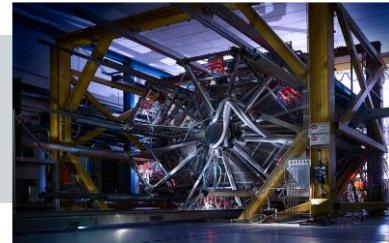


Time like baryon transition studies with HADES

Béatrice Ramstein, IJCLab, Orsay, France
for the HADES collaboration



Outline



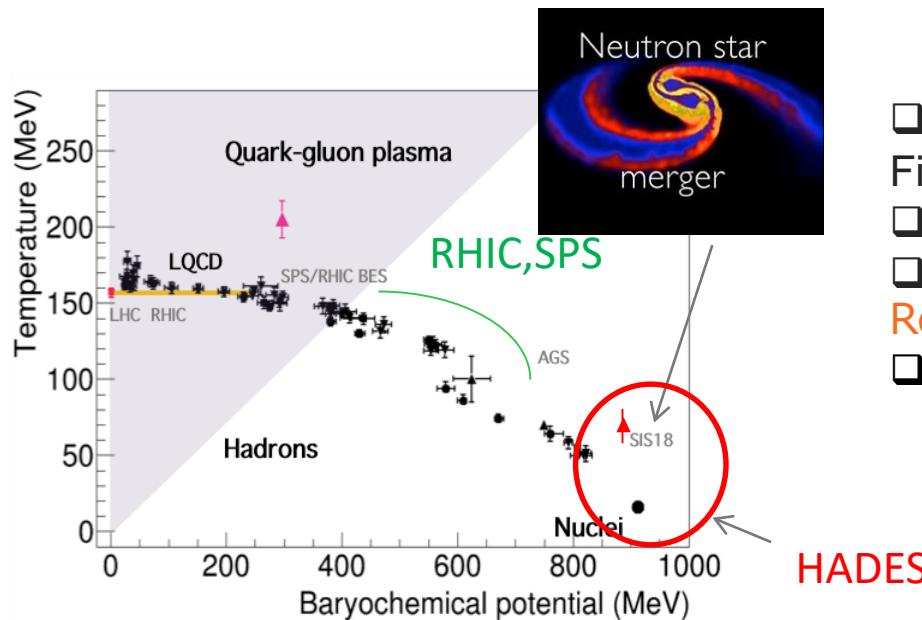
- ❑ General motivations of the HADES experiment at GSI
From dense hadronic matter to hadron structure studies

- ❑ Results for time-like electromagnetic baryon transitions in pion beam experiments

- ❑ Prospects for hyperon studies

- ❑ Conclusions

HADES: exploring dense QCD matter

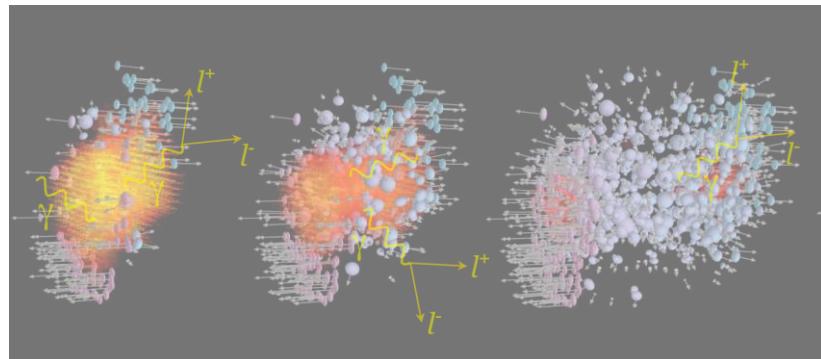


T. Galatyuk, NPA-D-18-00411 (2018) QM18

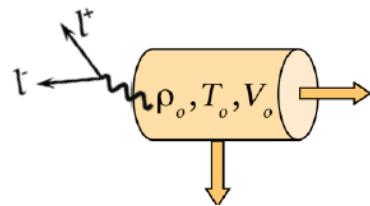
- Observables:
- ✓ Correlations and fluctuations
 - ✓ Collective effects
 - ✓ Strangeness
 - ✓ Dileptons

- ❑ Equation-of-State:
First order transition ? Search for a critical point
- ❑ Chiral symmetry restoration
- ❑ Microscopic structure of baryon dominated matter
- Role of baryonic resonances, hyperons**
- ❑ Complementary to SPS,RHIC,..

A+A: 1-3A GeV
 $\sqrt{s}=2-2.4$ GeV



Emissivity of baryon rich matter



McLerran, Toimela, PRD 31, 545 (1985)

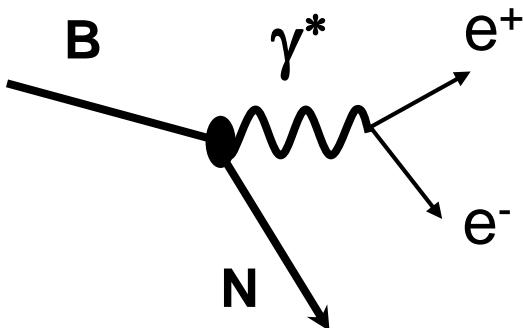
$$\frac{dN_{ll}}{d^4x d^4q} = -\frac{\alpha_{em}^2}{\pi^3 M^2} L(M^2) f^B(q \cdot u; T) \text{Im} \Pi_{em}(M, q; \mu_B, T)$$

Lepton phase space factor

Thermal Bose distribution

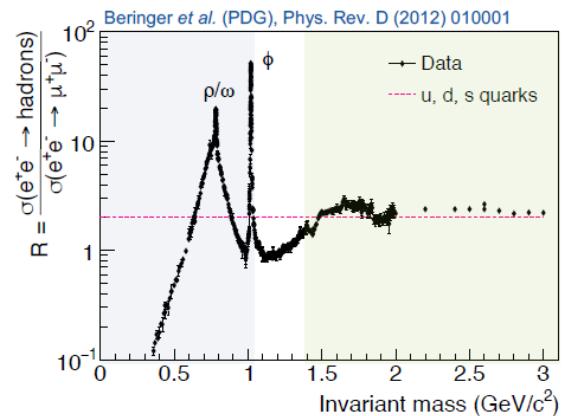
Spectral function

Baryon Dalitz decay



- Moderate temperatures: $T < 90 \text{ MeV}$
- Baryon-dominated system** ($N_\pi/A_{\text{part}} \approx 10\%$)
- Important role of vector mesons **for low mass dilepton production**

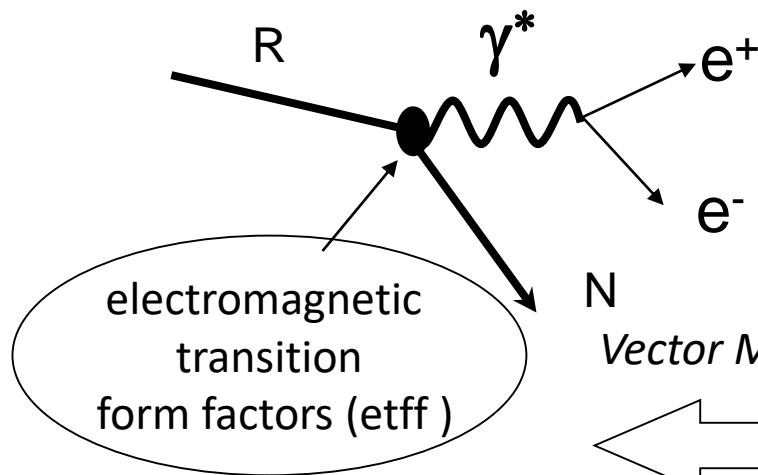
Vector mesons



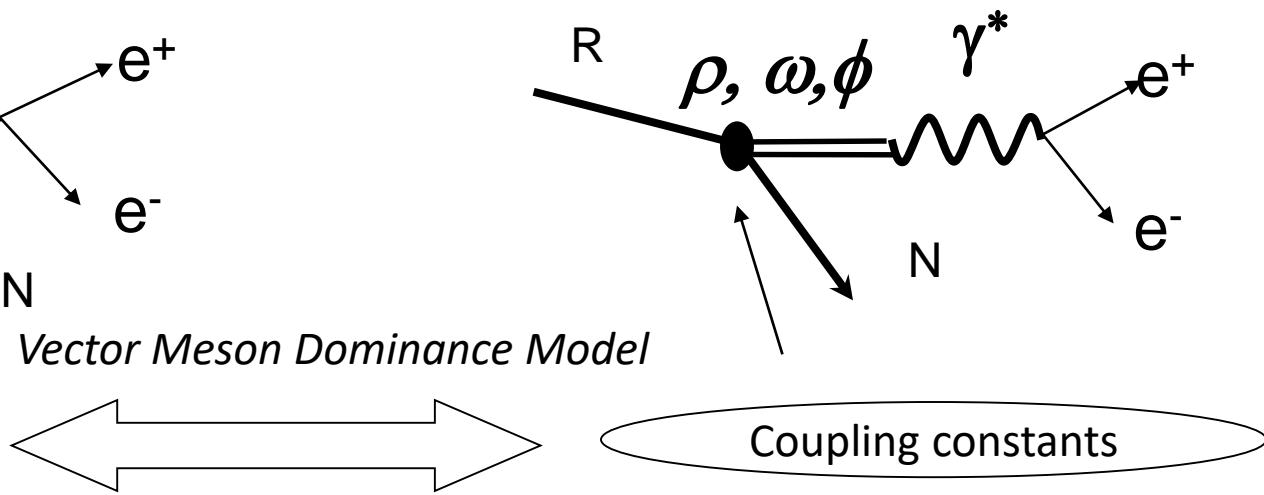
Coupling of baryons to vector mesons is crucial

Vector Meson Dominance in the baryon sector (I)

Dalitz decay of baryonic resonances



vector meson decay



Meson Dalitz decays : (numerous data Crystal Ball/TAPS, A2, Na60 data)

many theoretical studies trying to connect VMD and the microscopic properties of QCD

e.g. G. Adlarson *et al.*, Phys. Rev. C95, 035208 (2017)

Baryon Dalitz decays : almost unexplored, most calculations of etFF are based on Vector Meson Dominance.

Vector Meson Dominance in the baryon sector (II)

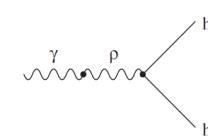
O'Connell Prog. Part. Nucl. Phys., Vol. 39, pp. 201-252, 1997

Various versions of VDM: equivalent for universal coupling

VDM2 : « strict VDM »

Sakurai, Phys. Rev 22 (1969) 981

- most commonly used in Heavy Ion transport models
- one single ρNN^* coupling
- Overestimation of baryon radiative decays

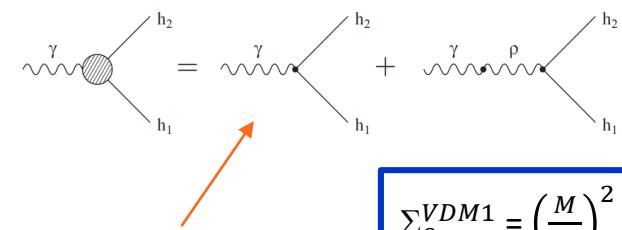


$$\Sigma_{\rho}^{VDM2} = \left(\frac{M_{\rho}}{M}\right)^2 \Sigma_{\rho}^0$$

VDM1 : »two-component »

Kroll, Lee & Zuminio Phys. Rev. 157 (1967) 1376

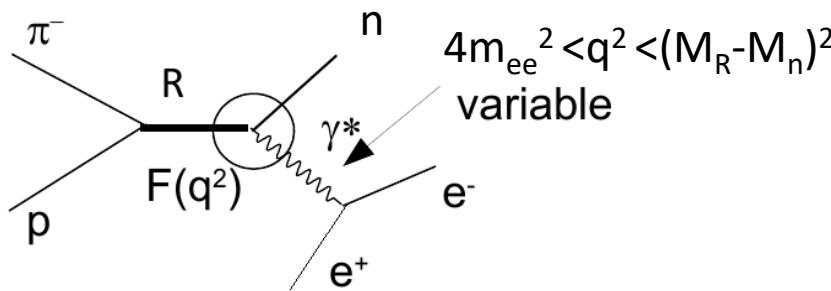
- ρ contr. vanishes at $m_{\gamma^*}=0$,
- γN and ρN couplings fixed independently
- Phase between γ and ρ contributions to be fixed by data



$$\Sigma_{\rho}^{VDM1} = \left(\frac{M}{M_{\rho}}\right)^2 \Sigma_{\rho}$$

Baryon electromagnetic transitions

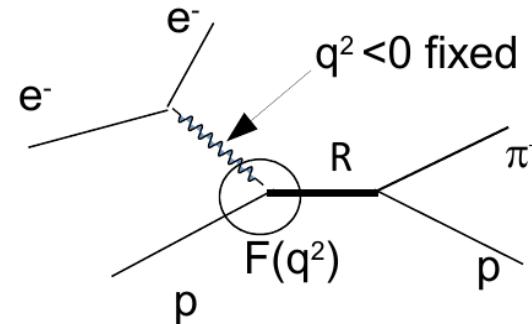
Time-like electromagnetic form factors



No data are available

Limit at $q^2=0$ given by **real photon** decay

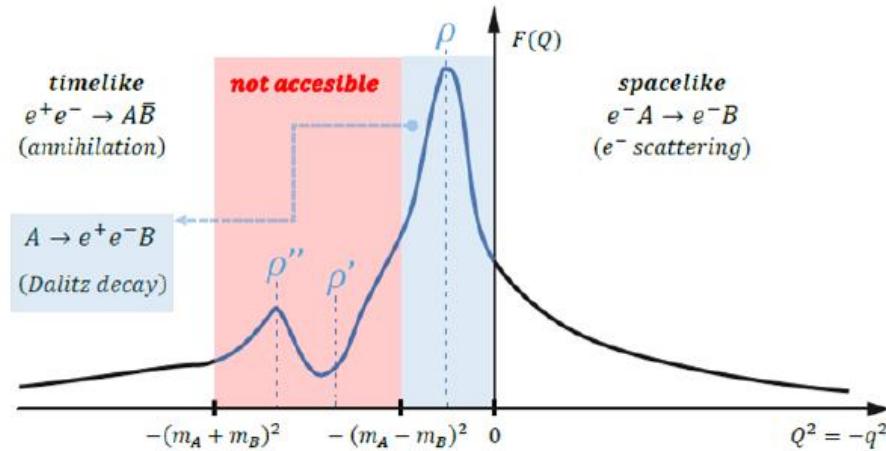
Space-like electromagnetic form factors



Data from Jlab (CLAS) up to $-q^2 = 4$ GeV²

Exploration of higher q^2 with CLAS12

A. D'Angelo Sept.5 10:30
K. Joo Sept.5 15:00



Role of quark core and meson cloud in the TL region ?

Time-like Electromagnetic baryon transition Form factor models

- Covariant model (*T. Pena and G. Ramalho*) quark core + meson cloud
- Parameters fitted to space-like data
- Predictions for the time-like region

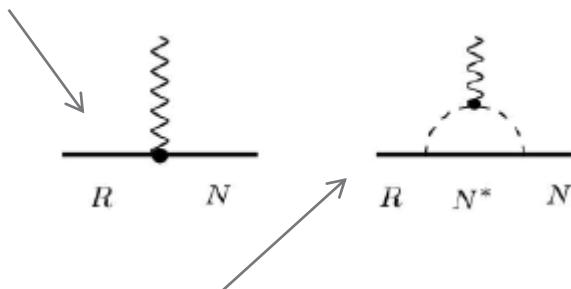
N- $\Delta(1232)$: *Phys. Rev. D85* (2012) 113014

N-N(1520) : *Phys. Rev. D95*, (2017) 014003

N-N(1535) : *Phys. Rev. D101* (2020) 114008

Quark core contribution :

- Quark form factors inspired by VDM



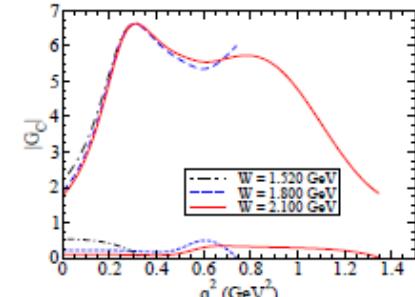
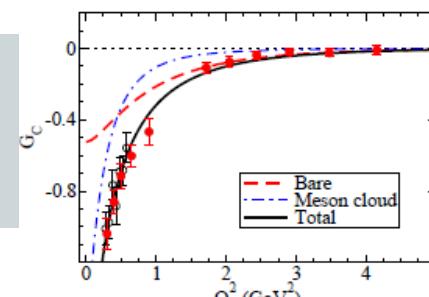
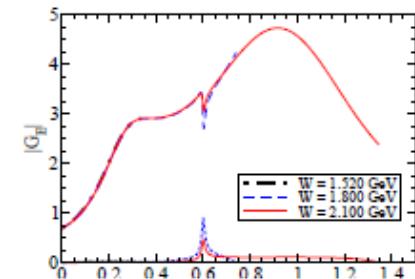
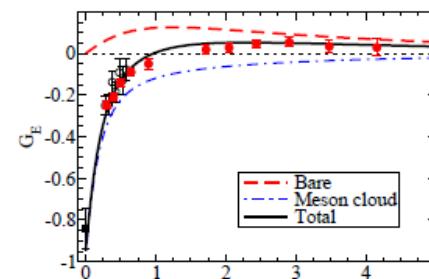
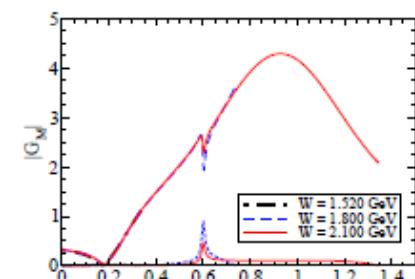
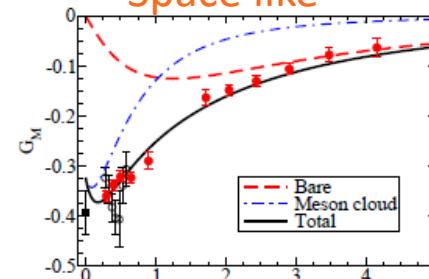
Meson cloud contribution:

- Based on pion electromagnetic form factor
- Dominant contribution in the time like region

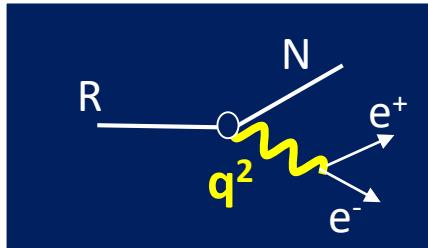
T. Pena Sept. 9 12:00

N-N(1520) : *Phys. Rev. D95*, 014003 (2017)

Space like



Access to Time-like eTFF via baryon Dalitz decay (I)



- **e⁺e⁻ invariant mass distributions ($q^2 = M_{ee}^2$):**

$$\frac{d\Gamma^{N^* \rightarrow Ne^+ e^-}}{dM_{ee}} = \frac{2\alpha}{3\pi M_{ee}} \Gamma_{M_{N^*}}^{N^* \rightarrow N\gamma^*}(M_{ee}),$$

e.g. for 3/2⁻ and 1/2⁻

M. Krivoruchenko et al., Ann. of Phys. 296, 299–346 (2002)

$$\Gamma^{N^* \rightarrow N\gamma} = \frac{\sigma_+^{3/2} \sigma_-^{1/2}}{m_+^{3/2} m_-^{1/2}} \frac{|G_T(q^2)|^2}{|G_T(0)|^2} \times \Gamma^{N^* \rightarrow N\gamma}$$

effective form factor radiative decay width

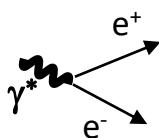
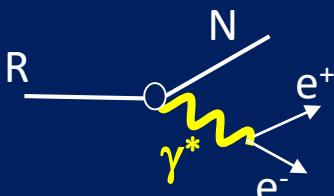
$m_\pm = m_* \pm m_N$
 $\sigma_\pm = m_\pm^2 - M_{ee}^2$

$$J^P = \frac{1}{2}^- \text{ (e.g. N1535):} \quad |G_T(q^2)|^2 = 2|G_E(q^2)|^2 + \frac{q^2}{2m^*_N} |G_C(q^2)|^2$$

$$J^P = \frac{3}{2}^- \text{ (e.g. N1520):} \quad |G_T(q^2)|^2 = |G_E(q^2)|^2 + 3|G_M(q^2)|^2 + \frac{q^2}{2m^*_N} |G_C(q^2)|^2$$

- **QED reference :** calculation for **constant covariant form factors** (point-like baryons)
extension of radiative decay at finite q^2

Access to Time-like eTFF via baryon Dalitz decay (II)



- Additional information from e^+/e^- angular distributions:
- spin density matrix formalism**

E. Speranza et al, Phys. Lett. B 764, 282 (2017)

M. Zetenyi et al. C 104, 015201 (2021)

A. Sarantsev priv. comm.

$$|A|^2 \propto 8k^2 [1 - \rho_{11} + (3\rho_{11} - 1) \cos^2 \Theta. \\ + \sqrt{2} Re \rho_{10} \sin 2\Theta \cos \phi + Re \rho_{1-1} \sin^2 \Theta \cos 2\phi]$$

related to helicity amplitudes or electromagnetic transition form factors

$$\rho_{11} = \frac{1 + \lambda}{3 + \lambda} = \frac{A_\perp}{2A_\perp + A_\parallel}$$

J=1/2

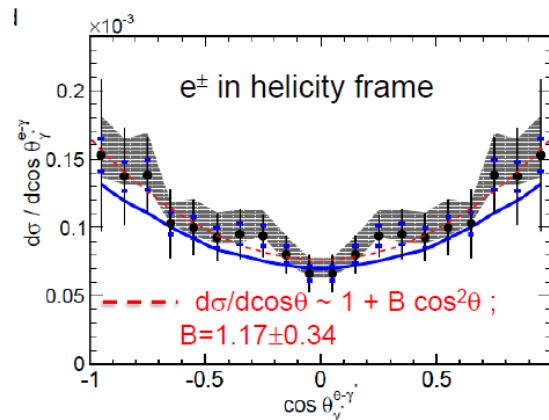
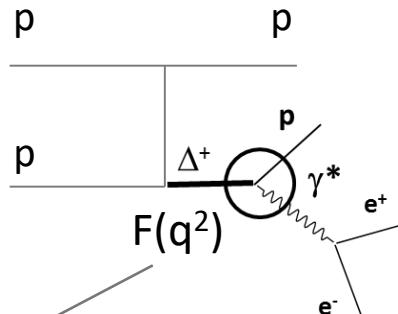
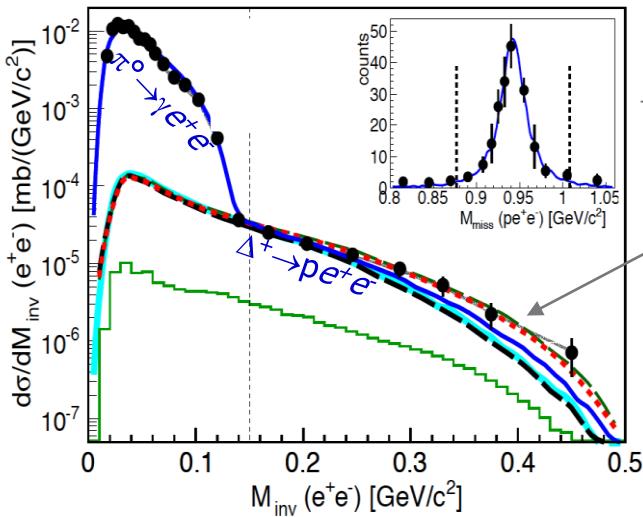
$$\lambda = \frac{|G_{E/M}^\pm|^2 - |G_C^\pm|^2}{|G_{E/M}^\pm|^2 + |G_C^\pm|^2}$$

J>1/2

$$A_\perp = \frac{l+1}{l} |G_{M/E}^\pm|^2 + (l+1)(l+2) |G_{E/M}^\pm|^2 \\ A_\parallel = \frac{M^2}{m_*^2} |G_C^\pm|^2$$

$\Delta(1232)$ Dalitz decay studies with HADES

E=1.25 GeV pp \rightarrow ppe⁺e⁻
HADES PRC95, 065205 (2017)



Dominance of magnetic transition
(γ^* are transversely polarized)

- First measurement of $\Delta(1232)$ Dalitz decay branching ratio ($\Delta^+ \rightarrow p e^+ e^-$)
Using information from PWA ($p n \pi^+$, $p p \pi^0$)
 - Sensitivity to the electromagnetic structure (form factor) of the N- Δ transition
- Wan and Iachello, Int. J Mod. Phys. A20 (2005) 1846
T. Pena and G. Ramalho, Phys. Rev. D85 (2012) 113014

$\Delta(1232) 3/2^+$

$$I(J^P) = \frac{3}{2}(3^+)$$

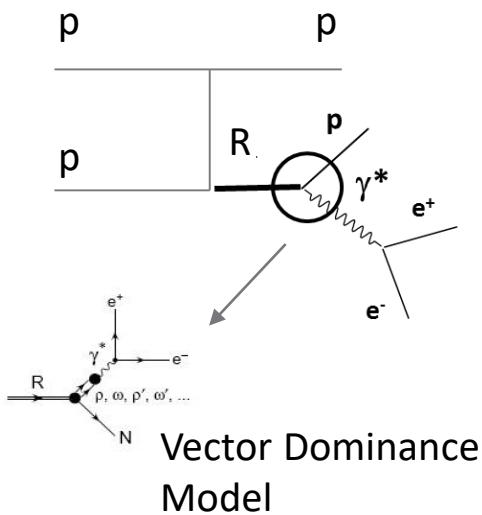
Re(pole position) = 1209 to 1211 (≈ 1210)
– 2Im(pole position) = 98 to 102 (≈ 100)
Breit-Wigner mass (mixed charges)
Breit-Wigner full width (mixed)

$\Delta(1232)$ DECAY MODES

	Fr. (%)	J/c (MeV)
$N\pi$	99.4	229
$N\gamma$	0.55-0.65 %	259
$N\gamma$, helicity=1/2	0.11-0.13 %	259
$N\gamma$, helicity=3/2	0.44-0.50 %	259
pe^+e^-	$(4.2 \pm 0.7) \times 10^{-5}$	259

Dalitz decay studies of heavier baryons with HADES

$p+p \rightarrow pp e^+e^-$ 3.5 GeV



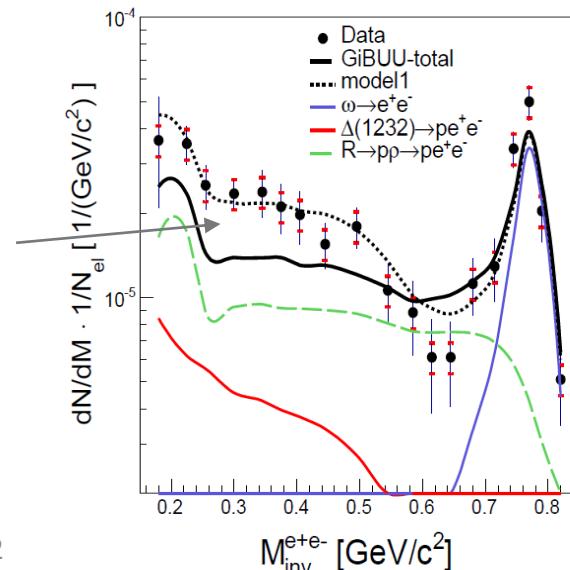
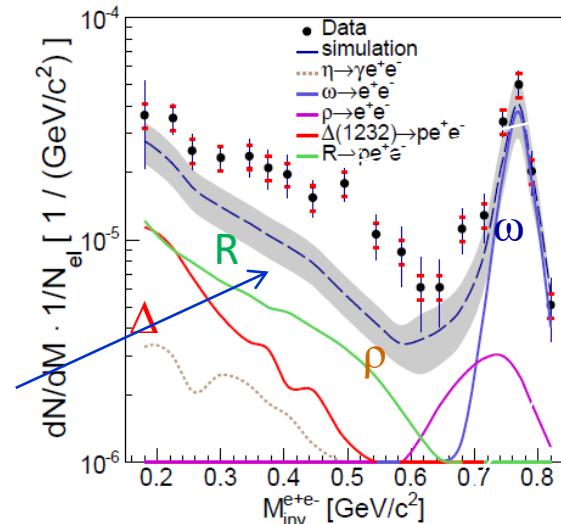
$\Delta(1232)$
 $N^*(1440)$
 $N^*(1520)$
 $N^*(1535)$
 $N^*(1680)$
 $\Delta(1620)$
 $\Delta(1700)$
 $\Delta(1910)$

Dalitz decays of point-like baryonic resonances constrained by $pp\pi^0$ and $pn\pi^+$ channels : QED reference

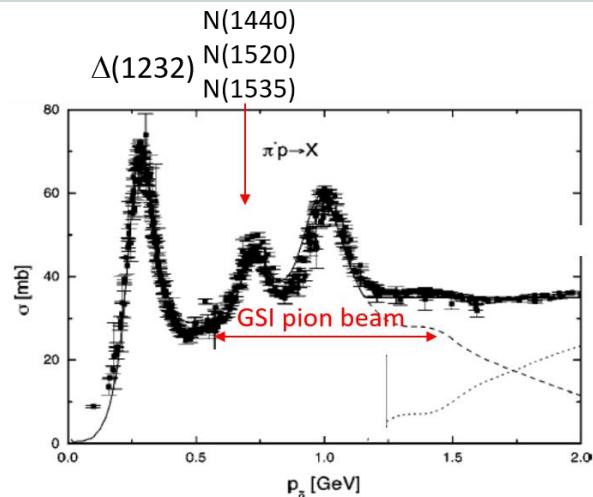
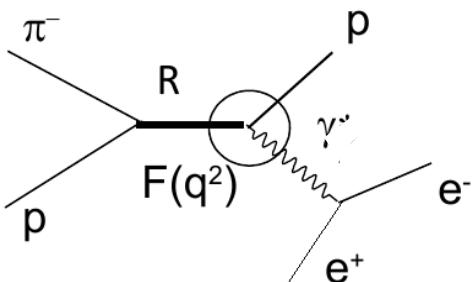
+ “direct” ρ and ω

Effect of electromagnetic transition Form Factors for light baryonic resonances ($N(1520), \dots$)

G. Agakishiev et al.
Eur.Phys.J. A50 (2014) 8



Specific motivations for pion beam experiments with HADES



Production of resonance with given mass in s-channel $M_R = \sqrt{s_{\pi p}}$

HADES + GSI pion beam is an ideal (unique in world) tool to

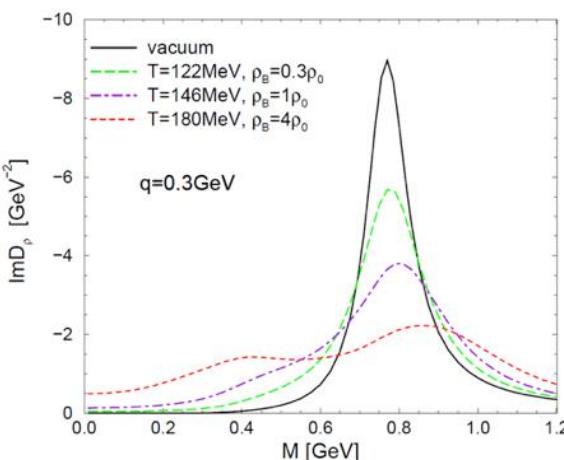
- ✓ Study the unknown **time-like electromagnetic structure of baryons**
- ✓ Complete the very scarce pion beam data base for **hadronic couplings**
- ✓ Test description of **in-medium** dilepton production

In medium vector meson spectral functions

*HADES Collab., Nature Phys. 15 (2019) 10, 1040-1045
 S. Harabasz Sept. 8 12:30*

Strong **broadening** of **in medium** ρ spectral function
Observed from LHC to GSI energies !

Vector Meson Dominance (VDM1)



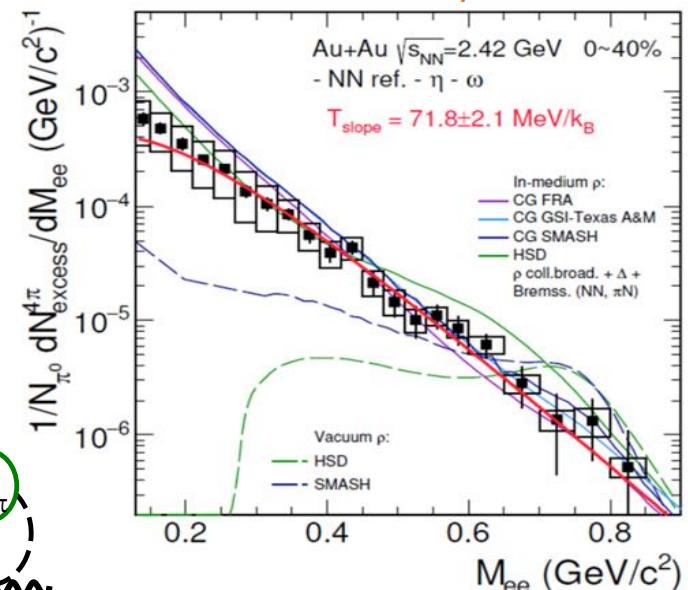
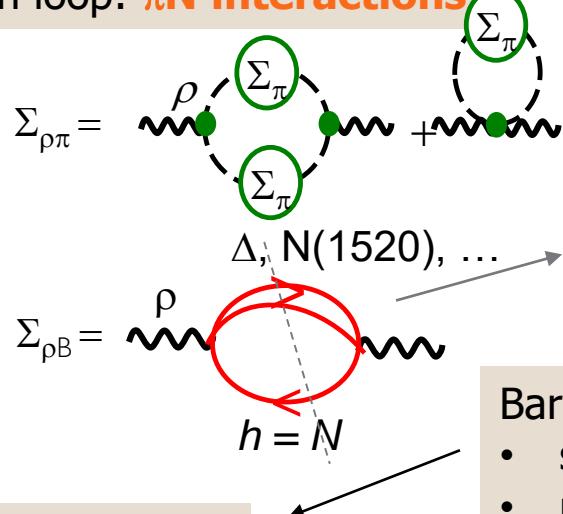
B. Friman et al. NPA617 (1997) 496.

R. Rapp and J. Wambach EPJA 6 (1999) 415

can be best accessed via πN reactions

$$D_\rho(M, q, T, \mu_B) = \frac{1}{[M^2 - m_\rho^2 - \Sigma_{\rho\pi\pi} - \Sigma_{\rho B} - \Sigma_{\rho M}]}$$

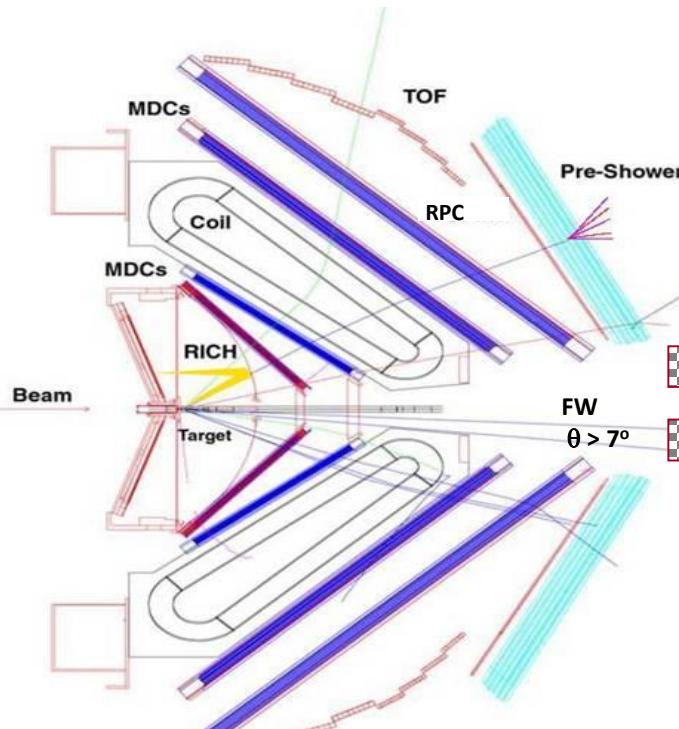
pion loop: πN interactions



Baryonic loop

- sensitive to ρNN^* couplings
- related to **baryon Dalitz decay**
 $\Delta/N^* \rightarrow N e^+ e^-$

High Acceptance Di-Electron Spectrometer



Experiments (2004-2022)

Hadronic matter studies

C+C 1 and 2A GeV, Ar+ KCl 1.75A GeV,

Au+Au 1.25 AGeV, Ag+Ag 1.65A GeV

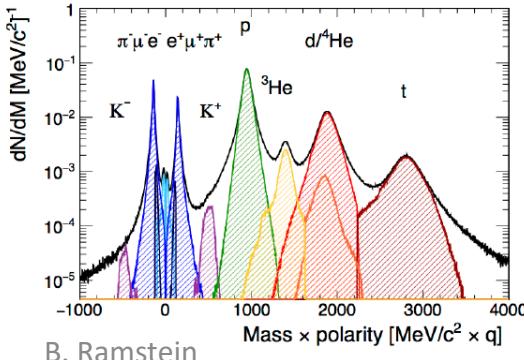
Cold matter:

p+Nb 3.5 GeV, π^- +C/W 1.7 GeV/c

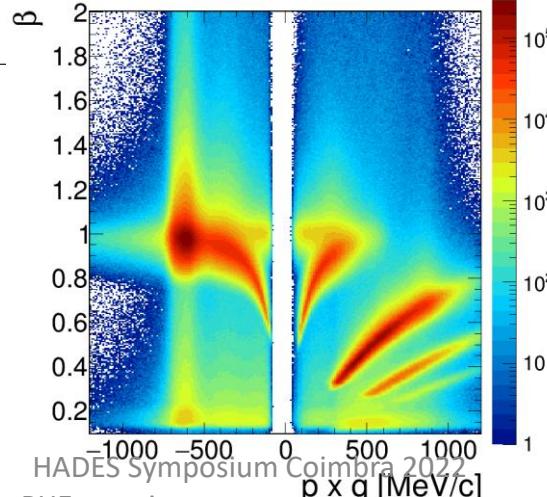
Elementary reactions:

p+ p 1.25, 2.2 , 3.5 GeV, 4.5 GeV d+p 1.25 GeV/nucleon

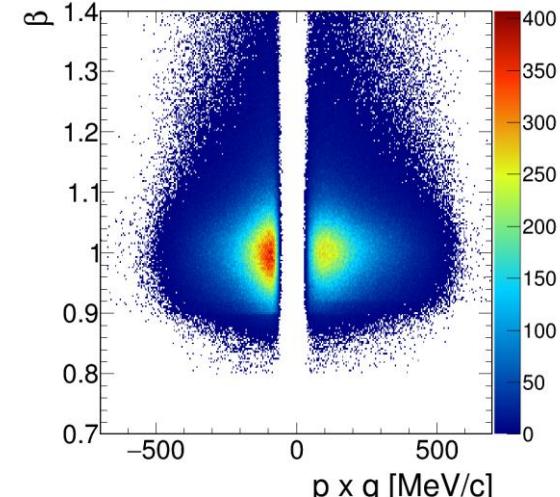
π^- +CH₂/C 0.7 GeV/c



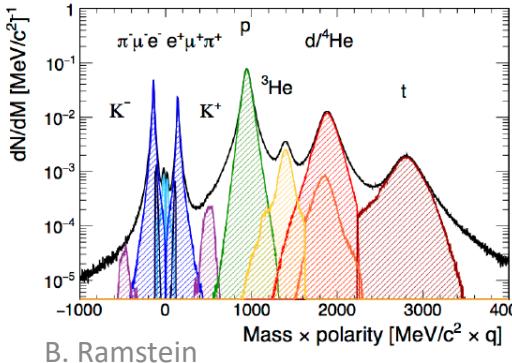
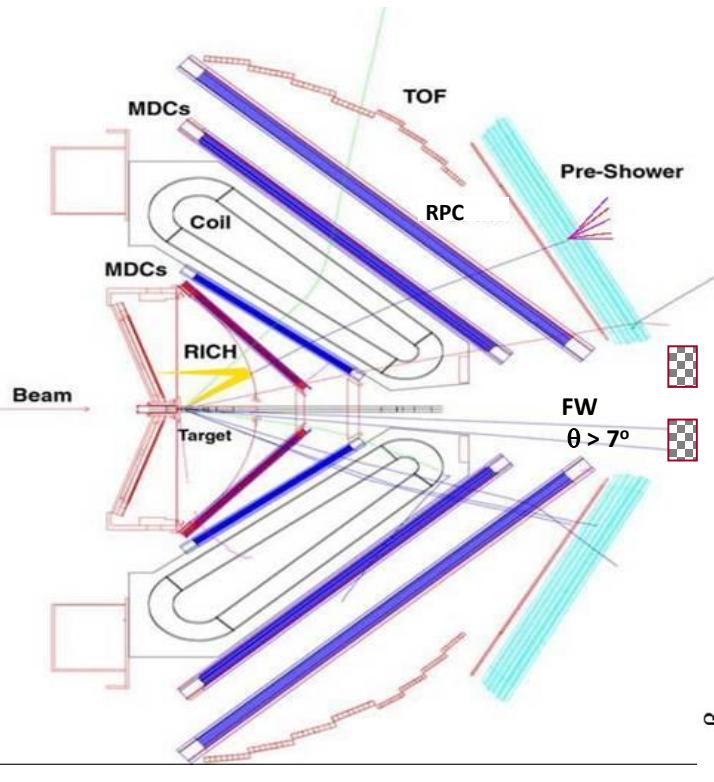
before lepton selection



after lepton selection



High Acceptance Di-Electron Spectrometer



Acceptance: Full azimuth, polar angles $18^\circ - 85^\circ$
Momentum measurement

Magnet: $\int B dl = 0.1 - 0.34$ Tm

MDC: 24 Mini Drift Chambers

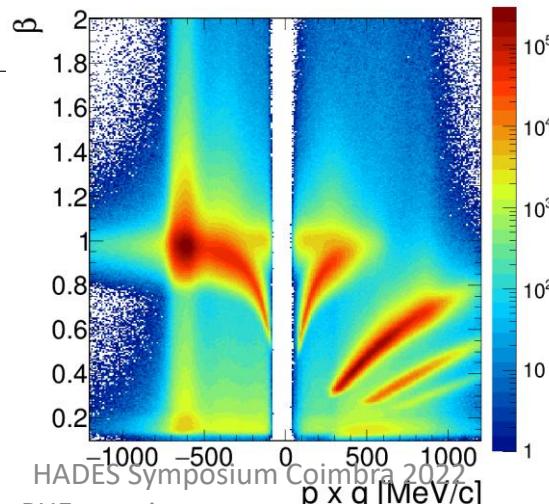
Leptons: $\Delta x \sim 140 \mu$ per cell, $\Delta p/p \sim 1-2 \%$

Particle identification: e^+/e^- , π^+/π^- , K^+/K^- , p

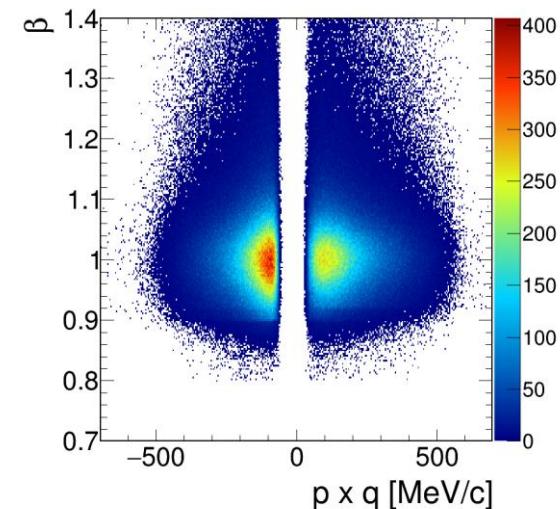
RICH, Time Of Flight, Pre-Shower (pad chambers & lead converter) (also MDC (K^-))

Trigger: ~ 50 kHz

before lepton selection



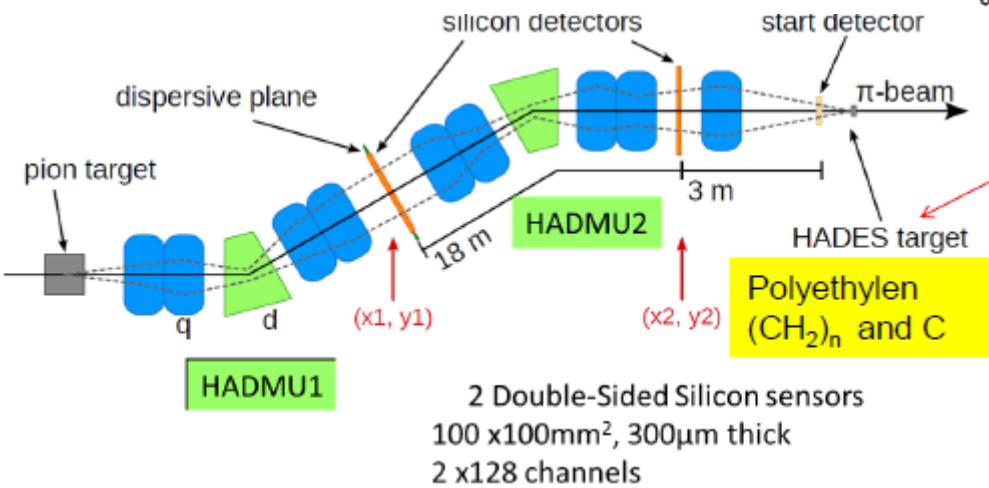
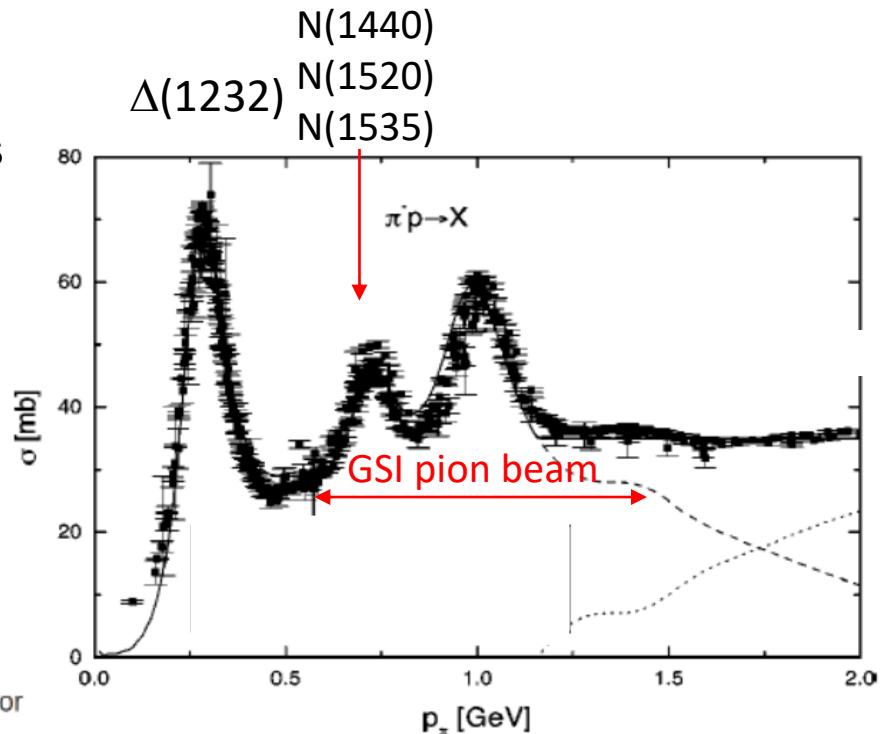
after lepton selection



Pion beam at GSI

- Primary beam: 6×10^{10} Nitrogen ions/s at $E = 2A$ GeV
- Momentum acceptance = 2 % (rms)
- Momentum range $p_\pi = 0.65 - 1.5$ GeV/c
- Secondary pion beam: $2 \times 10^5 \pi/s$ for p_π around 0.7 GeV/c

HADES coll. Eur. Phys. J. A (2017) 53: 18



- Measurements on CH₂ and C targets
- $\pi^- p \rightarrow \pi^+ \pi^- n$ and $\pi^- p \rightarrow \pi^- \pi^0 p$
(4 measurements $\sqrt{s} = 1.46-1.55$ GeV/c²)
 - $e^+ e^-$ production $\sqrt{s} = 1.49$ GeV/c²
 - data on C target also used for cold matter studies

Partial Wave Analysis in 2π production channels

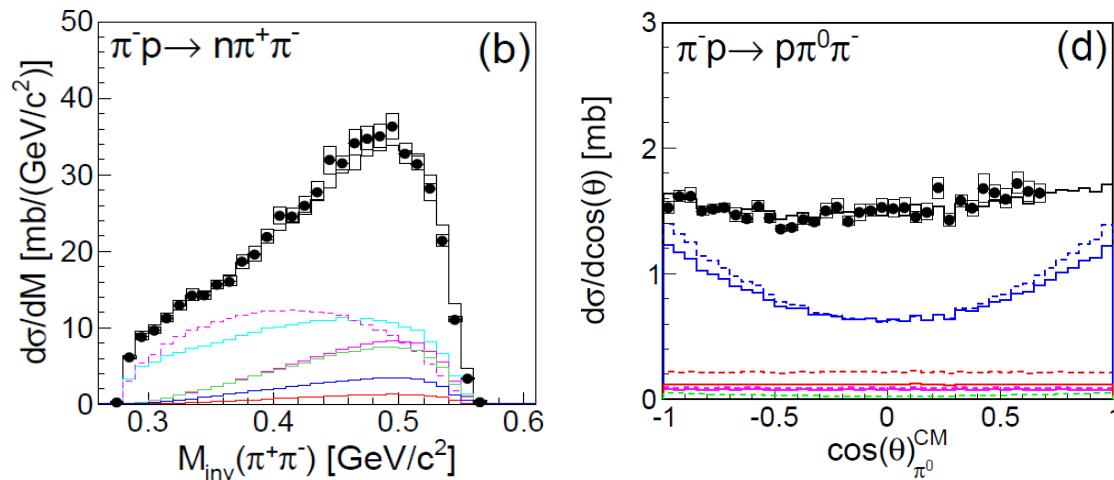
HADES coll. Phys.Rev.C 102 (2020) 2, 024001

HADES data ($\pi^- p \rightarrow n \pi^+ \pi^-$ and $\pi^- p \rightarrow p \pi^0 \pi^-$ at 4 energies)
+ photon (CB-ELSA,MAMI) and pion (Crystal Ball) data base
included in **Bonn-Gatchina Partial Wave Analysis**

- total $3/2^-$
- N(1520) $3/2^-$
- total $3/2^-$
- N(1440) $3/2^-$
- total $1/2^-$
- N(1535) $1/2^-$

- Δ-π — N-ρ — N-σ

- N-ρ s-chan — N-ρ S₁₁ — N-ρ D₁₃



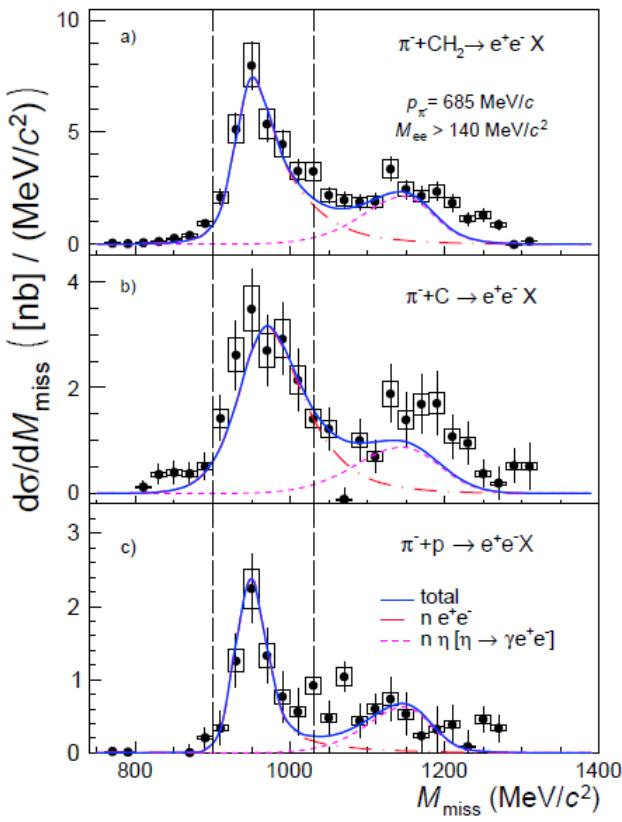
s-channel $3/2^-$ N(1520) is dominant

Branching ratios of N(1440), N(1535), N(1520) to 2π channels ($\Delta \pi$, σN , ρN)
→ **8 new entries** (4 first + 4 additional entries)

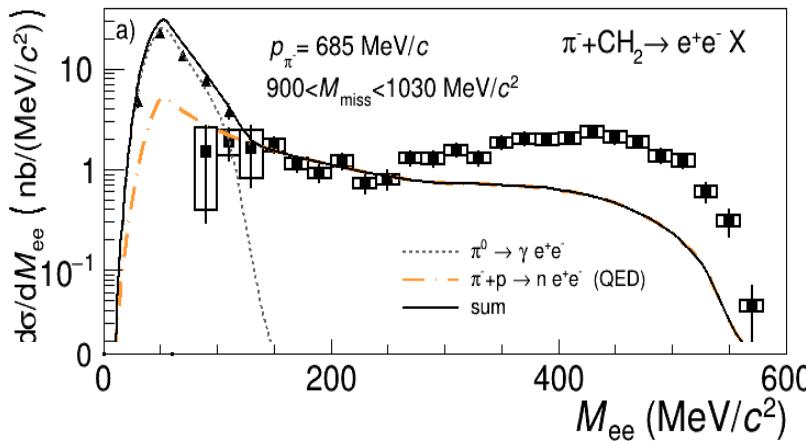


Selection of quasi-free $\pi^- p \rightarrow n e^+ e^-$

HADES coll. arXiv:2205.15914 [nucl-ex]



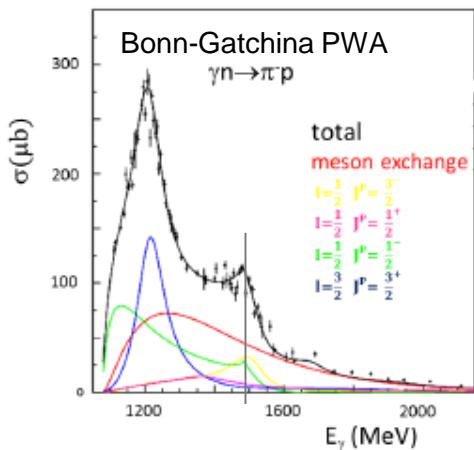
- Selection of the exclusive $\pi^- p \rightarrow n e^+ e^-$ channel using missing mass
- Quasi-free treatment of $\pi^- C$ interactions
 $\sigma_C/\sigma_p = 3.3 (\sim Z^{2/3})$
- Subtraction of residual π^0 contribution



Comparison to the QED reference

QED reference:

- Dalitz decay of $J^P=3/2^-$ or $1/2^-$ (largest contr. to $\pi^- p \leftrightarrow n\gamma$ and $\pi^- p \rightarrow pn$) with **constant covariant form factors**
- Cross section deduced from $\sigma(\pi^- p \rightarrow n\gamma)$



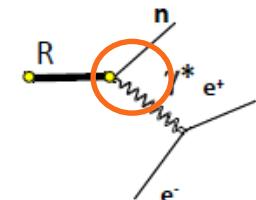
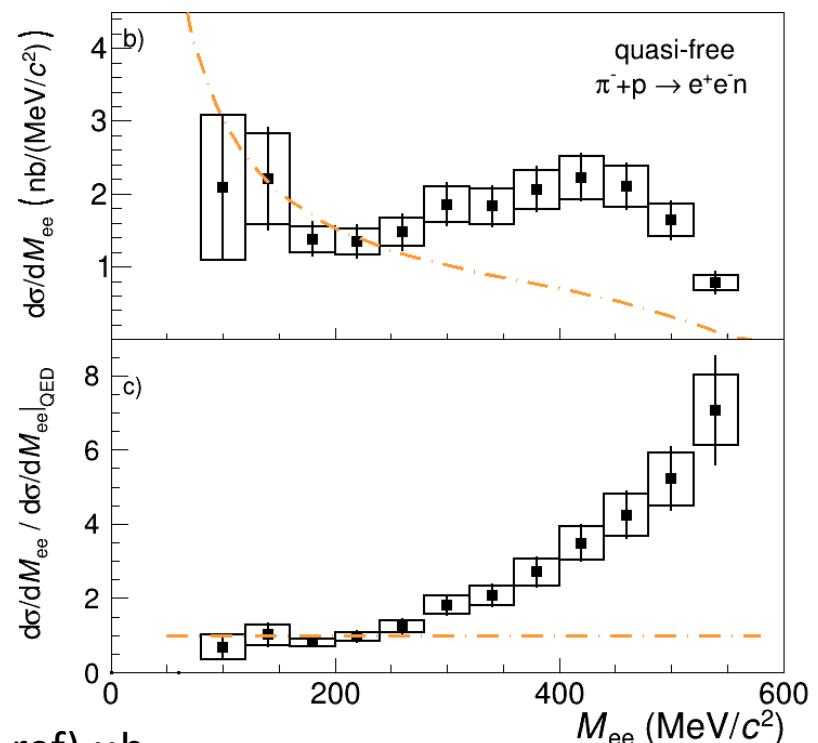
- $\sigma(\pi^- p \rightarrow ne^+e^-) = 2.14 \pm 0.06$ (data) ± 0.23 (QED ref) μb

$$\sigma = 1.16 * \sigma_{\text{QED}}$$

- $M_{ee} < 200 \text{ MeV}/c^2$ consistency with QED reference
- Strong excess at larger M_{ee}
- Effective time-like transition form factor

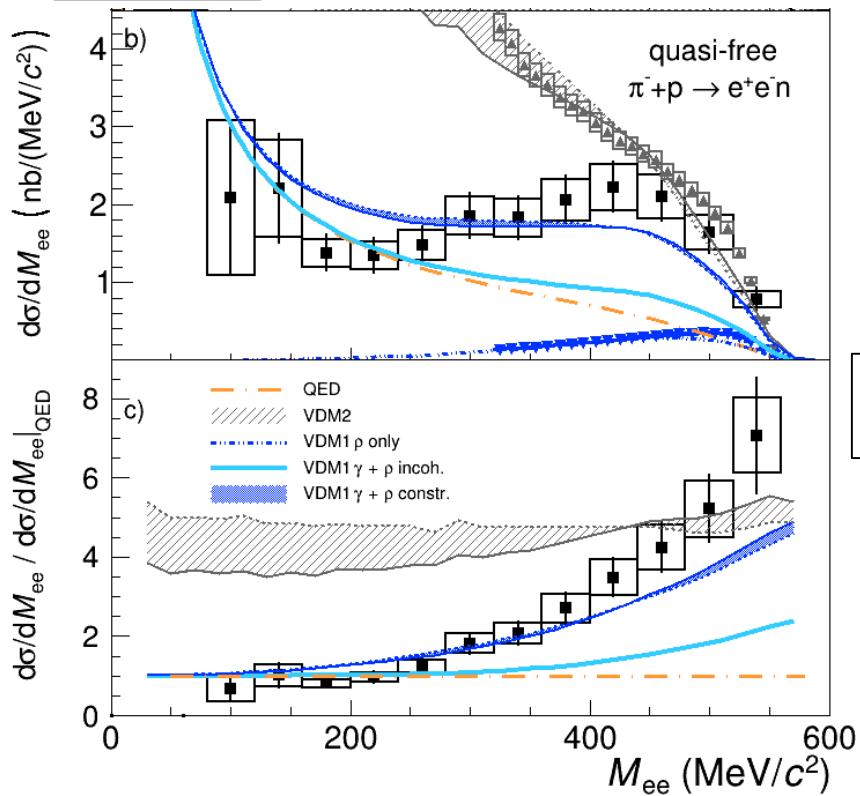
$$R_{\text{QED}} = (d\sigma/dM) / (d\sigma/dM)_{\text{QED}}$$

HADES coll. arXiv:2205.15914 [nucl-ex]



Data comparison with VDM2/VDM1 models

HADES coll. arXiv:2205.15914 [nucl-ex]



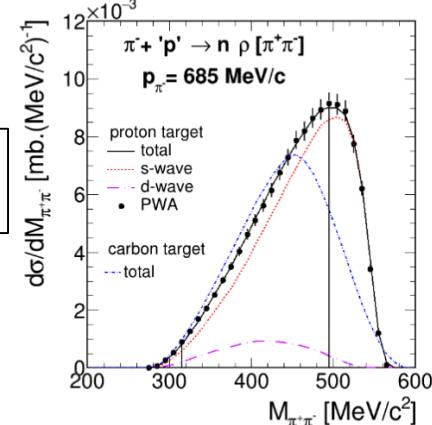
HADES collab., Phys.Rev. C102 (2020) 024001

Ideal case:

$\rho \rightarrow \pi^+ \pi^-$ extracted from the same experiment (PWA)

Direct test of VDM models based on known ρ contribution

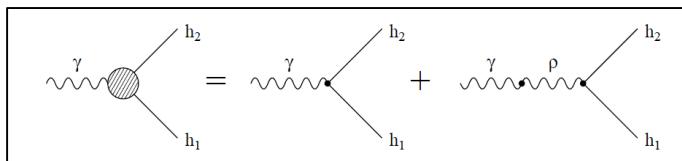
$$\left(\frac{d\sigma_{ee}}{dM_{ee}} \right)_{M_{ee}=M} = \left(\frac{d\sigma_{\pi\pi}}{dM_{\pi\pi}} \right)_{M_{\pi\pi}=M} \frac{\Gamma_{\rho \rightarrow e^+ e^-}(M)}{\Gamma_{\rho \rightarrow \pi^+ \pi^-}(M)}$$



VDM1/VDM2 test:

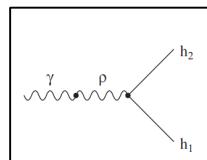
- Large overestimation of measured yields with VDM2
- Two component (direct $\gamma +$ VDM1) with constructive interferences gives a better description of the full spectrum

VDM1



VDM2

B. Ramstein



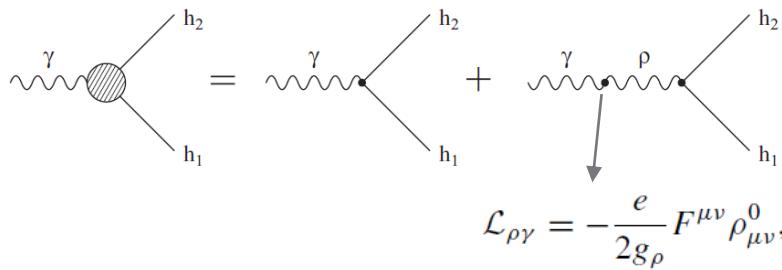
Two-component Lagrangian model

Microscopic calculation of $\pi^- p \rightarrow n e^+ e^-$

*M. Zetenyi and G. Wolf,
Phys. Rev. C 86, 065209 (2012)*

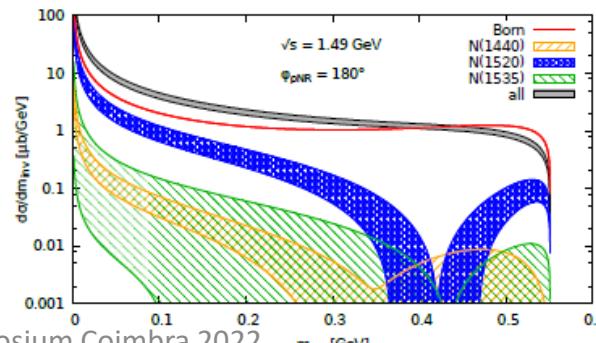
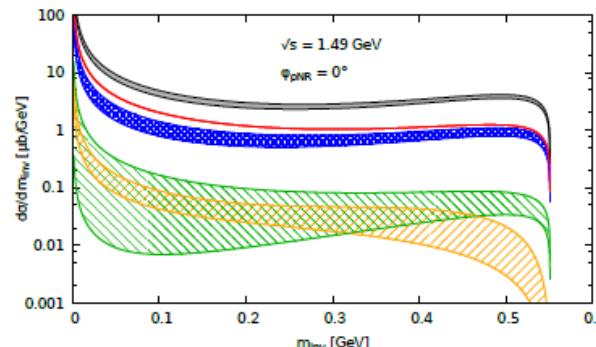
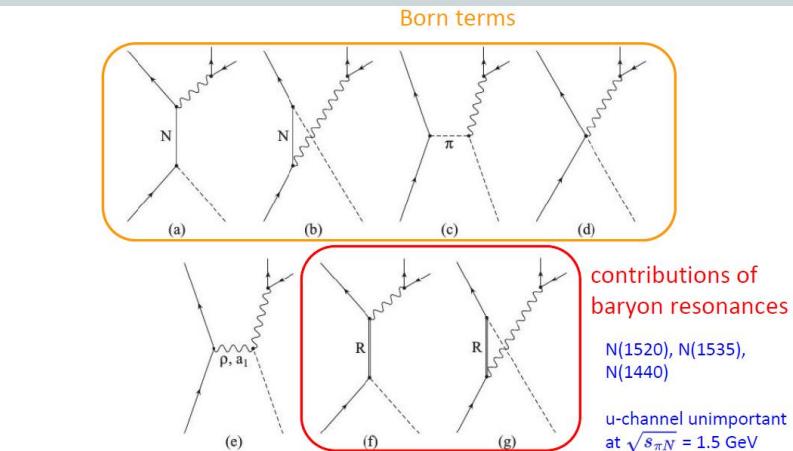
M. Zetenyi et al, Phys. Rev. C 104, 015201 (2021)

Strong contribution of the Born terms



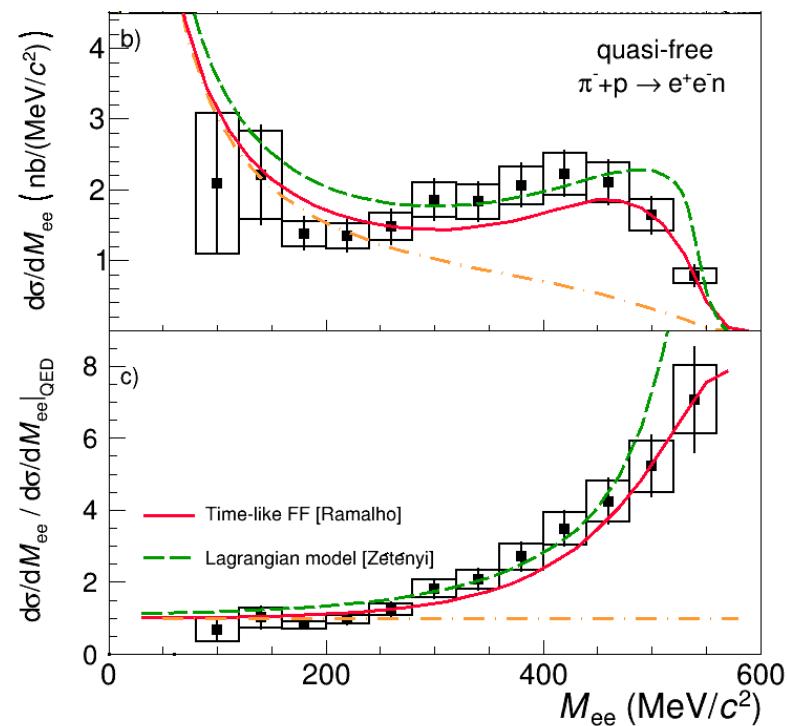
Here, « Kroll-Lee-Zuminio »
« VDM1 » Lagrangian is used

→ Shape and yield sensitive to
the interference between the γ
and ρ contributions



Invariant mass distribution: comparison to models

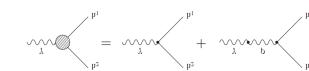
HADES coll. arXiv:2205.15914 [nucl-ex]



Lagrangian model:

M. Zetenyi et al. Phys. Rev. C 104, 015201 (2021)

- based on VDM1 for various baryon transitions
- shown with phase $\phi=90^\circ$
- very promising, **but needs to be confronted to $\pi^-p \rightarrow \pi\pi N$ data**



Covariant form factor model (quark core+meson cloud)

G. Ramalho and M. T. Pena, Phys. Rev. D95, 014003 (2017)
Phys. Rev. D101, 114008 (2020)

- n -N1520 and n -N1535 transitions
- dominant pion cloud contribution:
baryon transition form factor strongly related to the **pion electromagnetic form factor**

More calculations:

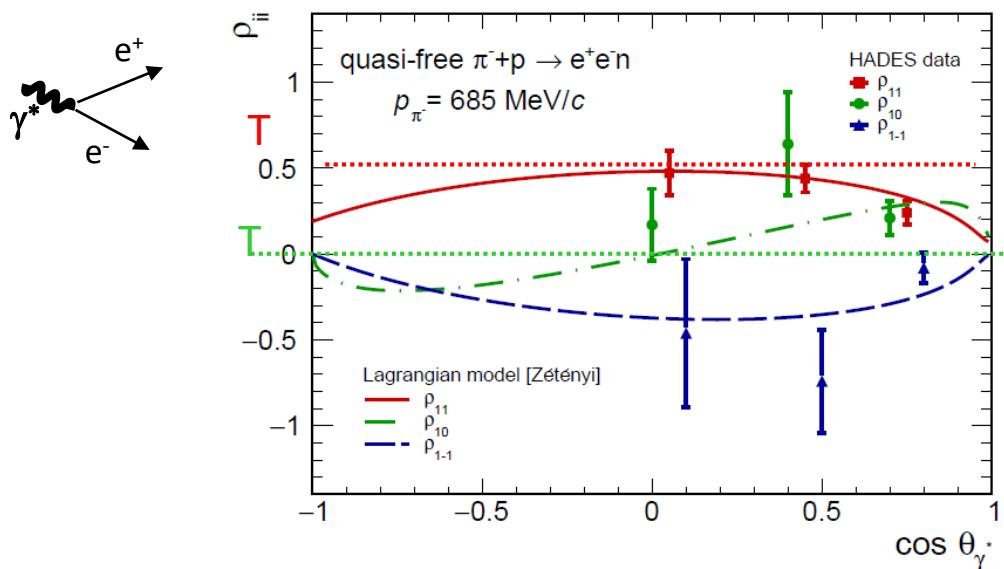
- A. I. Titov and B. Kämpfer, EPJ.A12, 668 217 (2001) (ρ/ω prod. amplitudes)
- M. Lutz, B. Friman & M. Soyeur NPA713, 97 (2003) (ρ/ω prod. amplitudes)
- A. Ierusalimov & G. Lykasov Phys. Part. Nucl. Lett. 15, 457 (2018); [1907.10298 \[hep-ph\]](https://arxiv.org/abs/1907.10298)
Inverse Pion Electroproduction (dipole or Gaussian FF)

Analysis of e^+/e^- angular distribution spin density matrix elements

$$\frac{|A|^2}{\sigma} = \frac{1}{N} \left(8m_e^2 + 8|\mathbf{k}|^2 [1 - \tilde{\rho}_{11}^{(H)} + \cos^2 \theta (3\tilde{\rho}_{11}^{(H)} - 1) + \sqrt{2} \sin(2\theta) \cos \phi \operatorname{Re} \tilde{\rho}_{10}^{(H)} + \sin^2 \theta \cos(2\phi) \operatorname{Re} \tilde{\rho}_{1-1}^{(H)}] \right)$$

Algorithm taking into account acceptance and efficiency developed by A. Sarantsev

$\rho_{11}, \rho_{10}, \rho_{1-1}$ extracted in 3 bins in $\cos \theta_\gamma$

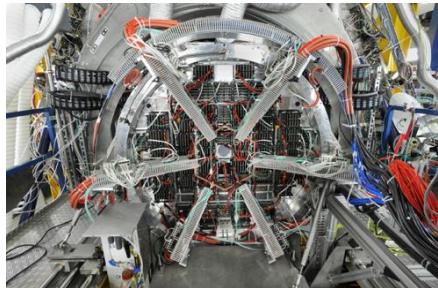


sdme sensitive to

- J^P : e.g. no dependence on θ_γ for $J=1/2$
- electromagnetic structure of the transition
e.g. $\rho_{11}=0.5$ and $\rho_{10}=0$ for transverse polarization

- Significant longitudinal contributions at finite q^2
- Angular dependence of ρ_{10} consistent with **strong N1520 contribution**
- **Good agreement with Lagrangian model**
- **More precise data needed !**

HADES upgrade: FAIR-Phase0

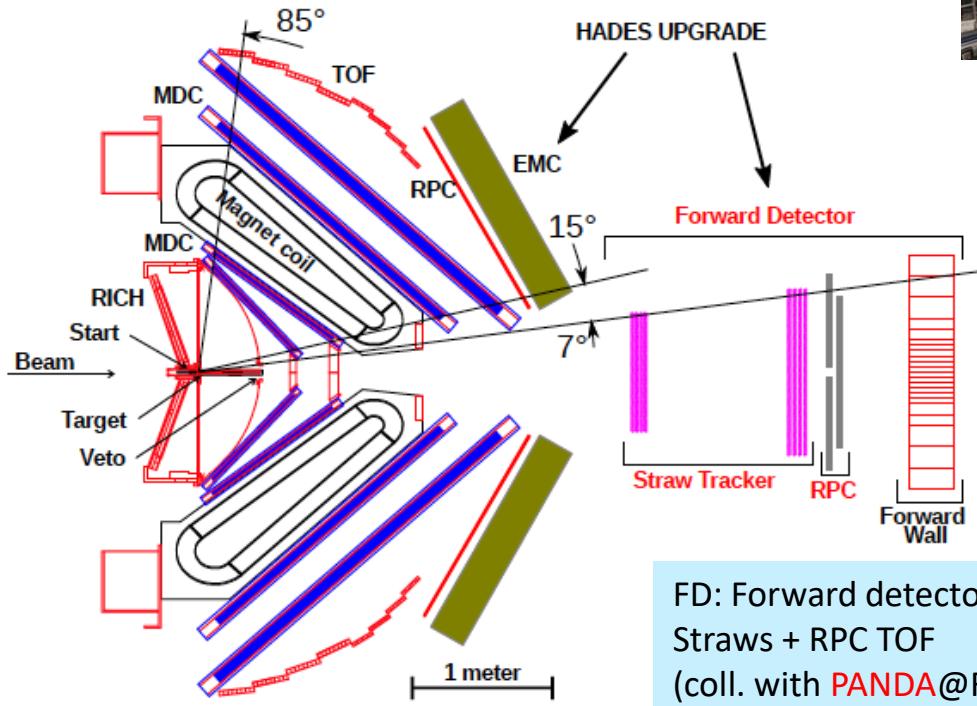


New RICH photon detector
& read-out
(coll. with CBM@FAIR)
Gain in e^+e^- efficiency x5

used in Au+Au exp. March 2019

New ECAL (lead glass), $\Delta E/E \sim 5\%$
 $\gamma \rightarrow$ neutral mesons
and e^+e^- detection

used in Au+Au exp. March 2019



FD: Forward detector ($0.5-6.5^\circ$)
Straws + RPC TOF
(coll. with PANDA@FAIR)
 $\sigma(x) \sim 150 \mu\text{m}$ $\sigma(\text{TOF}) \sim 70 \text{ ps}$

used in p+p 4.5 GeV Feb. 2022

Hyperon Dalitz decays

- Hyperons are narrow ($\Gamma=15\text{-}40 \text{ MeV}$) : can be studied in pp, pA with HADES (and later $p\bar{p}$ with PANDA at FAIR).

Radiative decays of hyperons $Y \rightarrow \Lambda \gamma$

- Poorly known
- High sensitivity to internal structure (quark correlations)

Dalitz decays of hyperons $Y \rightarrow \Lambda e^+e^-$ ($BR \sim 10^{-5}$)

- No measurement.
- Role of meson cloud ?
- Relevance of Vector Dominance in the hyperon sector?

Existing calculations

$\Sigma \rightarrow \Lambda e^+e^-$ dispersive theory C. Granados et al. Eur. Phys. J.A54(2018)1

$\Sigma(1385) \rightarrow \Lambda e^+e^-$ constituent quark model G. Ramalho, Phys. Rev. D 102, 054016 (2020)

e.g. $\Sigma^*(1385) \rightarrow \Lambda \gamma^*$ is
analogue of $\Delta(1232) \rightarrow N \gamma^*$
(measured by HADES)

CLAS PRD83 (2011) 072004, PRC71(2005) 054609

B. Ramstein

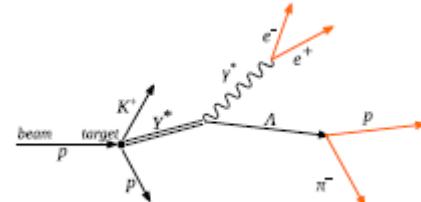
HADES Symposium Coimbra 2022

Hyperon studies in pp@4.5 GeV

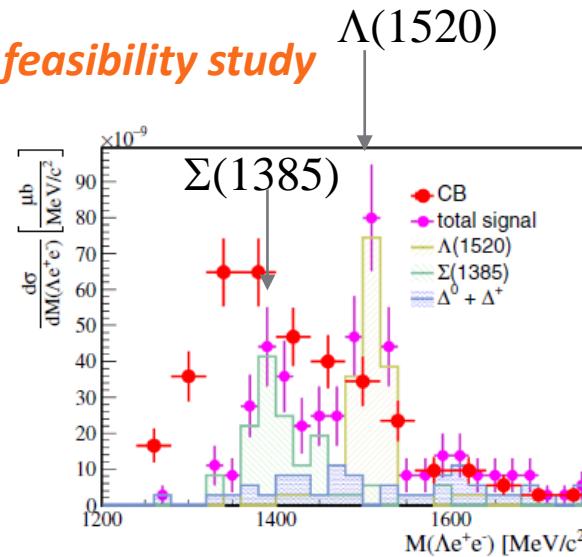
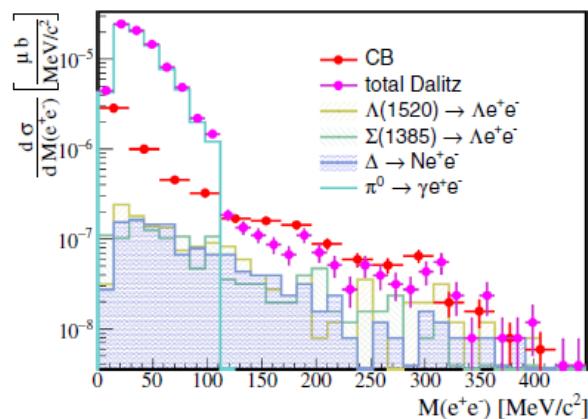
- February 2022: pp @ 4.5GeV

$\Xi, \Lambda\Lambda, \Lambda, \Sigma \rightarrow \Lambda\gamma$

Hyperon Dalitz decays: $pK^+\Lambda(1520)$ [Λe^+e^-]
 $pK^+\Sigma(1385)$ [Λe^+e^-]



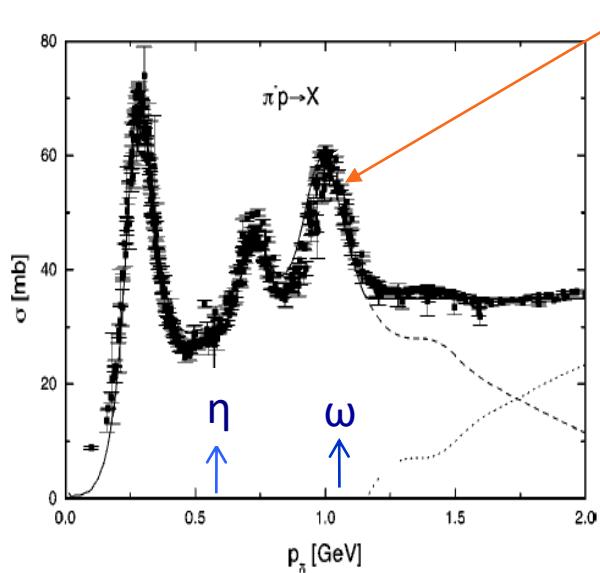
HADES: Eur. Phys. J. A57, 138 (2021) feasibility study



Analysis is on-going....

Future pion beam experiments at SIS18

Exp. proposal at GSI/SIS18 : 2023-2024: explore the **third resonance region** ($\sqrt{s} \sim 1.7 \text{ GeV}/c^2$)



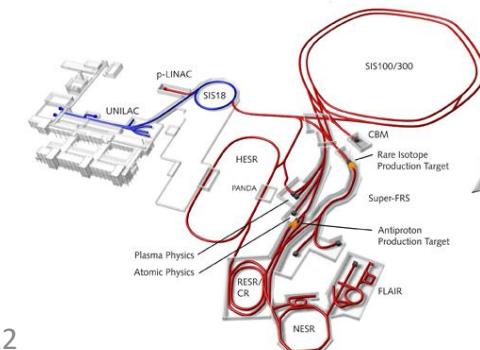
1. Baryon meson couplings $\pi\pi N$, ωn , ηn , $K^0\Lambda$, $K\Sigma$,....
Including neutral mesons thanks to the ECAL
→ Improve the poor pion beam data base (PWA)
→ Many baryon structure issues: confirmation of $N'(1720)$, Cascade decays ($R \rightarrow R'\pi/\eta \rightarrow N\pi\pi/N\pi\eta$), ηn couplings
2. Time-like electromagnetic baryon transitions $\pi^- p \rightarrow n e^+ e^-$
 - Broad range of $q^2 = (M_{ee})^2$ → sensitivity to form factors
 - Check of Vector Dominance (both for ρ and ω)
 - Spin density matrix elements
3. Cold matter studies: C, Ag targets
 - ω absorption
 - ρ spectral function
 - Strangeness production

Conclusion

- ✓ Baryon resonance studies with the GSI pion beam + HADES detector (2nd resonance region $\sqrt{s} \sim 1.5$ GeV)
 - improved knowledge of hadronic couplings
 - very new information on electromagnetic baryon transitions in the time-like region
 - phenomenological to be developed to extract information for single baryon transition!
- ✓ On-going analysis for hyperon Dalitz and radiative decays in pp reaction at 4.5 GeV

- ✓ Proposal for pion beam experiment in 2023 in the third resonance region
 - Investigate heavier resonances N(1620), N(1720),...in e⁺e⁻ channels and many hadronic channels, e.g. $\pi^- p \rightarrow \eta n$, K⁰Λ, KΣ,....
- ✓ Experimental program at SIS18:
Au+Au (0.2-0.8 GeV) (subm. proposal), p+A at 4.5 GeV, d+p energy scan,.....

- ✓ After 2028: HADES experiments at FAIR with ion and proton beams





HADES Collaboration, Feb 22nd 20018

Thank you

Precision data require accurate analysis procedures to establish the baryon spectrum

V.D. Burkert., T.S.-H. Lee
IJMP E13 (2004)

