

Top Quark Polarizations & Couplings

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FCT Fundação
para a Ciência
e a Tecnologia

Lisb@20²⁰

**COMPETE
2020**
PROGRAMA OPERACIONAL COMPETITIVIDADE E INTERNACIONALIZAÇÃO

PORTUGAL
2020

CERN/FIS-PAR/0029/2019

CERN/FIS-PAR/0037/2021

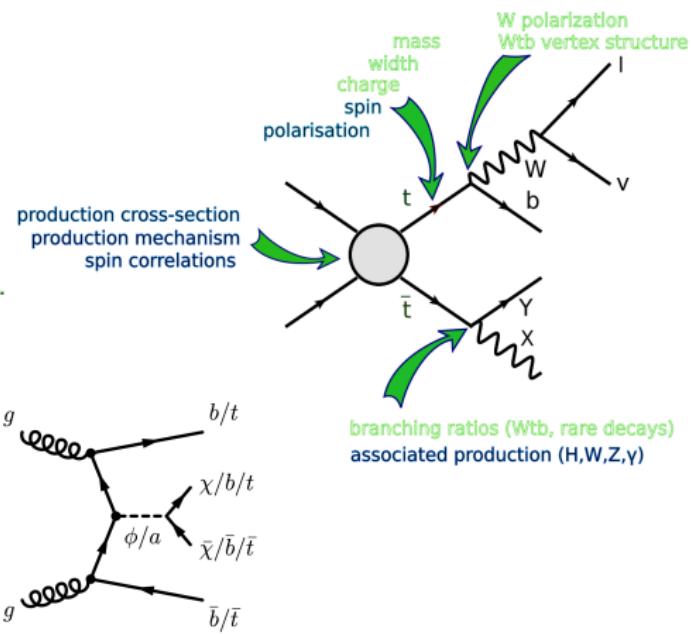
Outline

The top-quark and Higgs boson (ϕ) have a quite rich phenomenology. Understanding the couplings and the connection to BSM, DM etc., is quite important @ LHC

List of Topics Covered

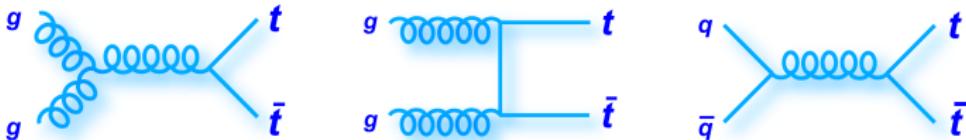
- all about t spin and spin correlations

- Data fits, fits and more fits...
- a *Template Method* to measure $t\bar{t}$ spin correlations, Interferences... [Eur.Phys.J.C 82 (2022) 2]
- $t\bar{t}\phi$ production @ LHC
CP-violation, asym.
and Interferences in $t\bar{t}\phi$
[arXiv:2208.04271, 8 Aug 2022]
- The $t\bar{t}\phi$ DM searches via simplified models low to high mass



$t\bar{t}$ production at the LHC

- Production at the LHC:

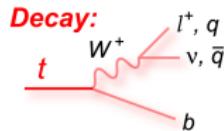
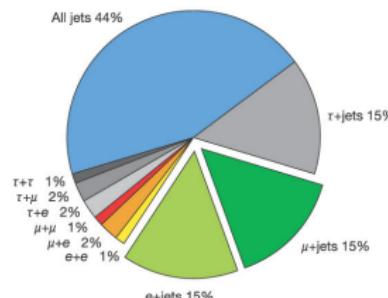


$\sigma(t\bar{t}) = 177.3 \pm 9.9^{+4.6}_{-6.0}$ pb @ 7 TeV, $\sigma(t\bar{t}) = 252.9 \pm 11.7^{+6.4}_{-8.6}$ pb @ 8 TeV, $\sigma(t\bar{t}) = 832^{+40}_{-46}$ pb @ 13 TeV
 NNLO+NNLL, $m_t = 172.5$ GeV PLB **710** 612 (2012), PRL **109** 132001(2012),
 JHEP **1212** 054(2012), JHEP **1301** 080(2013), PRL **110** 252004 (2013).

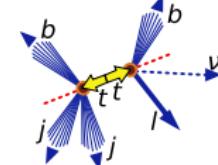
Top pair decay channels

$c\bar{s}$	electron+jets	muon+jets	tau+jets	all-hadronic
$u\bar{d}$				
τ^+	$e\tau$	$\mu\tau$	$\tau\tau$	tau+jets
τ^-	$e\mu$	$\mu\mu$	$\mu\tau$	muon+jets
e^-	ee	$e\mu$	$e\tau$	electron+jets
W decay	e^+	μ^+	τ^+	$u\bar{d}$
				$c\bar{s}$

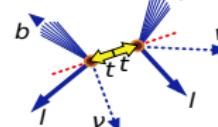
Top pair branching fractions



\Rightarrow Lepton+jets ($\sim 30\%$):
 $(\ell = e^\pm, \mu^\pm)$

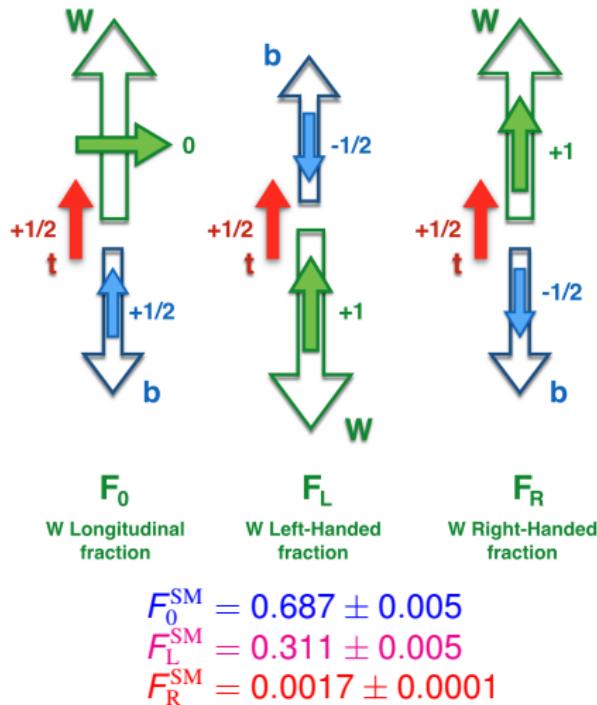


\Rightarrow Dilepton ($\sim 5\%$):
 $(\ell = e^\pm, \mu^\pm)$

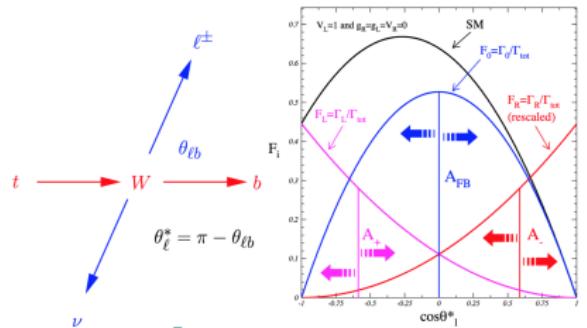


Top quark pair production ($t\bar{t}$)

Example of Decay Observable: $\cos \theta_\ell^*$ [F_0, F_L, F_R]

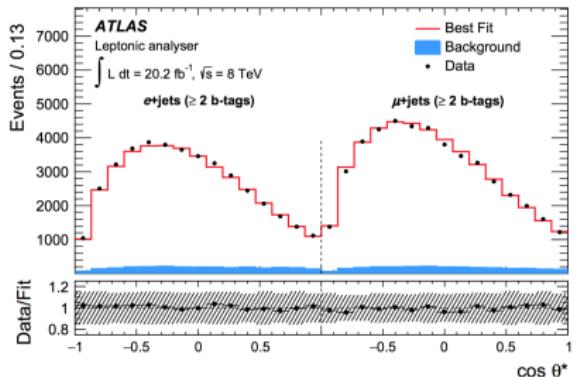


@ NNLO QCD calculation, PRD81(2010)111503
 $(F_0 + F_L + F_R = 1)$



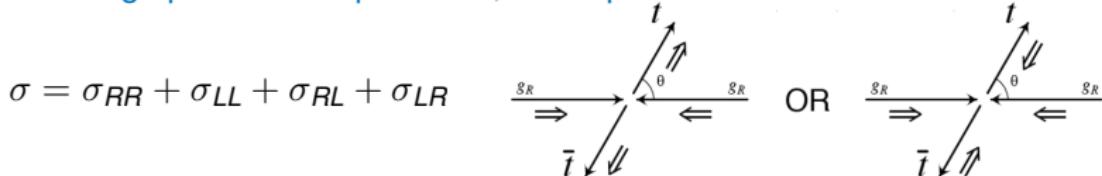
$$\frac{1}{N} \frac{dN}{d \cos \theta_\ell^*} = \frac{3}{2} \left[F_0 \left(\frac{\sin \theta_\ell^*}{\sqrt{2}} \right)^2 + F_L \left(\frac{1 - \cos \theta_\ell^*}{2} \right)^2 + F_R \left(\frac{1 + \cos \theta_\ell^*}{2} \right)^2 \right]$$

EPJC77(2017)264



$t\bar{t}$ Production: Top spin correlations

☞ Although produced unpolarised, the t spins are correlated in $t\bar{t}$ events



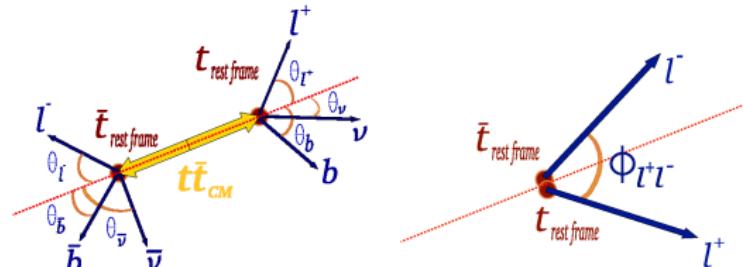
quantum interference effects between polarisation states exist

☞ Probe spin correlations using the ℓ^\pm i.e., $\cos \theta_{\ell^\pm}$ ($t\bar{t}$ dileptonic decays)

$$pp \rightarrow t + \bar{t} + X \rightarrow \ell^+ \ell^- + \text{jets} + E_T^{\text{miss}}$$

$$\frac{1}{\sigma} \frac{d\sigma}{d \cos \theta_\ell} = \frac{1}{2} (1 + \kappa_\ell \cos \theta_\ell)$$

$\kappa_{\ell^+} = -\kappa_{\ell^-} = 1$ in the SM at leading order (LO)



$$\frac{1}{\sigma} \frac{d\sigma}{d \cos \Phi_{\ell\ell}} = \frac{1}{2} (1 - D \cos \Phi_{\ell\ell})$$

☞ The $\Delta\Phi_{\ell^+\ell^-}$ also used in LAB frame
(does not require $t\bar{t}$ reconstruction)

$t\bar{t}$ Production: Top spin correlations

Measurements with respect to $\{\hat{r}_t, \hat{k}_t, \hat{n}_t\}$ axis [JHEP12(2015)026]

The (four-fold) normalised cross section distribution:

$$\frac{1}{\sigma d\Omega_1 d\Omega_2} \frac{d^4\sigma}{d\Omega_1 d\Omega_2} = \frac{1}{(4\pi)^2} (1 + \mathbf{B}_1 \cdot \hat{\ell}_1 + \mathbf{B}_2 \cdot \hat{\ell}_2 - \hat{\ell}_1 \cdot \mathbf{C} \cdot \hat{\ell}_2)$$

$d\Omega = d\cos\theta d\phi$ \mathbf{B}_1 (\mathbf{B}_2) = top (anti-top) vector spin polarisations \mathbf{C} = spin correlation matrix

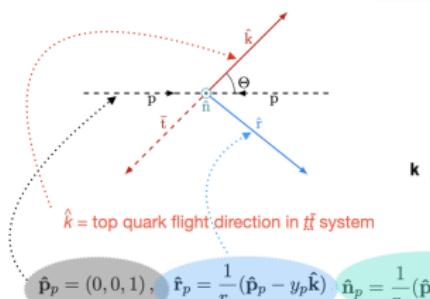
$\hat{\ell}_1$ ($\hat{\ell}_2$) = the $\hat{\ell}^+$ ($\hat{\ell}^-$) directions in the $t(\bar{t})$ system

Different polar axes $\hat{\mathbf{a}}$ and $\hat{\mathbf{b}}$ can be used, and particles defined with respect to them:

$$z_1 = \cos\theta_+ = \hat{\ell}^+ \cdot \hat{\mathbf{a}}$$

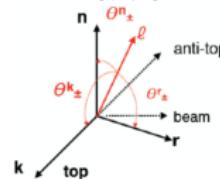
$$z_2 = \cos\theta_- = \hat{\ell}^- \cdot \hat{\mathbf{b}}$$

The \mathbf{B} and \mathbf{C} functions are defined in the $\{\hat{\ell}, \hat{k}, \hat{n}\}$ basis:



$$\hat{\mathbf{p}}_p = (0, 0, 1), \quad \hat{\mathbf{r}}_p = \frac{1}{r_p} (\hat{\mathbf{p}}_p - y_p \hat{\mathbf{k}}), \quad \hat{\mathbf{n}}_p = \frac{1}{r_p} (\hat{\mathbf{p}}_p \times \hat{\mathbf{k}}),$$

$$y_p = \hat{\mathbf{p}}_p \cdot \hat{\mathbf{k}}, \quad r_p = \sqrt{1 - y_p^2}.$$



$$\hat{\mathbf{p}}_p = (0, 0, 1), \quad \hat{\mathbf{r}}_p = \frac{1}{r_p} (\hat{\mathbf{p}}_p - y_p \hat{\mathbf{k}}), \quad \hat{\mathbf{n}}_p = \frac{1}{r_p} (\hat{\mathbf{p}}_p \times \hat{\mathbf{k}}),$$

$$y_p = \hat{\mathbf{p}}_p \cdot \hat{\mathbf{k}}, \quad r_p = \sqrt{1 - y_p^2}.$$

Correlation		Why these axis choice?
$C(n, n)$	c_{nn}^J	P-, CP-even
$C(r, r)$	c_{rr}^J	P-, CP-even
$C(k, k)$	c_{kk}^J	P-, CP-even
$C(r, k) + C(k, r)$	c_{rk}^J	P-, CP-even
$C(n, r) + C(r, n)$	c_{rn}^J	P-odd, CP-even, absorptive
$C(n, k) + C(k, n)$	c_{kn}^J	P-odd, CP-even, absorptive
$C(r, k) - C(k, r)$	c_{rk}^J	P-even, CP-odd, absorptive
$C(n, r) - C(r, n)$	c_k^J	P-odd, CP-odd
$C(n, k) - C(k, n)$	$-c_r^J$	P-odd, CP-odd
$B_1(n) + B_2(n)$	$b_n^{J+} + b_n^{J-}$	P-, CP-even, absorptive
$B_1(n) - B_2(n)$	$b_n^{J+} - b_n^{J-}$	P-even, CP-odd
$B_1(r) + B_2(r)$	$b_r^{J+} + b_r^{J-}$	P-odd, CP-even
$B_1(r) - B_2(r)$	$b_r^{J+} - b_r^{J-}$	P-odd, CP-odd, absorptive
$B_1(k) + B_2(k)$	$b_k^{J+} + b_k^{J-}$	P-odd, CP-even
$B_1(k) - B_2(k)$	$b_k^{J+} - b_k^{J-}$	P-odd, CP-odd, absorptive
$B_1(k^*) + B_2(k^*)$	$b_k^{J+} + b_k^{J-}$	P-odd, CP-even
$B_1(k^*) - B_2(k^*)$	$b_k^{J+} - b_k^{J-}$	P-odd, CP-odd, absorptive
$B_1(r^*) + B_2(r^*)$	$b_r^{J+} + b_r^{J-}$	P-odd, CP-even
$B_1(r^*) - B_2(r^*)$	$b_r^{J+} - b_r^{J-}$	P-odd, CP-odd, absorptive

$t\bar{t}$ Production: Top spin correlations

👉 CMS Measurements [Phys. Rev. D 100 (2019) no.7, 072002]

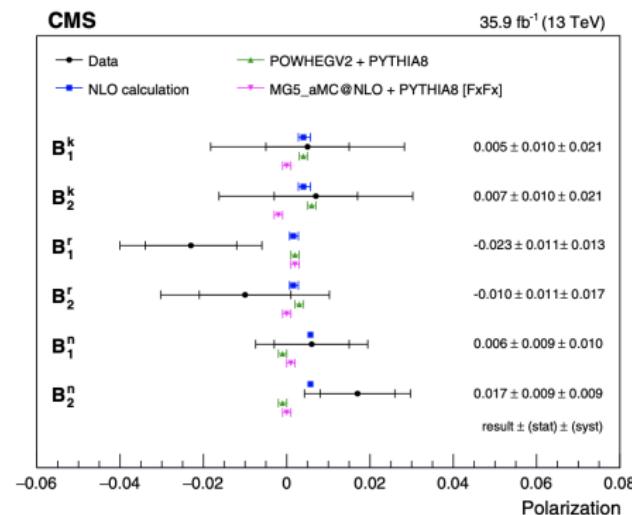
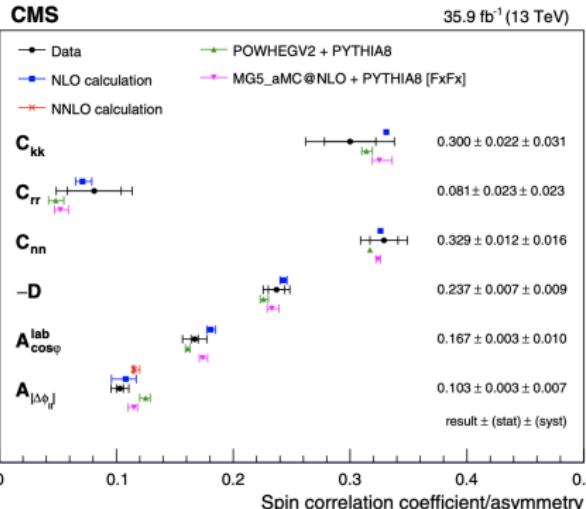
for each 15 coefficient $\mathbf{B}_1, \mathbf{B}_2, \mathbf{C}$ single differential distributions are used

Integrating over the azimuthal angles (for each axis i,j)

$$\frac{1}{\sigma} \frac{d^2\sigma}{d\cos\theta_1^i d\cos\theta_2^j} = \frac{1}{4} (1 + B_1^i \cos\theta_1^i + B_2^j \cos\theta_2^j - C_{ij} \cos\theta_1^i \cos\theta_2^j)$$

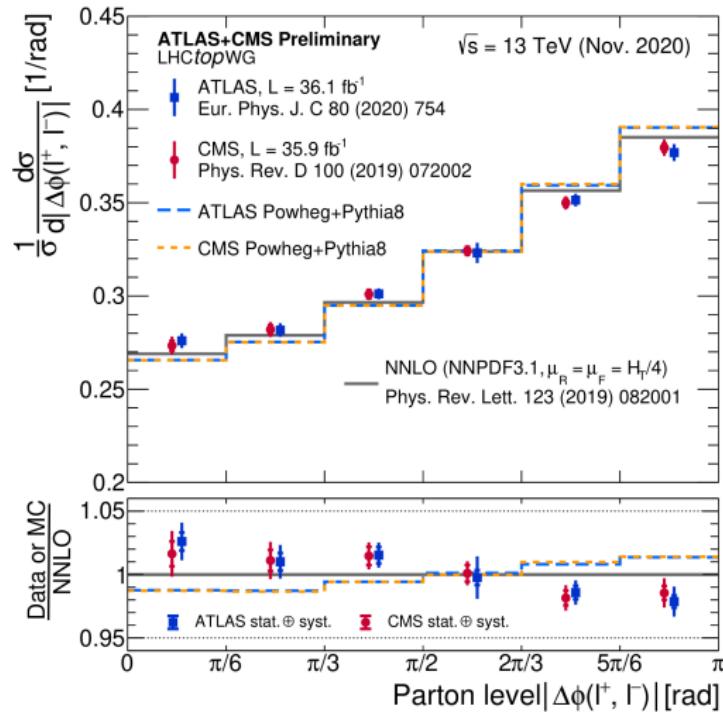
$\theta_1^i (\theta_2^j) = \ell^+ (\ell^-)$ directions in the $t(\bar{t})$ system, with respect to $i(j)$ axis ($\hat{r}, \hat{\ell}, \hat{n}$)

$$\begin{aligned}\frac{1}{\sigma} \frac{d\sigma}{d\cos\theta_1^i} &= \frac{1}{2} (1 + B_1^i \cos\theta_1^i), \\ \frac{1}{\sigma} \frac{d\sigma}{d\cos\theta_2^j} &= \frac{1}{2} (1 + B_2^j \cos\theta_2^j), \\ \frac{1}{\sigma} \frac{d\sigma}{dx} &= \frac{1}{2} (1 - C_{ij}x) \ln\left(\frac{1}{|x|}\right), \\ x &= \cos\theta_1^i \cos\theta_2^j.\end{aligned}$$



$t\bar{t}$ Production: Top spin correlations

👉 Using the Normalized Differential $|\Delta\phi(l^+, l^-)|$ Distribution (LAB system)



👉 ATLAS and CMS data compared to calculations at NNLO.

(<https://twiki.cern.ch/twiki/bin/view/LHCPhysics/LHCTopWGSummaryPlots>)

$t\bar{t}$ Production: Top spin correlations with a Template Method

👉 Double Differential Normalized Distributions [Eur.Phys.J.C 82 (2022) 2]

Defining (with respect to any of the axis $i,j=\{r,k,n\}$)

$$\frac{1}{\sigma} \frac{d^2\sigma}{d\cos\theta_i^j d\cos\theta_2^j} = \frac{1}{\sigma} \frac{d\sigma}{dz_1 dz_2} = f(z_1, z_2) \quad \text{and} \quad f_{XX'}(z_1, z_2) = \frac{1}{\sigma_{XX'}} \frac{d\sigma_{XX'}}{dz_1 dz_2} \quad \text{with} \quad X, X' = L, R$$

$\theta_i^j (\theta_2^j) = \ell^+ (\ell^-)$ directions in the $t(\bar{t})$ system, with respect to $i(j)$ axis $(\hat{r}, \hat{k}, \hat{n})$

the **Normalised Double Differential Distribution** can be defined (at parton level)

$$f(z_1, z_2) = \sum_{XX'} a_{XX'} f_{XX'}(z_1, z_2) \quad \text{with} \quad \sum_{XX'} a_{XX'} = 1$$

Phase Space cuts (p_T , η , etc.) affect the **Polarizations** differently $\frac{d\bar{\sigma}}{dz_1 dz_2} = \sum_{X,X'} \frac{d\bar{\sigma}_{XX'}}{dz_1 dz_2} + \dots$

(the **bar** = quantities **after cuts**)

which implies $\varepsilon \bar{f}(z_1, z_2) = \sum_{XX'} a_{XX'} \varepsilon_{XX'} \bar{f}_{XX'}(z_1, z_2) + \Delta_{\text{int}}(z_1, z_2)$

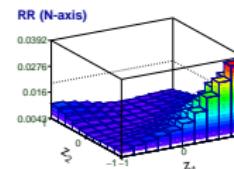
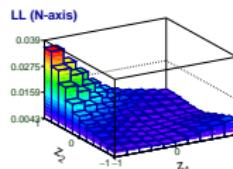
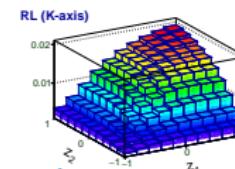
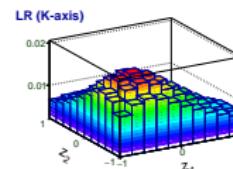
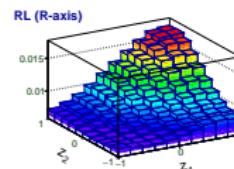
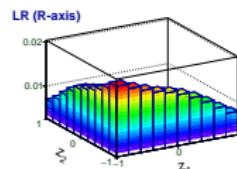
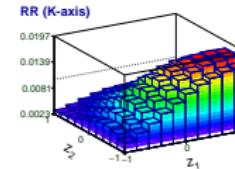
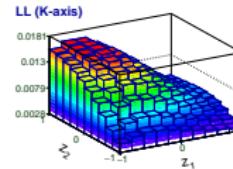
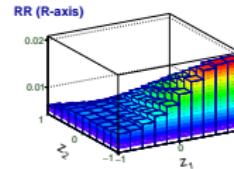
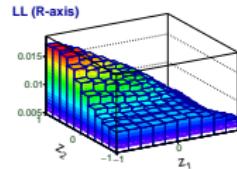
with $\varepsilon = \bar{\sigma}/\sigma$

$\varepsilon_{XX'} = \bar{\sigma}_{XX'}/\sigma_{XX'}$

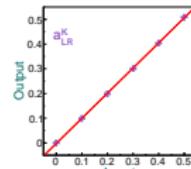
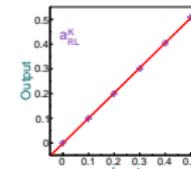
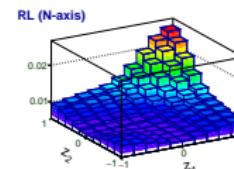
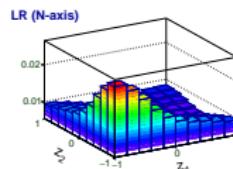
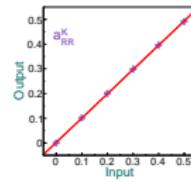
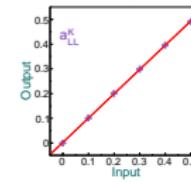
$\alpha_{XX'} = \alpha_{RR}, \alpha_{LL}, \alpha_{RL}$ and α_{LR} are the Parton Level spin correlation fractions
(no need for unfolding!)

$t\bar{t}$ Production: Top spin correlations with a Template Method

👉 Double Differential Normalized Templates in $\{\hat{r}, \hat{k}, \hat{n}\}$ axes

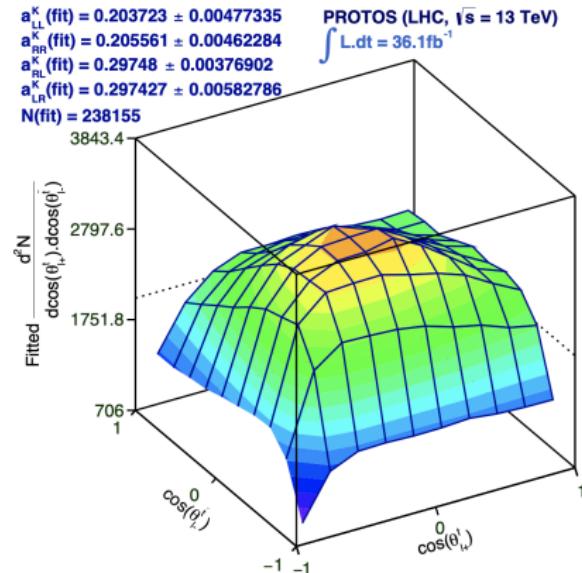
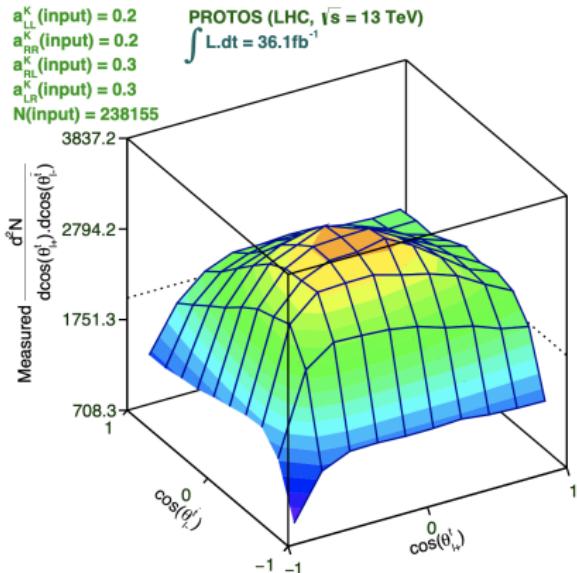


Linearity Tests (\hat{k} axis)



$t\bar{t}$ Production: Top spin correlations with a Template Method

👉 Template 2D fit example in \hat{k} axis (from linearity tests)

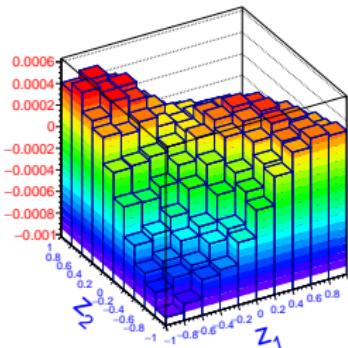


$t\bar{t}$ Production: Top spin correlations with a Template Method

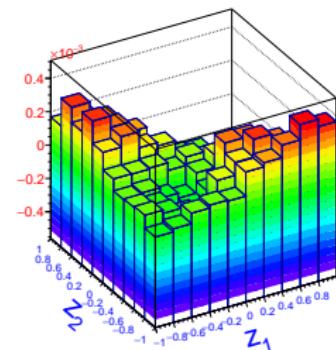
👉 Interference effects can also be measured in all axes $\{\hat{r}, \hat{k}, \hat{n}\}$

$$\varepsilon \bar{f}(z_1, z_2) = \sum_{XX'} a_{XX'} \varepsilon_{XX'} \bar{f}_{XX'}(z_1, z_2) + \Delta_{\text{int}}(z_1, z_2)$$

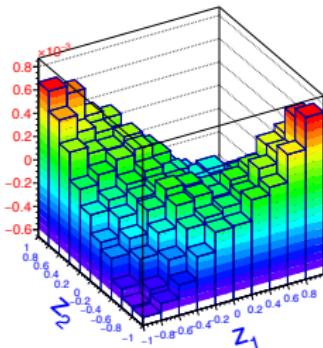
R-axis



K-axis



N-axis



👉 BSM interference effects are different from the SM in all $\{\hat{r}, \hat{k}, \hat{n}\}$ axes

👉 Results for the SM and CDM in all $\{\hat{r}, \hat{k}, \hat{n}\}$ axes

2D Template Fit Results

Spin correlations parameter $C_{ii} = a_{RR} + a_{LL} - a_{RL} - a_{LR}$

Top quark Polarizations

$$P_t = a_{RR} + a_{RL} - a_{LR} - a_{LL}$$

$$P_{\bar{t}} = a_{RR} + a_{LR} - a_{RL} - a_{LL}$$

K	SM	
	Prediction	Fit
a_{LL}	0.335 ± 0.001	0.337 ± 0.006
a_{RR}	0.336 ± 0.003	0.330 ± 0.005
a_{LR}	0.165 ± 0.003	0.167 ± 0.007
a_{RL}	0.165 ± 0.002	0.160 ± 0.004
C_{kk}	0.340 ± 0.002	0.340 ± 0.019
P_t	0.001 ± 0.002	-0.014 ± 0.008
$P_{\bar{t}}$	0.001 ± 0.002	0.000 ± 0.008

👉 Results for the SM and CMDM in all $\{\hat{r}, \hat{k}, \hat{n}\}$ axes

2D Template Fit Results

Spin correlations parameter $C_{ii} = a_{RR} + a_{LL} - a_{RL} - a_{LR}$

Top quark Polarizations

$$P_t = a_{RR} + a_{RL} - a_{LR} - a_{LL}$$

$$P_{\bar{t}} = a_{RR} + a_{LR} - a_{RL} - a_{LL}$$

Sample with large top quark
**anomalous chromomagnetic
dipole moment (CMDM)** $d_V=0.036$
also used as a test

$$\mathcal{L} = -\frac{g_s}{m_t} \bar{t} \sigma^{\mu\nu} (d_V + i d_A \gamma_5) \frac{\lambda^a}{2} t G_a^{\mu\nu}$$

$(d_A$ set to zero)

N	CMDM	
	Prediction	Fit
a_{LL}	0.358 ± 0.001	0.363 ± 0.004
a_{RR}	0.358 ± 0.001	0.352 ± 0.004
a_{LR}	0.142 ± 0.0003	0.138 ± 0.004
a_{RL}	0.142 ± 0.001	0.136 ± 0.004
C_{nn}	0.433 ± 0.002	0.442 ± 0.010
P_t	-0.001 ± 0.002	-0.014 ± 0.009
$P_{\bar{t}}$	0.000 ± 0.001	-0.009 ± 0.009

Fits are very sensitive to
Interference terms in
Spin Correlations

may be probed @ LHC (RUN3)
without unfolding!

EW Loop corrections in $t\bar{t}$ Production @ the LHC
[Phys. Rev. D 104, 055045 (2021)]

$t\bar{t}$ Production: Loop corrections sensitive to top Yukawa couplings

👉 EW loops in $t\bar{t}$ production are sensitive to the Higgs CP nature (k, \tilde{k})

Phys. Rev. D 104, 055045 (2021)

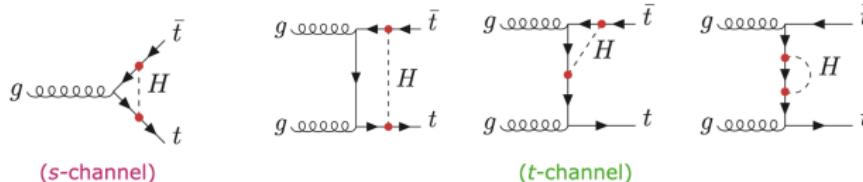
Effective Lagrangian for top quark Higgs boson interaction

$$\mathcal{L}(Htt) = -\frac{m_t}{v} \bar{\psi}_t (\kappa + i\tilde{\kappa}\gamma_5) \psi_t H, \quad \kappa(\tilde{\kappa}) = \text{CP-even (CP-odd) components}$$

SM (pure CP-even): $\kappa=1$ and $\tilde{\kappa}=0$

BSM, pure CP-odd: $\kappa=0$ and $\tilde{\kappa}=1$

s- and t-channels contributions considered



Interference terms of the tree level with Higgs-loop diagrams

proportional to: $(\kappa^2 + \tilde{\kappa}^2)$ or $(\kappa^2 - \tilde{\kappa}^2)$

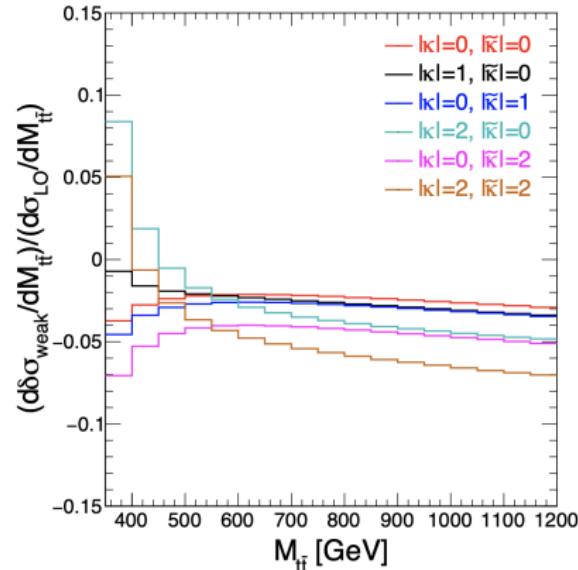
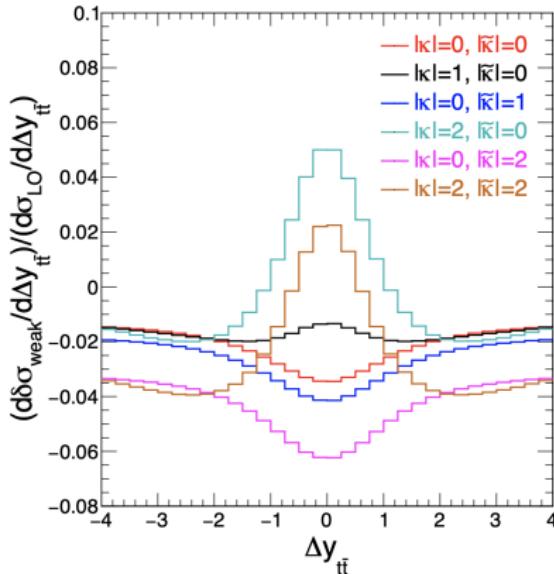
→ no sensitivity to mixed terms or signs

→ CP-odd roughly 40% of CP-even $\sigma(\kappa, \tilde{\kappa})_{t\bar{t}H} = \sigma_{\text{SM}}^{t\bar{t}H} (|\kappa|^2 + 0.39|\tilde{\kappa}|^2)$

$t\bar{t}$ Production: Loop corrections sensitive to top Yukawa couplings

👉 EW loops in $t\bar{t}$ production are sensitive to the Higgs CP nature (k, \tilde{k})

Phys. Rev. D 104, 055045 (2021)



$t\bar{t}H, tH$ Production

👉 Experimental results on the Higgs CP nature (k, \tilde{k})

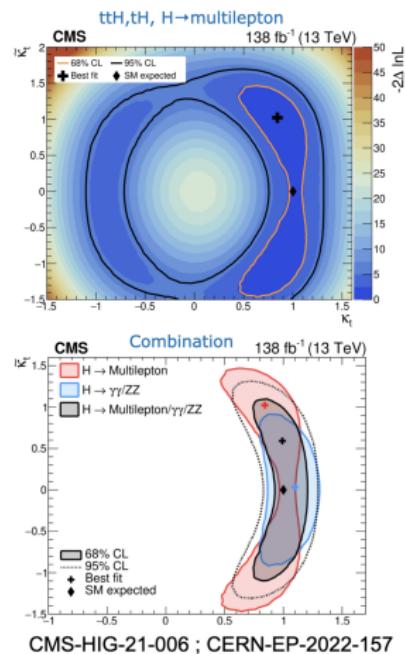
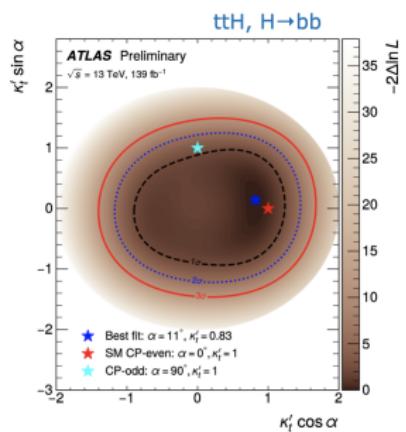
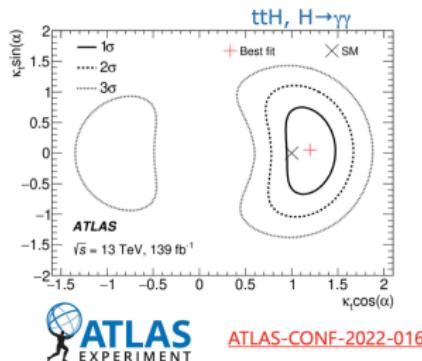
Effective Lagrangian for top quark Higgs boson interaction

$$\mathcal{L}(Htt) = -\frac{m_t}{v} \bar{\psi}_t (\kappa + i \tilde{\kappa} \gamma_5) \psi_t H, \quad k(\tilde{k}) = \text{CP-even (CP-odd) components}$$

SM (pure CP-even): $k=1$ and $\tilde{k}=0$ BSM, pure CP-odd: $k=0$ and $\tilde{k}=1$

Mixing angle (α) parametrisation: $k=k_i \cos(\alpha)$ and $\tilde{k}=\tilde{k}_i \sin(\alpha)$

[Phys. Rev. Lett. 125 \(2020\) 061802](#)



Can we probe CP violation and Interference Effects in
associated Higgs production @ the LHC ?

arXiv:2208.04271, JHEP 4 (2014), JHEP 01 (2022) 158

$t\bar{t}H, tH$ Production @ the LHC

👉 Probing the top quark - Higgs boson vertex CP nature

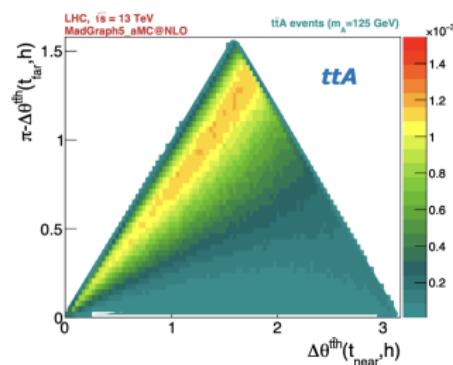
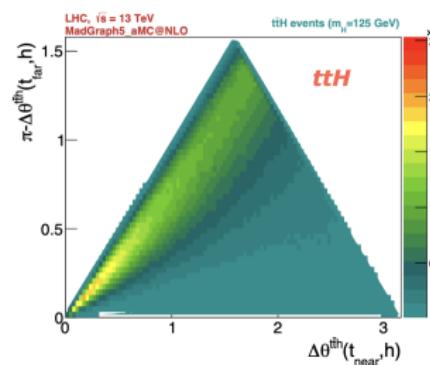
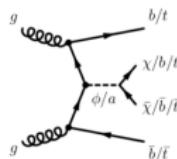
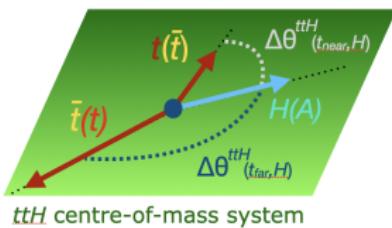
Effective Lagrangian for top quark Higgs boson interaction

$$\mathcal{L}(Htt) = -\frac{m_t}{v} \bar{\psi}_t (\kappa + i \tilde{\kappa} \gamma_5) \psi_t H, \quad \text{blue circle } (\tilde{\kappa}) = \text{CP-even (CP-odd) components}$$

SM (pure CP-even): $\kappa=1$ and $\tilde{\kappa}=0$ BSM, pure CP-odd: $\kappa=0$ and $\tilde{\kappa}=1$

Mixing angle (α) parametrisation: $k=k_t \cos(\alpha)$ and $\tilde{k}=\tilde{k}_t \sin(\alpha)$

⌚ The role of $t\bar{t}H$ CM system is quite important [Phys. Rev. D100, 075034 (2019)]



$t\bar{t}H, tH$ Production @ the LHC

👉 Probing the top quark - Higgs boson vertex CP nature

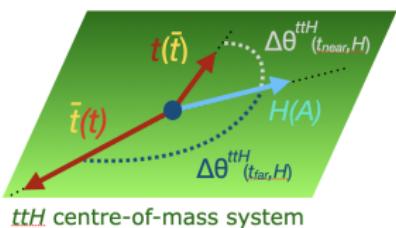
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⌚ The role of $t\bar{t}H$ CM system is quite important [Phys. Rev. D100, 075034 (2019)]



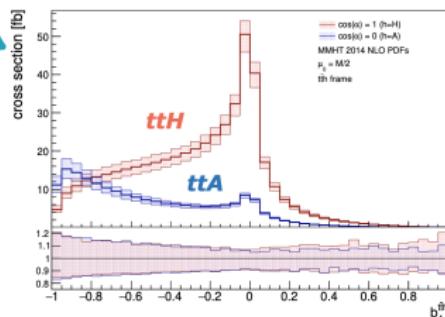
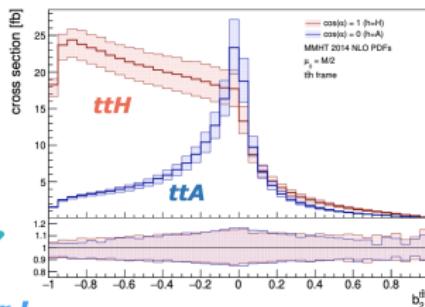
⌚ The role of top quarks is also very important

$$b_2^f(i, j) = \frac{(\vec{p}_i^f \times \hat{k}_z) \cdot (\vec{p}_j^f \times \hat{k}_z)}{|\vec{p}_i^f| |\vec{p}_j^f|}$$



Spin-parity sensitivity is clear !

$$b_4^f(i, j) = \frac{p_{i,z}^f p_{j,z}^f}{|\vec{p}_i^f| |\vec{p}_j^f|}.$$



$t\bar{t}H, tH$ Production @ the LHC

- ☞ Probing the top quark - Higgs boson vertex CP nature
- ☞ Pheno study with $t\bar{t}\phi$ 2ℓ events i.e., $t\bar{t}\phi \rightarrow (b\ell^+\nu_\ell)(\bar{b}\ell^-\bar{\nu}_\ell)(b\bar{b})$
- ☞ Event Generation+Simulation @ 13 TeV (RUN2)

- MadGraph5_aMC@NLO for $t\bar{t}\phi, \phi = A, H$ and $t\bar{t}b\bar{b}$ (@ NLO)
Backgrounds @ LO with MLM: $t\bar{t} + \text{jets}$, $t\bar{t}V + \text{jets}$, Single t ,
 $W(Z) + \text{jets}$, $W(Z)b\bar{b} + \text{jets}$, $VV + \text{jets}$
 $t\bar{t}\phi$ signals for: $\alpha = 0^\circ, 22.5^\circ, 45^\circ, 67.5^\circ, 90^\circ, 135^\circ$ and 180°
- MadSpin \oplus Pythia \oplus DELPHES
- MadAnalysis5, $N_{\text{jets}} \geq 4 \oplus N_{\text{lep}} \geq 2$
($p_T \geq 20$ GeV, $|\eta| \leq 2.5$)

- ☞ CP-observables arXiv:2208.04271

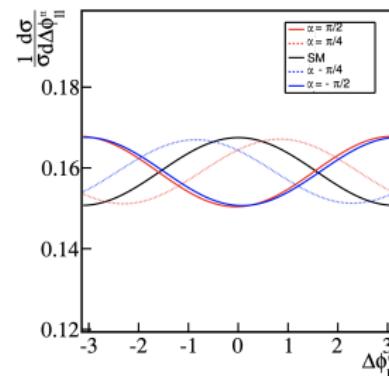
- (1) $b_2^{t\bar{t}\phi} = (\vec{p}_t \times \hat{k}_z) \cdot (\vec{p}_{\bar{t}} \times \hat{k}_z) / (|\vec{p}_t| \cdot |\vec{p}_{\bar{t}}|)$
- (2) $b_4^{t\bar{t}\phi} = (p_t^z \cdot p_{\bar{t}}^z) / (|\vec{p}_t| \cdot |\vec{p}_{\bar{t}}|)$
- (3) $\sin(\theta_{\phi}^{t\bar{t}\phi}) * \sin(\theta_{\bar{t}}^{t\bar{t}})$
- (4) $\sin(\theta_{\phi}^{t\bar{t}\phi}) * \sin(\theta_{\bar{b}_t}^{\bar{t}})$ (seq. boost)

- ☞ Observables sensitive to mixing

$$(5) \Delta\phi_{ll}^{t\bar{t}} = \text{sgn}[\hat{p}_t \cdot (\hat{p}_{l+} \times \hat{p}_{l-})] \arccos[(\hat{p}_t \times \hat{p}_{l+}) \cdot (\hat{p}_t \times \hat{p}_{l-})]$$

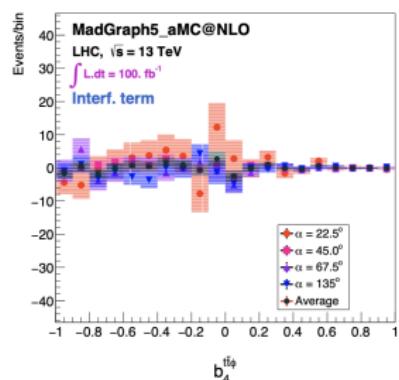
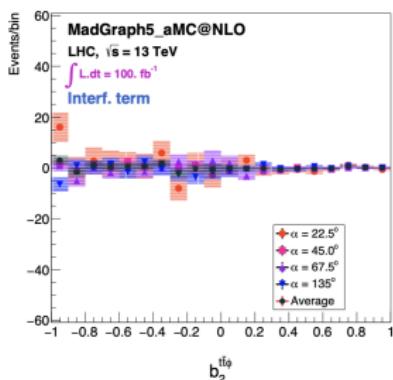
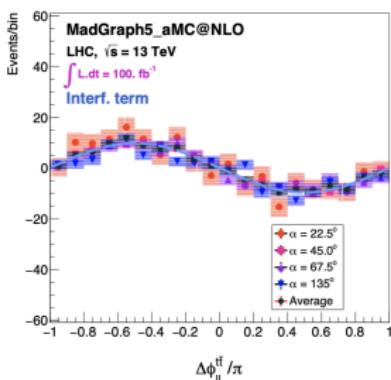
- ☞ Differential cross section and Interference term

$$d\sigma_{t\bar{t}\phi} = \kappa^2 d\sigma_{\text{CP-even}} + \tilde{\kappa}^2 d\sigma_{\text{CP-odd}} + \kappa\tilde{\kappa} d\sigma_{\text{int}}$$



👉 Probing the top quark - Higgs boson vertex CP nature (Interf. Terms)

Reconstructed Interference Differential Distributions (NLO parton level)



👉 Differential cross section and Interference term

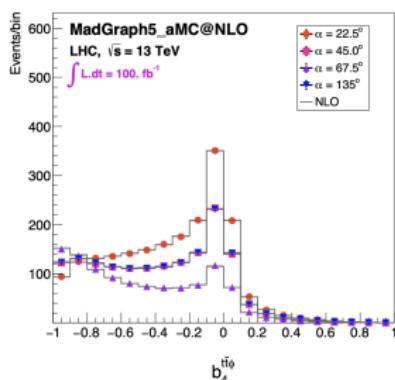
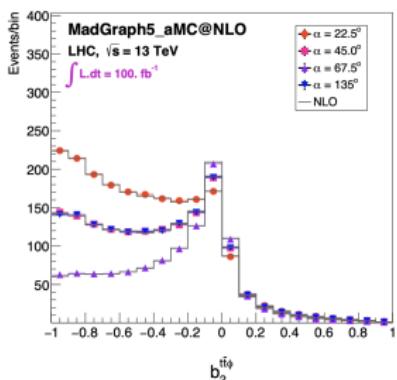
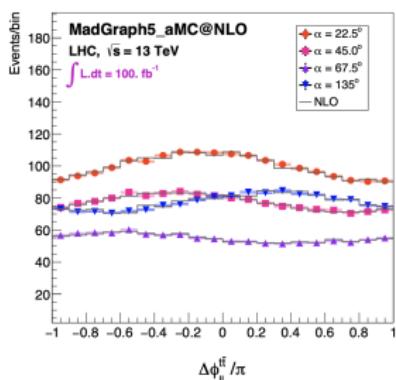
$$d\sigma_{t\bar{t}\phi} = \kappa^2 d\sigma_{\text{CP-even}} + \tilde{\kappa}^2 d\sigma_{\text{CP-odd}} + \kappa\tilde{\kappa} d\sigma_{\text{int}}$$

solving for $d\sigma_{\text{int}}$ we get:

$$d\sigma_{\text{int}} = d\sigma_{t\bar{t}\phi} - (\kappa^2 d\sigma_{\text{CP-even}} + \tilde{\kappa}^2 d\sigma_{\text{CP-odd}}) / (\kappa\tilde{\kappa})$$

👉 Probing the top quark - Higgs boson vertex CP nature (Interf. Terms)

Reconstructed Differential Distributions w/Int. compared to NLO parton level distributions



👉 Differential cross section and Interference term

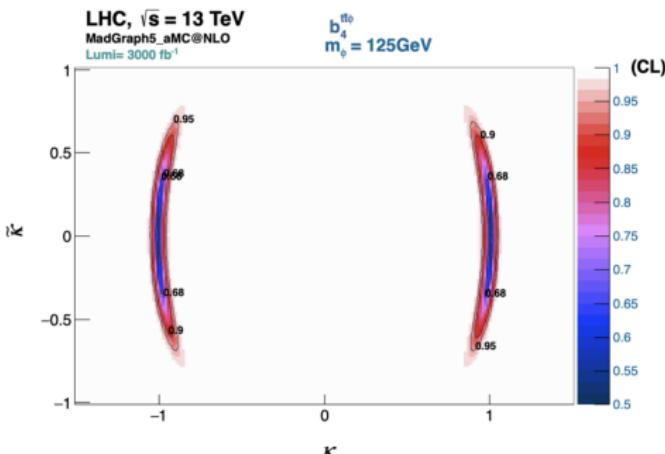
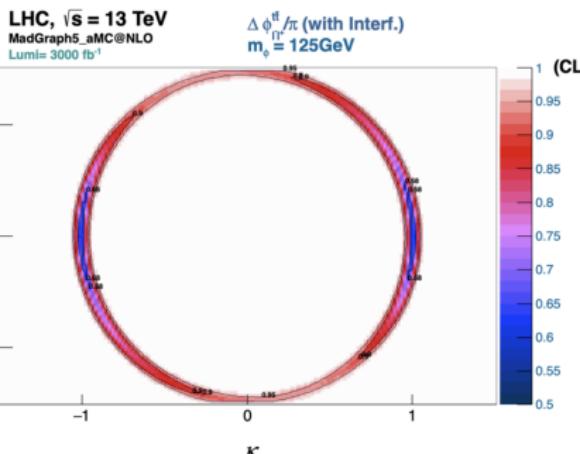
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☞ Probing the top quark - Higgs boson vertex CP nature (Interf. Terms)

Expected Exclusion CLs using Differential Distributions w/ Interference

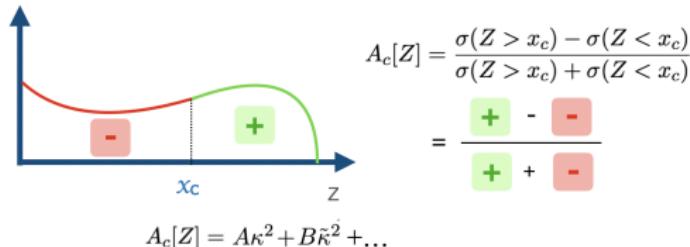


☞ Hard to measure Interference terms (even at the HL-LHC):
...need to study other channels and observables

$t\bar{t}H, tH$ Production @ the LHC

Idea for RUN 3: use Asymmetries

Asymmetries from angular distributions, defined as:



$$A \propto \int_{x_c}^{+1} d\sigma_{\text{CP-even}} - \int_{-1}^{x_c} d\sigma_{\text{CP-even}} \quad \text{and} \quad B \propto \int_{x_c}^{+1} d\sigma_{\text{CP-odd}} - \int_{-1}^{x_c} d\sigma_{\text{CP-odd}}$$

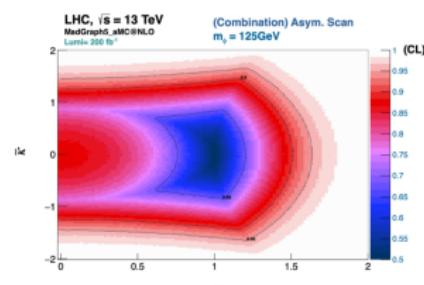
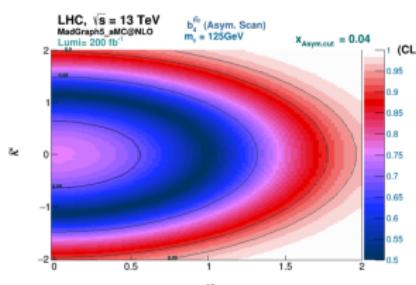
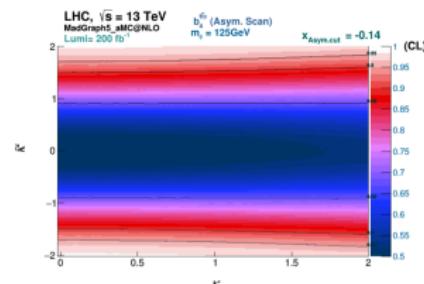
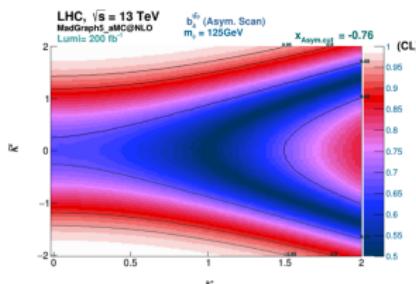
Choose x_c when $t\bar{t}H/t\bar{t}A$ $A_c[z]$ differences are maximum:

Asymmetries	x_c	MadGraph5 @ NLO+Shower (no cuts applied)								$t\bar{t}b\bar{b}$
		0.0°	22.5°	45.0°	67.5°	90.0°	135.0°	180.0°		
$A_c[b_2^{t\bar{t}\phi}]$	-0.30	-0.35	-0.31	-0.15	+0.15	+0.34	-0.14	-0.36		-0.17
$A_c[b_4^{t\bar{t}\phi}]$	-0.50	+0.41	+0.37	+0.22	-0.04	-0.22	+0.22	+0.41		+0.33
$A_c[\sin(\theta_\phi^{t\bar{t}\phi}) * \sin(\theta_l^{t\bar{t}\phi})]$	+0.70	-0.27	-0.26	-0.20	-0.09	-0.03	-0.20	-0.27		-0.56
$A_c[\sin(\theta_\phi^{t\bar{t}\phi}) * \sin(\theta_{b_l}^{t\bar{t}\phi})]$ (seq. boost)	+0.60	+0.05	+0.05	+0.07	+0.09	+0.11	+0.06	+0.05		-0.38

Table 1: Asymmetries for the $t\bar{t}\phi$ signal as a function of the mixing angle α , as well as for the dominant background $t\bar{t}b\bar{b}$ at NLO+Shower (without any cuts), are shown for several observables. Significant differences between the asymmetries for the pure scalar ($\alpha = 0.0^\circ$) and pseudo-scalar ($\alpha = 90.0^\circ$) cases are observed for several asymmetries.

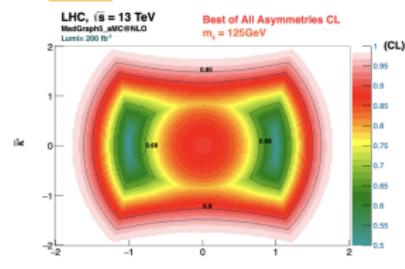
Idea for RUN 3: use Asymmetries

CLs change with the cut-off definition for the asymmetry x_c
(200 fb^{-1})

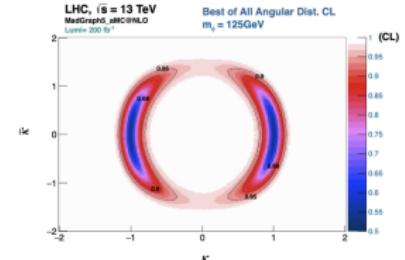


CLs using Asym. vs Ang.Dist.
(200 fb^{-1})

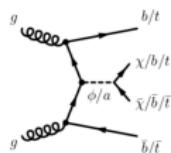
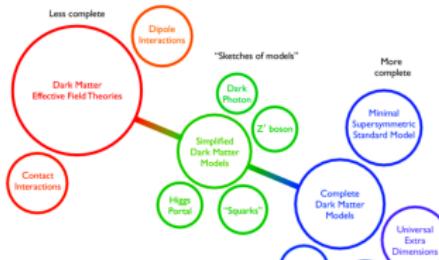
Asym



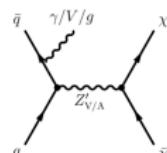
Angular



DM Effects in $t\bar{t}$ Spin Observables



Scalar/pseudo-scalar



Vector/Axial-vector

Note: reconstruct only the $t\bar{t}$ system and study spin-parity effects in exp. observables

Interaction Lagrangians for Spin 0 and 1 Mediators

Spin-0 mediator model

$$\mathcal{L}_{X_D}^{Y_0} = \bar{X}_D (g_{X_D}^S + i g_{X_D}^P \gamma_5) X_D Y_0.$$

pure scalar: $g_{X_D}^S = g_{u33}^S = 1$, $g_{X_D}^P = g_{u33}^P = 0$

pure pseudo-scalar: $g_{X_D}^S = g_{u33}^S = 0$, $g_{X_D}^P = g_{u33}^P = 1$

Spin-1 mediator model

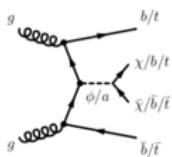
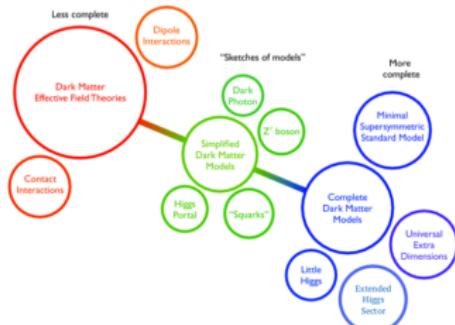
$$\mathcal{L}_{X_D}^{Y_1} = \bar{X}_D \gamma_\mu (g_{X_D}^V + g_{X_D}^A \gamma_5) X_D Y_1^\mu$$

pure vector: $g_{X_D}^V = 1$, $g_{u33}^V = 0.25$, $g_{X_D}^A = g_{q33}^A = 0$

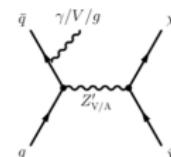
pure axial-vector: $g_{X_D}^V = g_{q33}^V = 0$, $g_{X_D}^A = 1$, $g_{q33}^A = 1$

Normalized Differential Distributions

DM Effects in $t\bar{t}$ Spin Observables



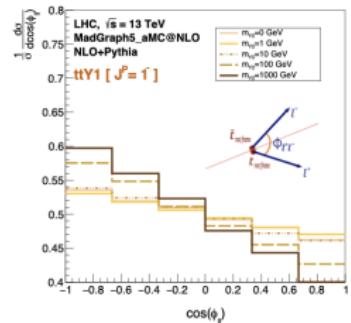
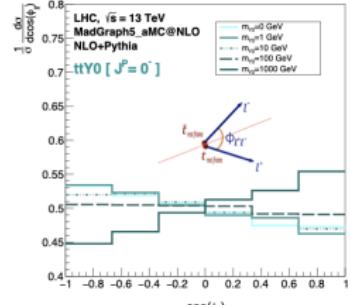
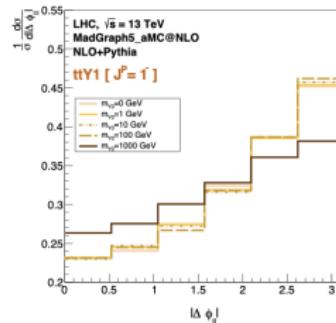
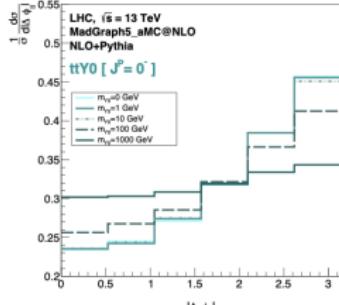
Scalar/pseudo-scalar



Vector/Axial-vector

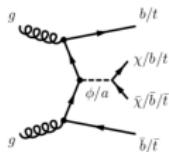
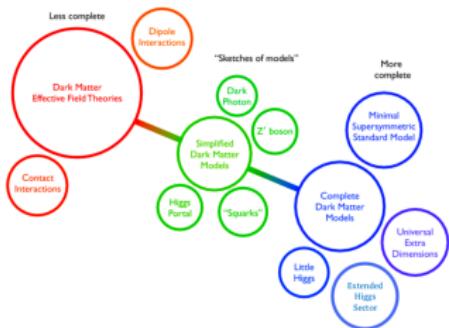
Note: reconstruct only the $t\bar{t}$ system and study spin-parity effects in exp. observables

Spin Correlations Observables in $t\bar{t}$ Events @ LHC

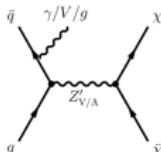


👉 Differential Distributions

Just one simple example



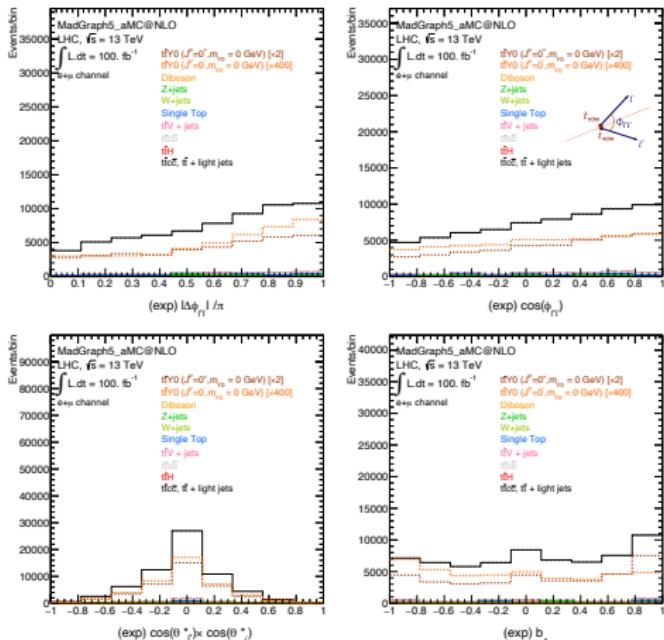
Scalar/pseudo-scalar



Vector/Axial-vector

Note: use $m_\phi=0$, and $m_{\text{DM}}=0$

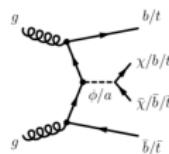
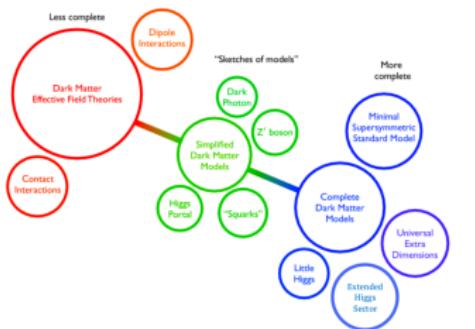
Spin Correlations Observables in $t\bar{t}$ Events @ LHC (analysis)



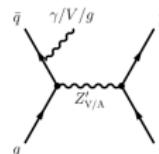
DM in $t\bar{t}$ Production @ LHC

CLs exclusions

Just one simple example



Scalar/pseudo-scalar

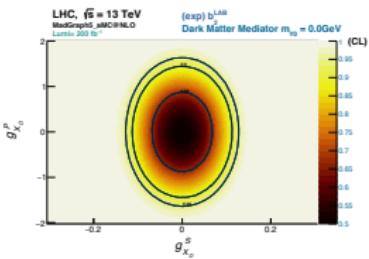
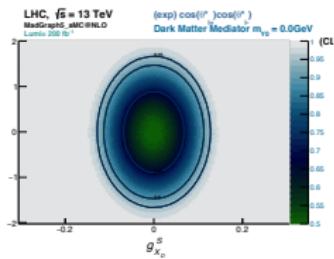
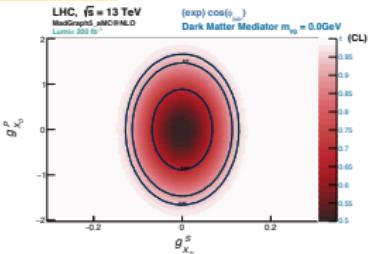
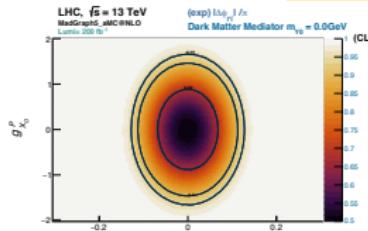


Vector/Axial-vector

Note: use $m_\phi=0$, and $m_{\text{DM}}=0$

Exclusion Limits for $t\bar{t}$ Events @ LHC (analysis)

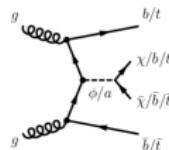
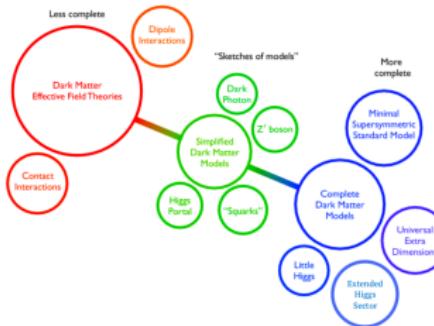
SM (Null Hyp.)



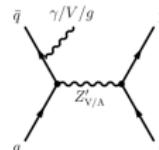
DM in $t\bar{t}$ Production @ LHC

CLs exclusions

Just one simple example



Scalar/pseudo-scalar

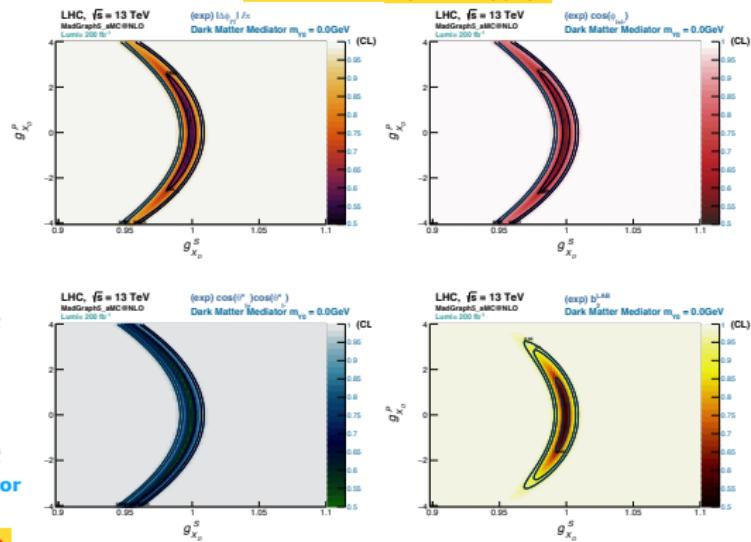


Vector/Axial-vector

Note: use $m_\phi=0$, and $m_{\text{DM}}=0$

Exclusion Limits for $t\bar{t}$ Events @ LHC (analysis)

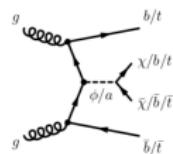
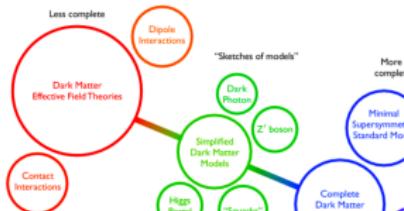
SM + $J^P=0^+$ (Null Hyp.)



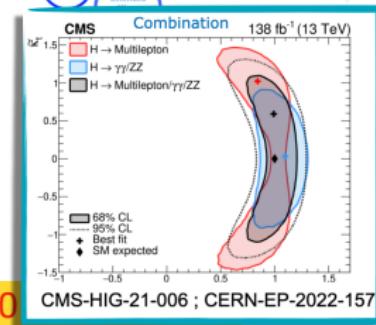
DM in $t\bar{t}$ Production @ LHC

CLs exclusions

Just one simple example



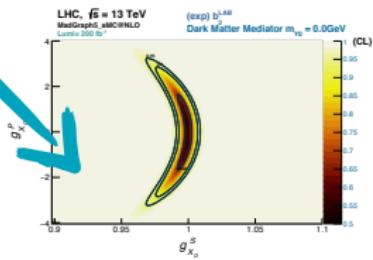
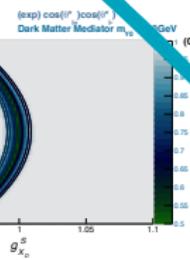
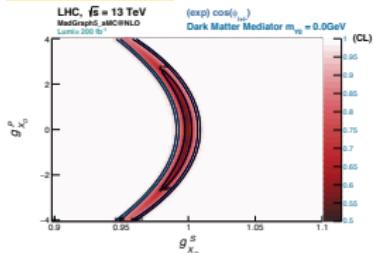
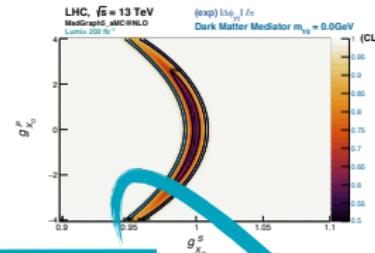
Scalar/pseudo-scalar



Note: use $m_\phi=0$

Exclusion Limits for $t\bar{t}$ Events @ LHC (analysis)

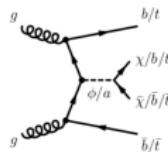
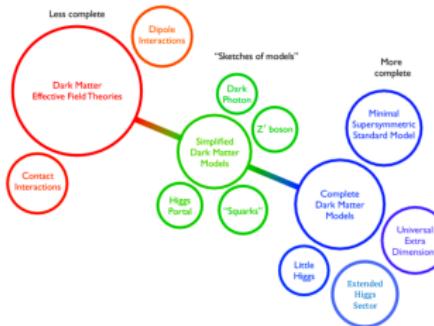
SM + $J^P=0^+$ (Null Hyp.)



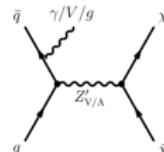
DM in $t\bar{t}$ Production @ LHC

CLs exclusions

Just one simple example



Scalar/pseudo-scalar

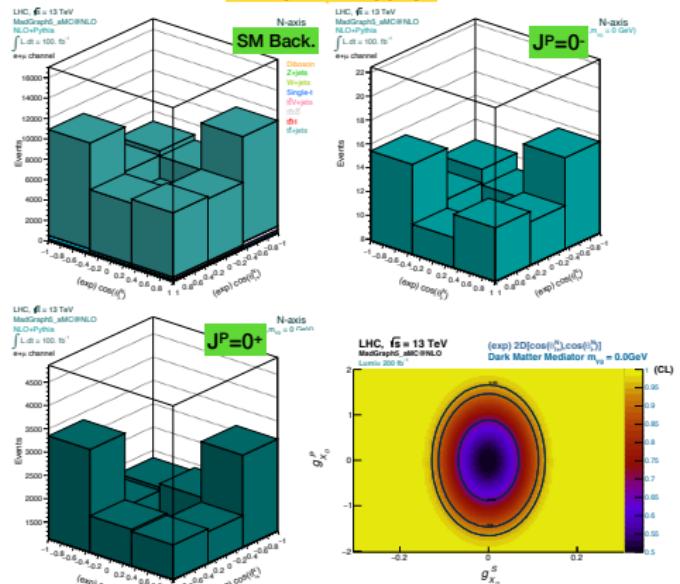


Vector/Axial-vector

Note: use $m_\phi=0$, and $m_{\text{DM}}=0$

Limits from 2D also good for $t\bar{t}$ Events @ LHC (analysis)

SM (Null Hyp.)



- RUN 3 has started! sensitivity to small contributions (NNLO, interferences, etc.) will (progressively) be more and more important
 - the LHC is becoming a very precise machine
- Top quark spin observables are indeed quite powerful to probe New Physics
- But spin physics requires: monitoring the parameter space and finding CP-even and CP-odd angular distributions that can help distinguishing background from signal and also between different signals (probably a combination of those would be best.....)
- CP Asymmetries can play an important role at RUN3