZ



Ansatz

→ Corresponds to a parameterized quantum circuit.

$U(w)$

→ Model circuit. Is applied to the quantum state embedded with classical information resulting in the final state  $|\psi'_x\rangle = U(w) |\psi_x\rangle$ .

$w$

→ Learning model parameters.

# ANSATZ

---

**Algorithm 1**

---

Requires:  $n \geq 2$ , where  $n$  is the number of qubits

if  $n == 2$  then

$CNOT(1,0)$

else

  for qubit  $\leftarrow 0$  to  $n - 1$  do

    if qubit ==  $n - 1$  then

$CNOT(qubit,0)$

    else

$CNOT(qubit, qubit + 1)$

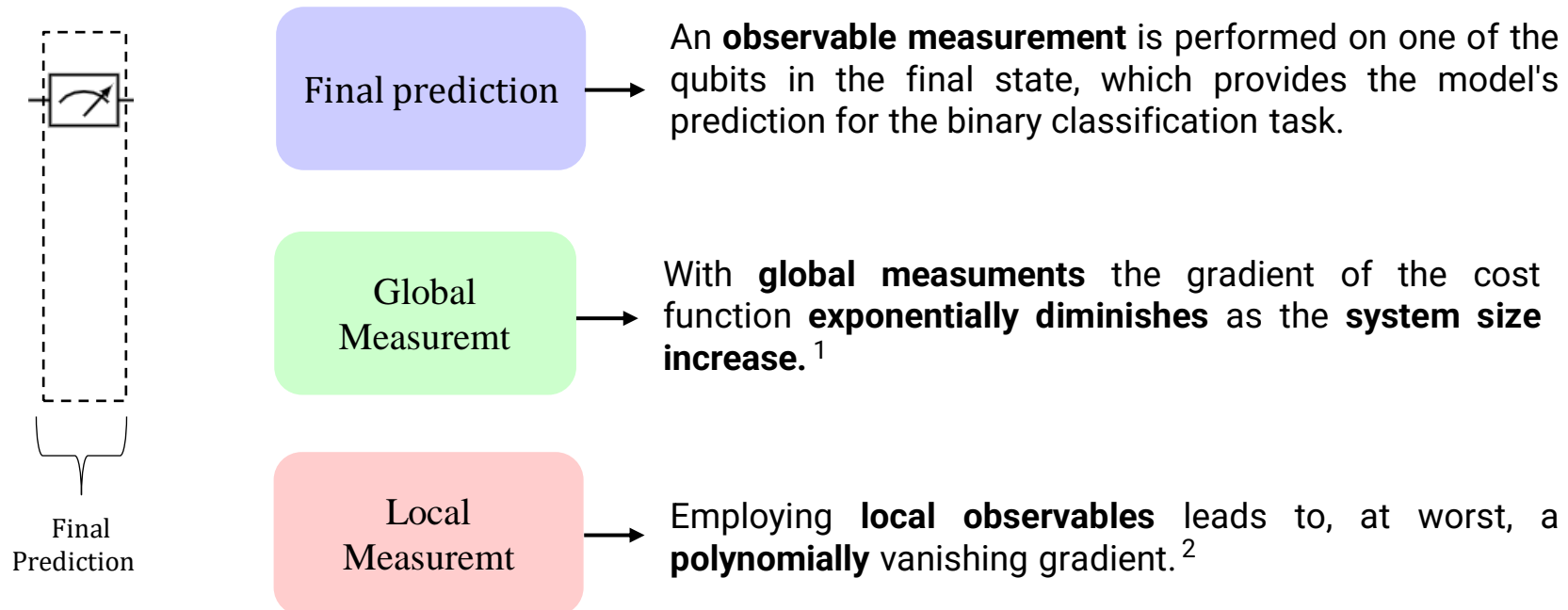
    end if

  end for

end if

---

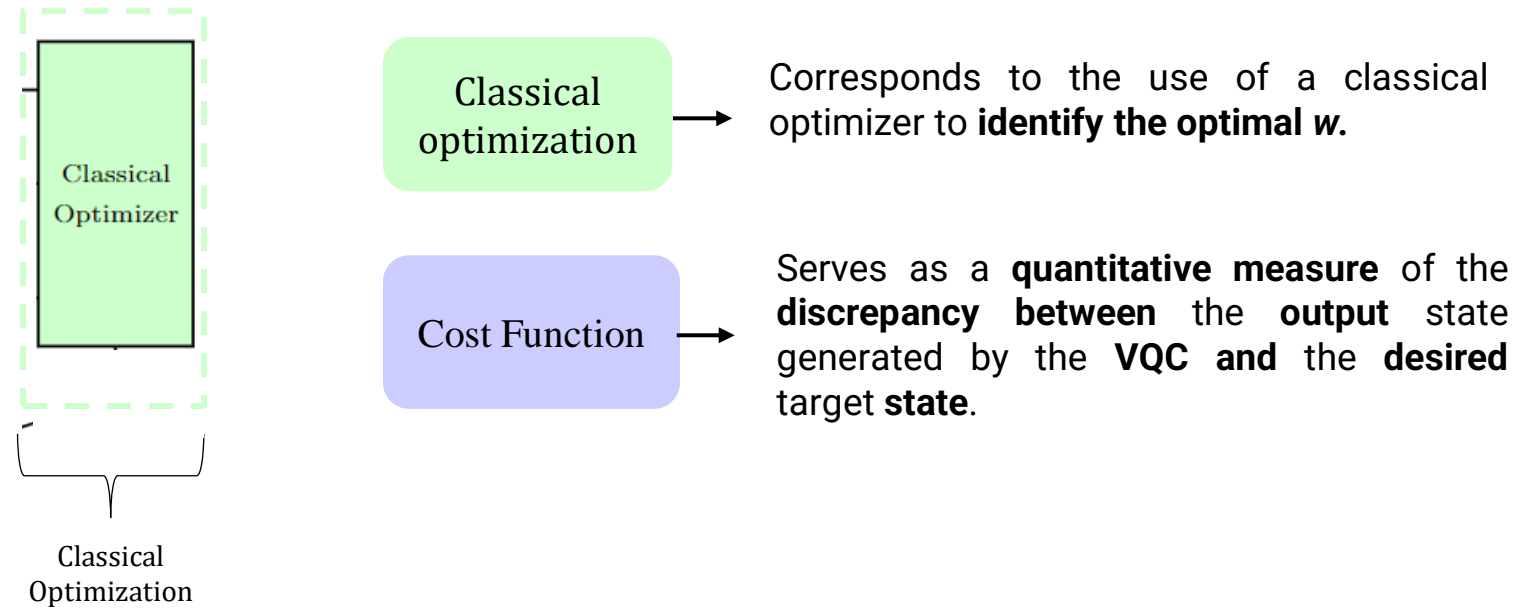
# FINAL PREDICTION



<sup>1</sup> Z. Holmes, K. Sharma, M. Cerezo, P.J. Coles, PRX Quantum 3, 010313 (2022)

<sup>2</sup> M. Cerezo, A. Sone, T. Volkoff, L. Cincio, P.J. Coles, Nature communications 12, 1791 (2021)

# CLASSICAL OPTIMIZATION



# VQC: EXAMPLE

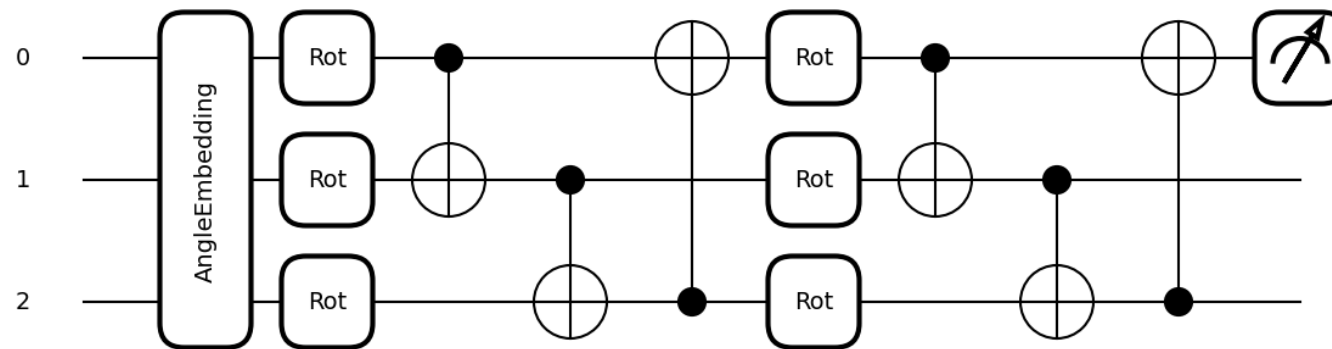


Fig 2: An example circuit for the VQC architecture used. It is comprised of 2 layers and 3 features.

# IMPLEMENTATION DETAILS

## Algorithm 2

```
params ← params_initialization()
for epoch ← 1 to max_epochs do
  loss ← cost(params)
  params ← optimizer.step()
  if epoch_number%5 == 0 or epoch_number
  == max_epochs then
    validation_step()
  end if
  if early_stopping_cond and epoch_number >
  min_epochs then
    break
  end if
end for
```

1

The training commences by initializing the weight vector randomly.

2

It undergoes multiple training iterations until reaching the maximum specified epochs or until the validation AUC score stabilizes.

# IMPLEMENTATION DETAILS

---

## Algorithm 2

---

```
params ← params_initialization()
for epoch ← 1 to max_epochs do
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  if early_stopping_cond and epoch_number >
    min_epochs then
    break
  end if
end for
```

---

3

The condition for stability was defined as not achieving a superior AUC score in 20 epochs.

4

In each iteration, the model is applied to the training dataset, computing the cost function, and then updating the model parameters using the Adam optimizer.

## CHARACTERISTICS OF THE SIMULATION

The quantum machine learning experiments were simulated in **PennyLane**.

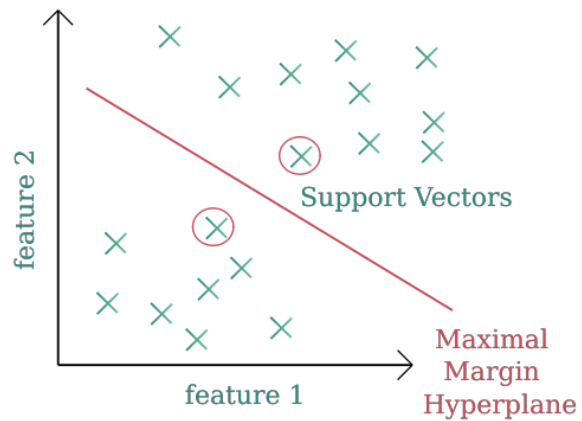
The quantum model's performance was evaluated on a **real quantum computer** using **PennyLane's integration with IBM's quantum computing framework Qiskit**.



# **SUPPORT VECTOR MACHINE**

# SUPPORT VECTOR MACHINES (SVM)

## Support Vector Machines



Why SVM?

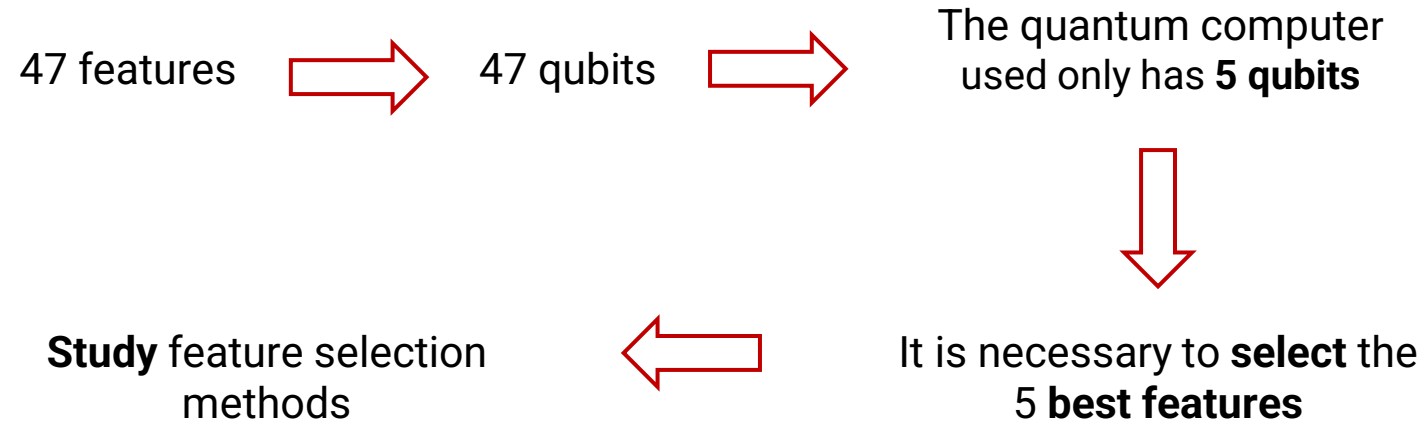
→ Ensures a fair comparison.

SVM

→ Is trained to separate two classes of data in the feature hyperspace by **finding the hyperplane** that best separates them.

# **FEATURE SELECTION**

# FEATURE SELECTION



# SEQUENTIAL FEATURE SELECTION (SFS)

Feature	AUC Score
$\mathcal{E}_t$	0.817
large R-jet $\tau_1$	0.576
large R-jet $\tau_3$	0.316
Jet <sub>2</sub> p <sub>t</sub>	0.313
Jet <sub>1</sub> p <sub>t</sub>	0.292

Objective

→ Identify the most relevant features.

Description

→ **Initiates** with the **complete feature set** and **iteratively removes one feature at a time** based on their AUC score.

Table 1: Features selected by the SBS Algorithm and their respective AUC Score on the training dataset.

# PRINCIPAL COMPONENT ANALYSIS (PCA)

Component	AUC Score
Component 1	0.775146
Component 3	0.715941
Component 0	0.687727
Component 14	0.630145
Component 36	0.605685

Objective

→ **Eliminate** feature **correlations** while preserving the original data's dimensionality.

Table 2: Features selected by the SBS Algorithm and their respective AUC Score on the training dataset.

# **FINDING THE OPTIMAL MODELS**

# GRIDSEARCH: SVM

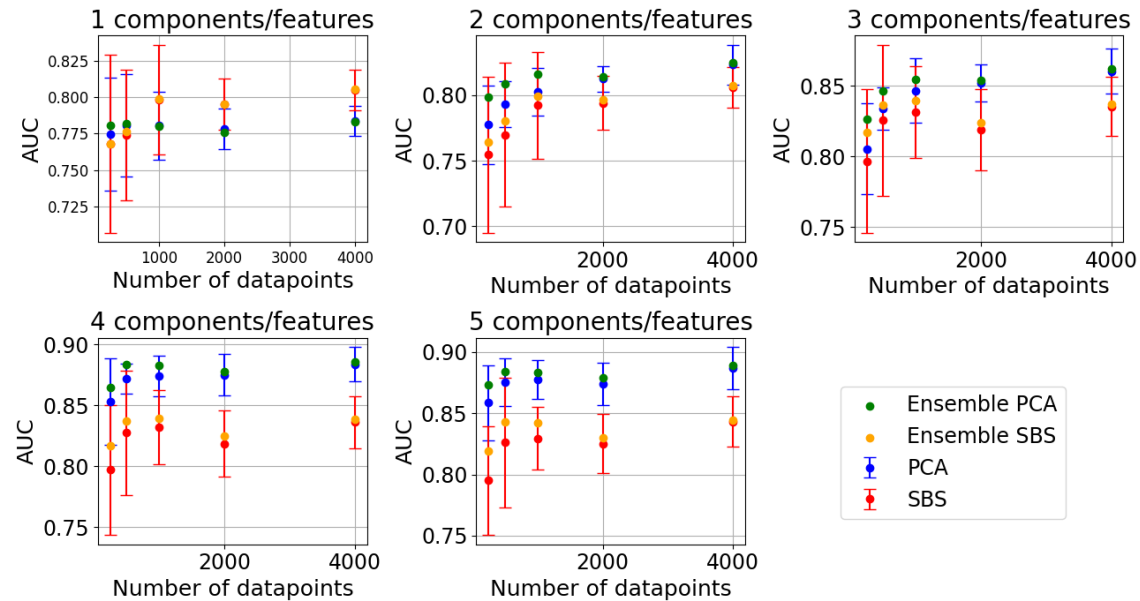
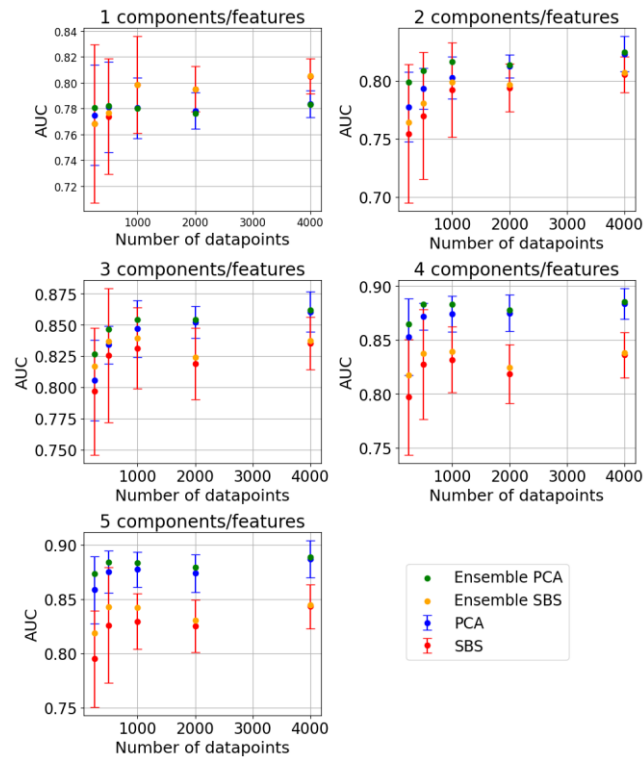


Fig 3: Plot grid representing the results for the SVM grid search. Each data point represents the AUC score on the test dataset of a different set of HP.



# GRIDSEARCH: SVM



The performance achieved with 3, 4, and 5 components/features **is compatible**.



The **highest AUC** score is attained with **PCA** for **5 components** and **4000 datapoints**.



In general, PCA outperforms SBS.



PCA generates more stable results.

## GRIDSEARCH:VQC



The VQC grid search is still running and therefore it is not possible to present the results yet.

# **REAL COMPUTER**

# REAL COMPUTER RESULTS (IBMQ\_BELEM)

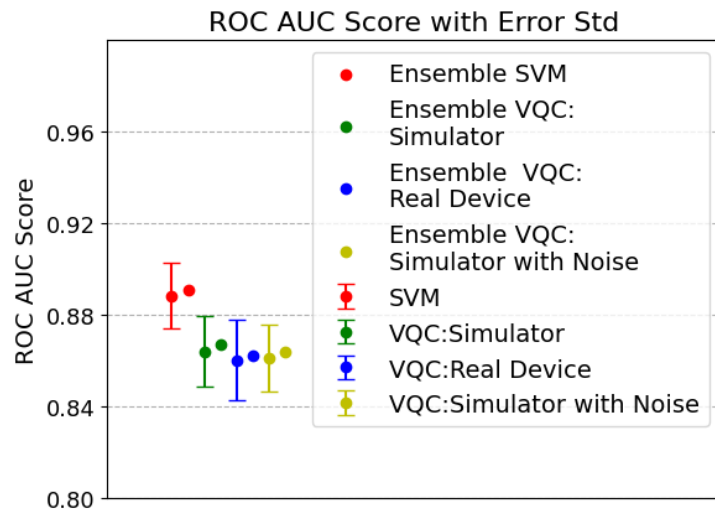


Fig 4: Comparison of the performance achieved with SVM, VQC in simulation, VQC in a real device (ibmq\_belem), and VQC in simulation with quantum noise from ibmq\_belem .

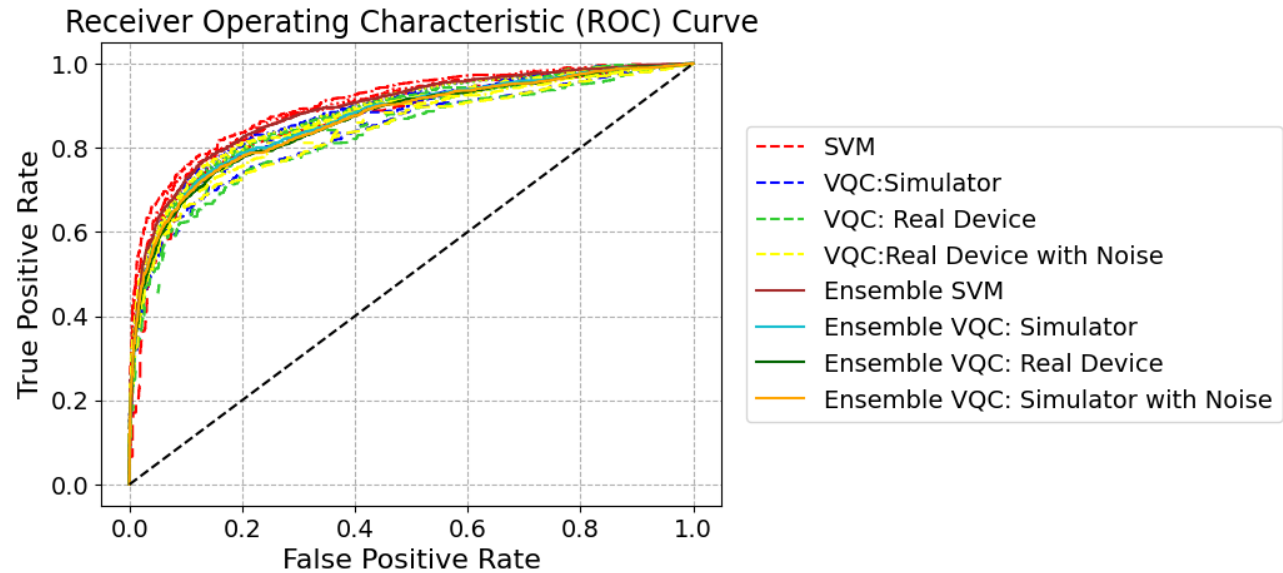
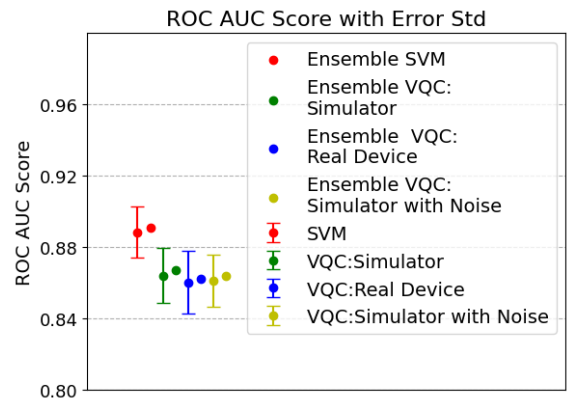


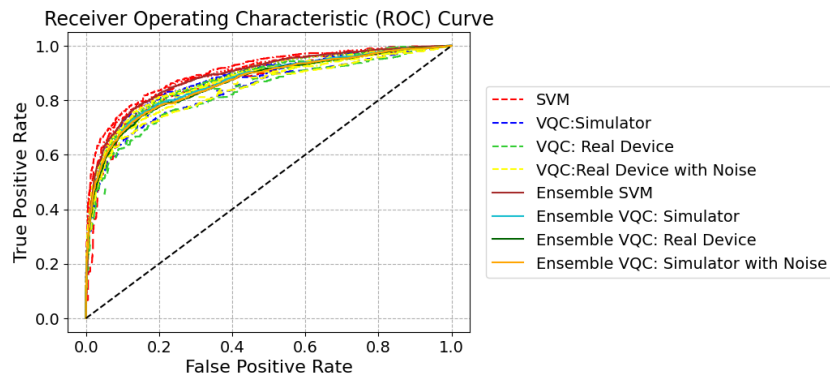
Fig 5: Variability of the ROC curve obtained for the SVM, VQC in simulation, VQC in a real device (ibmq\_belem), and VQC in simulation with quantum noise from ibmq\_belem.

# REAL COMPUTER RESULTS



⇒ SVM and VQC results are **compatible**.

⇒ The **ensemble** method results are, in general, slightly **better than the mean of the results of the 5 samples**.



⇒ Regarding the **VQC, simulation and real device** results are **compatible**.

# CONCLUSION

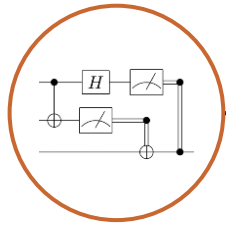
The primary **purpose** of this study is to **explore** the utilization of **QML** on **datasets** pertaining to **HEP**.

Initially, a **grid search** was conducted to identify the optimal models, which encompassed the consideration of two **feature selection techniques**: SBS and PCA.

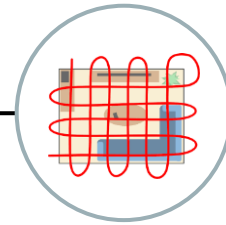
The findings relative to the **SVM grid search** indicate that **PCA**, yields superior and more stable results.

Then, a quantum model was tested in a **real quantum computer**, and it was found that the simulated, real device and SVM results are **compatible**.

# FUTURE WORK



Exploring other **architectures** for the VQC to enhance its overall performance.



A comprehensive grid search encompassing SVM-specific parameters and learning rates for the VQC should be conducted, considering the **entire set of features and datapoints**.

THE END